

Connecting Measured BRDFs to Analytic BRDFs by Data-Driven Diffuse-Specular Separation

Tiancheng Sun, Henrik Wann Jensen, Ravi Ramamoorthi

University of California, San Diego

OVERVIEW



OVERVIEW



➤ BRDF

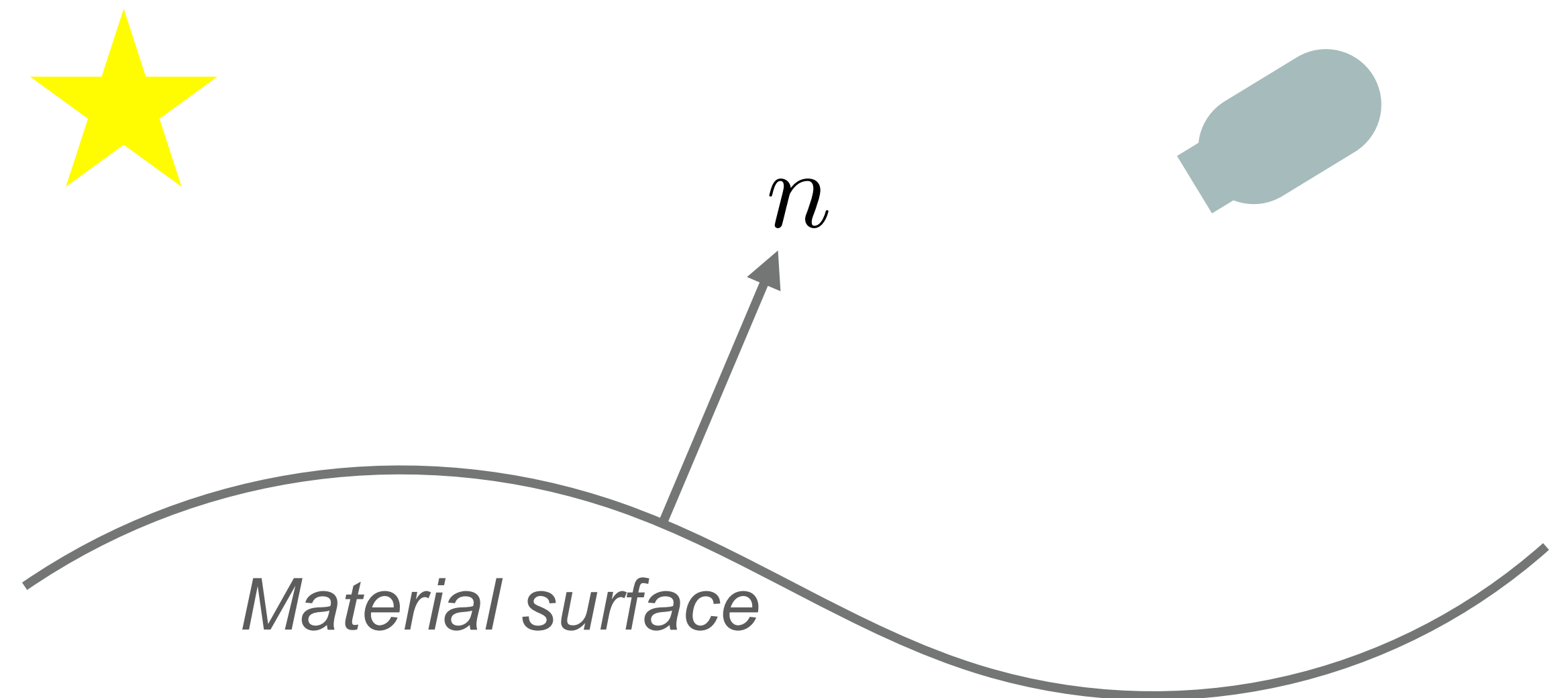
OVERVIEW



- BRDF
 - surface property of a material

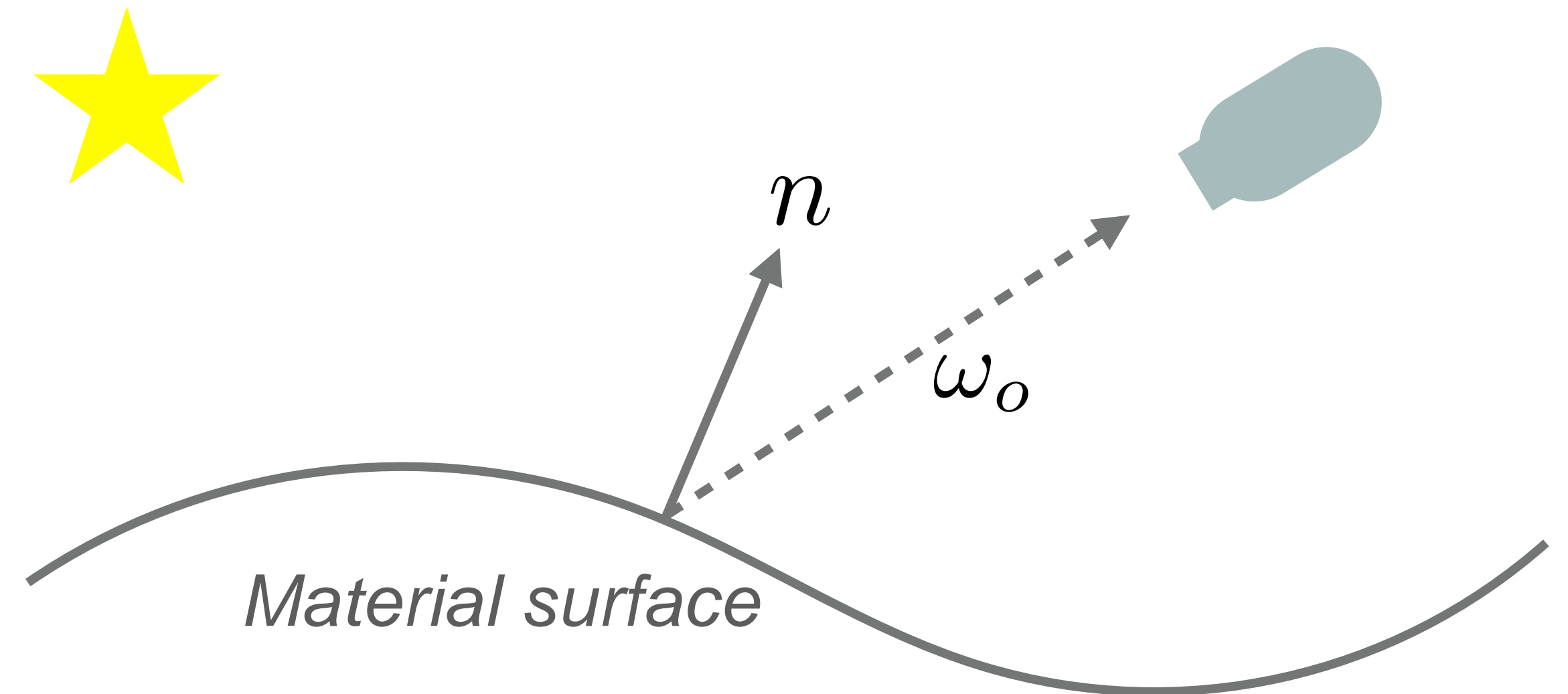
- BRDF
 - surface property of a material

$$\rho(\omega_i, \omega_o) = \text{—————}$$



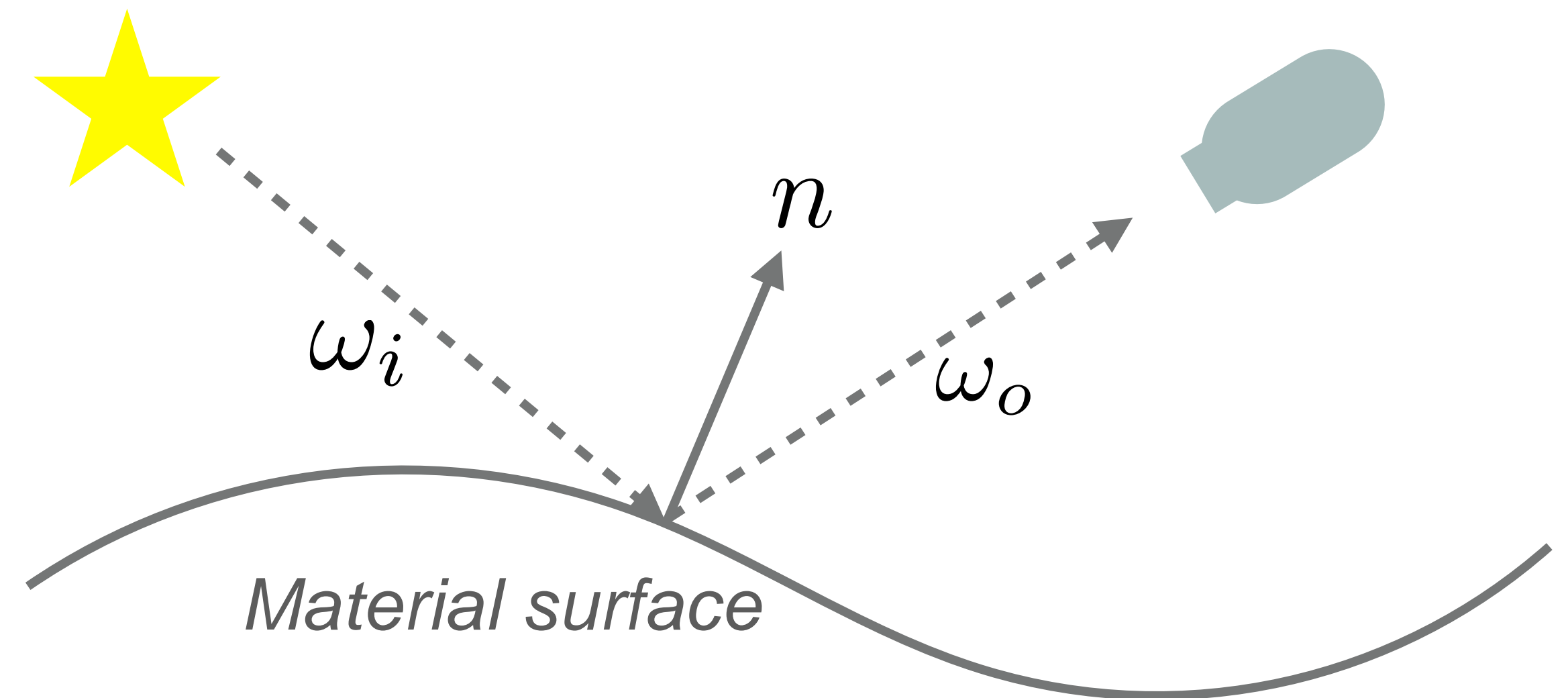
- BRDF
 - surface property of a material

$$\rho(\omega_i, \omega_o) = \frac{dL(\omega_o)}{d\omega_i}$$



- BRDF
 - surface property of a material

$$\rho(\omega_i, \omega_o) = \frac{dL(\omega_o)}{dE(\omega_i)}$$



OVERVIEW



Measured BRDF

Analytic BRDF

OVERVIEW



Measured BRDF

Analytic BRDF

OVERVIEW

Measured BRDF



Analytic BRDF

OVERVIEW

Measured BRDF



captured from real world

Analytic BRDF

Measured BRDF



$$\rho[\omega_i, \omega_o, \lambda]$$

captured from real world

Analytic BRDF

Measured BRDF



$$\rho[\omega_i, \omega_o, \lambda]$$

captured from real world

Analytic BRDF

Measured BRDF



$$\rho[\omega_i, \omega_o, \lambda]$$

captured from real world

Analytic BRDF

Measured BRDF



$$\rho[\omega_i, \omega_o, \lambda]$$

captured from real world

Analytic BRDF

Measured BRDF



$$\rho[\omega_i, \omega_o, \lambda]$$

captured from real world

Analytic BRDF

Measured BRDF



$$\rho[\omega_i, \omega_o, \lambda]$$

captured from real world

millions of values, hard to modify

Analytic BRDF

Measured BRDF

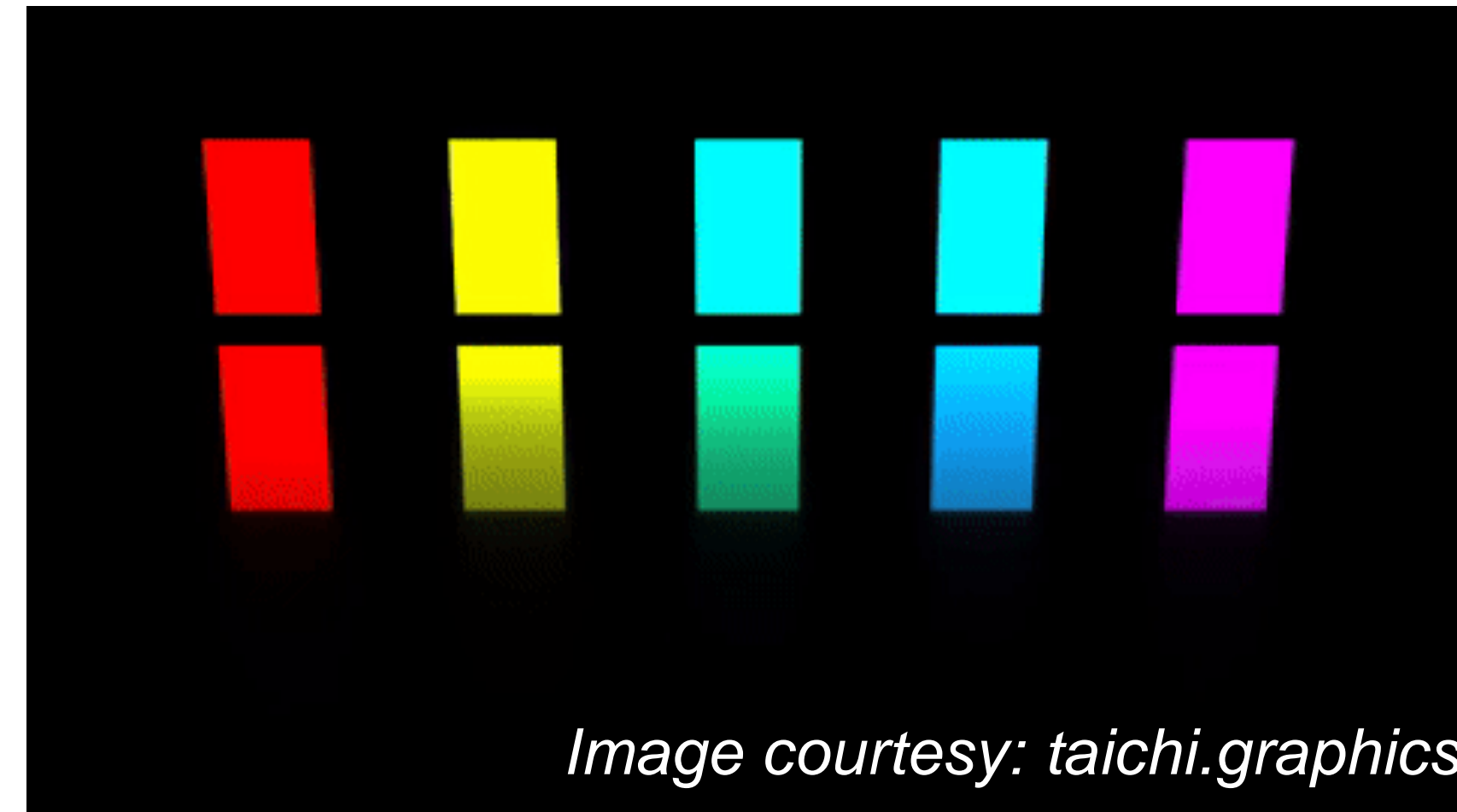


$$\rho[\omega_i, \omega_o, \lambda]$$

captured from real world

millions of values, hard to modify

Analytic BRDF



Measured BRDF

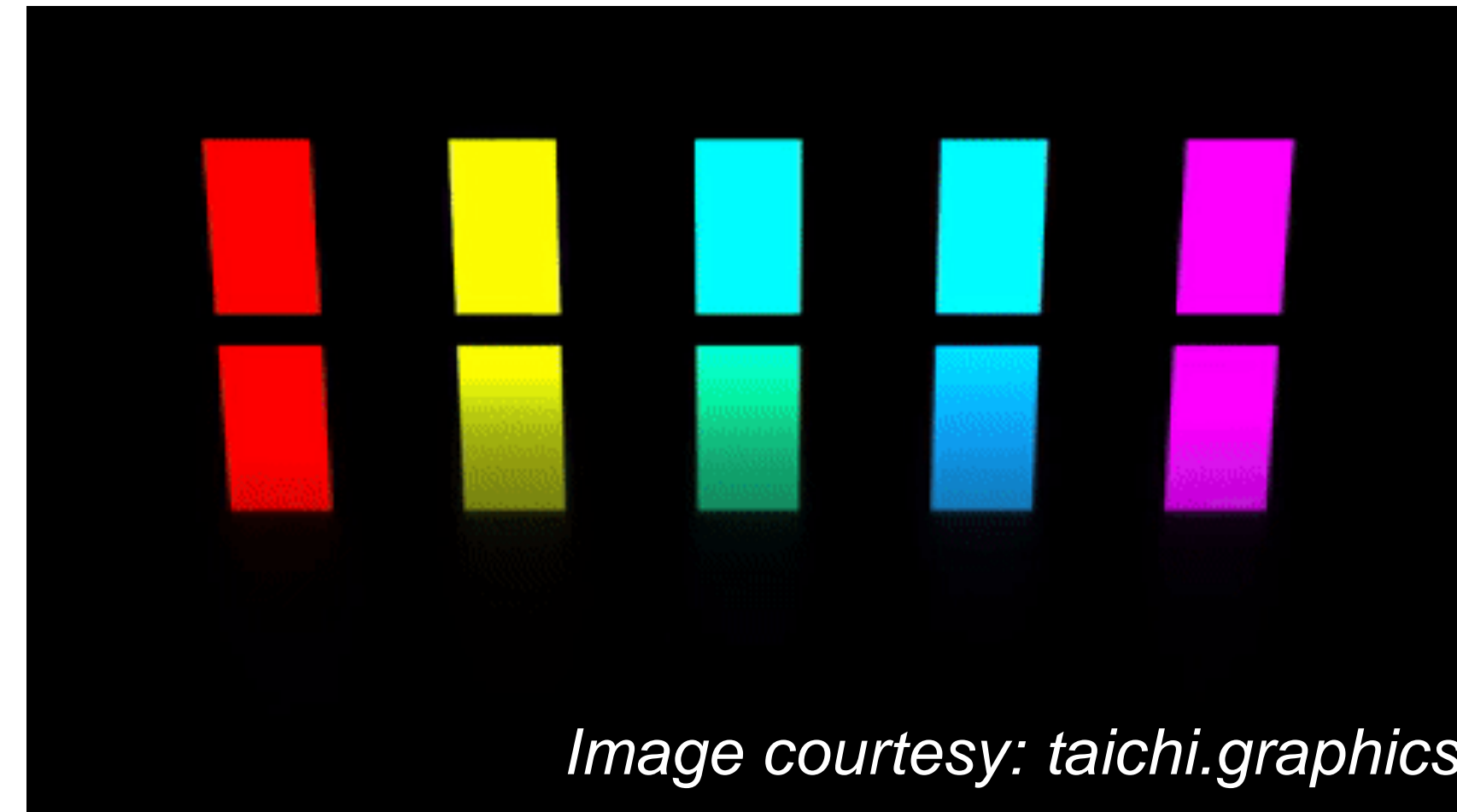


$$\rho[\omega_i, \omega_o, \lambda]$$

captured from real world

millions of values, hard to modify

Analytic BRDF



approximated with models

Measured BRDF

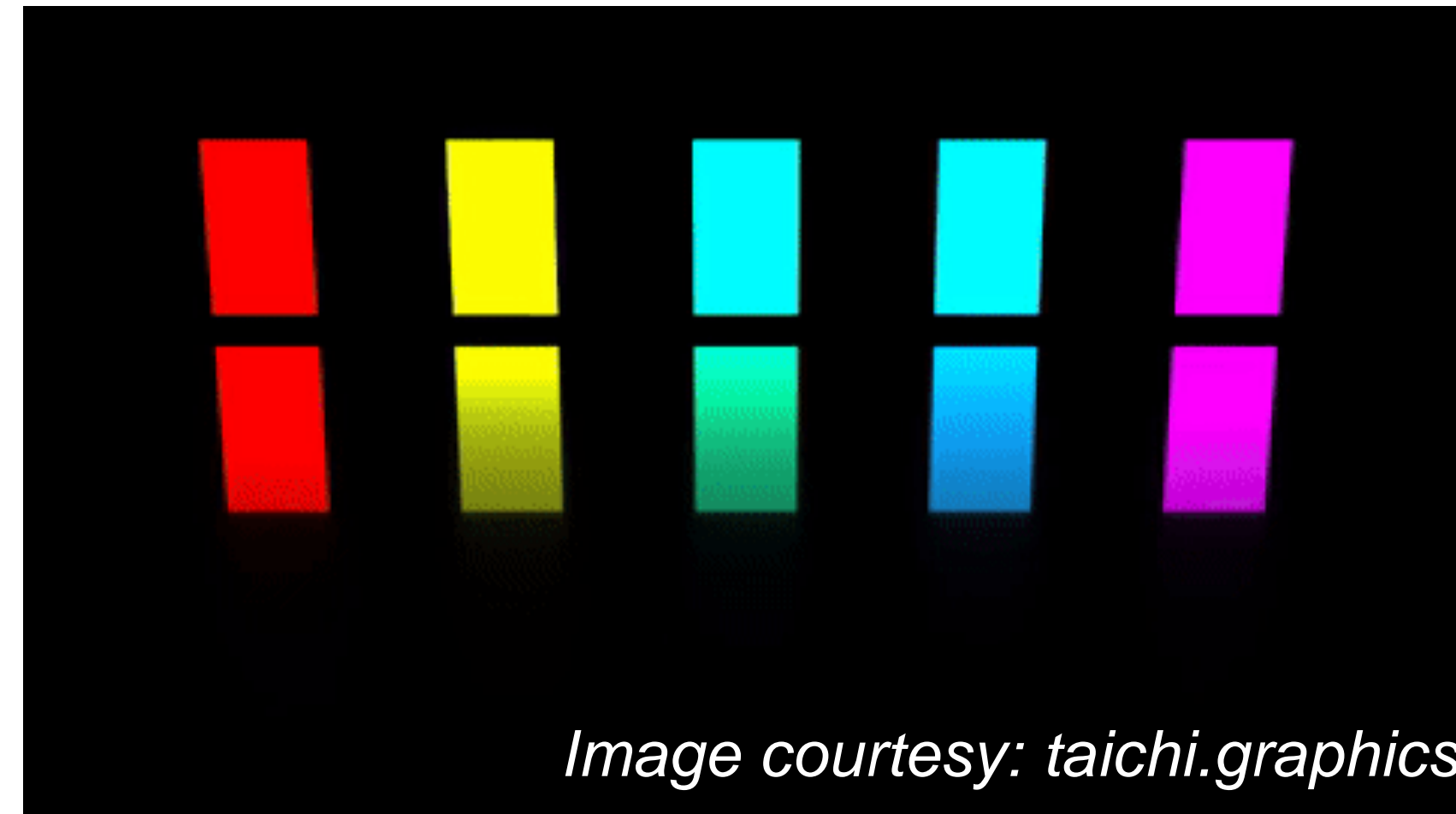


$$\rho[\omega_i, \omega_o, \lambda]$$

captured from real world

millions of values, hard to modify

Analytic BRDF



Diffuse

$$\underline{\rho_d(\alpha_d)}$$

approximated with models

Measured BRDF

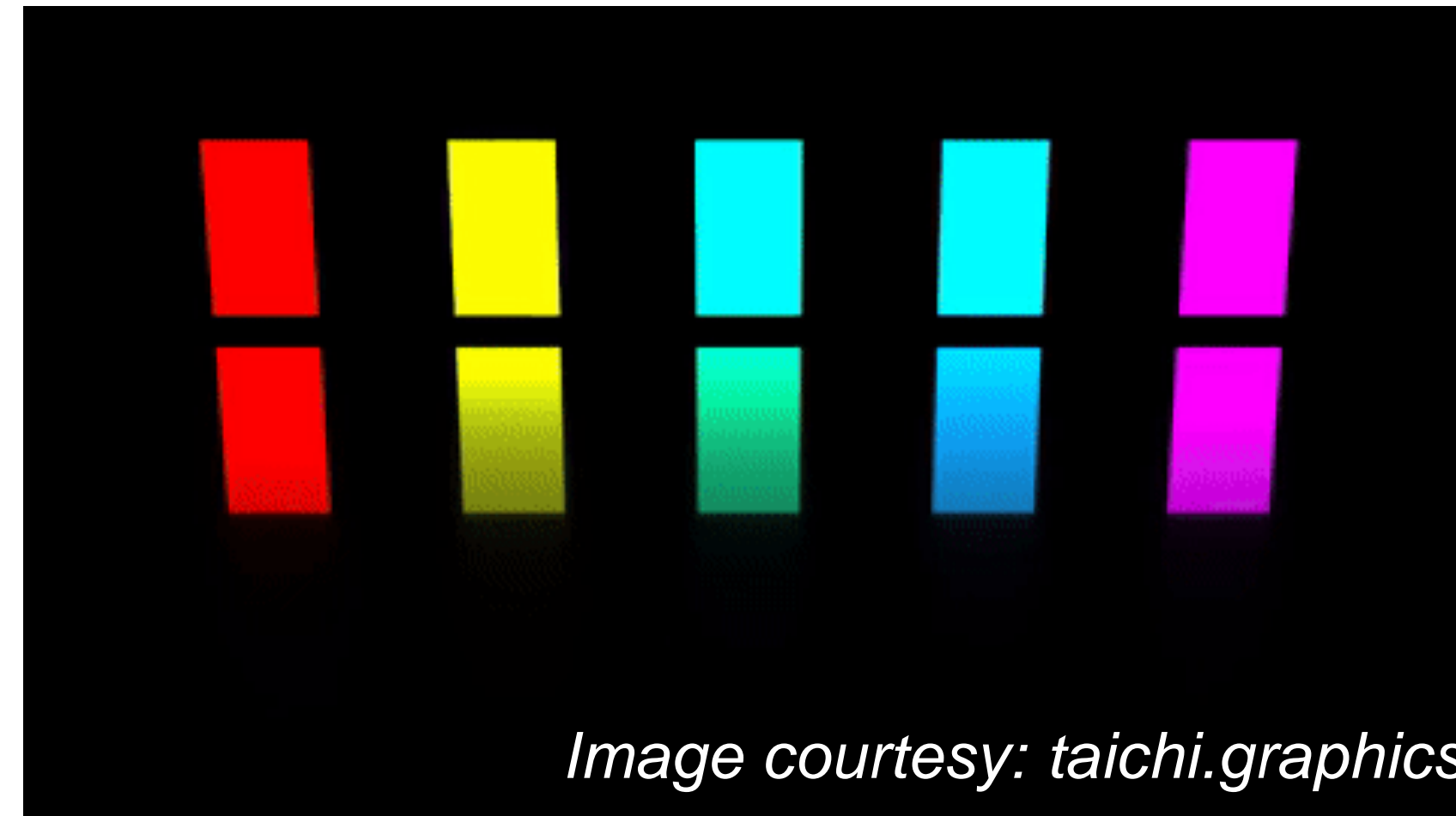


$$\rho[\omega_i, \omega_o, \lambda]$$

captured from real world

millions of values, hard to modify

Analytic BRDF



$$\underbrace{\rho_d(\alpha_d)}_{\text{Diffuse}} + \underbrace{\rho_s(\alpha_s)}_{\text{Specular}}$$

approximated with models

Measured BRDF

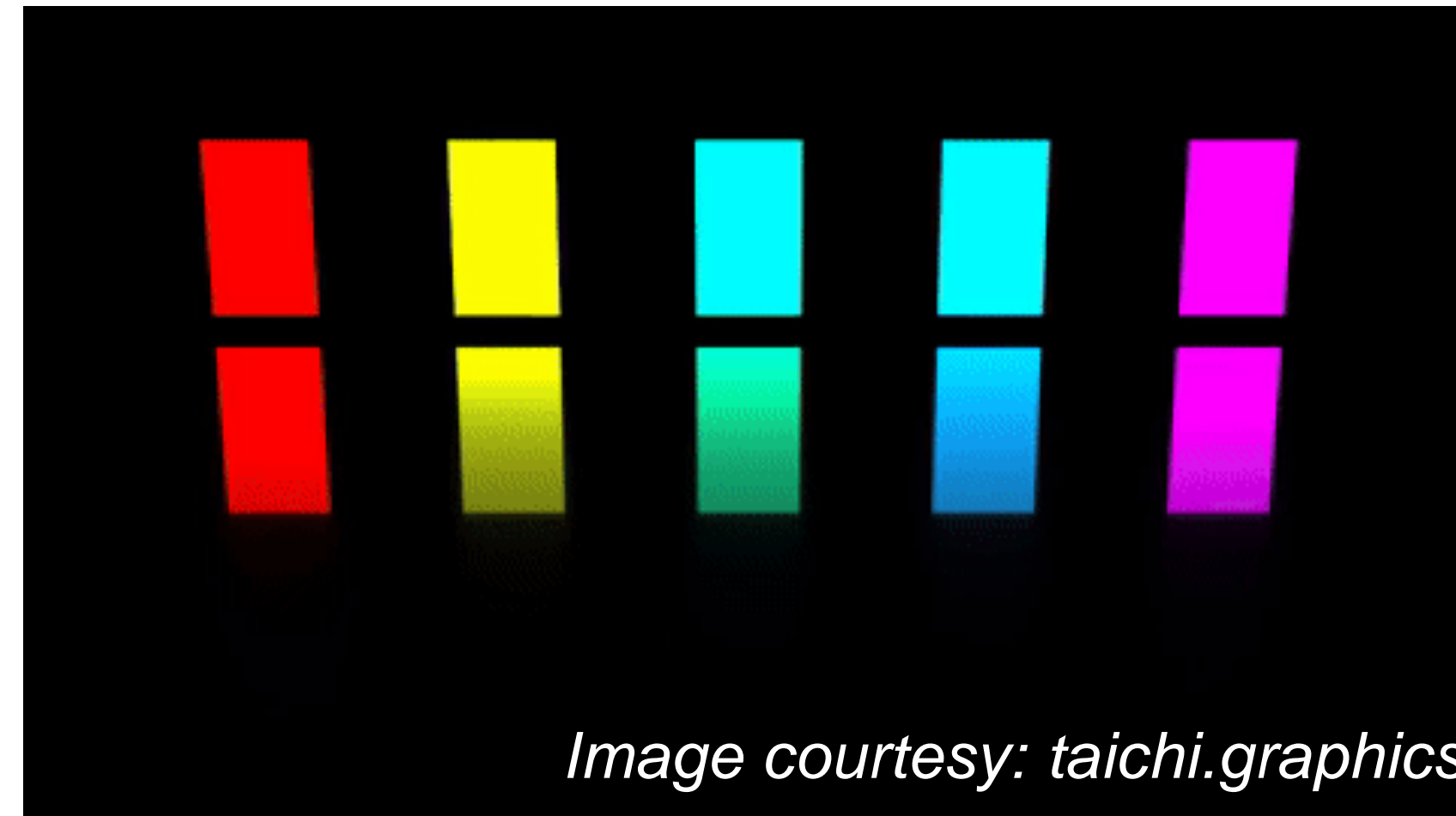


$$\rho[\omega_i, \omega_o, \lambda]$$

captured from real world

millions of values, hard to modify

Analytic BRDF



$$\underbrace{\rho_d(\alpha_d)}_{\text{Diffuse}} \cdot \underbrace{\mathbf{c}_d(\lambda)}_{\text{Colors}} + \underbrace{\rho_s(\alpha_s)}_{\text{Specular}} \cdot \underbrace{\mathbf{c}_s(\lambda)}_{\text{Colors}}$$

approximated with models

Measured BRDF

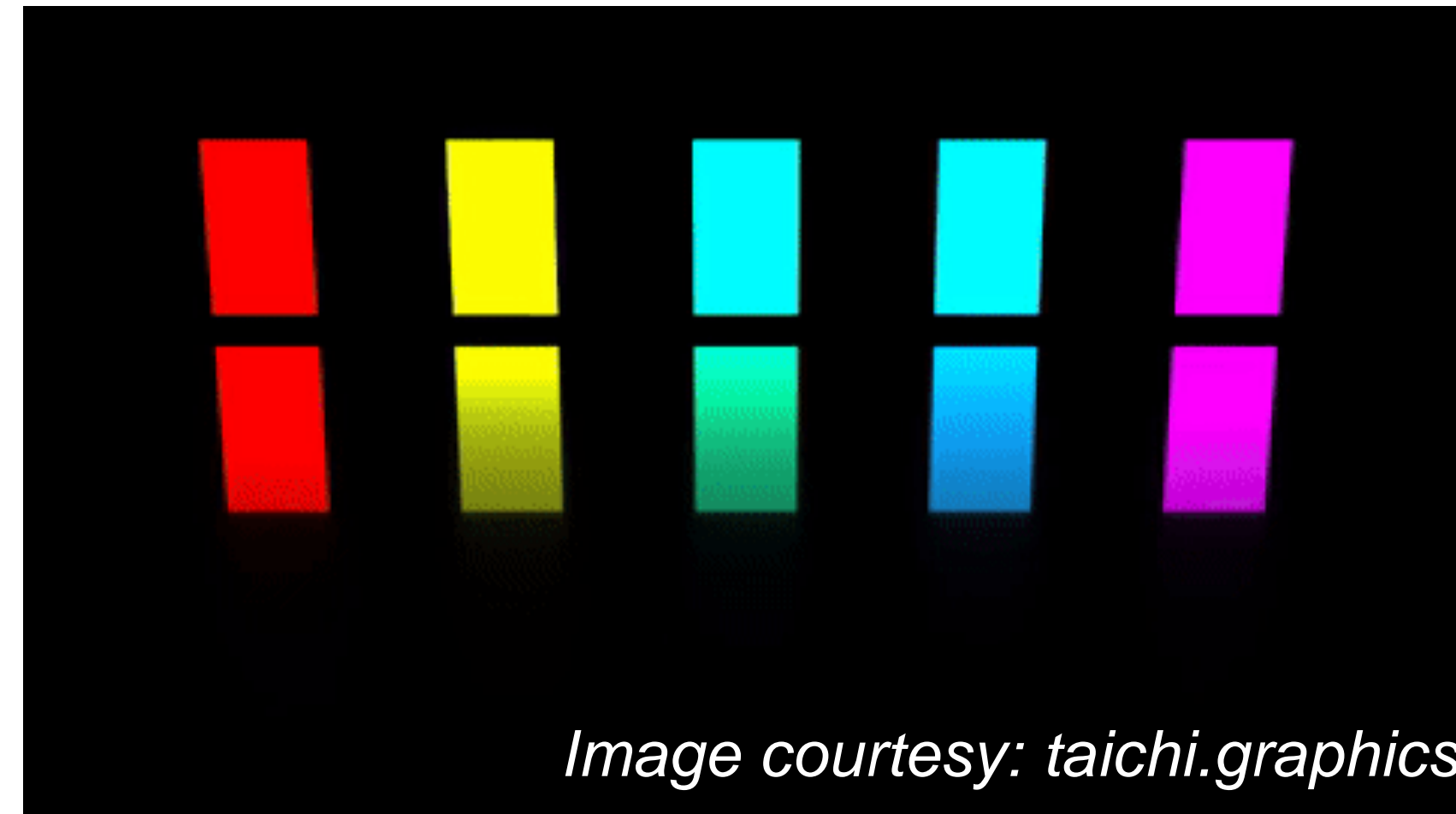


$$\rho[\omega_i, \omega_o, \lambda]$$

captured from real world

millions of values, hard to modify

Analytic BRDF



$$\underbrace{\rho_d(\alpha_d)}_{\text{Diffuse}} \cdot \underbrace{\mathbf{c}_d(\lambda)}_{\text{Colors}} + \underbrace{\rho_s(\alpha_s)}_{\text{Specular}} \cdot \underbrace{\mathbf{c}_s(\lambda)}_{\text{Colors}}$$

approximated with models

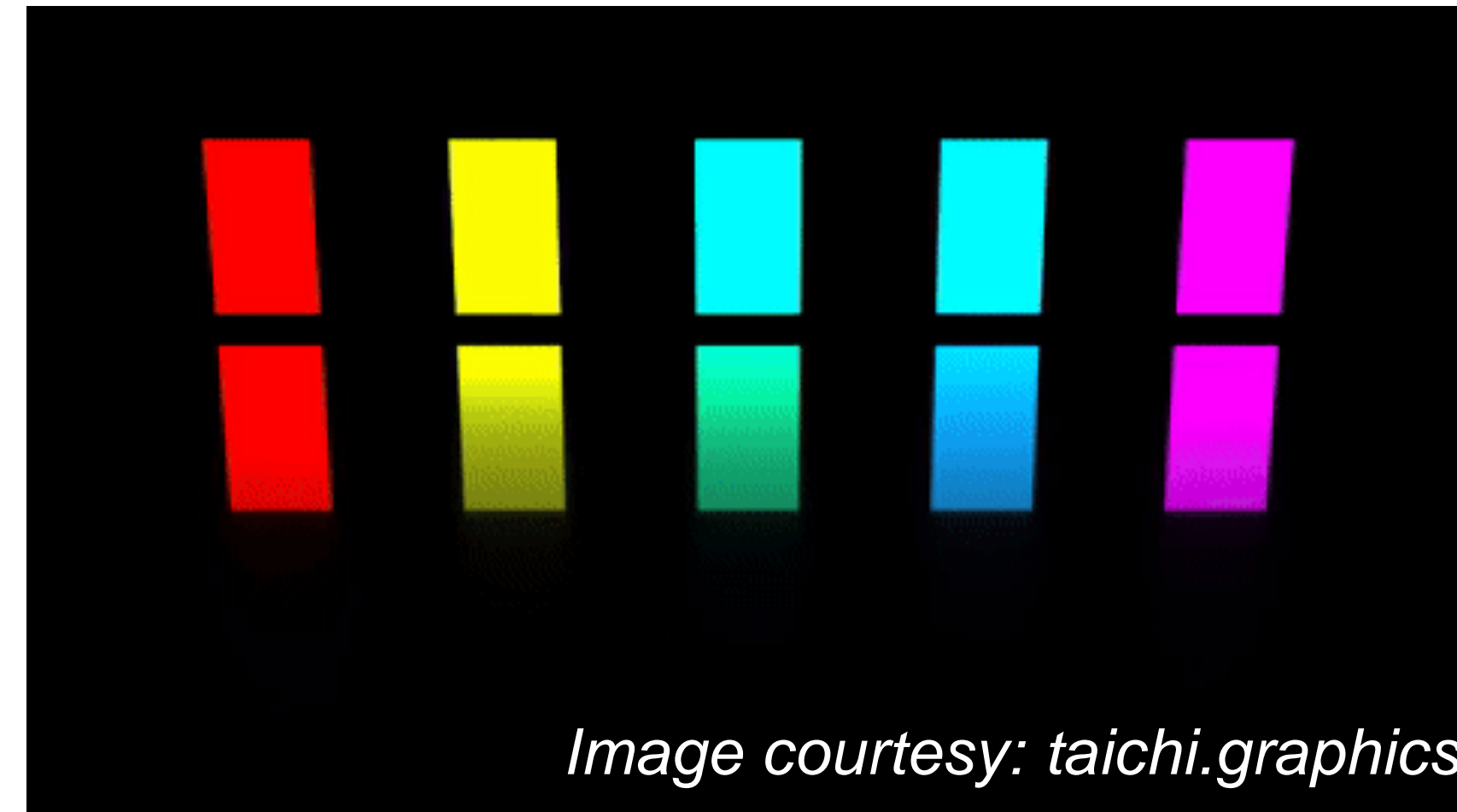
~8 parameters, easy to edit

OVERVIEW

Measured BRDF



Analytic BRDF



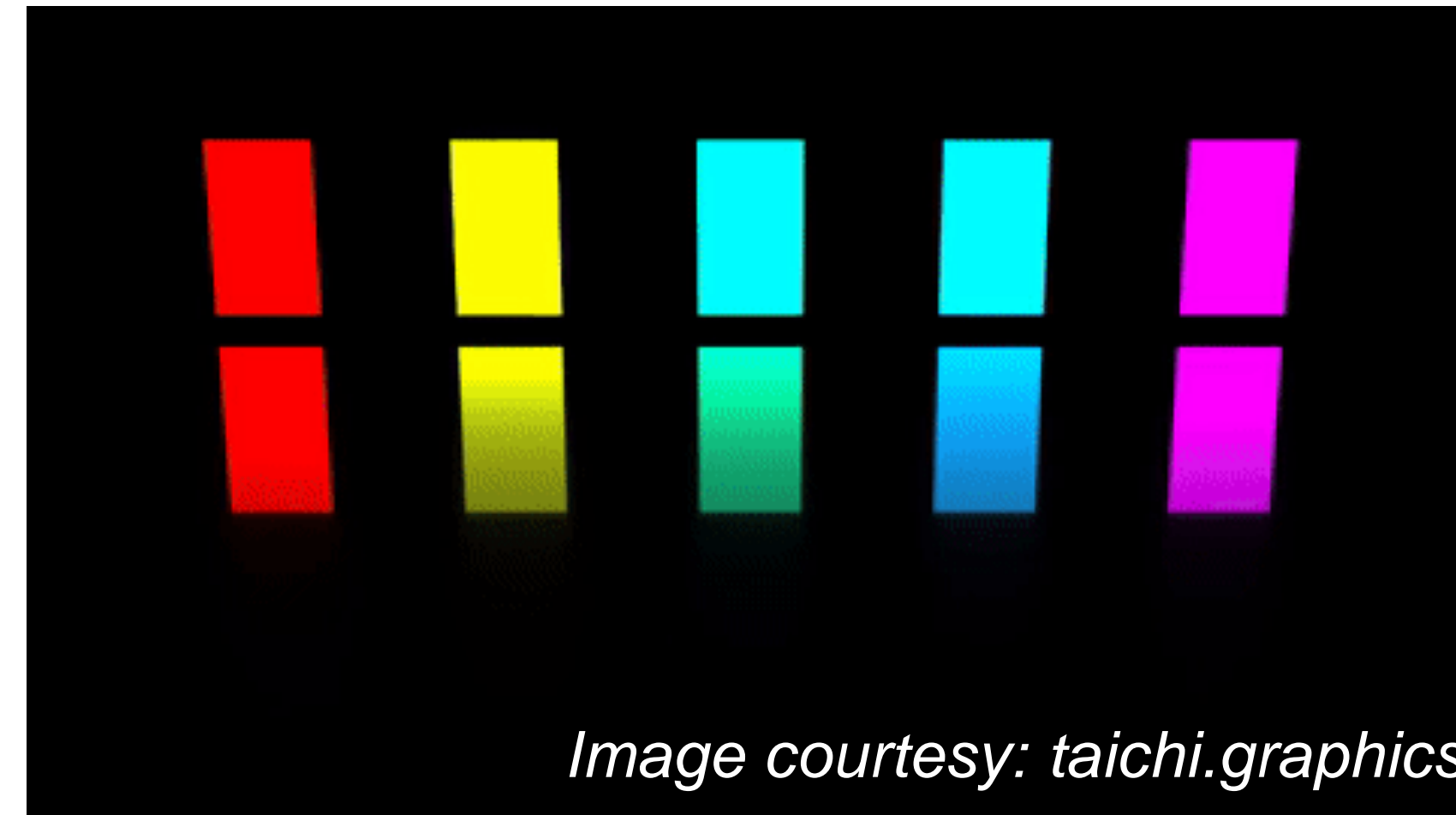
$$\underline{\min_{\alpha_d, \alpha_s} d\left(\rho[\omega_i, \omega_o, \lambda], \rho_d(\alpha_d) \cdot \mathbf{c}_d(\lambda) + \rho_s(\alpha_s) \cdot \mathbf{c}_s(\lambda)\right)}$$

OVERVIEW

Measured BRDF



Analytic BRDF



$$\min_{\alpha_d, \alpha_s} d\left(\rho[\omega_i, \omega_o, \lambda], \rho_d(\alpha_d) \cdot \mathbf{c}_d(\lambda) + \rho_s(\alpha_s) \cdot \mathbf{c}_s(\lambda)\right)$$

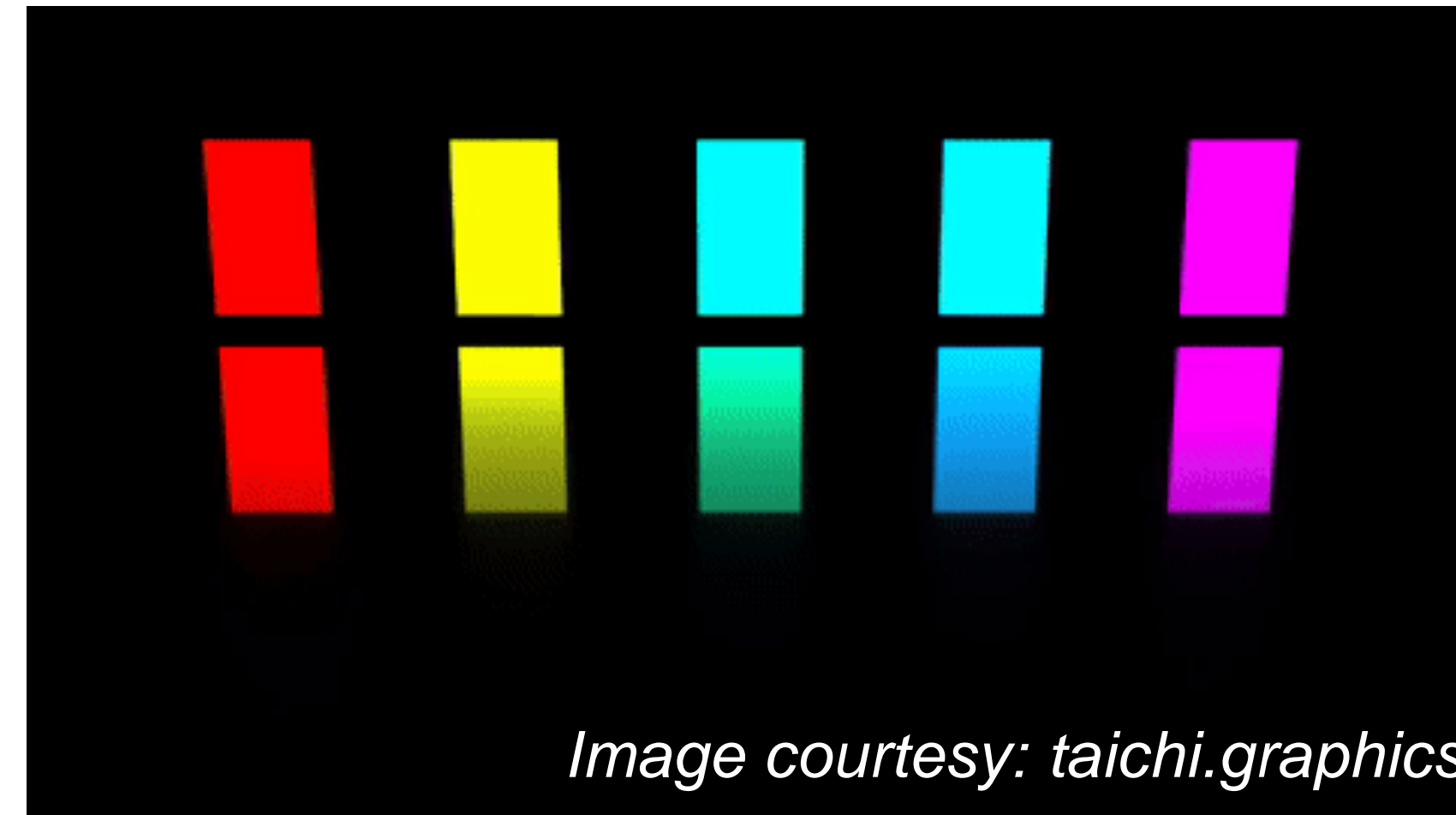
Diffuse parameter Specular parameter

OVERVIEW

Measured BRDF



Analytic BRDF



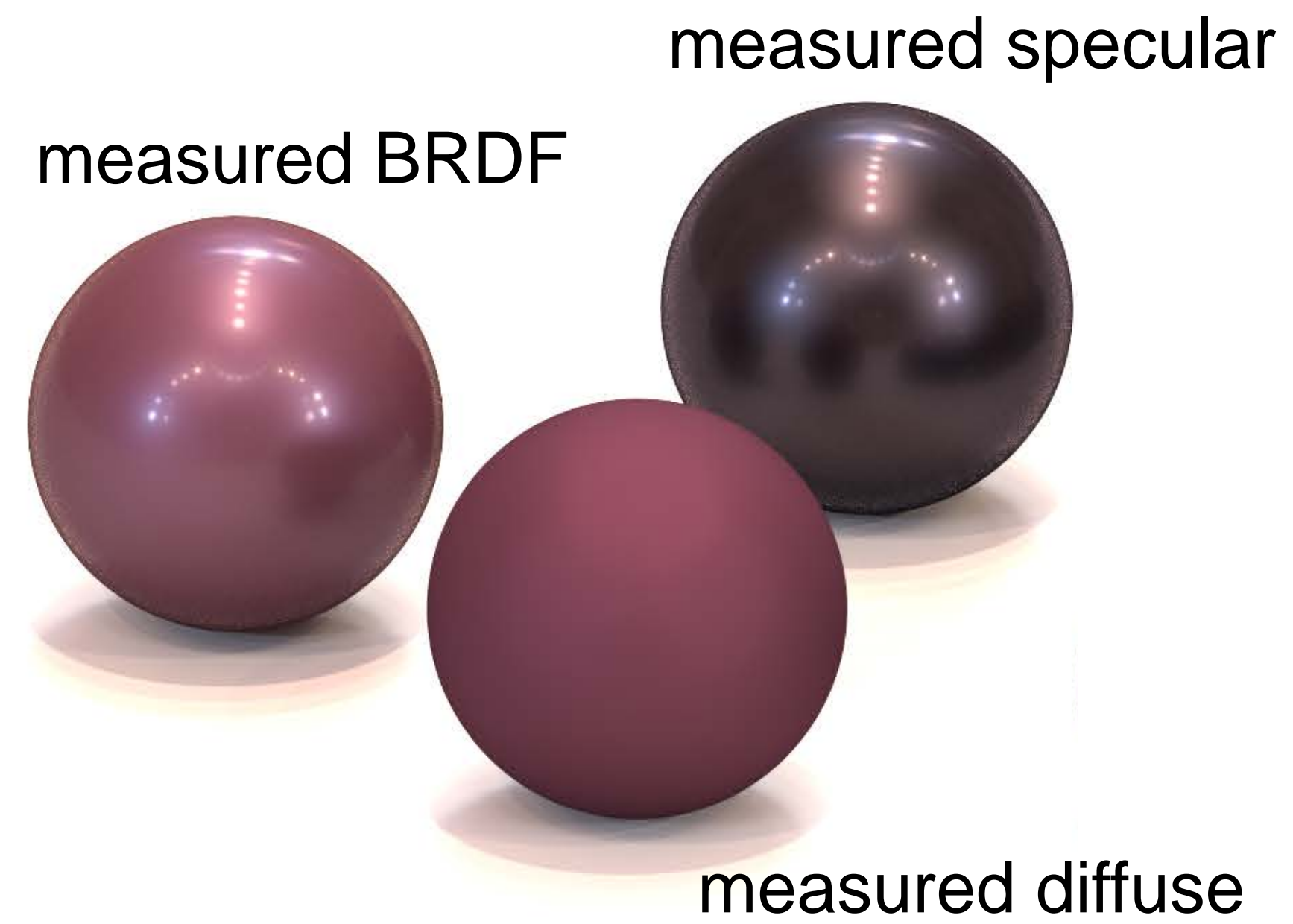
$$\min_{\alpha_d, \alpha_s} d\left(\rho[\omega_i, \omega_o, \lambda], \rho_d(\alpha_d) \cdot \mathbf{c}_d(\lambda) + \rho_s(\alpha_s) \cdot \mathbf{c}_s(\lambda)\right)$$

Diffuse parameter Specular parameter

Inefficient
Local optimal

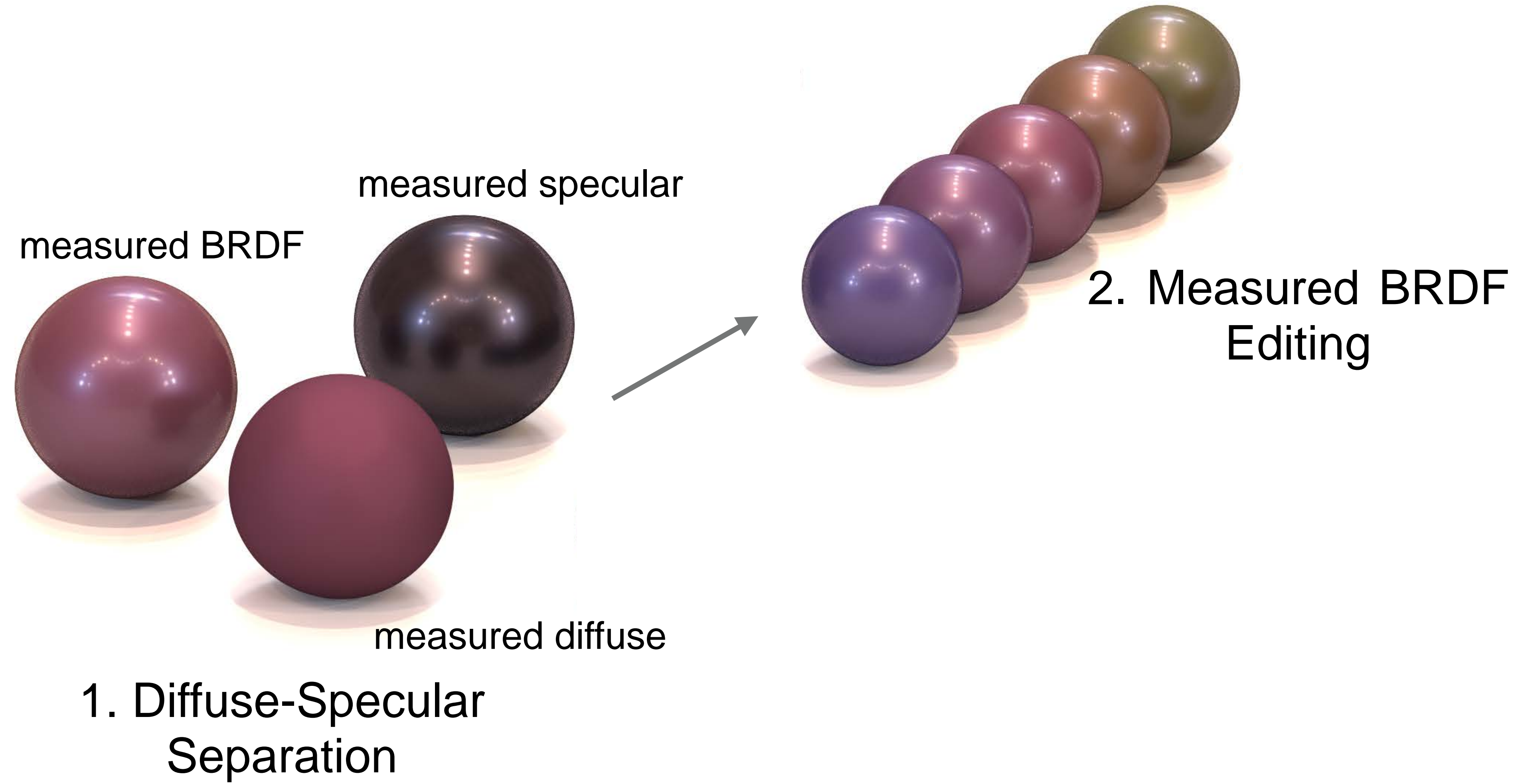
OVERVIEW



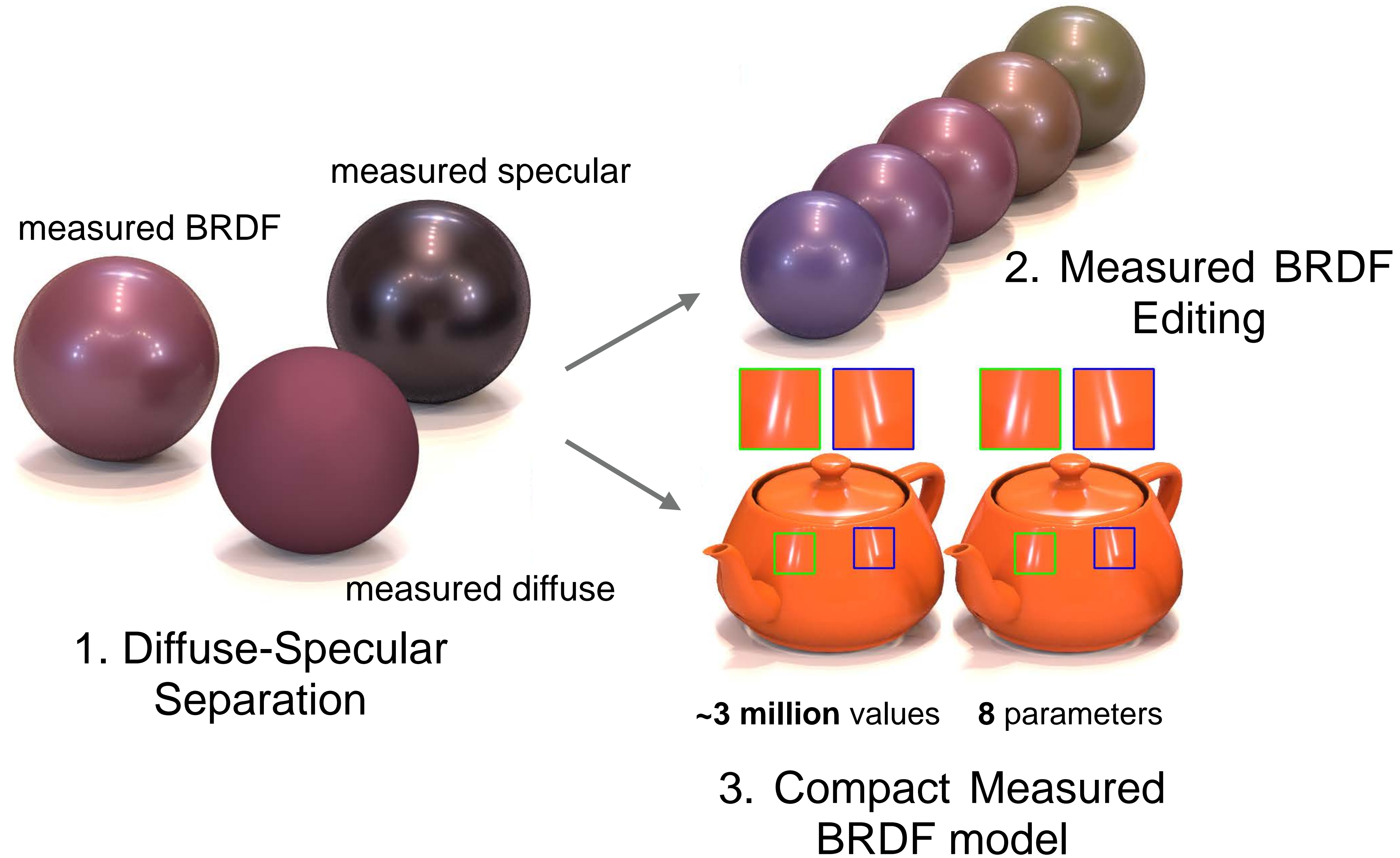


1. Diffuse-Specular Separation

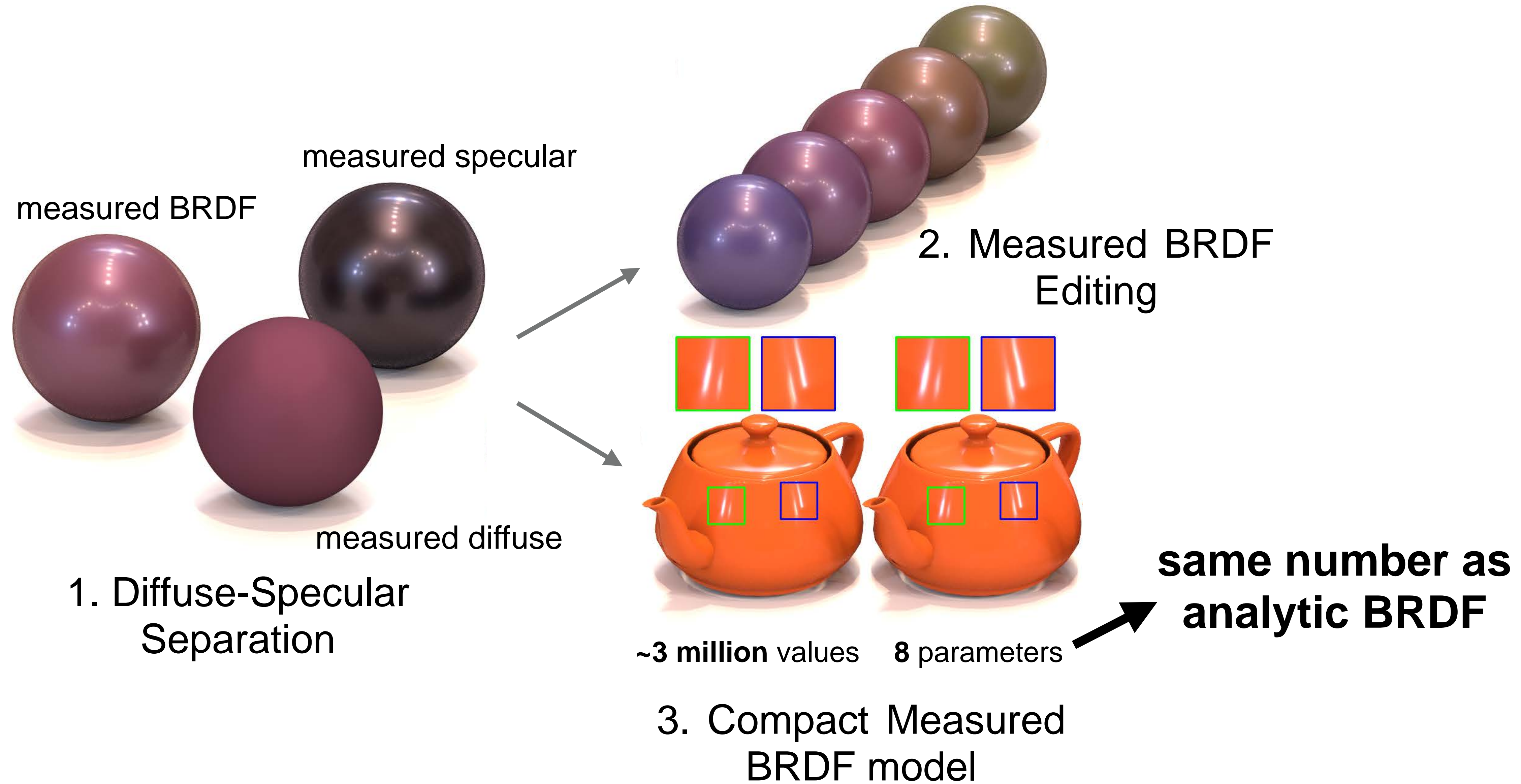
OVERVIEW



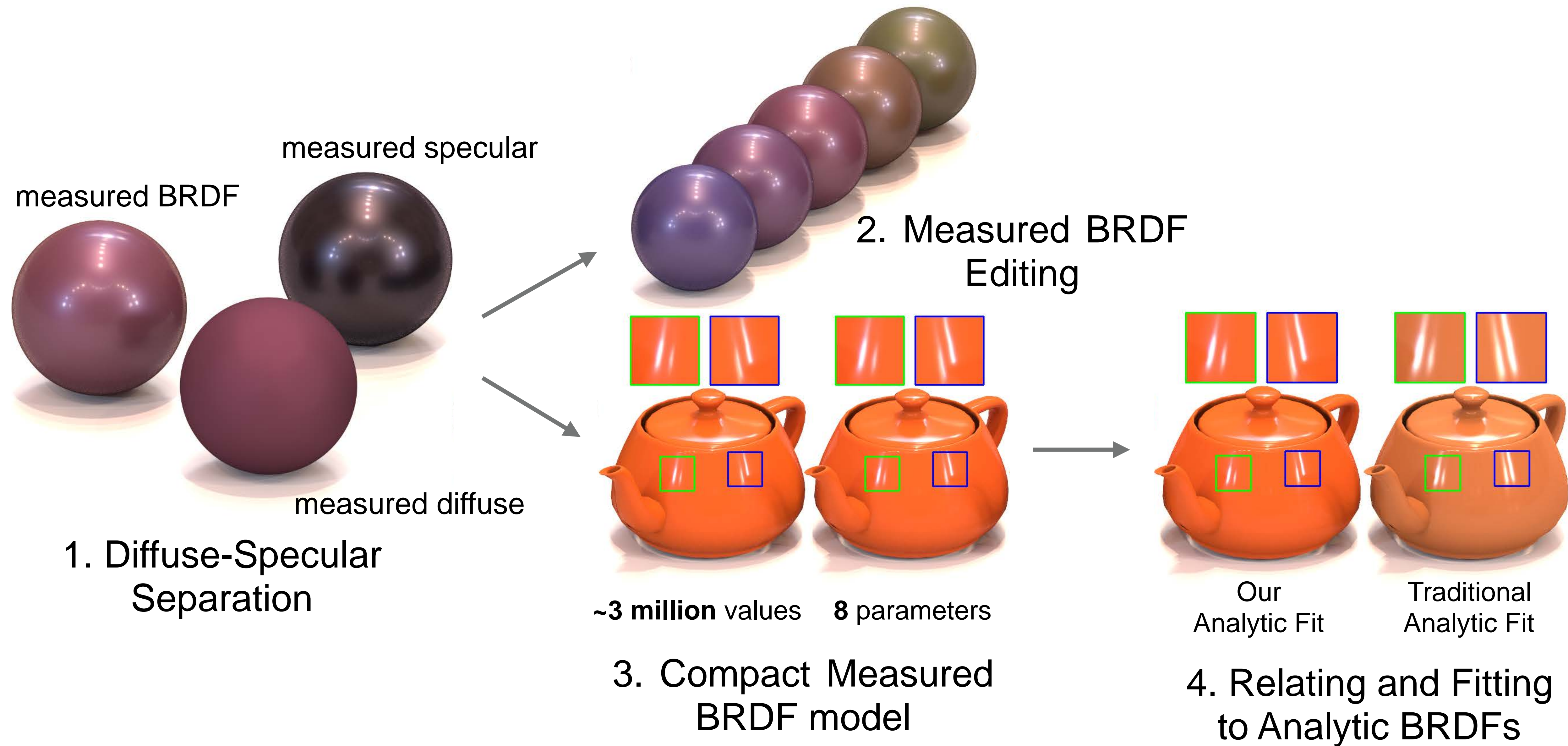
OVERVIEW



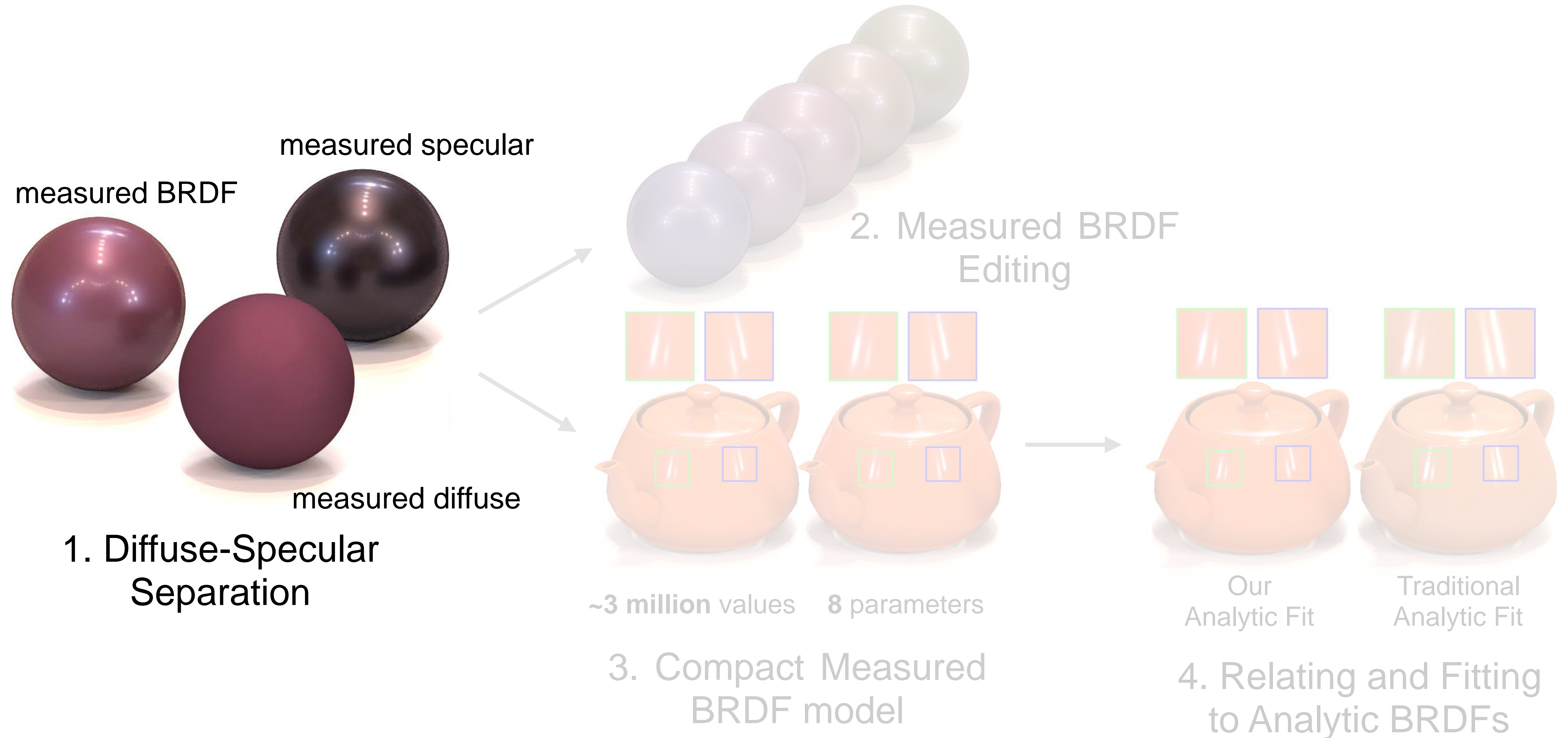
OVERVIEW



OVERVIEW



OVERVIEW



1. DIFFUSE-SPECULAR SEPARATION



1. DIFFUSE-SPECULAR SEPARATION

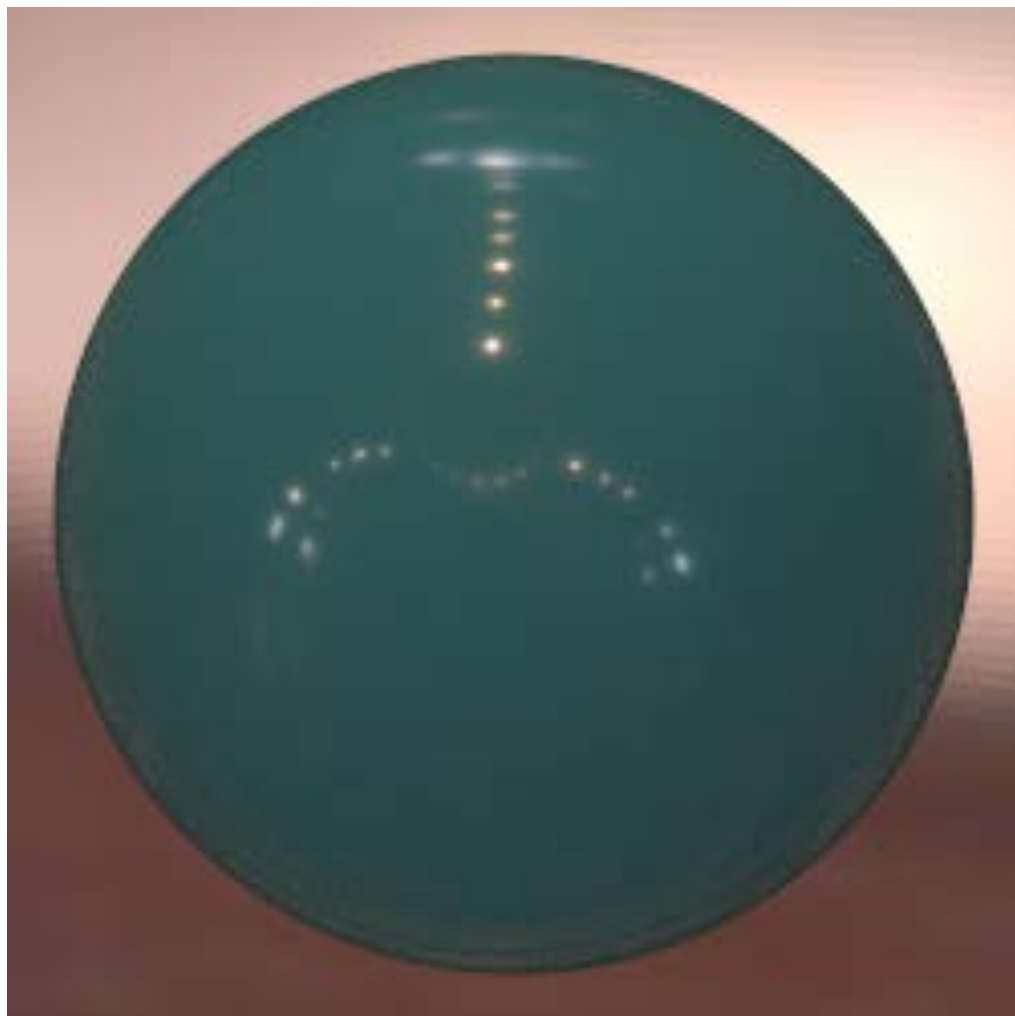


Goal:

1. DIFFUSE-SPECULAR SEPARATION

Goal: $\rho[\omega_i, \omega_o, \lambda] \approx$

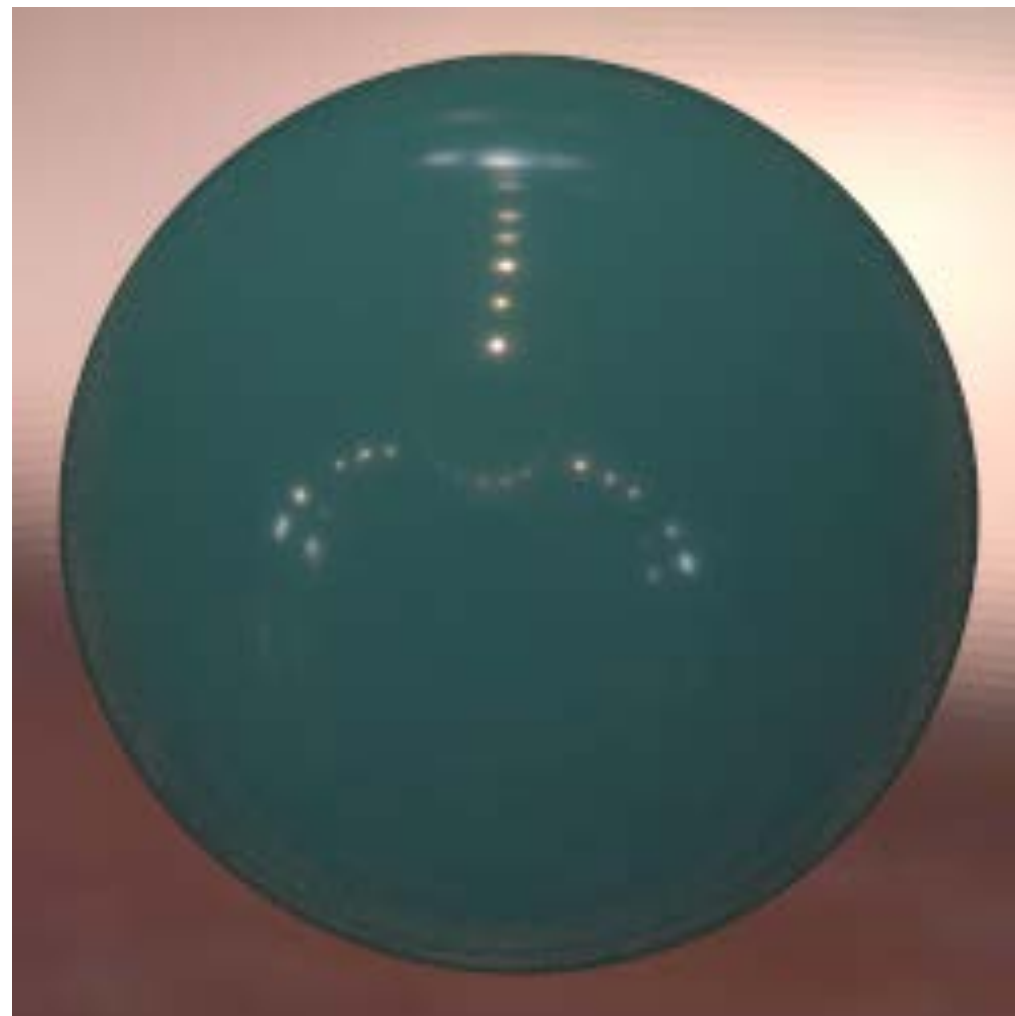
measured BRDF



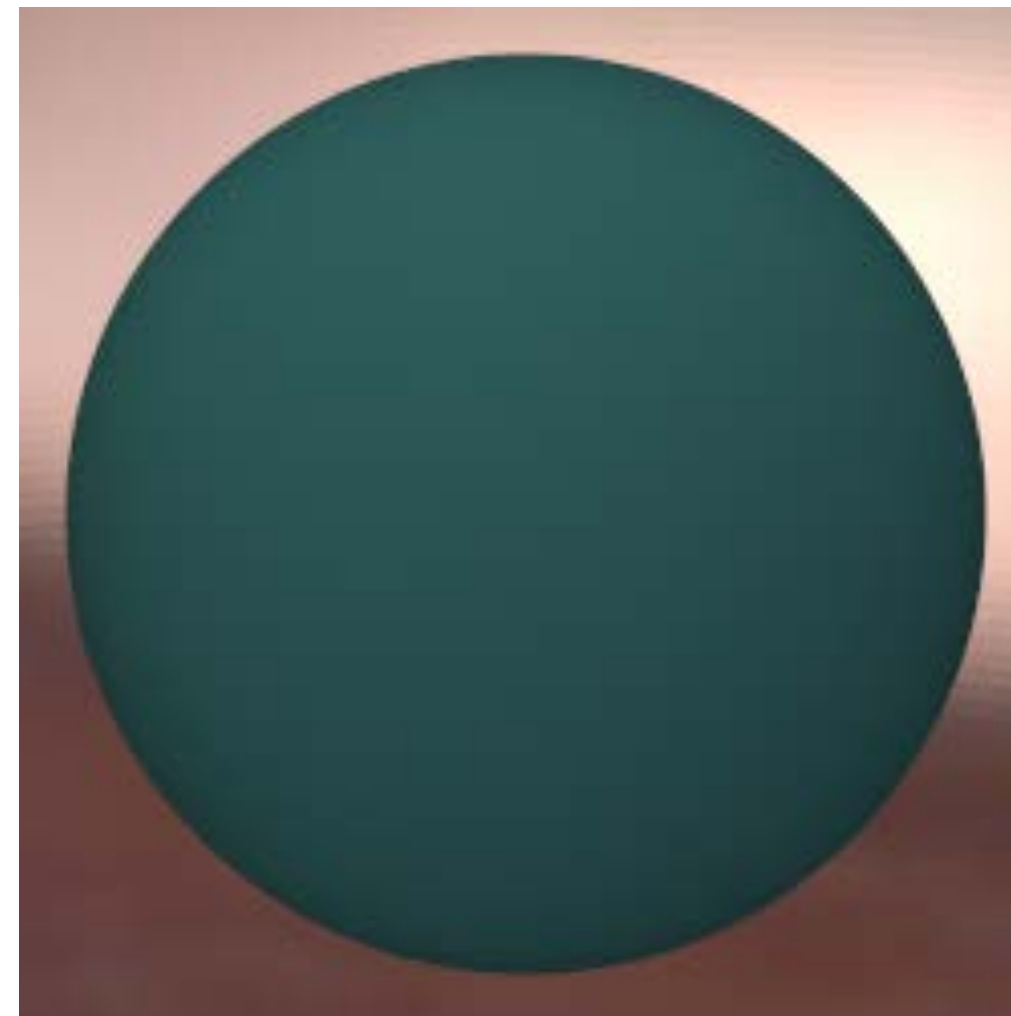
1. DIFFUSE-SPECULAR SEPARATION

Goal: $\rho[\omega_i, \omega_o, \lambda] \approx \rho_d[\omega_i, \omega_o] \cdot c_d(\lambda)$

measured BRDF



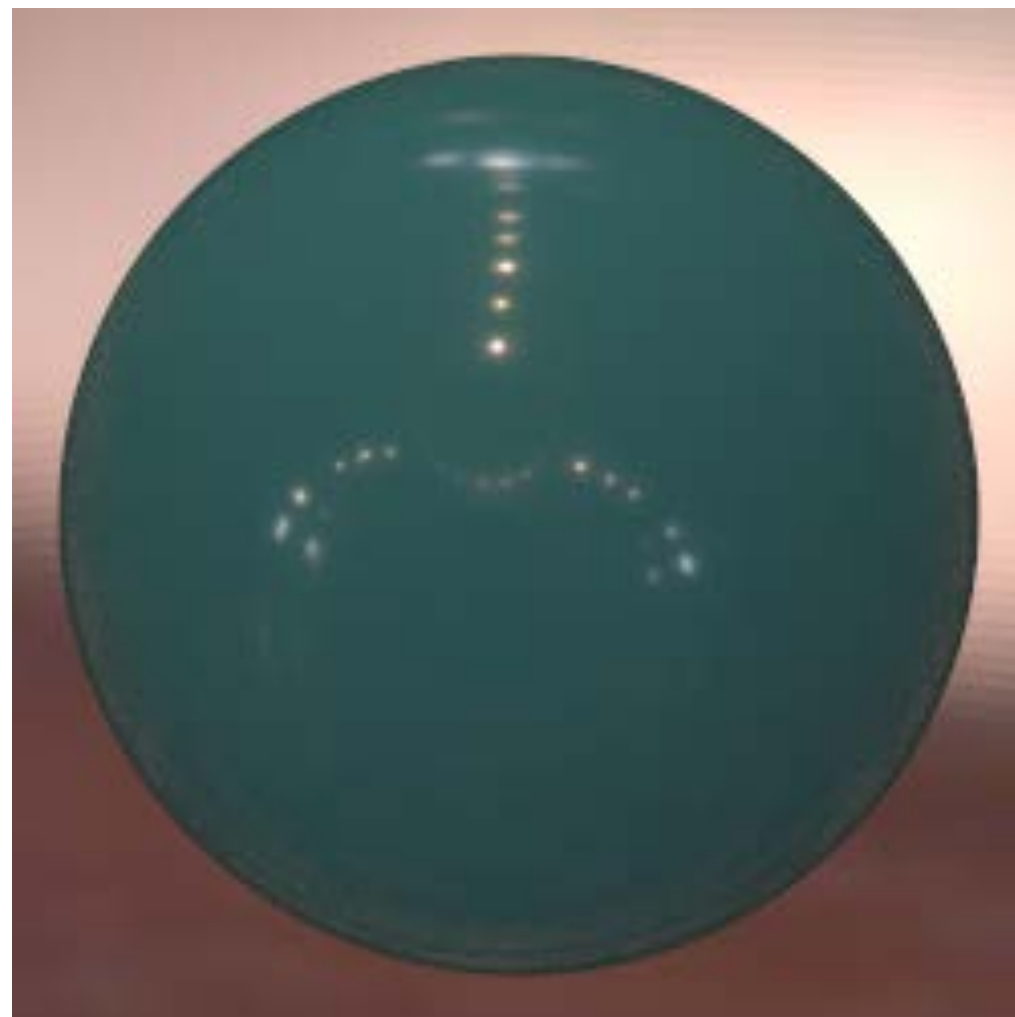
measured diffuse



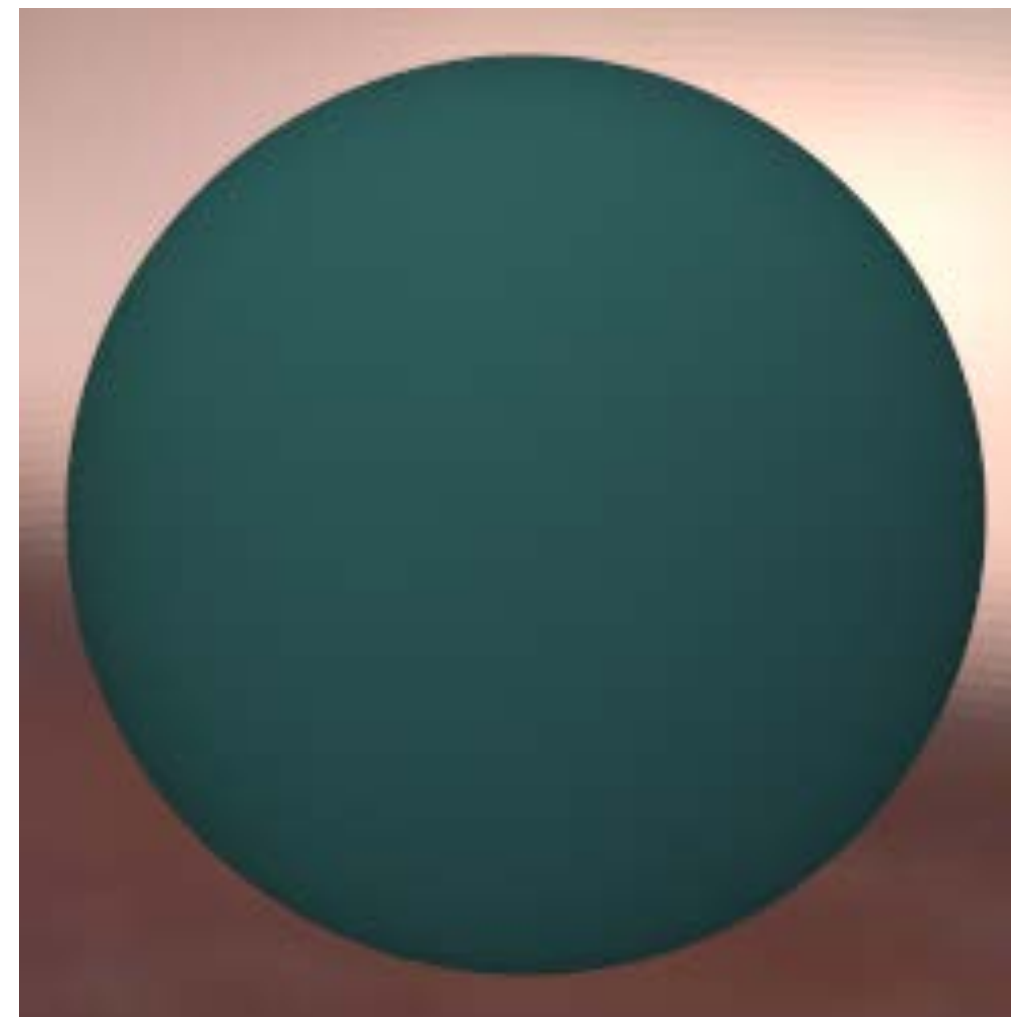
1. DIFFUSE-SPECULAR SEPARATION

Goal: $\rho[\omega_i, \omega_o, \lambda] \approx \rho_d[\omega_i, \omega_o] \cdot \mathbf{c}_d(\lambda) + \rho_s[\omega_i, \omega_o] \cdot \mathbf{c}_s(\lambda)$

measured BRDF



measured diffuse



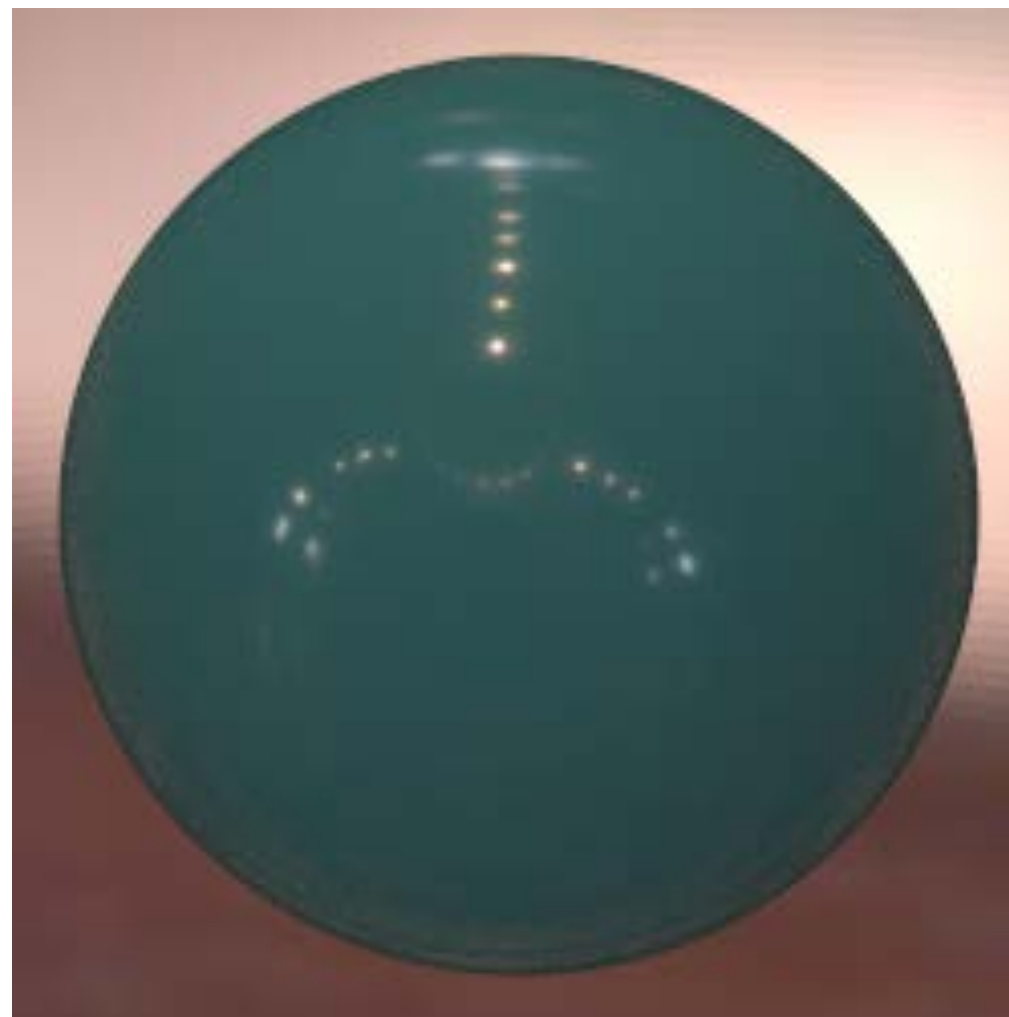
measured specular



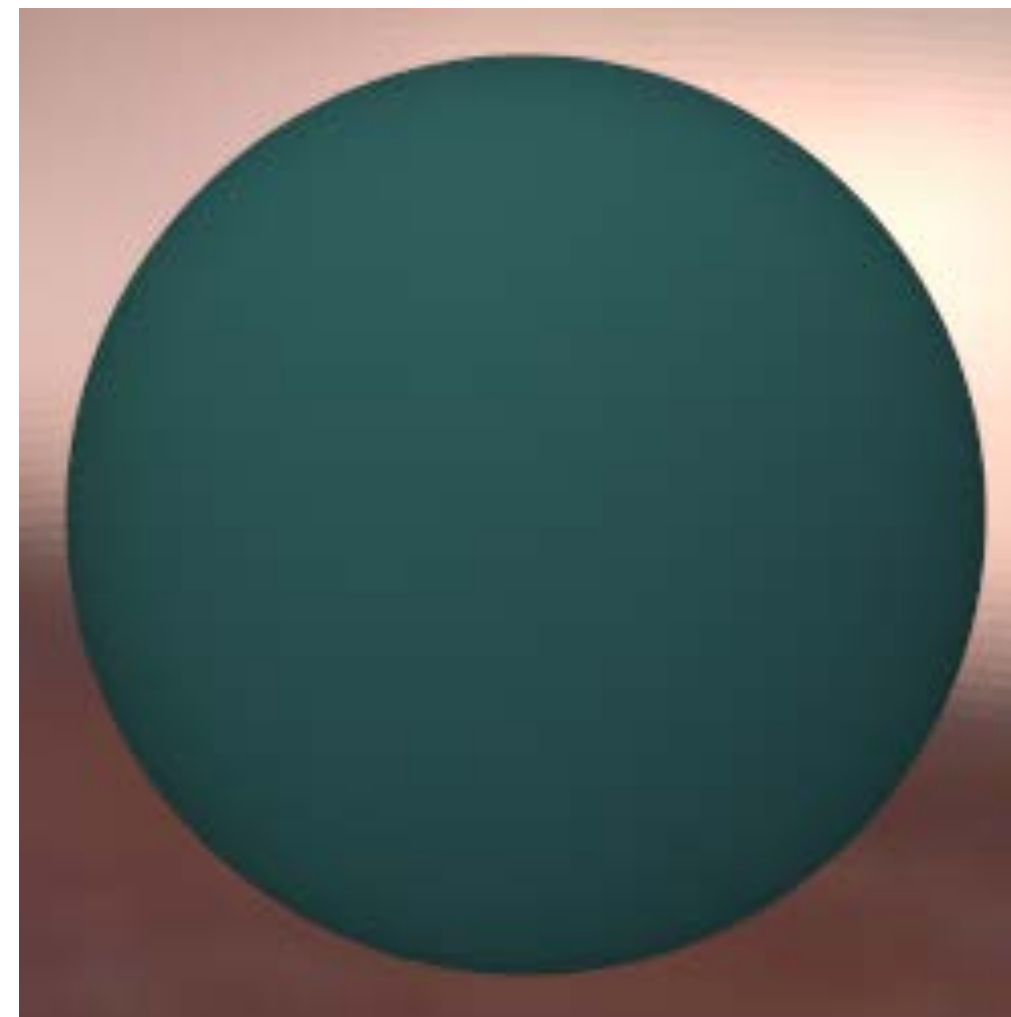
1. DIFFUSE-SPECULAR SEPARATION

Goal: $\rho[\omega_i, \omega_o, \lambda] \approx \rho_d[\omega_i, \omega_o] \cdot \underline{c_d(\lambda)} + \rho_s[\omega_i, \omega_o] \cdot \underline{c_s(\lambda)}$ *Colors*

measured BRDF



measured diffuse



measured specular

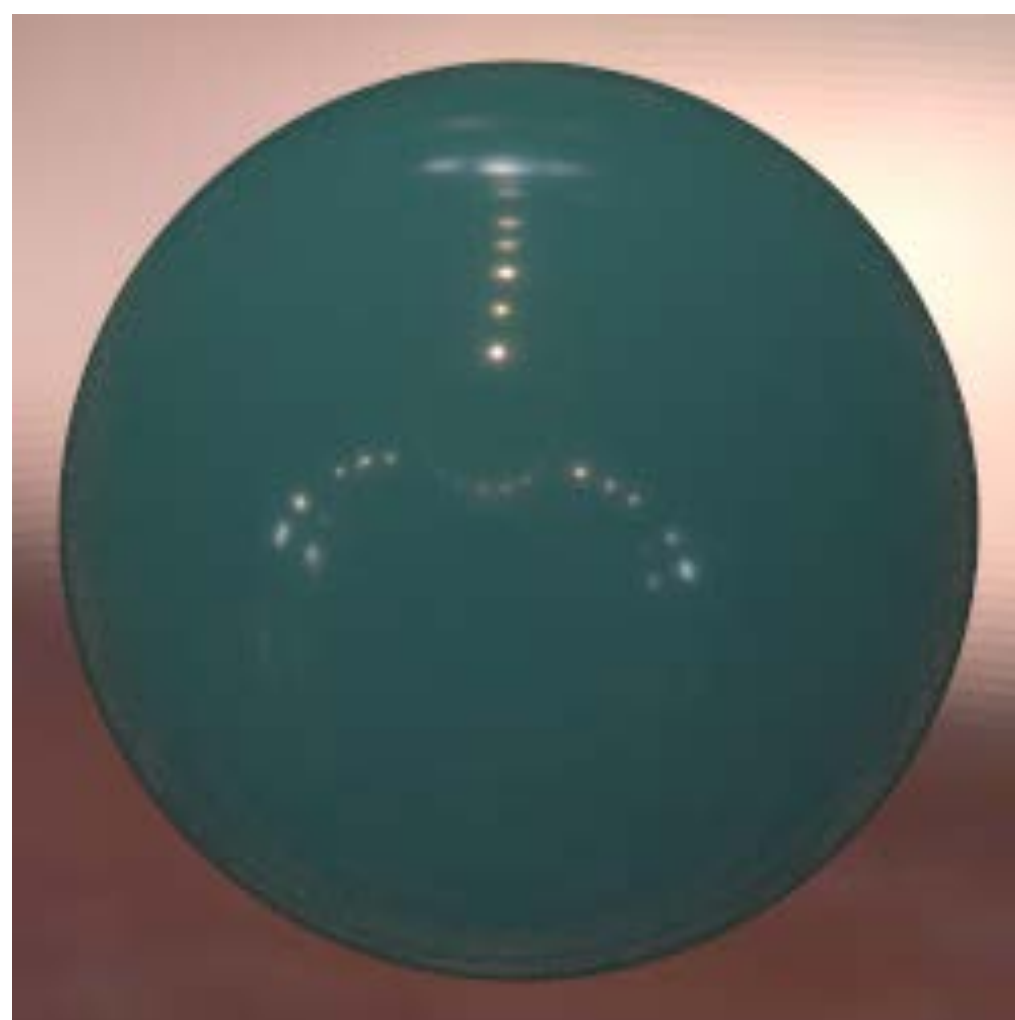


1. DIFFUSE-SPECULAR SEPARATION

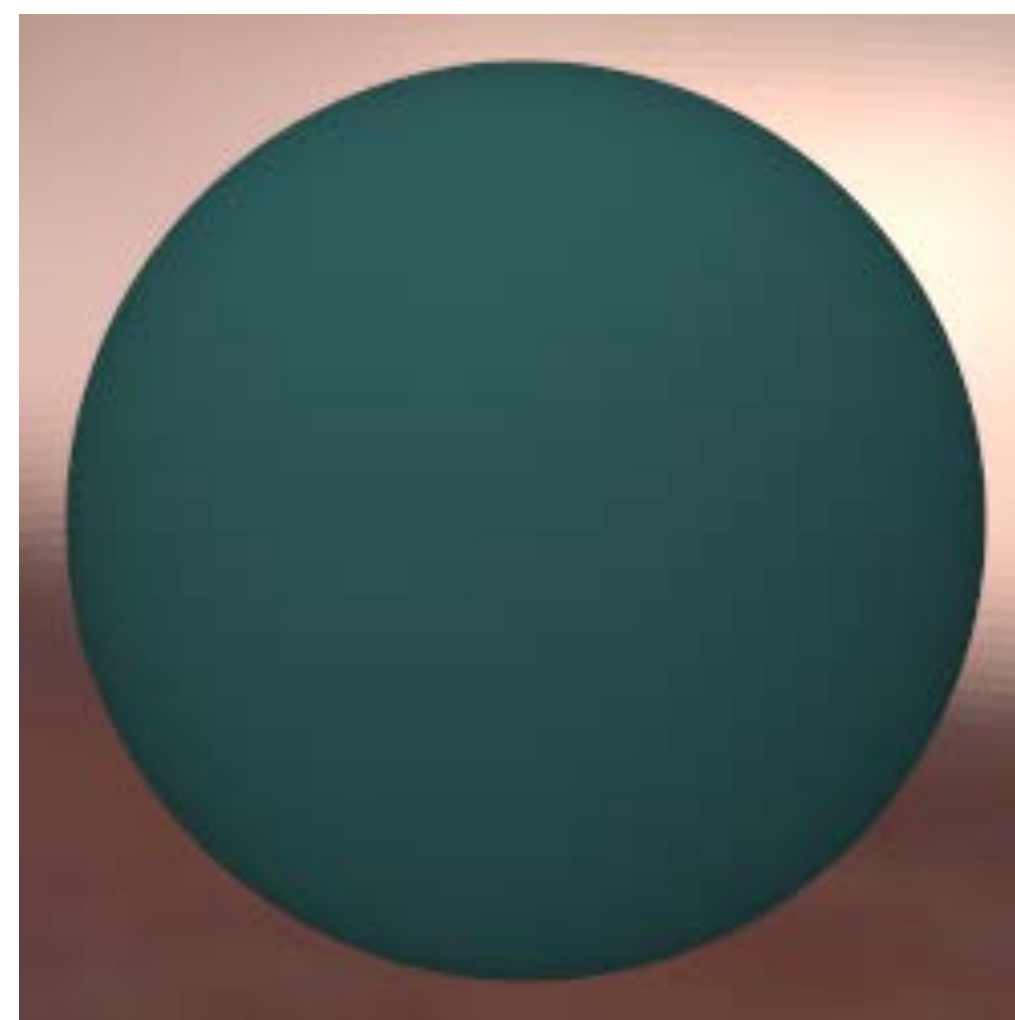
Goal: $\rho[\omega_i, \omega_o, \lambda] \approx \rho_d[\omega_i, \omega_o] \cdot \underline{c_d(\lambda)} + \rho_s[\omega_i, \omega_o] \cdot \underline{c_s(\lambda)}$ **Colors**

All unknown!

measured BRDF



measured diffuse



measured specular

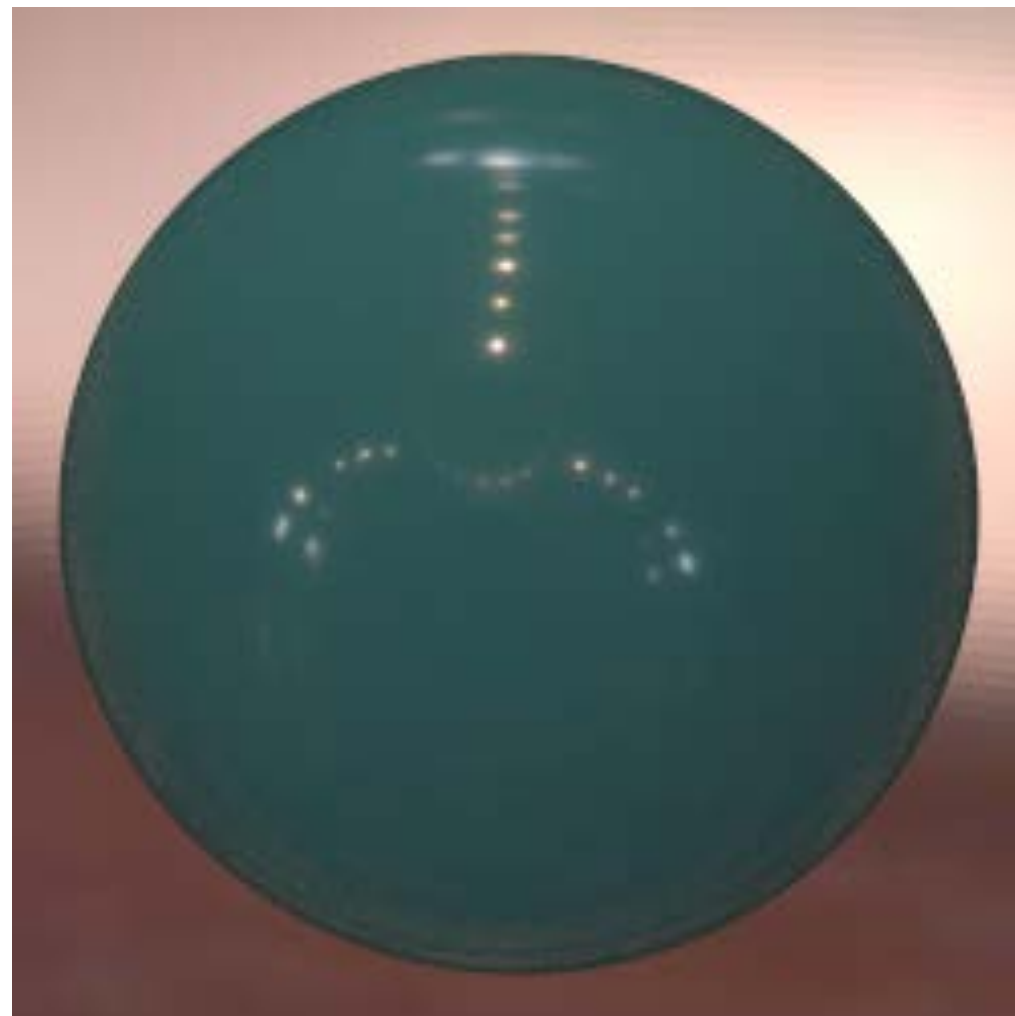


1. DIFFUSE-SPECULAR SEPARATION

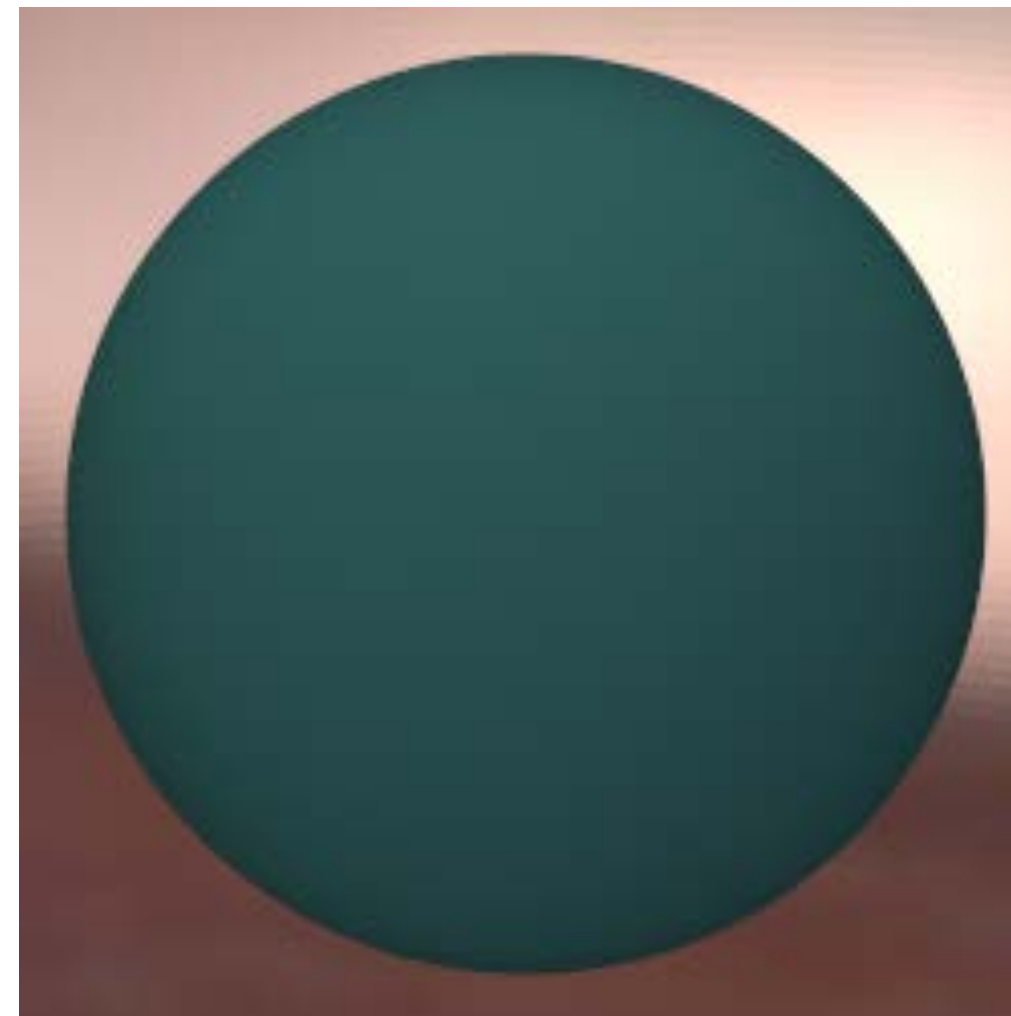
Goal: $\rho[\omega_i, \omega_o, \lambda] \approx \rho_d[\omega_i, \omega_o] \cdot \underline{c_d(\lambda)} + \rho_s[\omega_i, \omega_o] \cdot \underline{c_s(\lambda)}$ **Colors**

All unknown!

measured BRDF



measured diffuse



measured specular



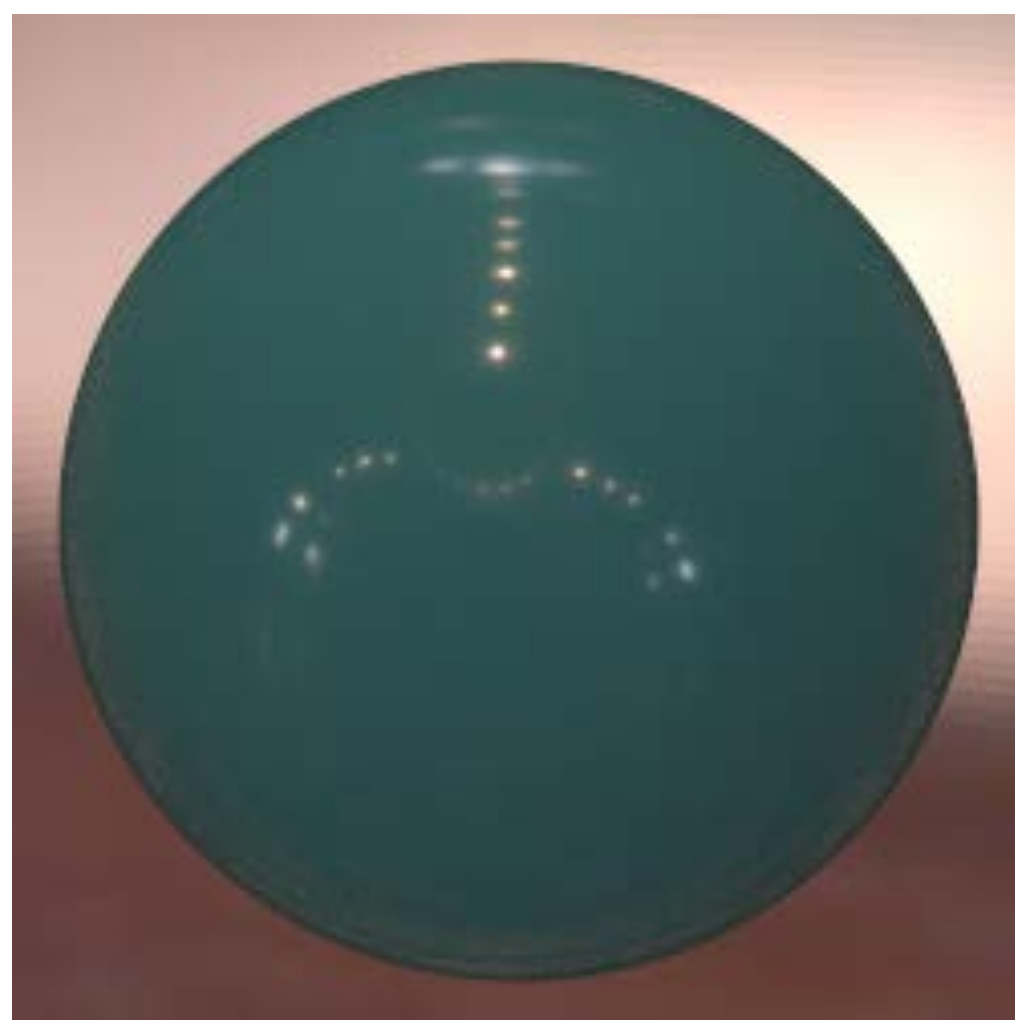
➤ Two main challenges:

1. DIFFUSE-SPECULAR SEPARATION

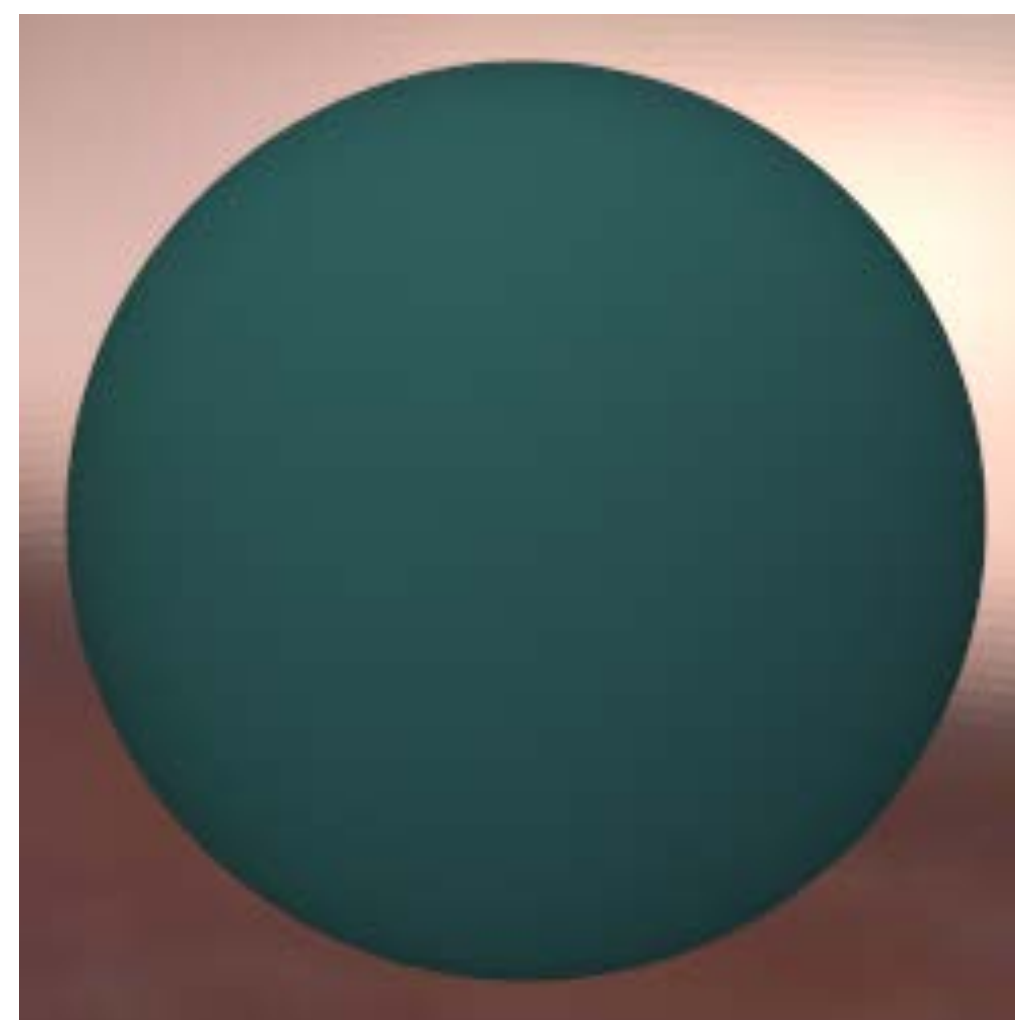
Goal: $\rho[\omega_i, \omega_o, \lambda] \approx \rho_d[\omega_i, \omega_o] \cdot \underline{c_d(\lambda)} + \rho_s[\omega_i, \omega_o] \cdot \underline{c_s(\lambda)}$ **Colors**

All unknown!

measured BRDF



measured diffuse



measured specular



➤ Two main challenges:

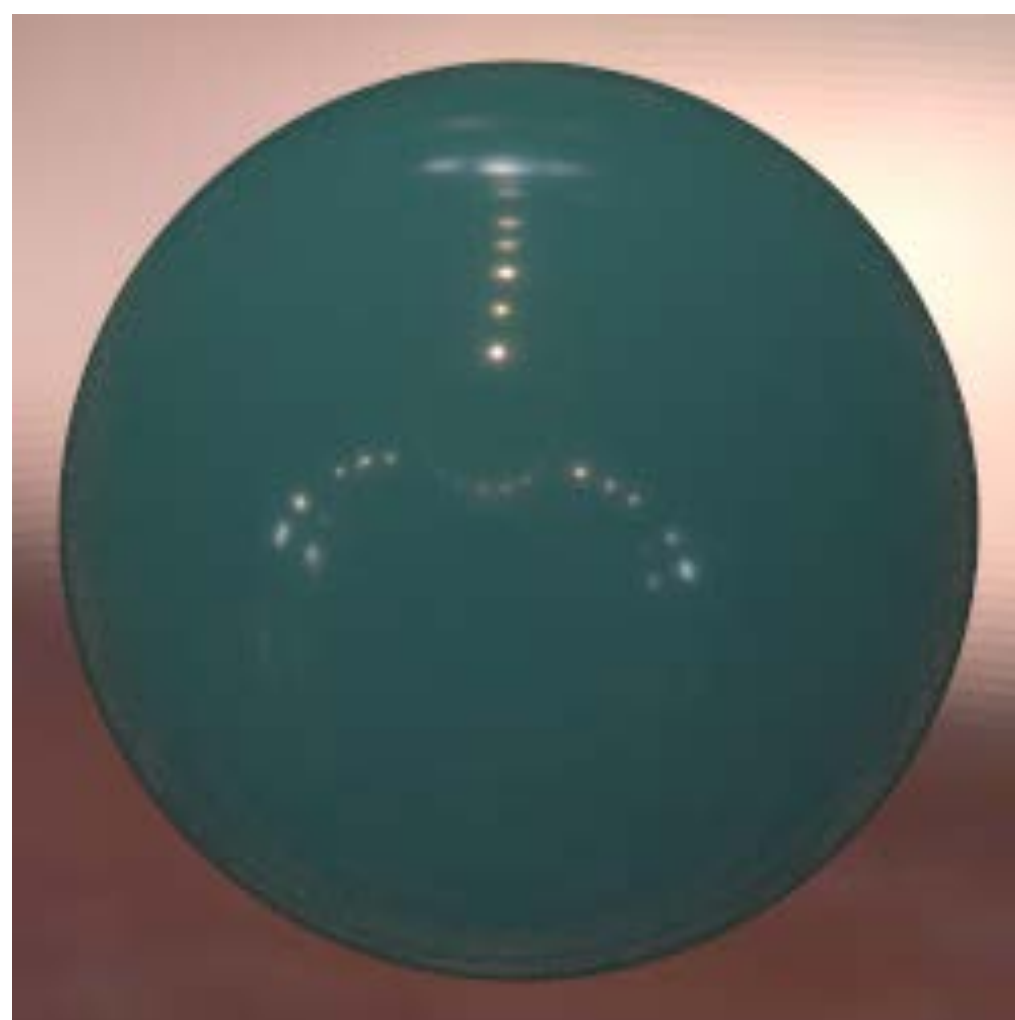
1. No mathematical/strict definition on “diffuse” and “specular”.

1. DIFFUSE-SPECULAR SEPARATION

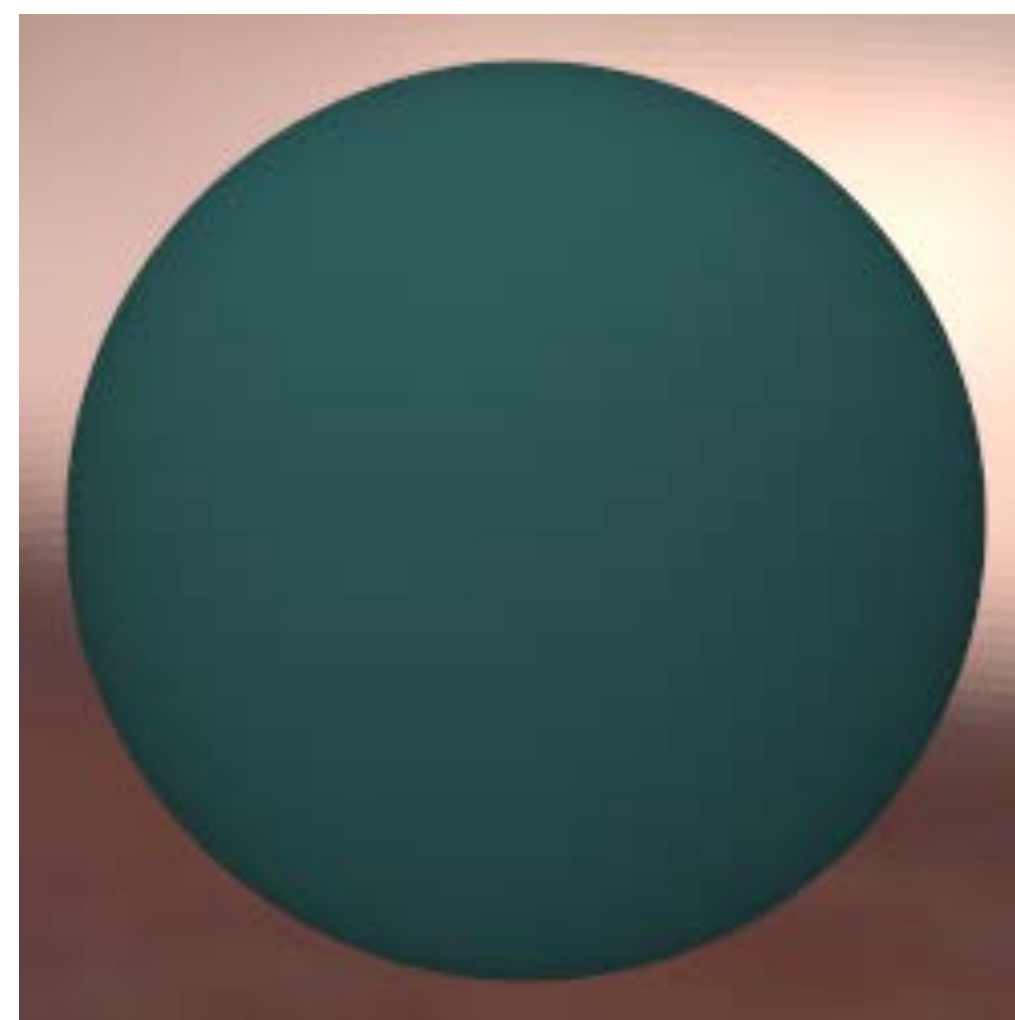
Goal: $\rho[\omega_i, \omega_o, \lambda] \approx \rho_d[\omega_i, \omega_o] \cdot \underline{c_d(\lambda)} + \rho_s[\omega_i, \omega_o] \cdot \underline{c_s(\lambda)}$ **Colors**

All unknown!

measured BRDF



measured diffuse



measured specular



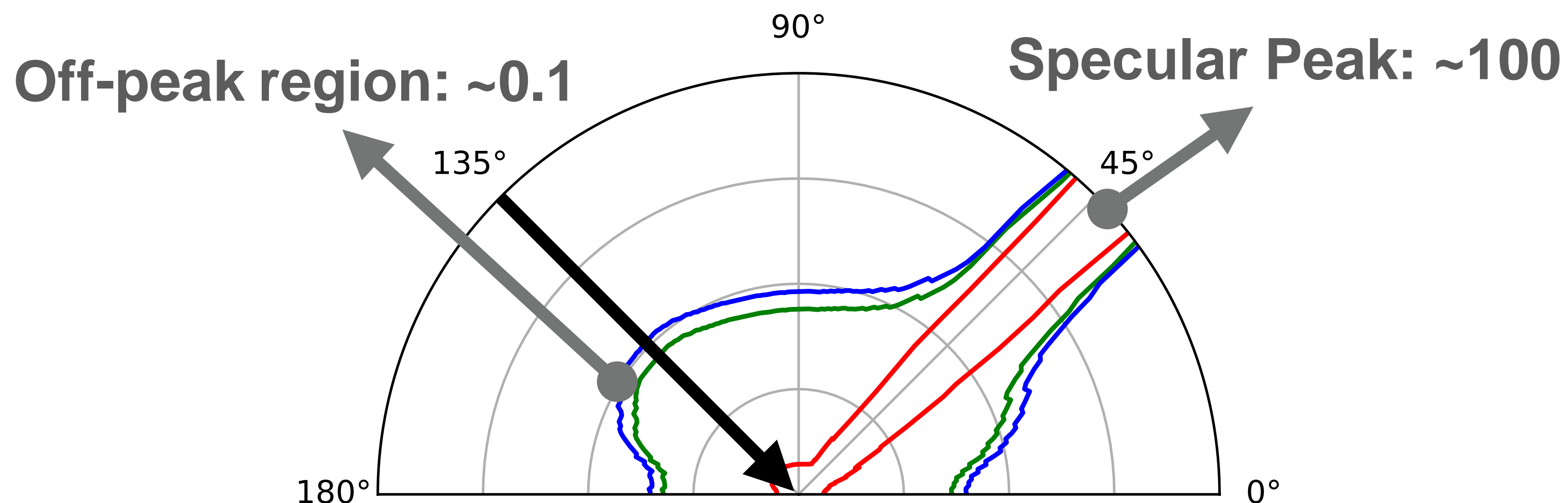
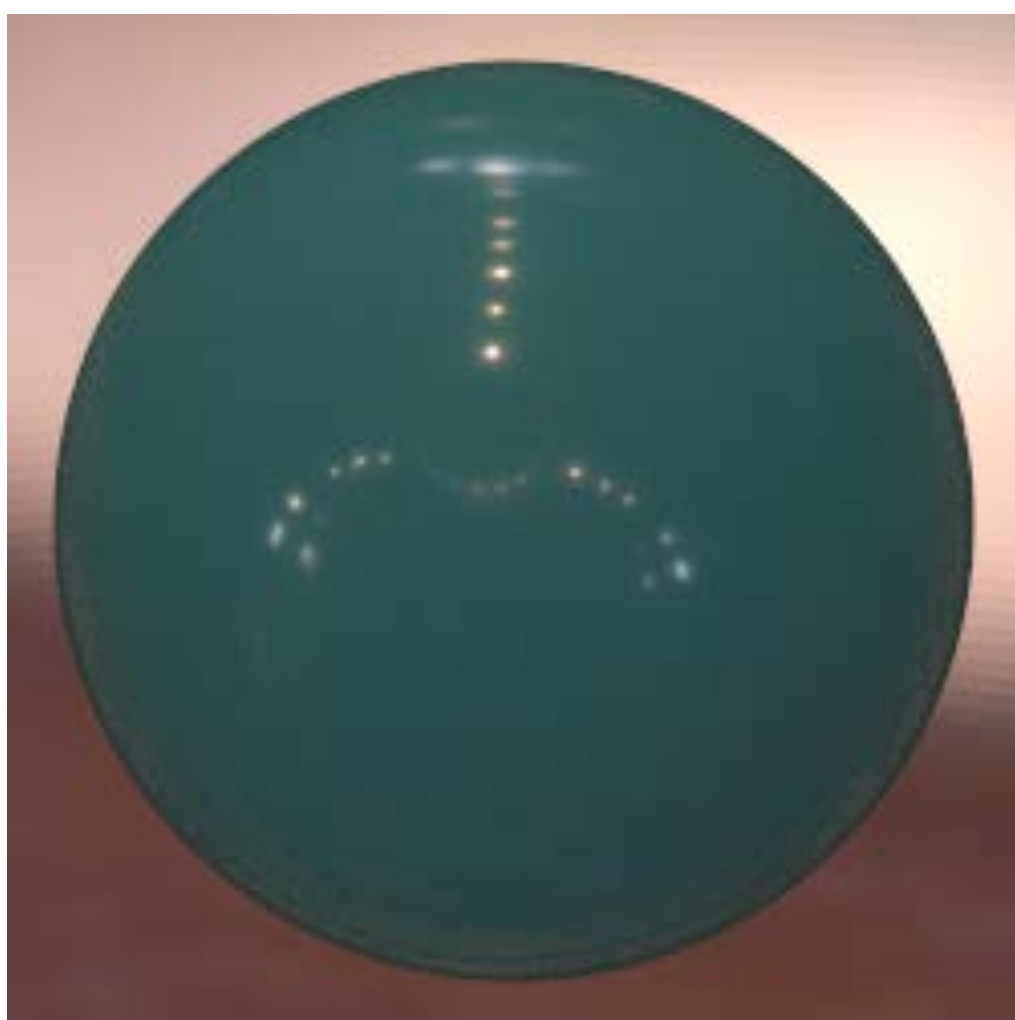
➤ Two main challenges:

1. No mathematical/strict definition on “diffuse” and “specular”.
2. BRDF values have large variance. No simple and effective BRDF metric.

1. DIFFUSE-SPECULAR SEPARATION

Goal: $\rho[\omega_i, \omega_o, \lambda] \approx \rho_d[\omega_i, \omega_o] \cdot \underline{c_d(\lambda)} + \rho_s[\omega_i, \omega_o] \cdot \underline{c_s(\lambda)}$ **Colors**
All unknown!

measured BRDF



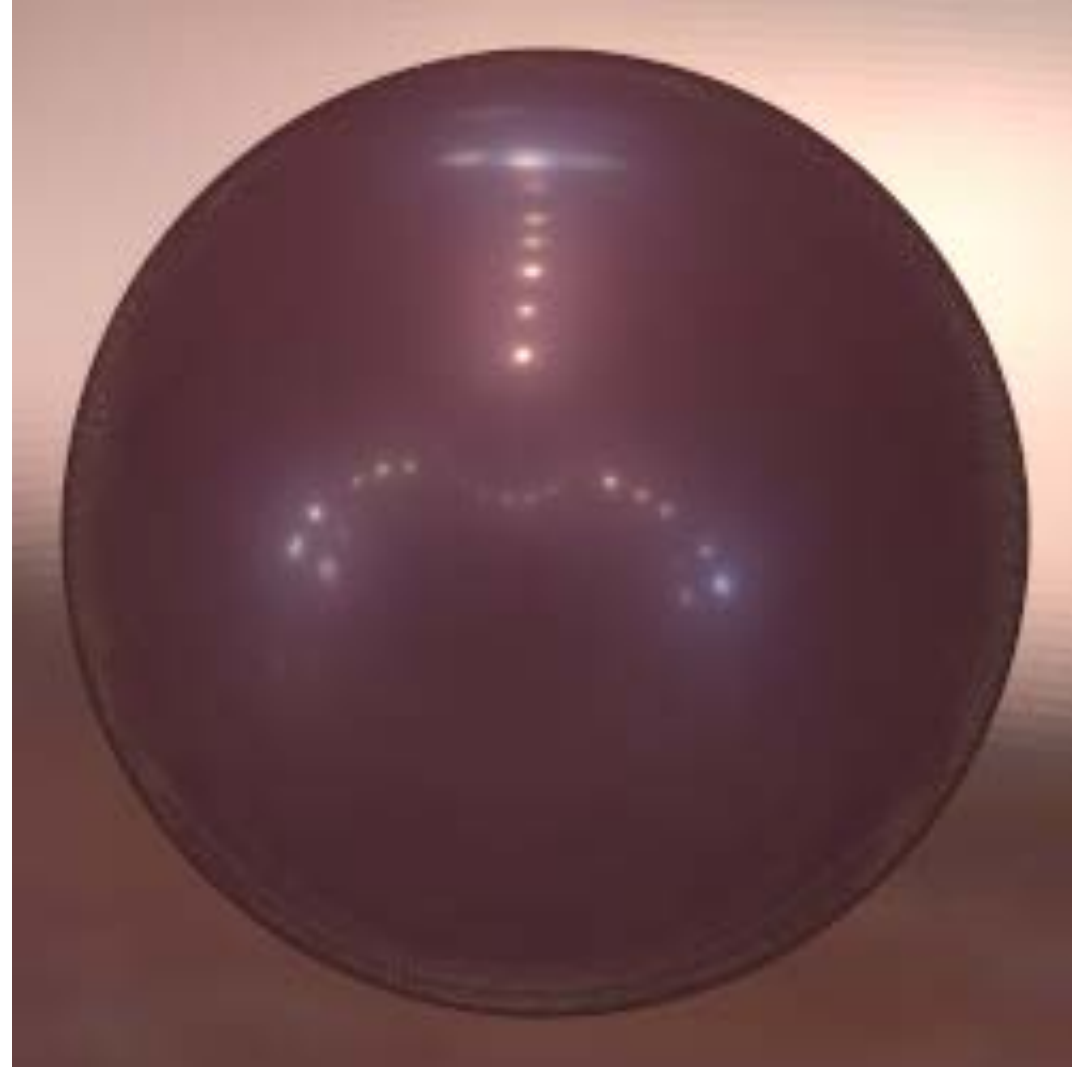
➤ Two main challenges:

1. No mathematical/strict definition on “diffuse” and “specular”.
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1. DIFFUSE-SPECULAR SEPARATION

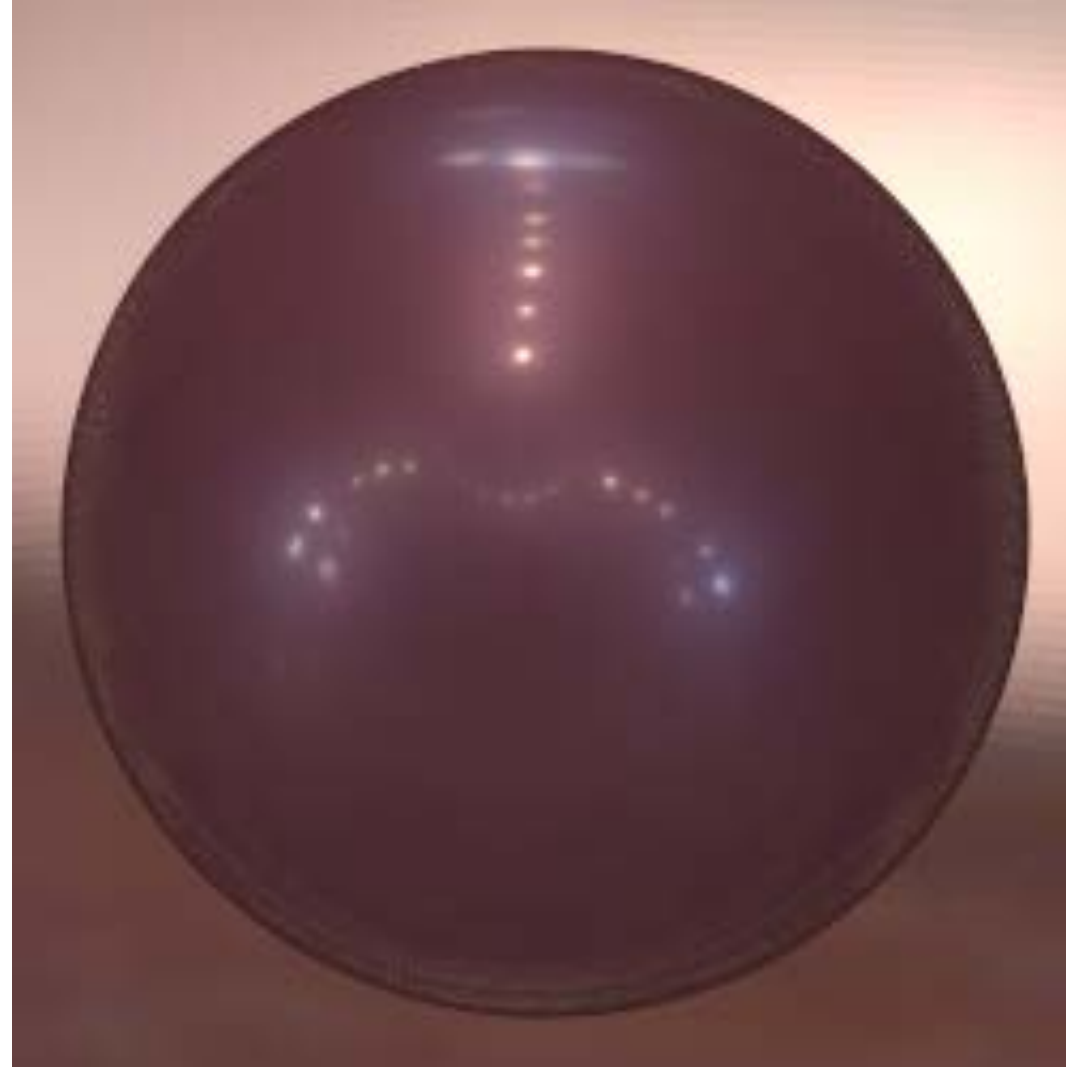


1. DIFFUSE-SPECULAR SEPARATION

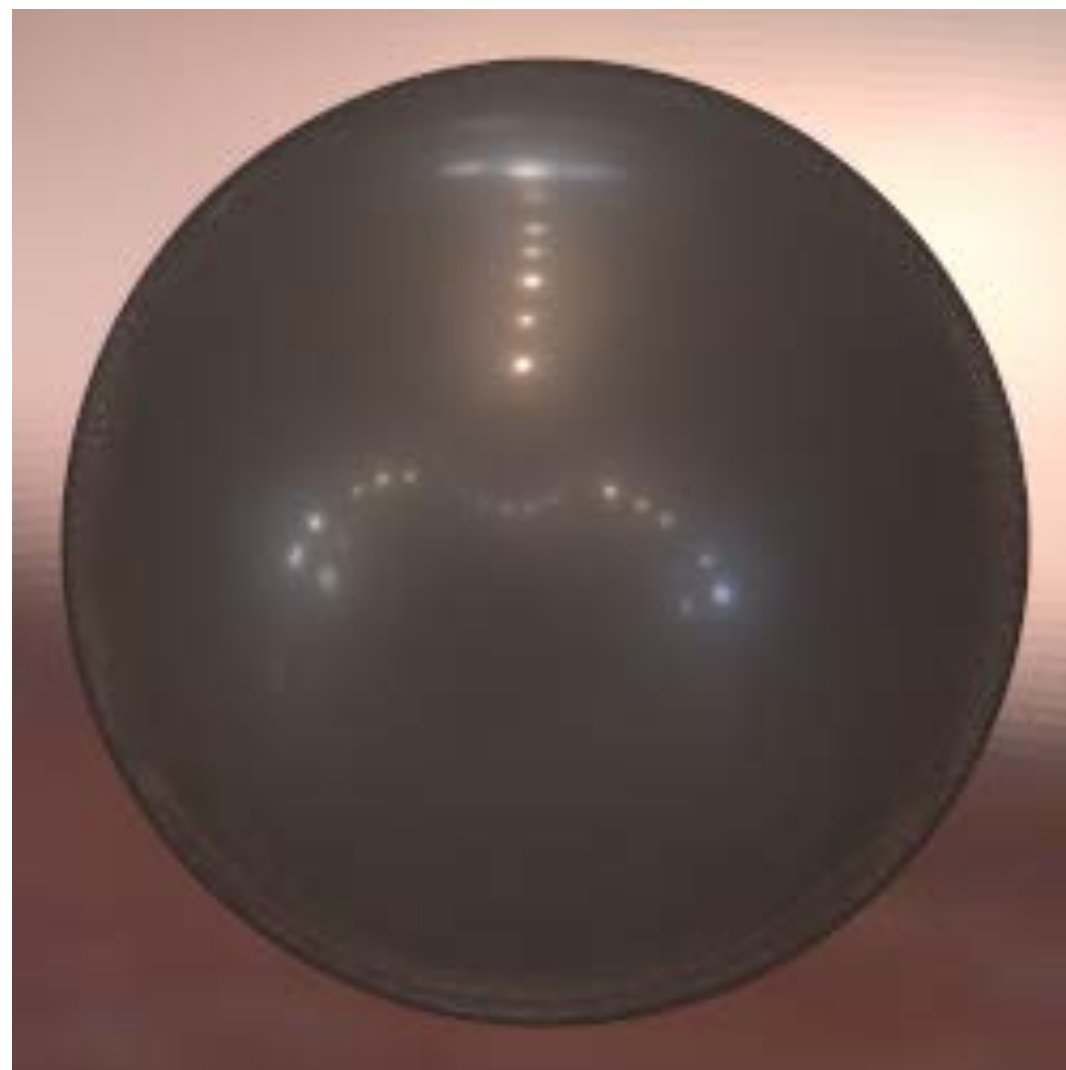


full BRDF

1. DIFFUSE-SPECULAR SEPARATION

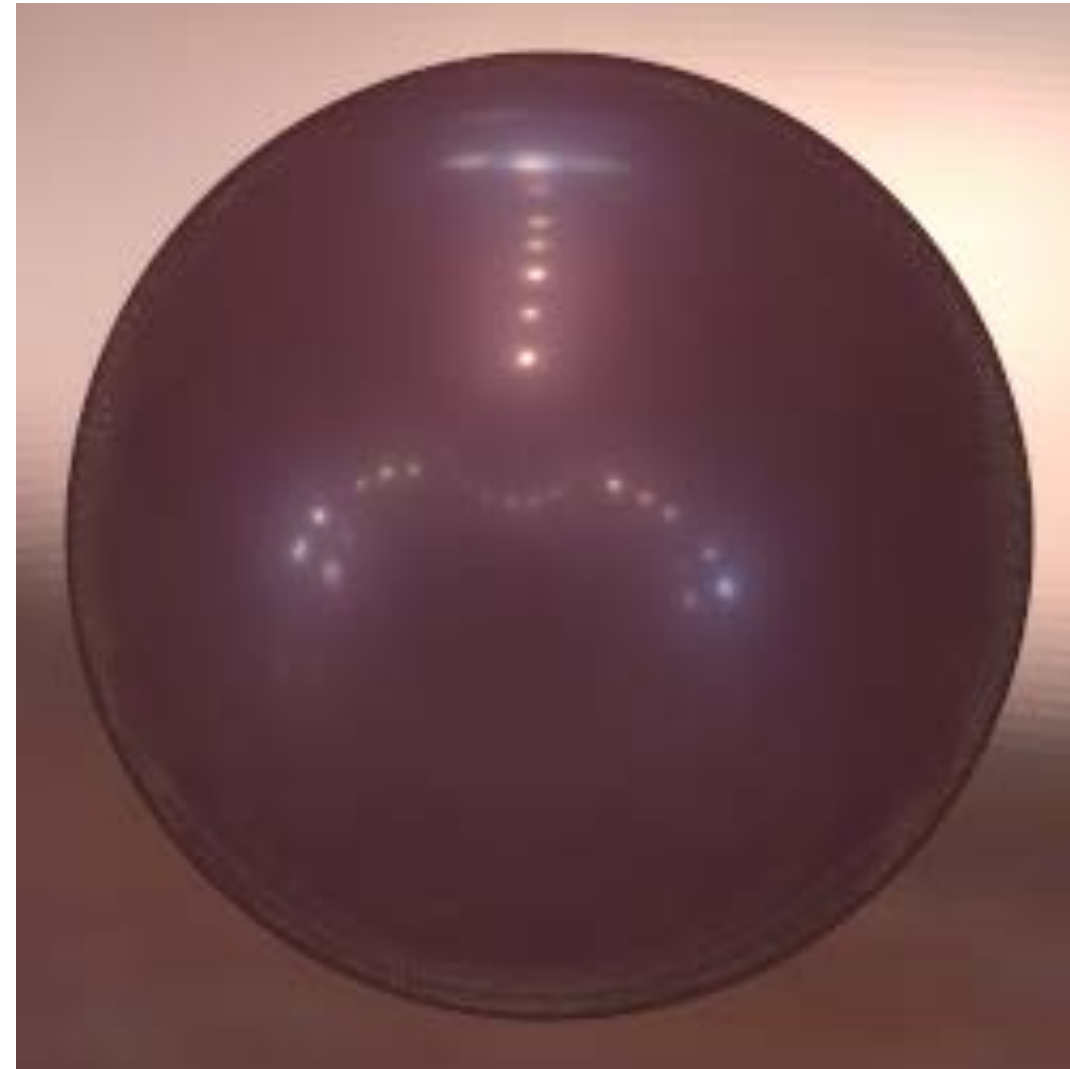


full BRDF

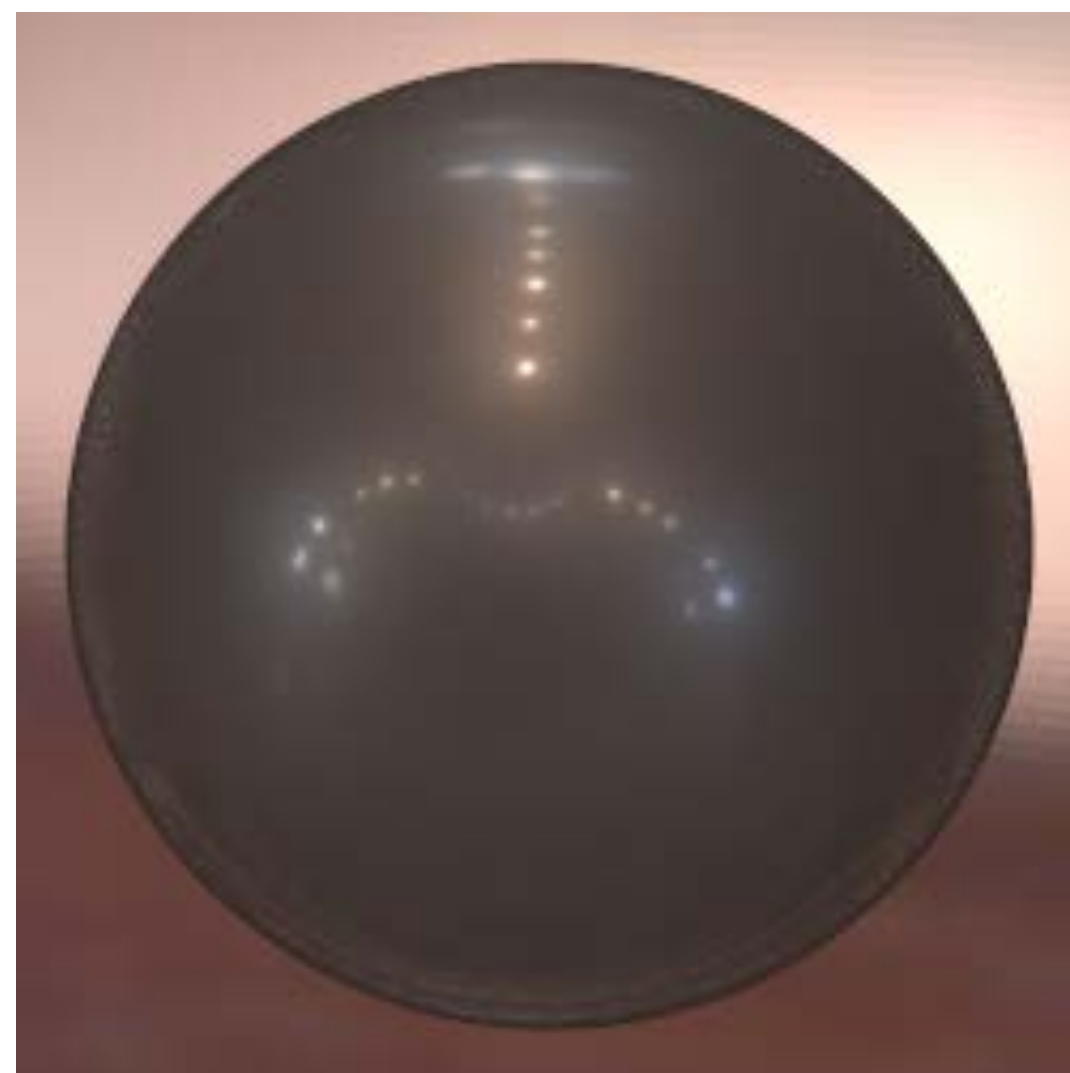


achromatic reflectance

1. DIFFUSE-SPECULAR SEPARATION

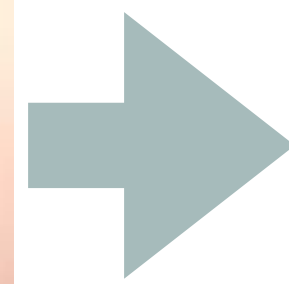


full BRDF



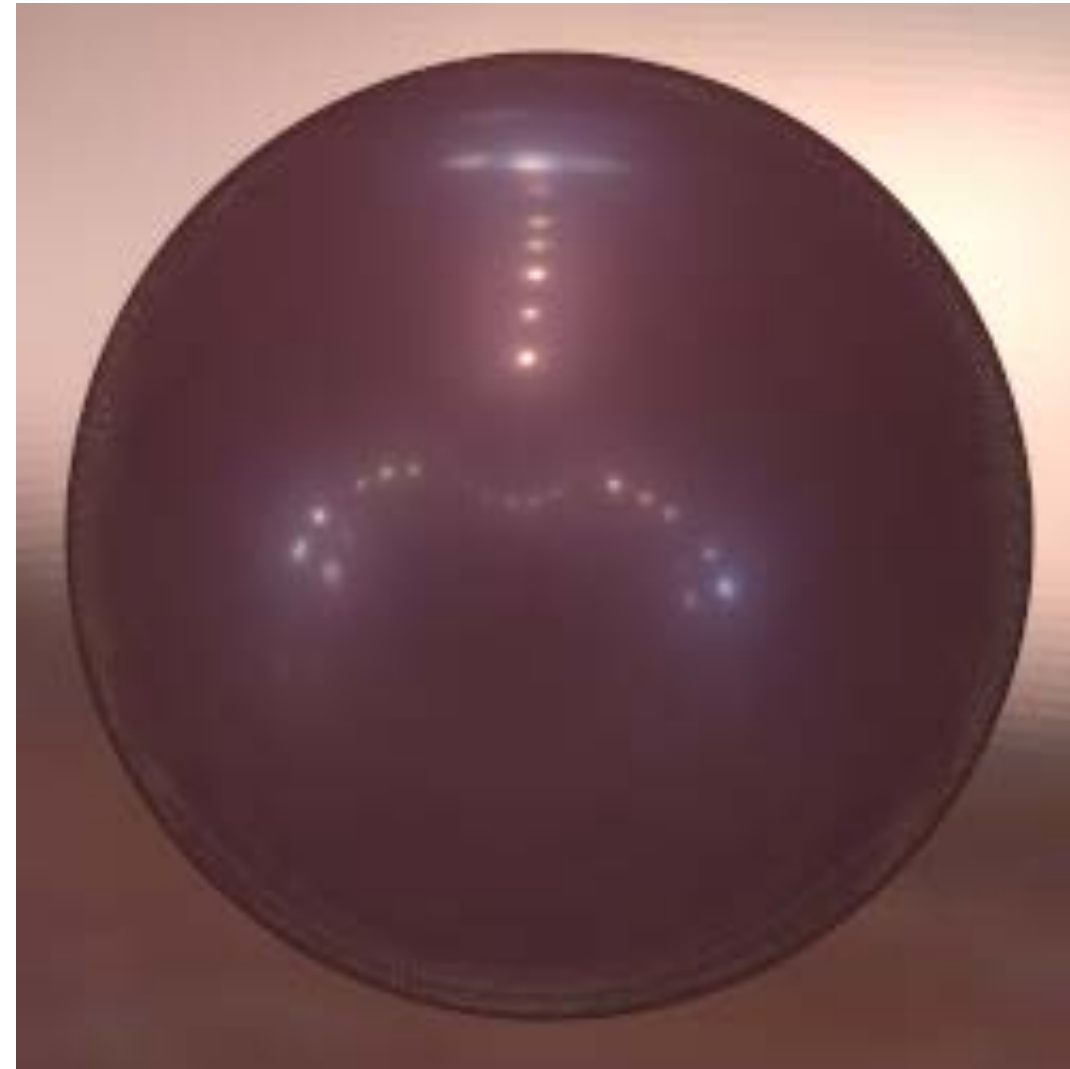
achromatic reflectance

Step 1:
analytical
approximation

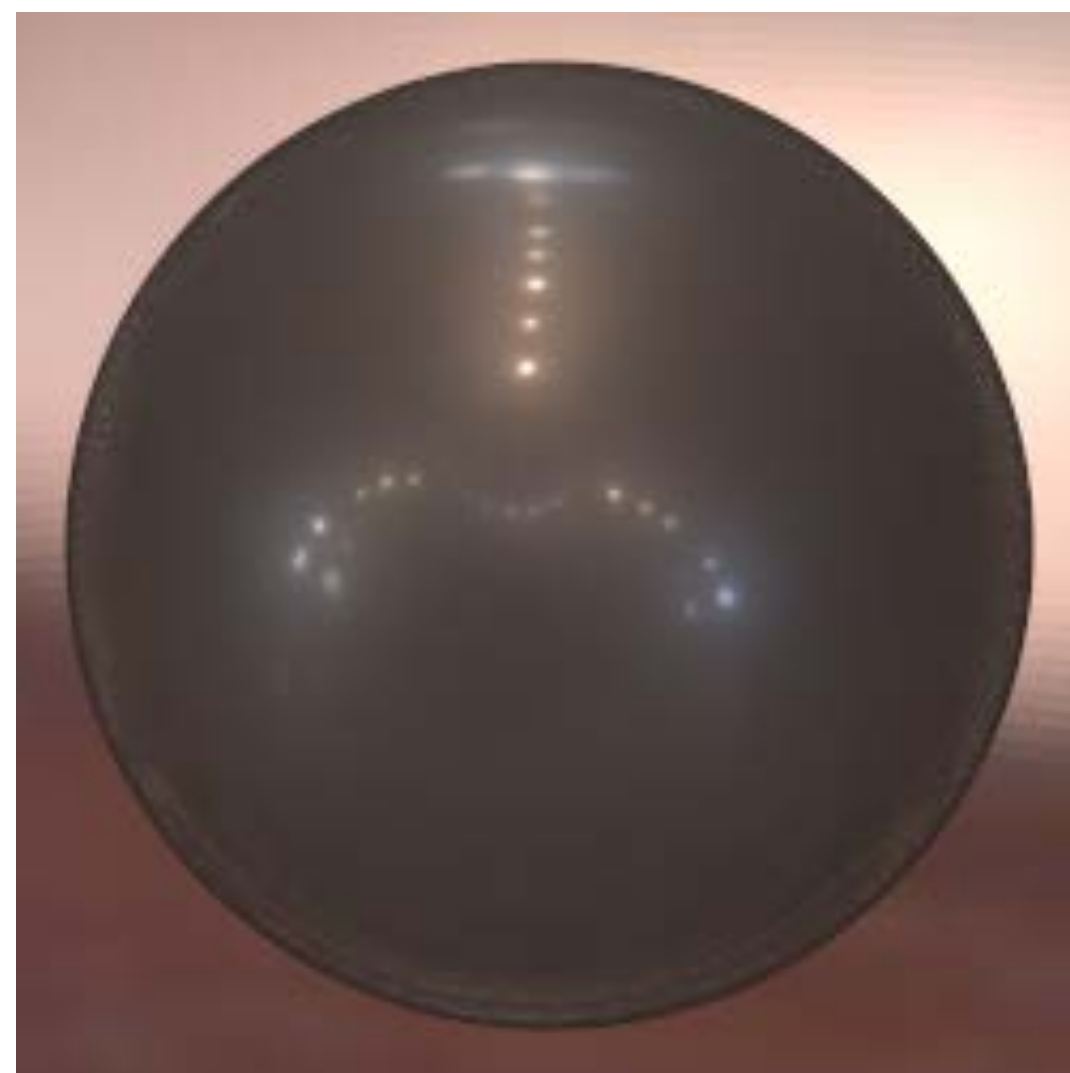


analytic BRDF

1. DIFFUSE-SPECULAR SEPARATION

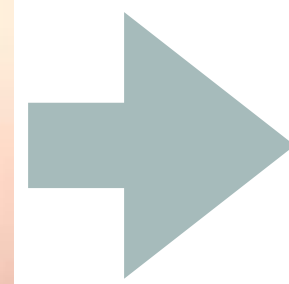


full BRDF



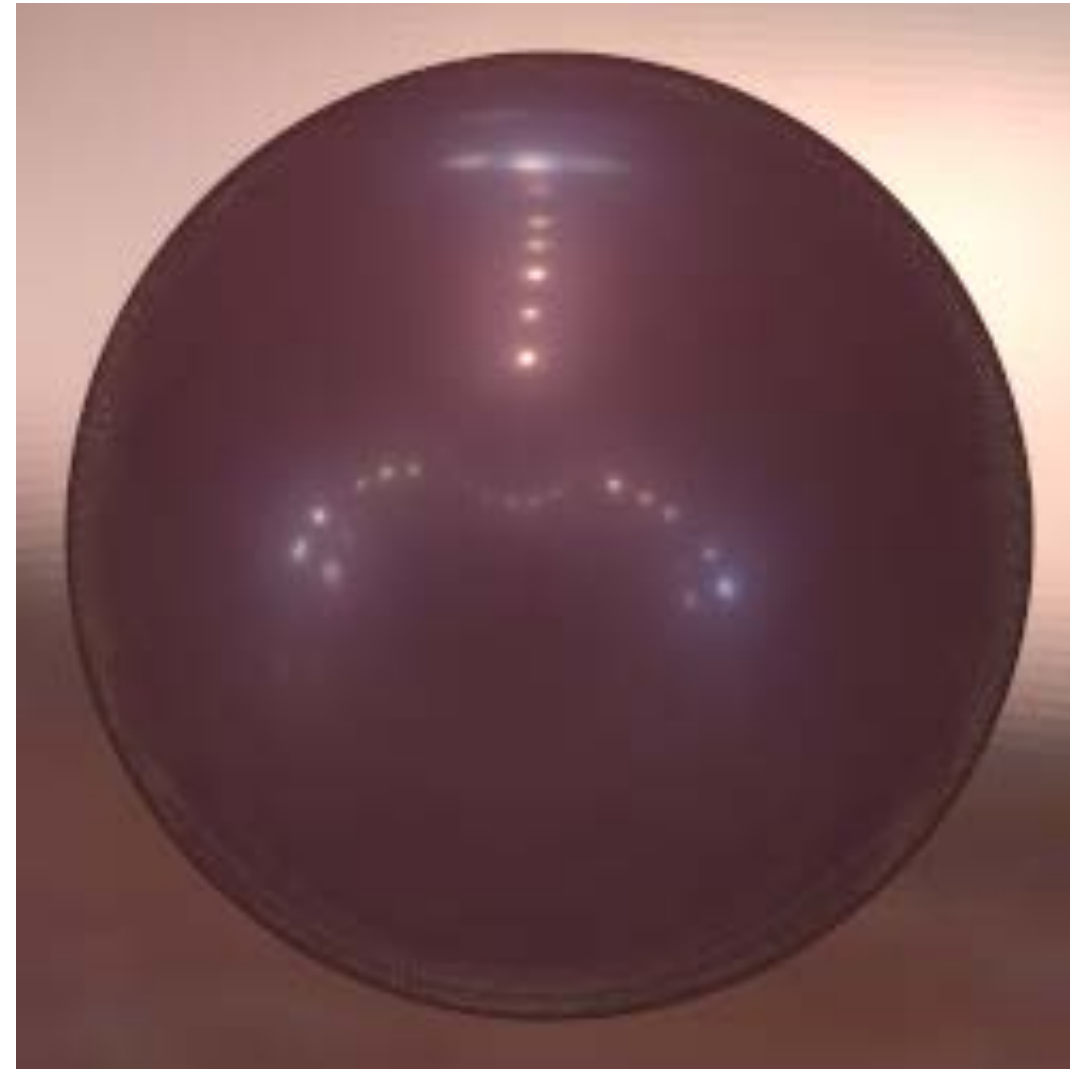
achromatic reflectance

Step 1:
analytical
approximation

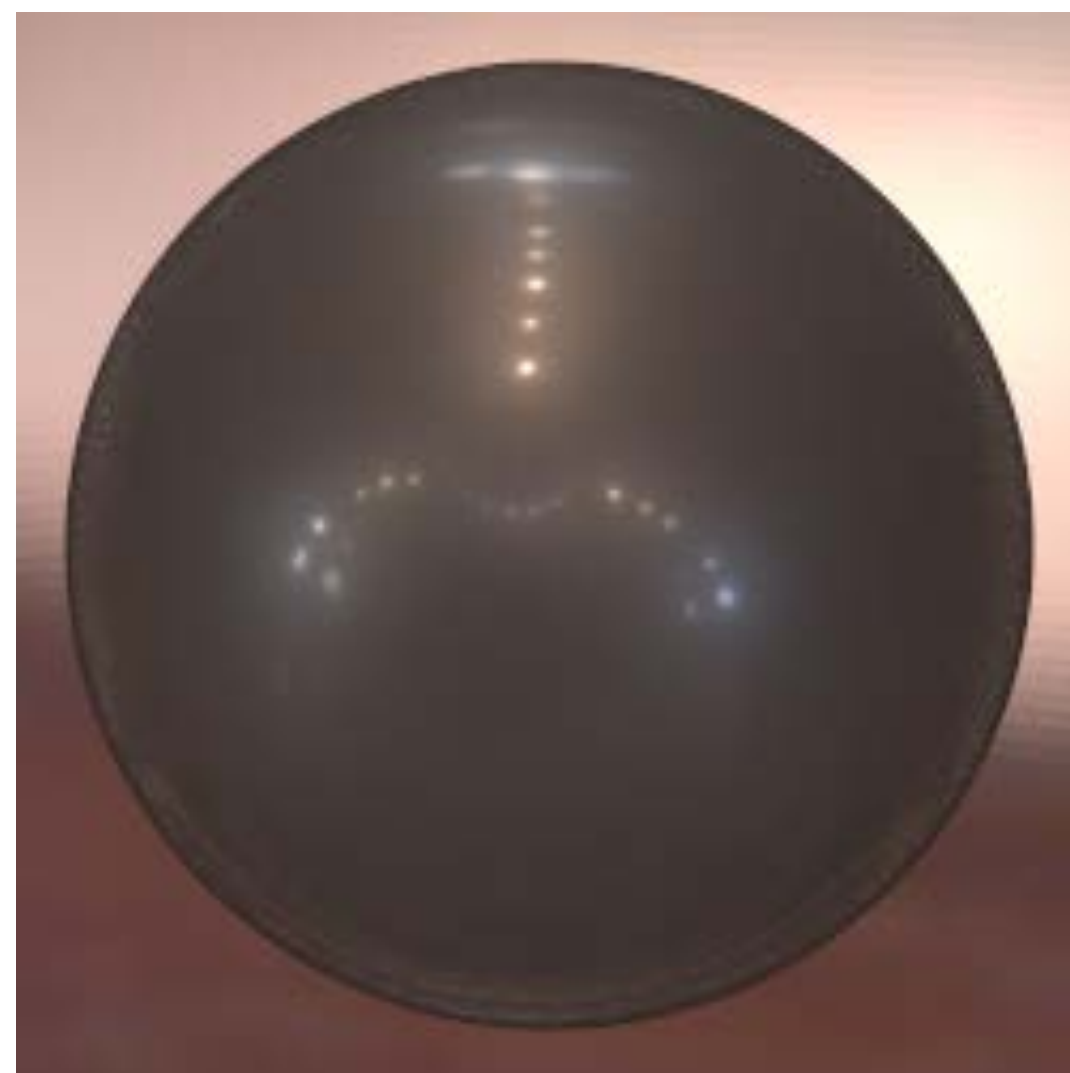


analytic BRDF

1. DIFFUSE-SPECULAR SEPARATION

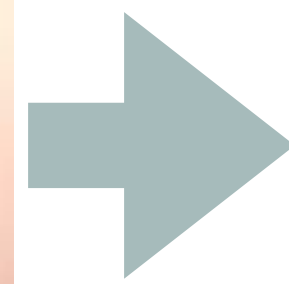


full BRDF



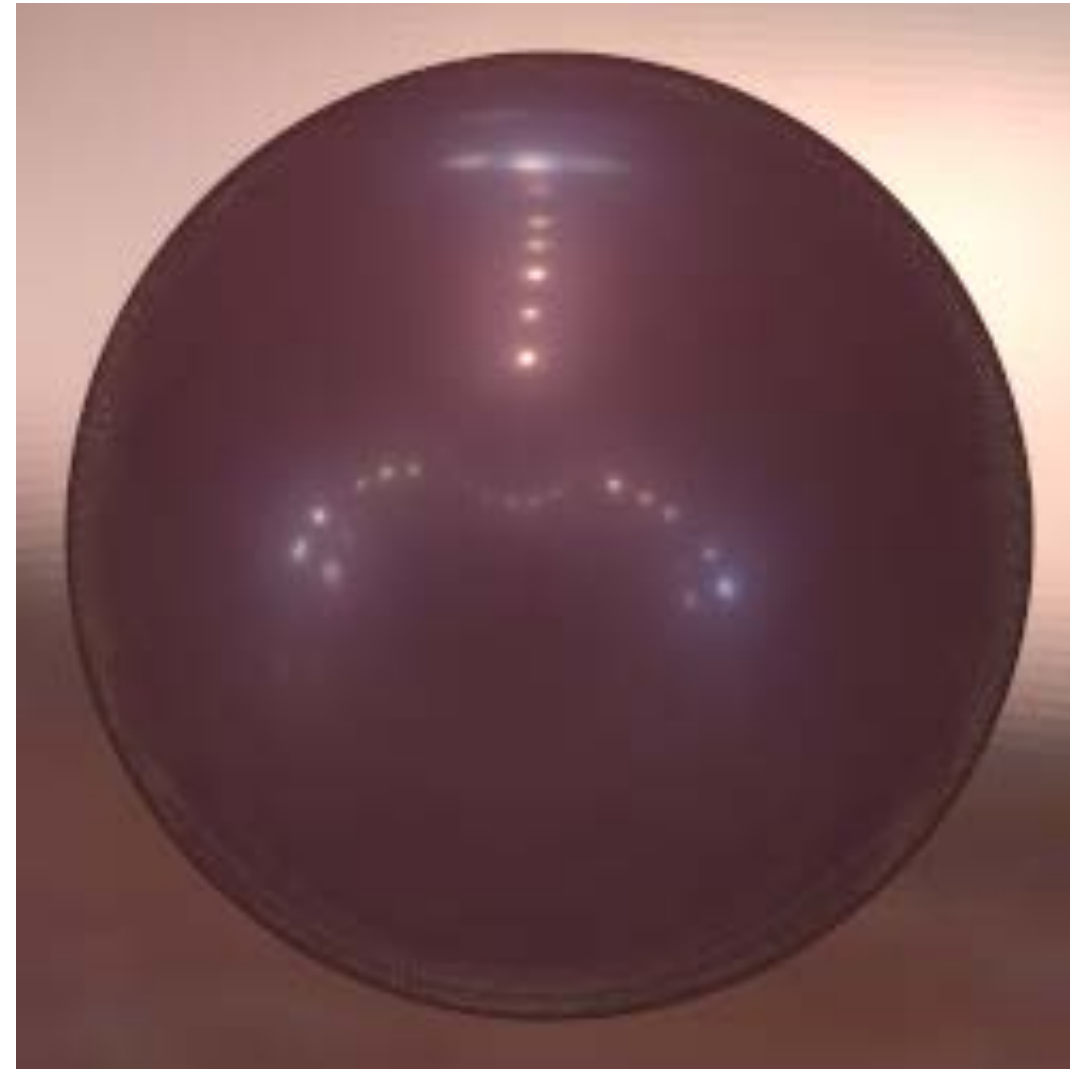
achromatic reflectance

Step 1:
analytical
approximation

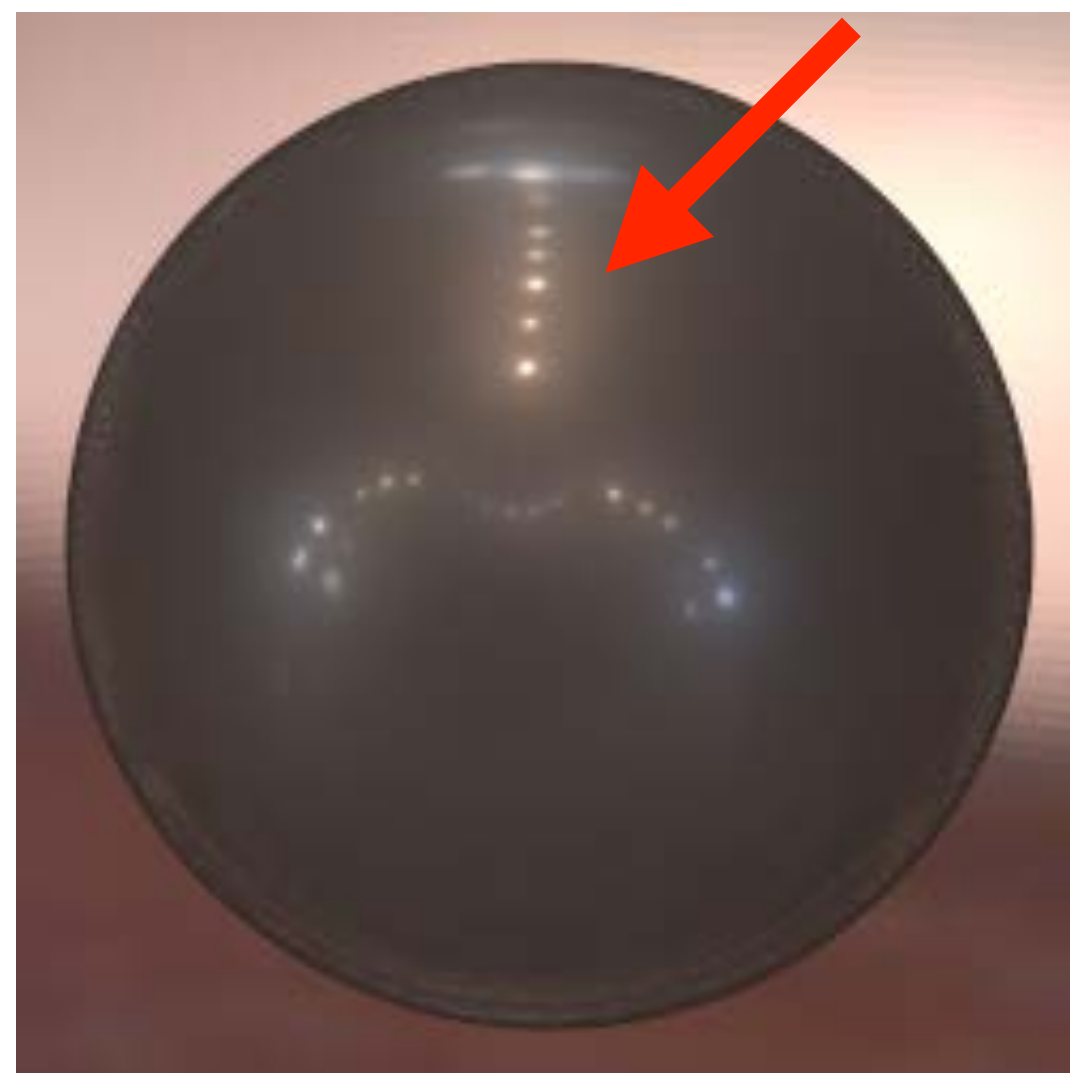


analytic BRDF

1. DIFFUSE-SPECULAR SEPARATION



full BRDF



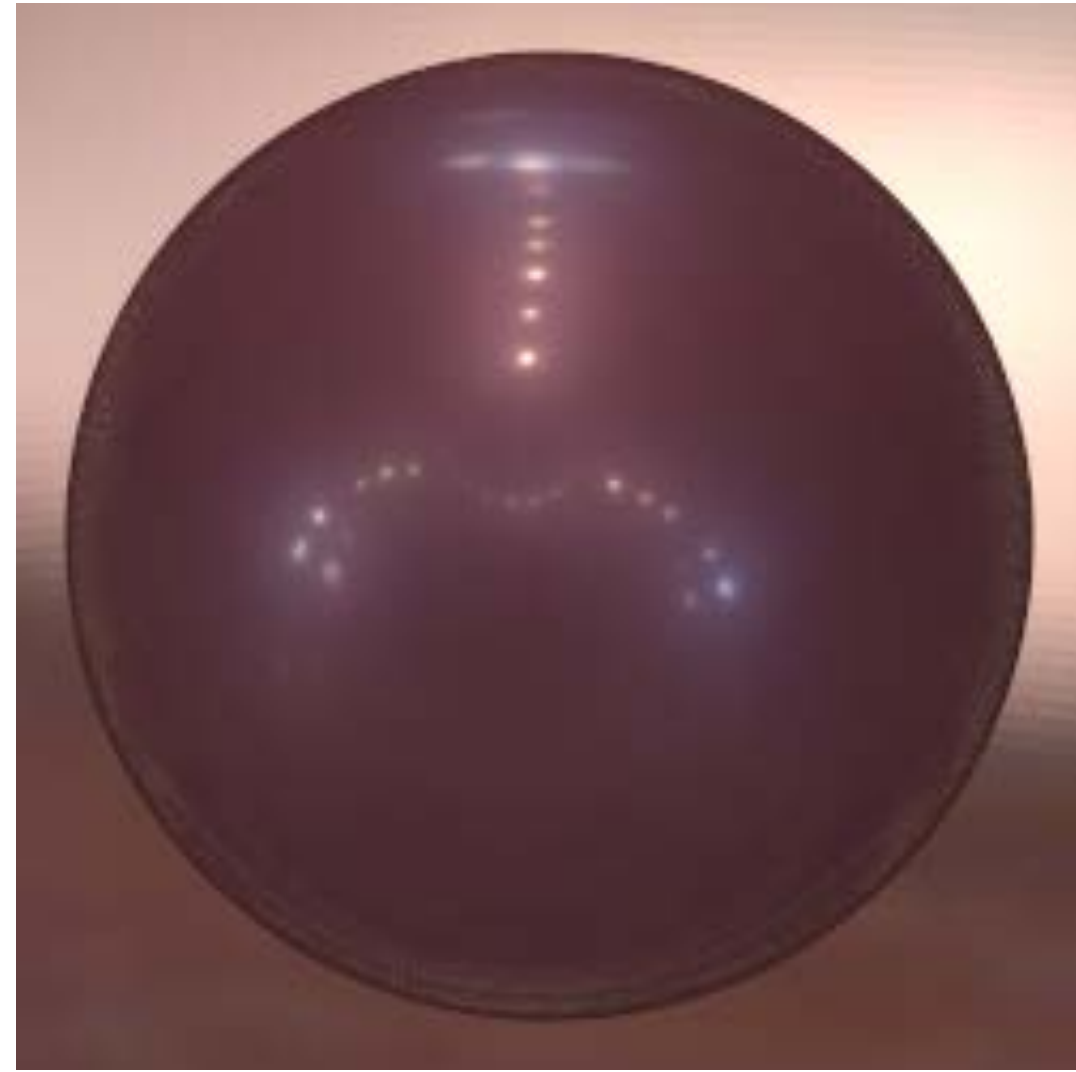
achromatic reflectance

Step 1:
analytical
approximation

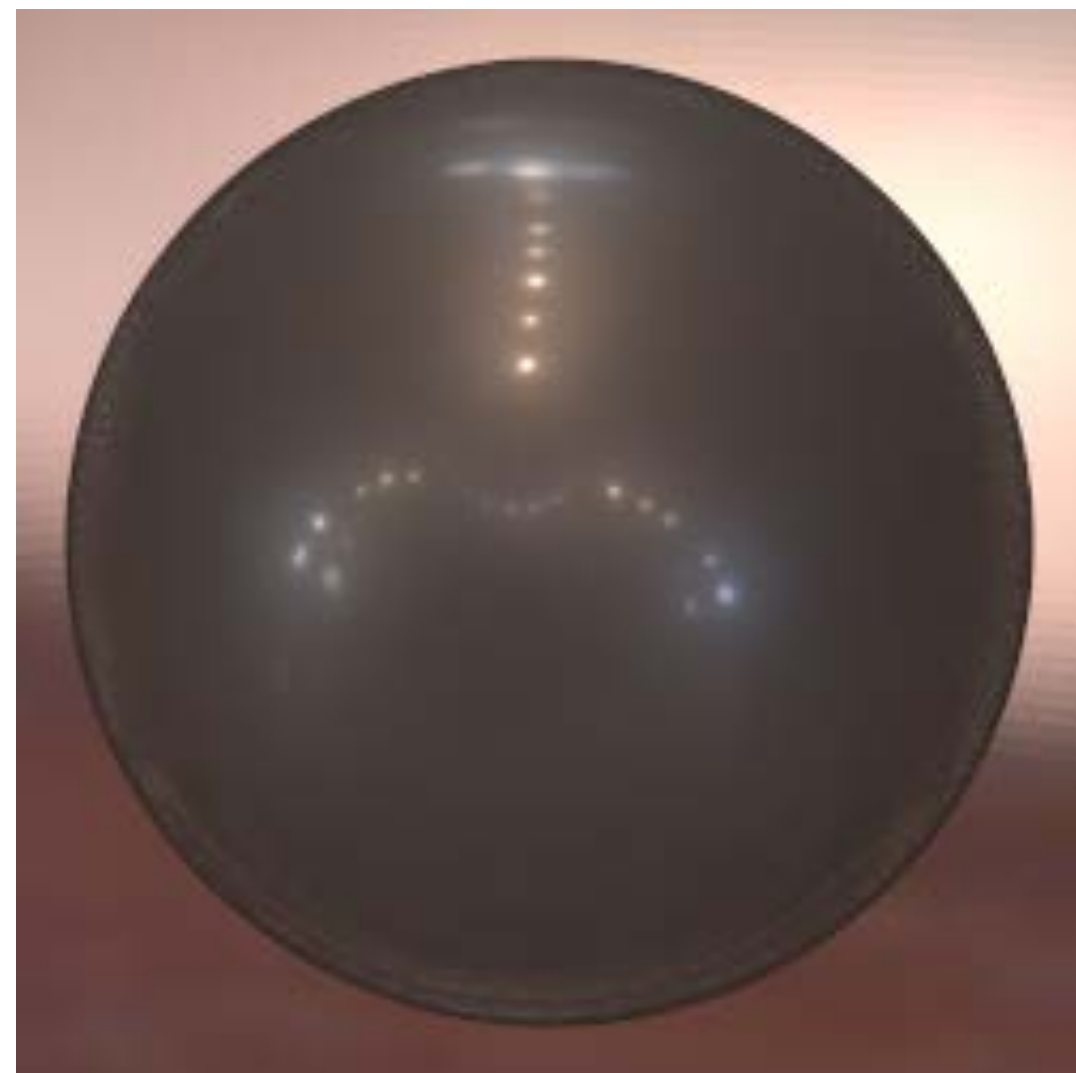


analytic BRDF

1. DIFFUSE-SPECULAR SEPARATION



full BRDF



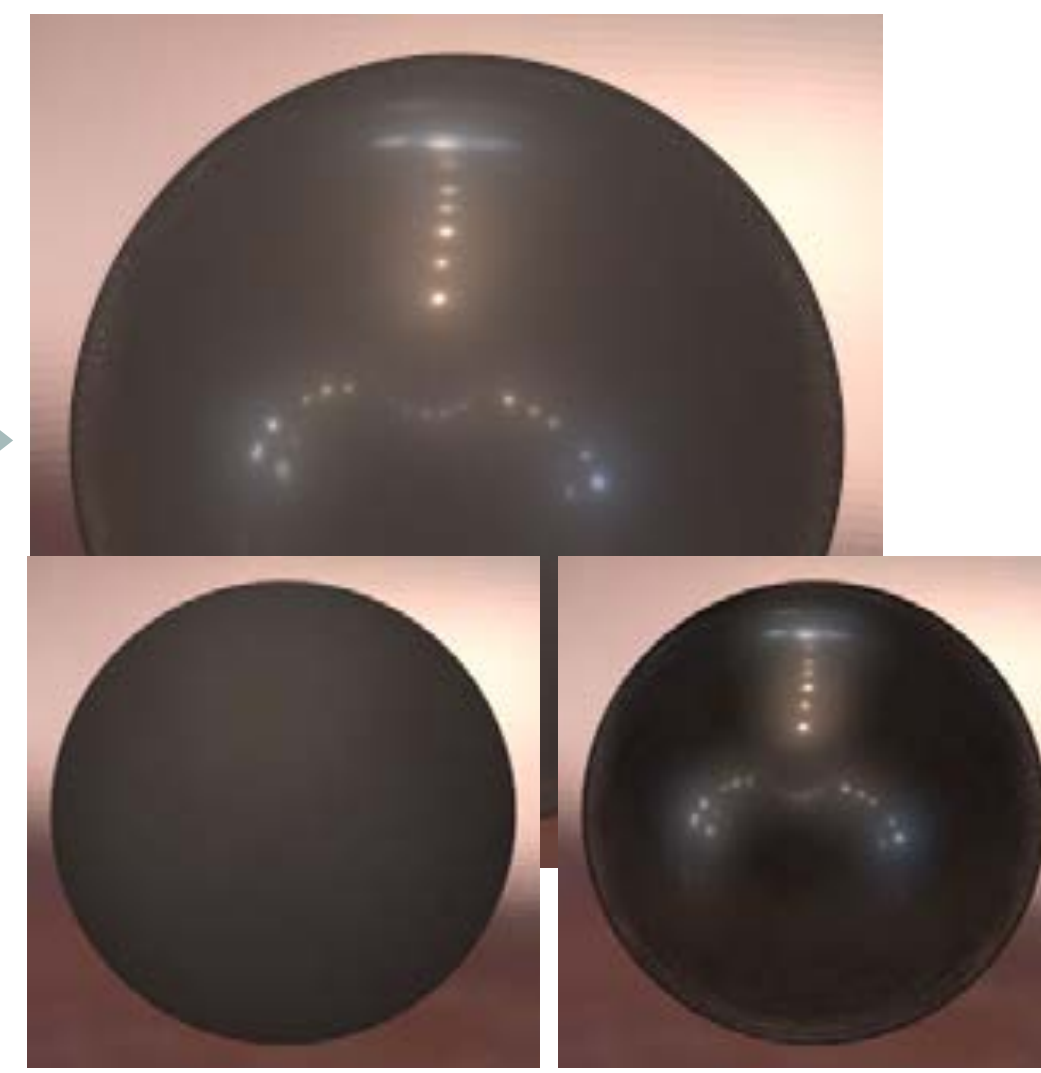
achromatic reflectance

Step 1:
analytical
approximation



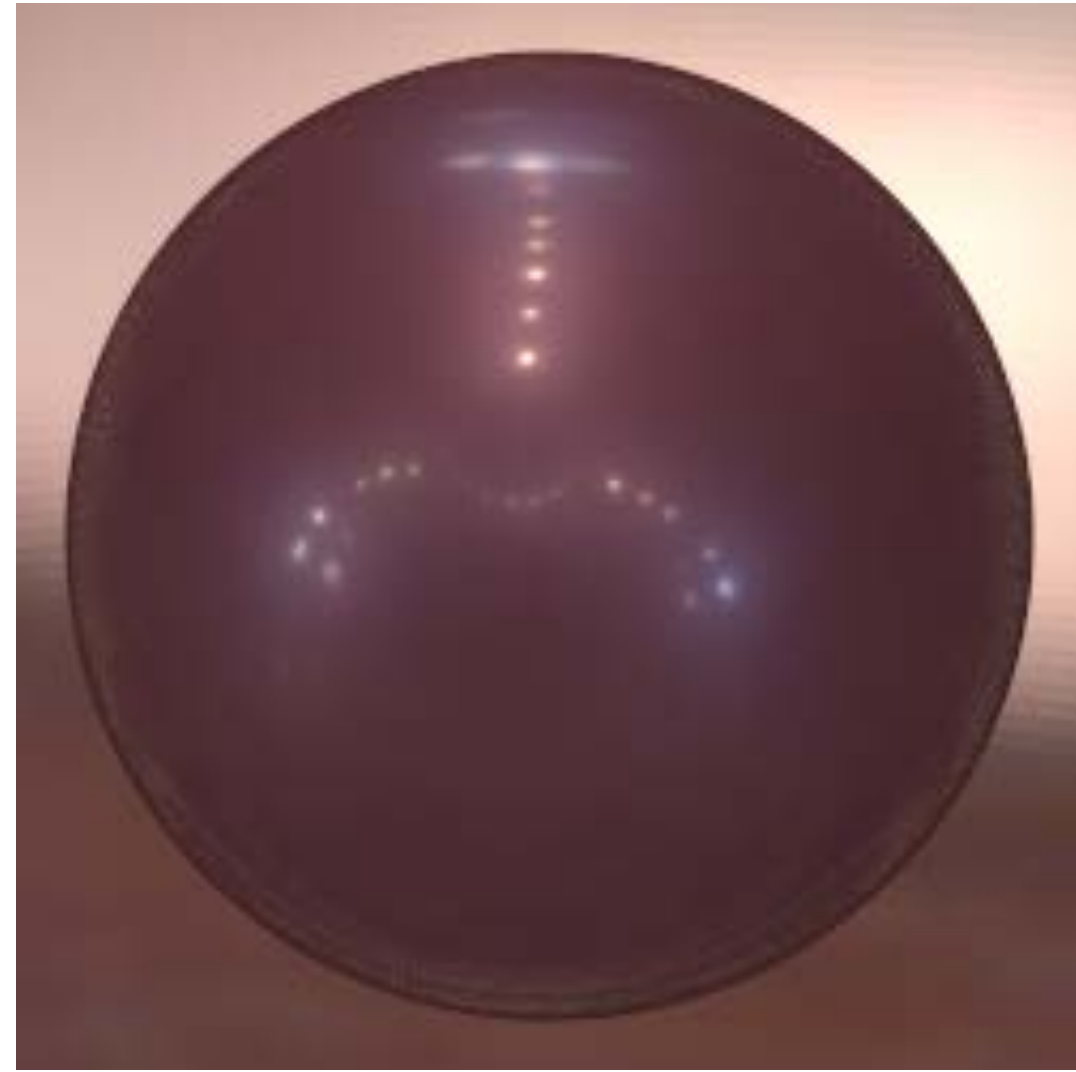
analytic BRDF

Step 2:
diffuse-specular
separation

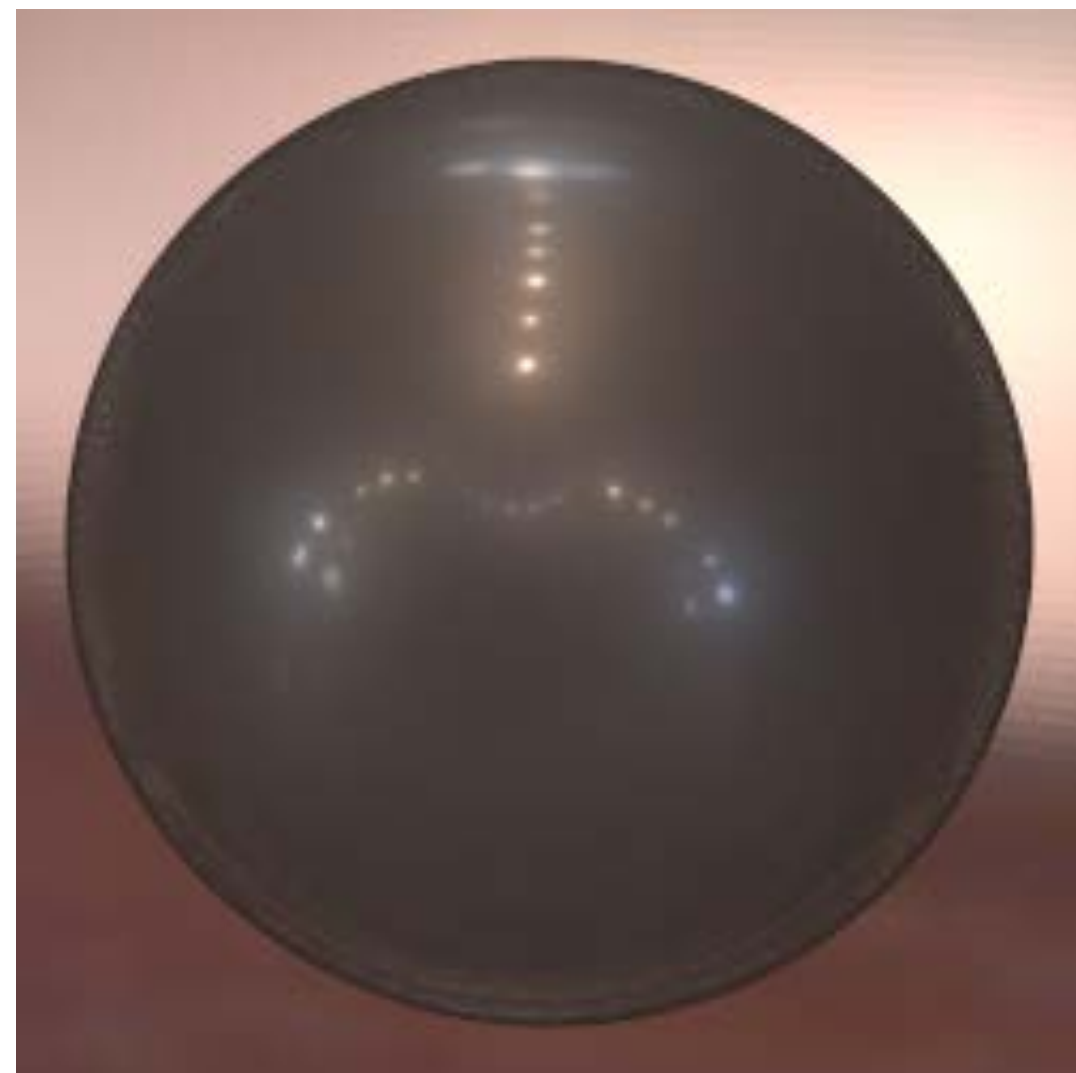


measured BRDF

1. DIFFUSE-SPECULAR SEPARATION



full BRDF



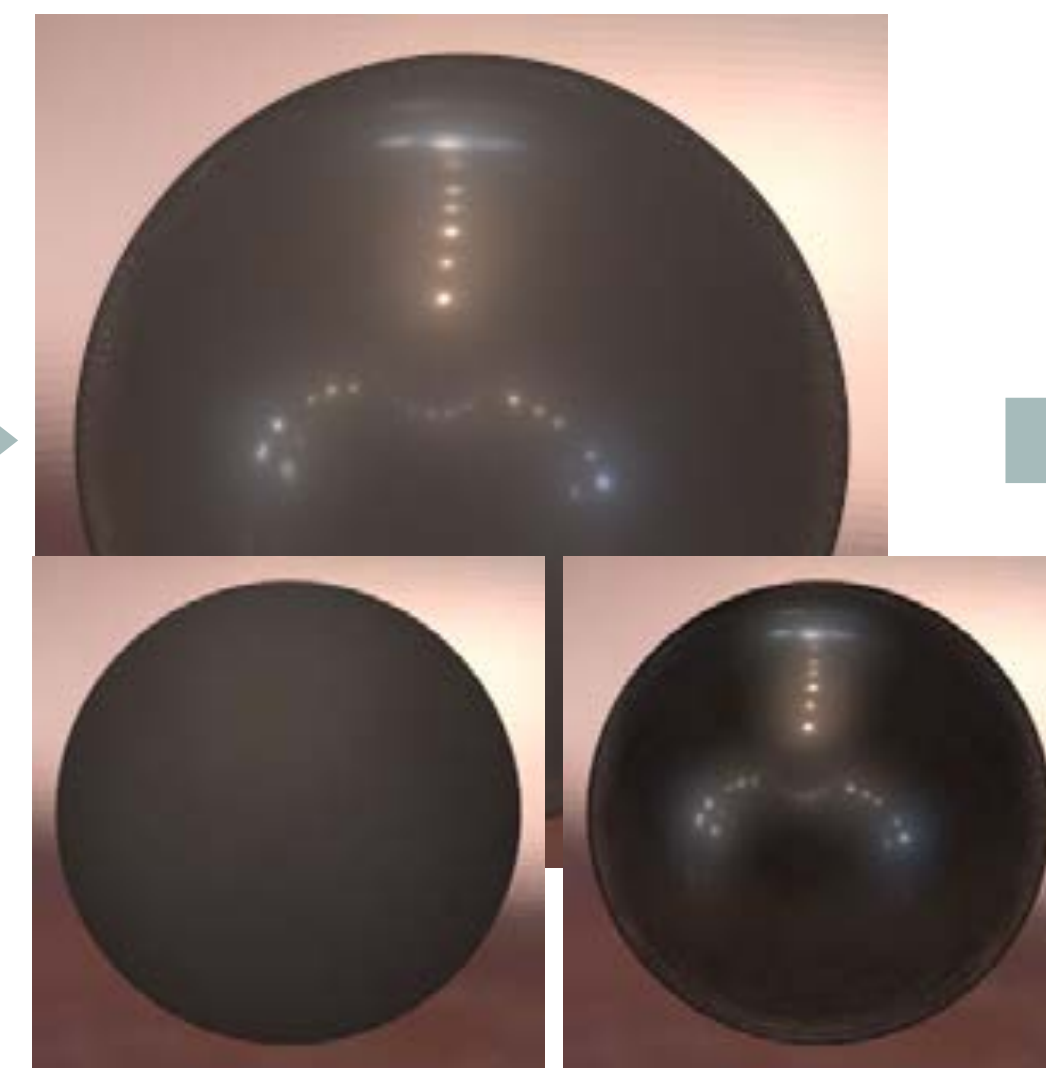
achromatic reflectance

Step 1:
analytical
approximation



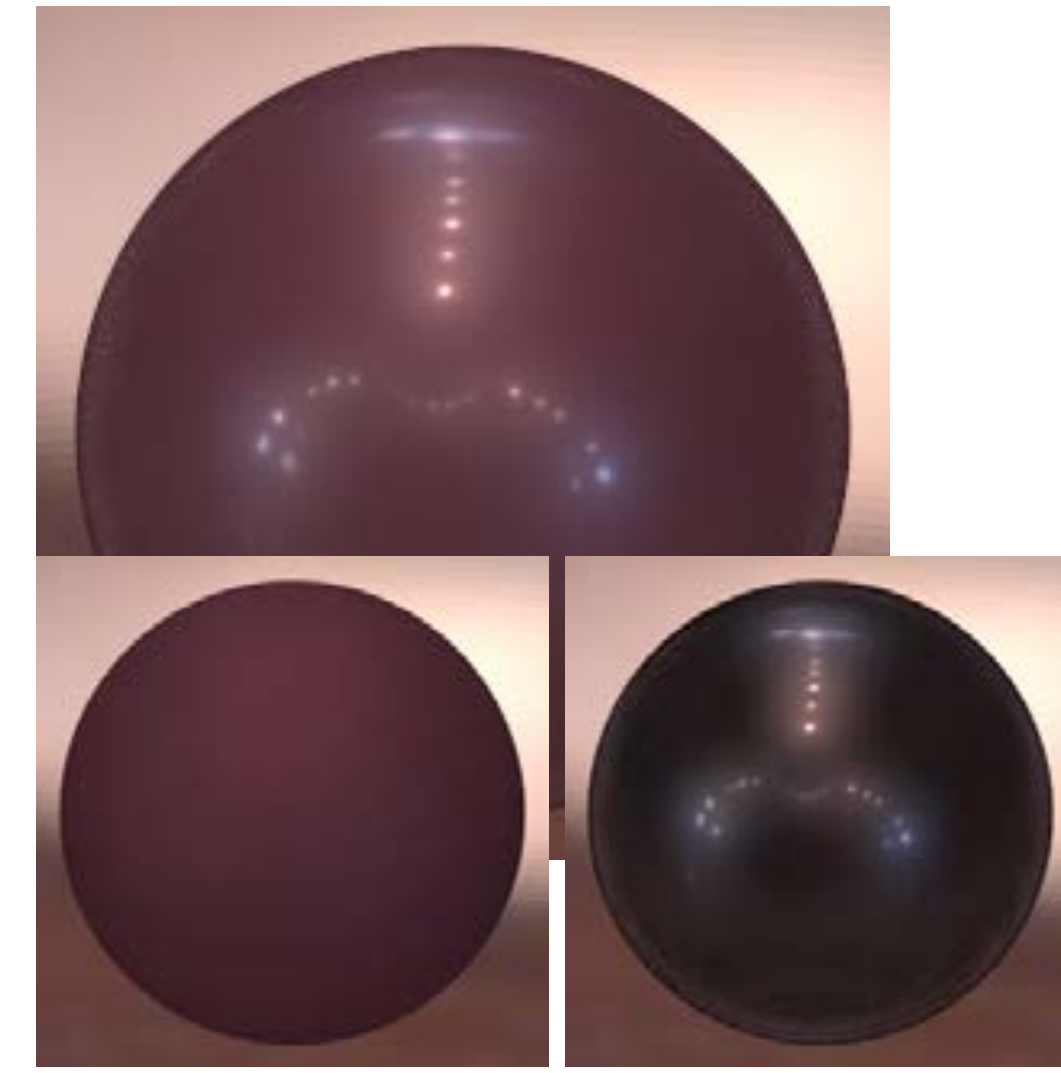
analytic BRDF

Step 2:
diffuse-specular
separation



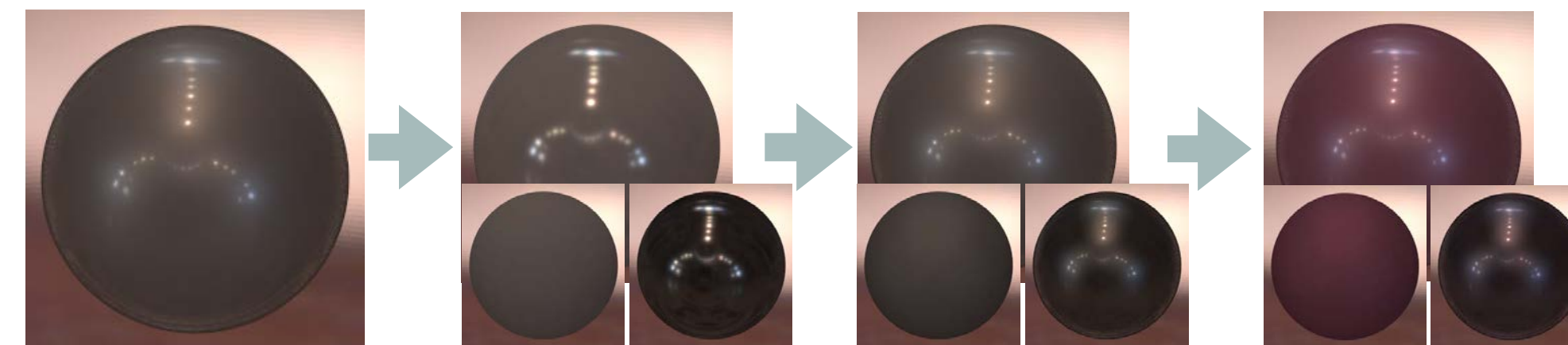
measured BRDF

Step 3:
color restoration

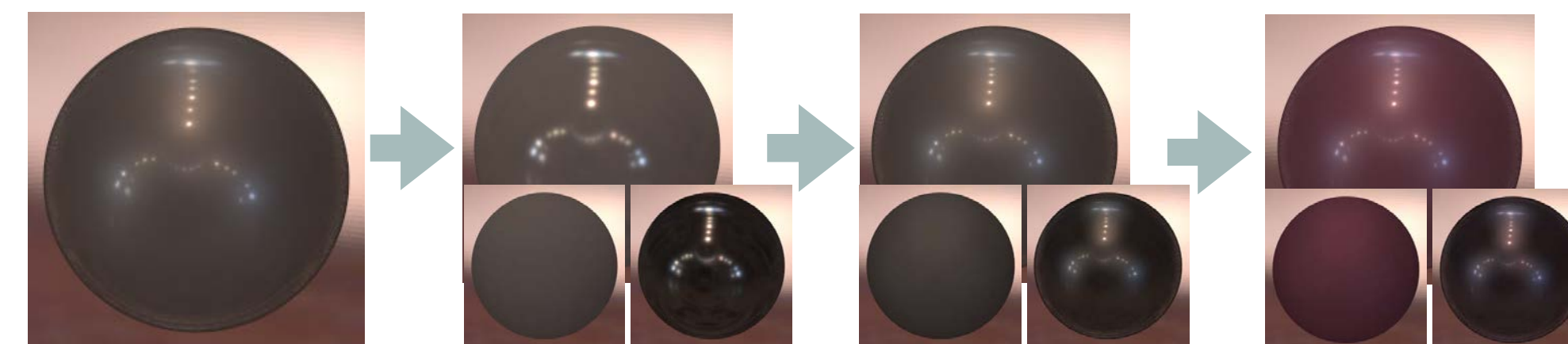


measured BRDF

1. DIFFUSE-SPECULAR SEPARATION

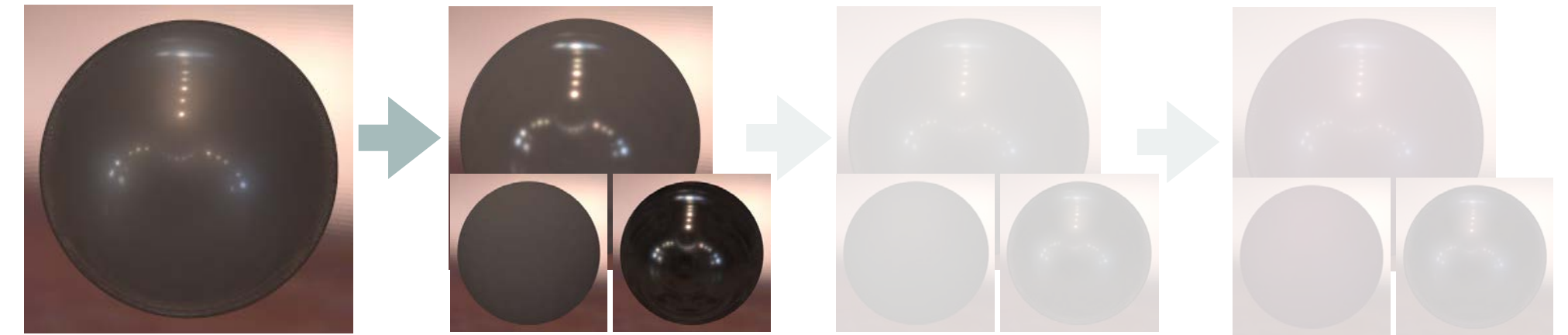


1. DIFFUSE-SPECULAR SEPARATION



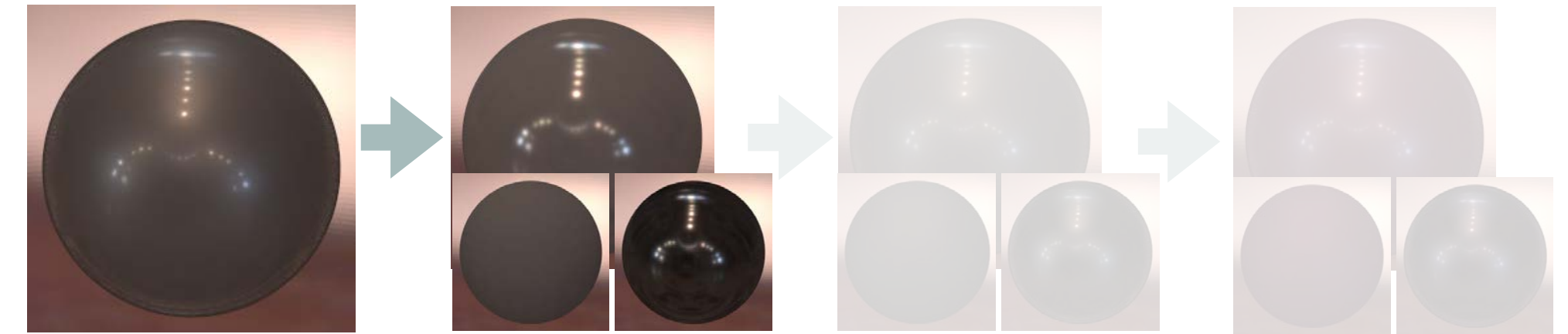
1. DIFFUSE-SPECULAR SEPARATION

- Step 1: analytical approximation



1. DIFFUSE-SPECULAR SEPARATION

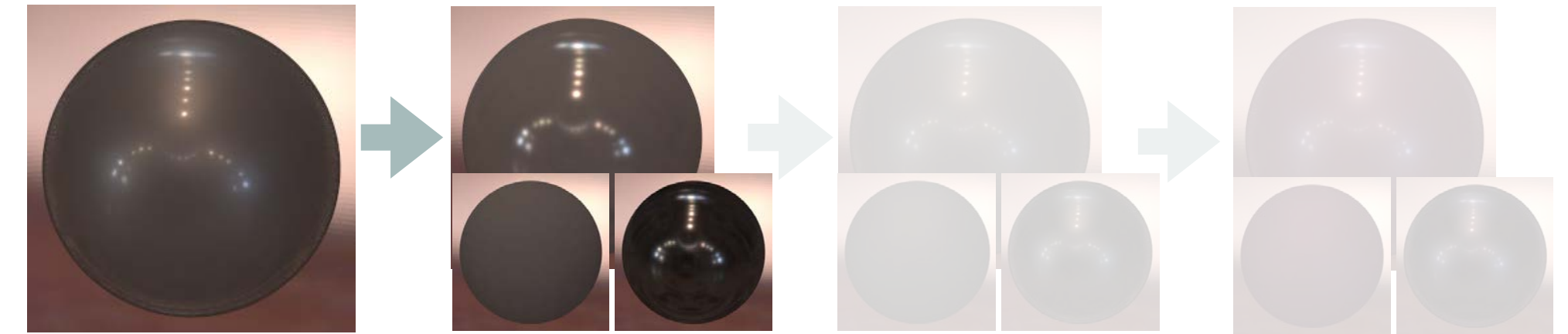
➤ Step 1: analytical approximation



$$\min_{\alpha_d, \alpha_s} d_1(\bar{\rho}[\omega_i, \omega_o], \rho_d(\alpha_d) + \rho_s(\alpha_s))$$

1. DIFFUSE-SPECULAR SEPARATION

➤ Step 1: analytical approximation

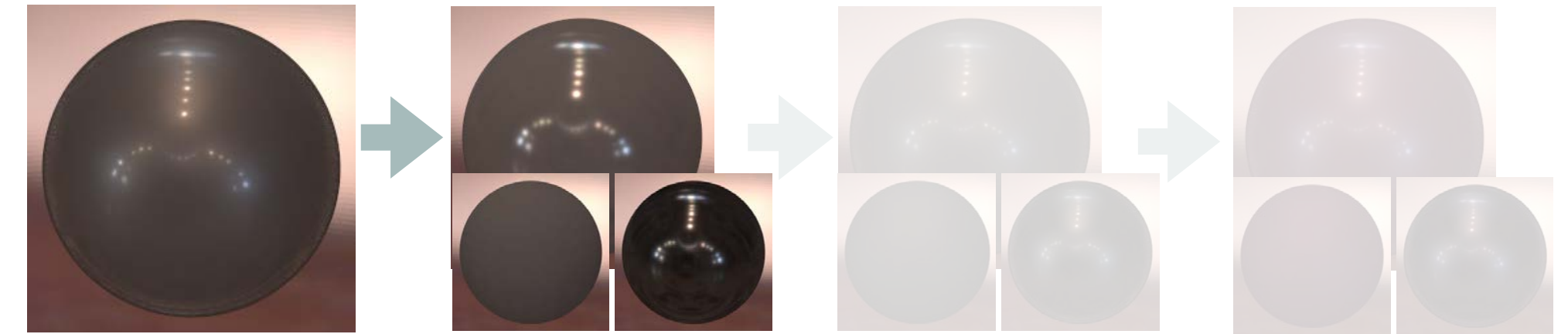


measured BRDF averaged across color

$$\min_{\alpha_d, \alpha_s} d_1(\bar{\rho}[\omega_i, \omega_o], \rho_d(\alpha_d) + \rho_s(\alpha_s))$$

1. DIFFUSE-SPECULAR SEPARATION

► Step 1: analytical approximation



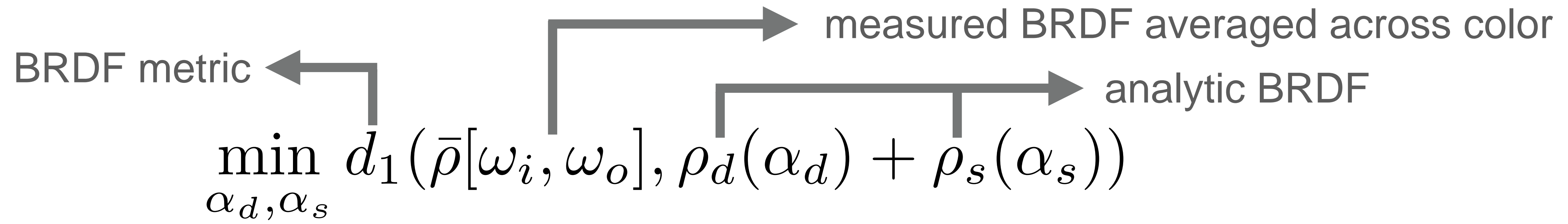
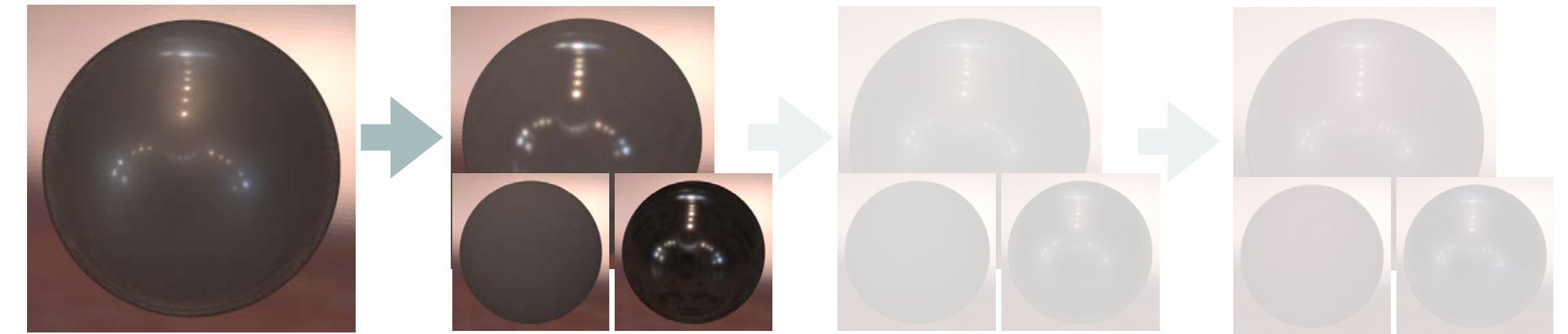
measured BRDF averaged across color

analytic BRDF

$$\min_{\alpha_d, \alpha_s} d_1(\bar{\rho}[\omega_i, \omega_o], \rho_d(\alpha_d) + \rho_s(\alpha_s))$$

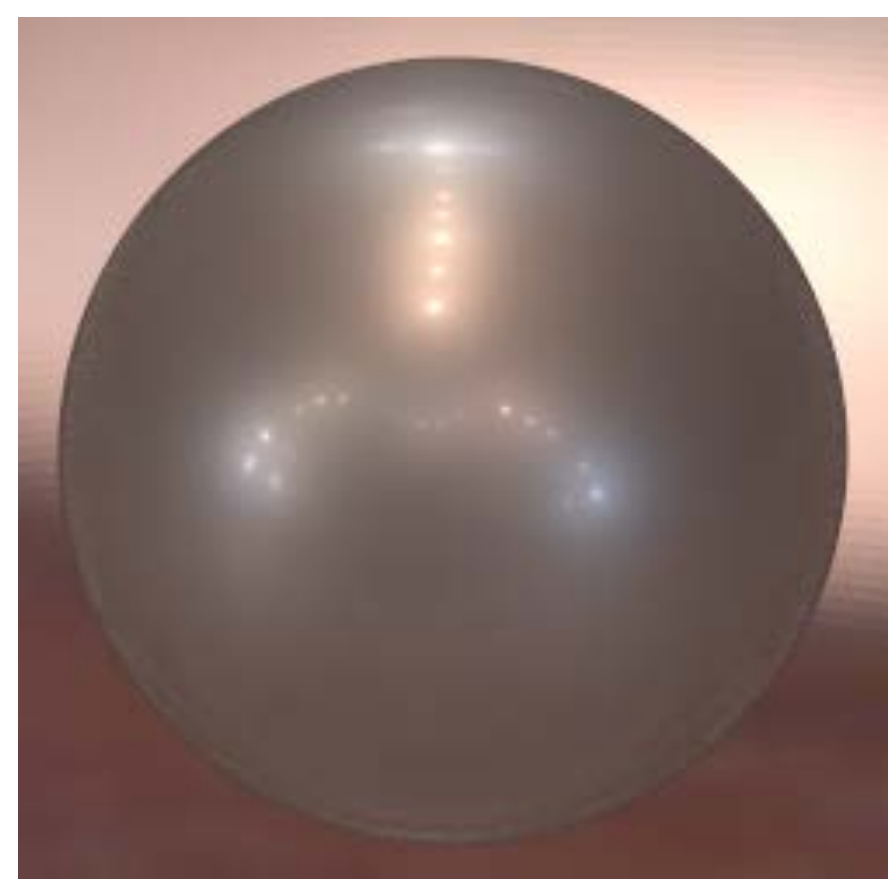
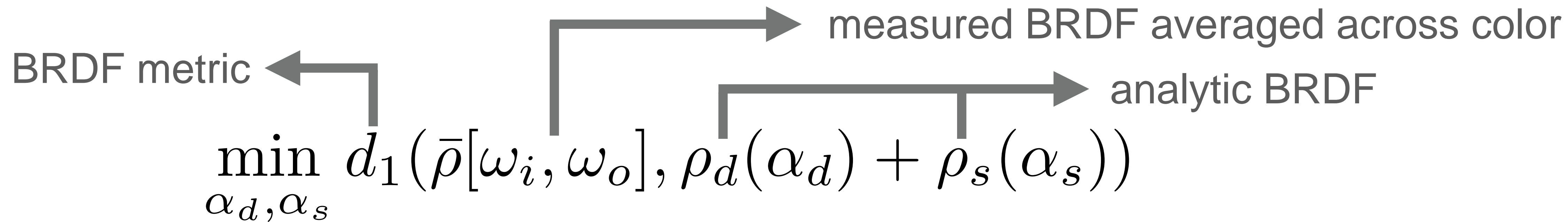
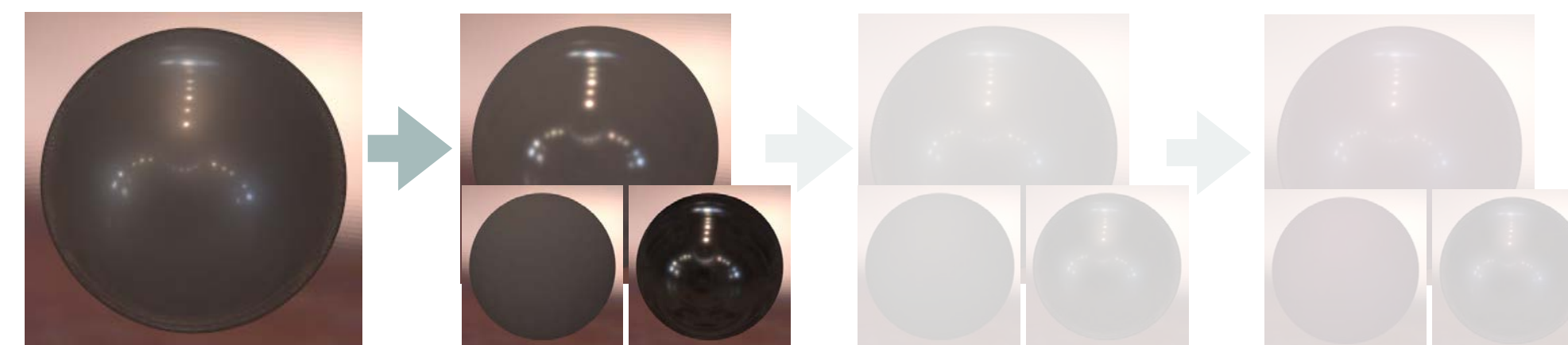
1. DIFFUSE-SPECULAR SEPARATION

► Step 1: analytical approximation

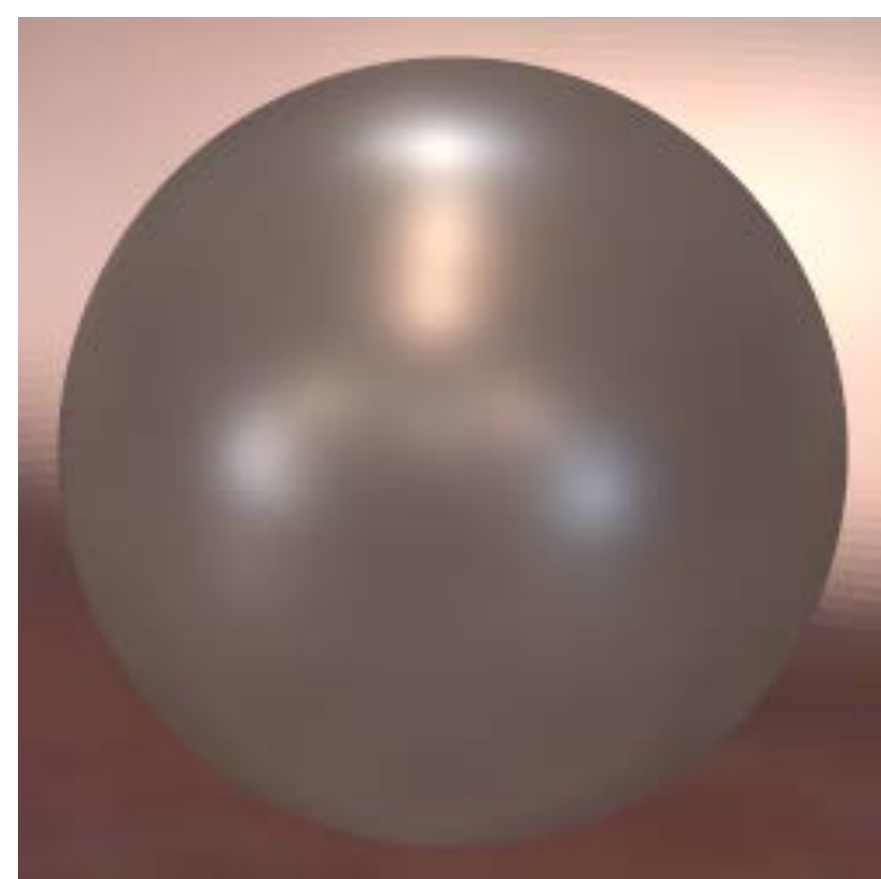


1. DIFFUSE-SPECULAR SEPARATION

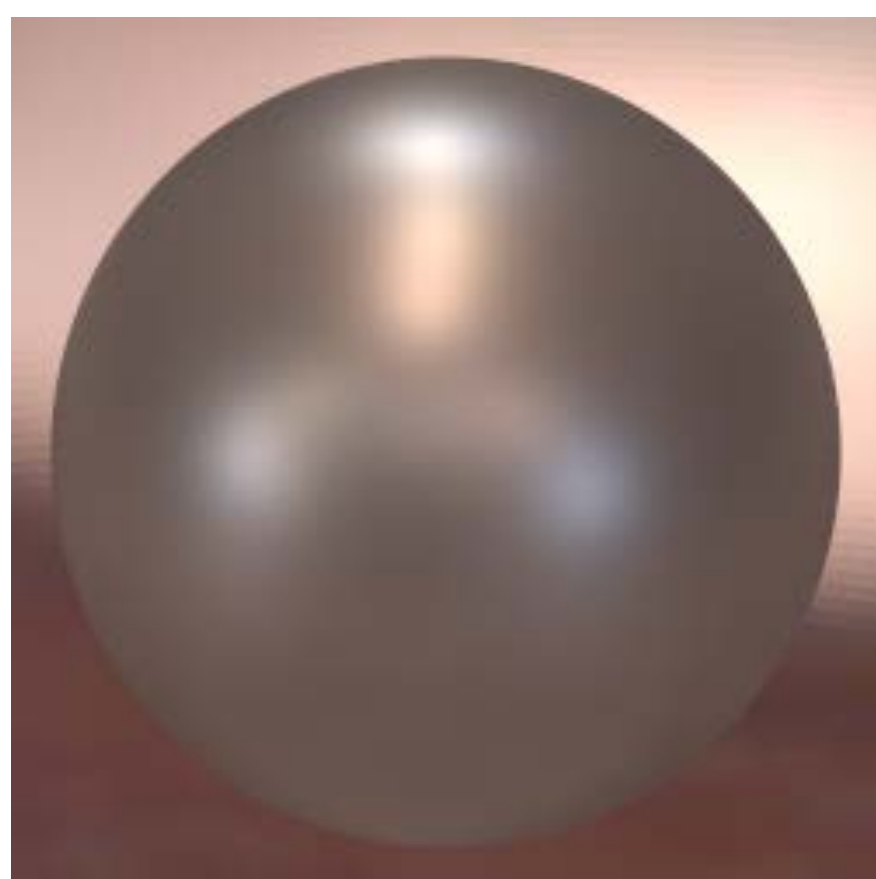
➤ Step 1: analytical approximation



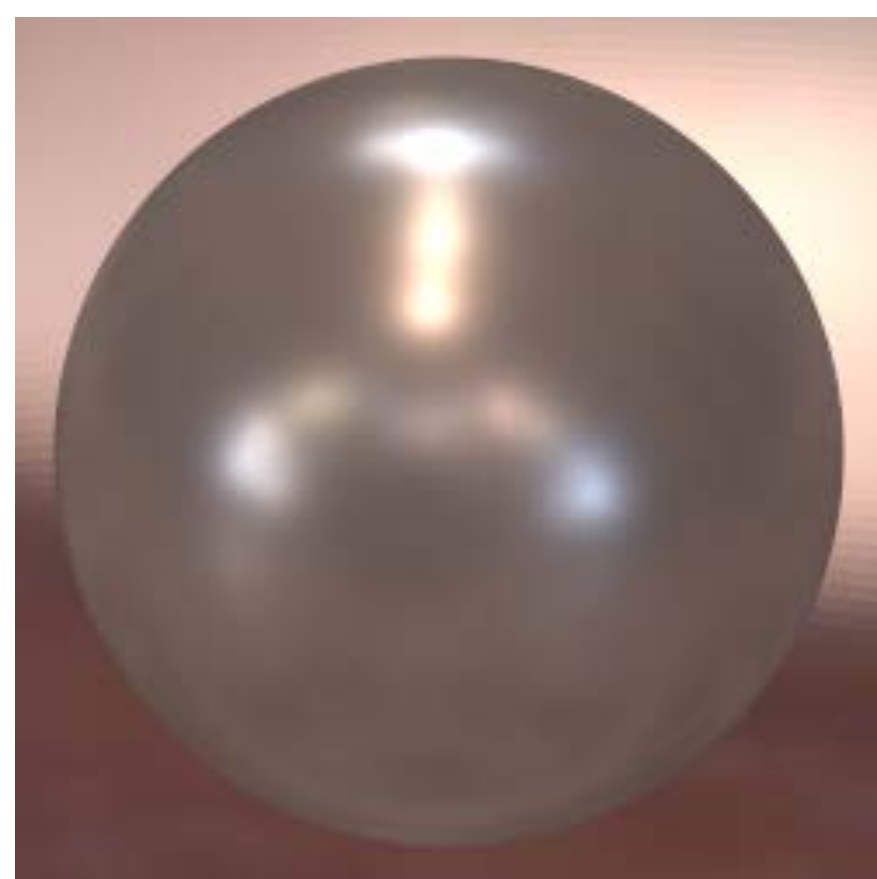
two-layer-silver



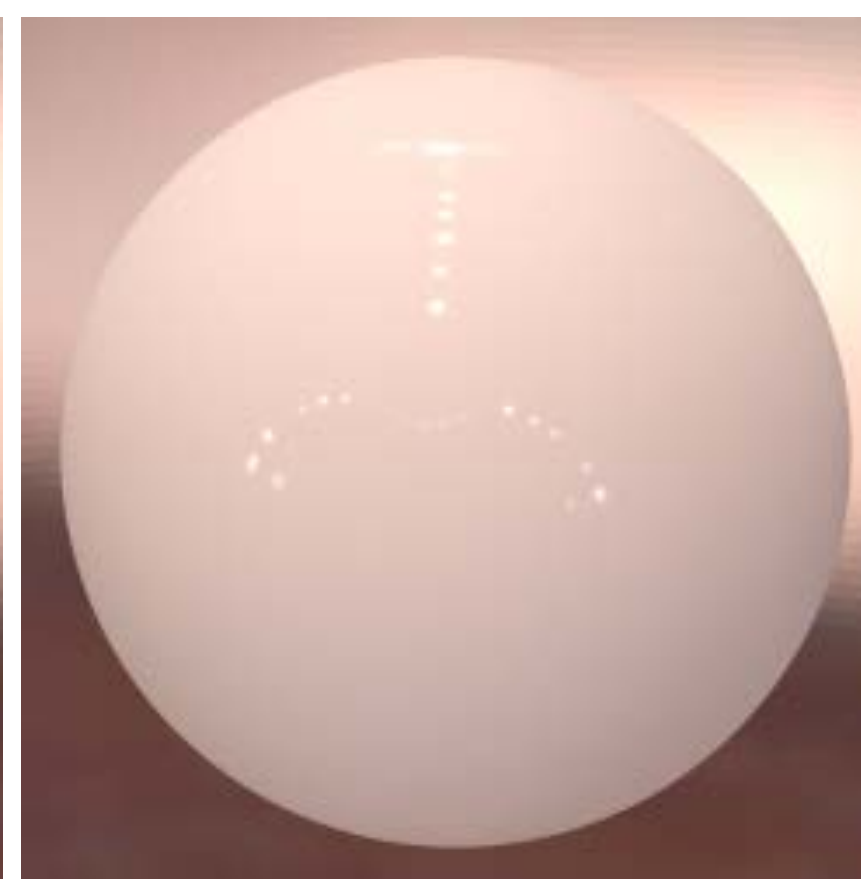
cubic-root



log1



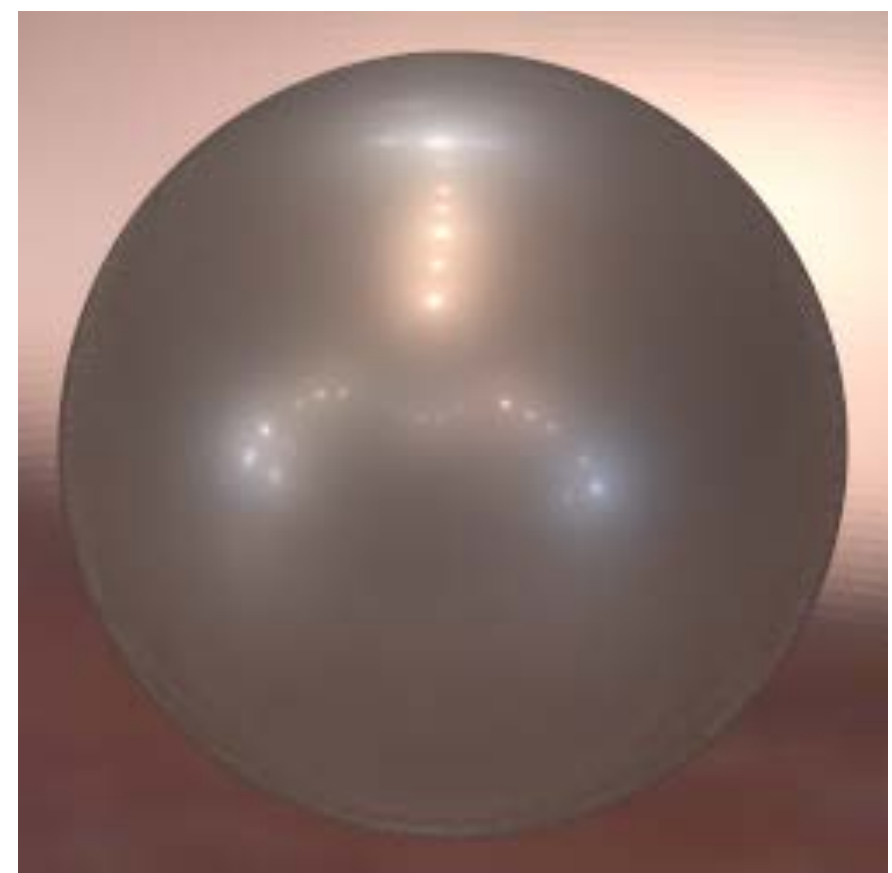
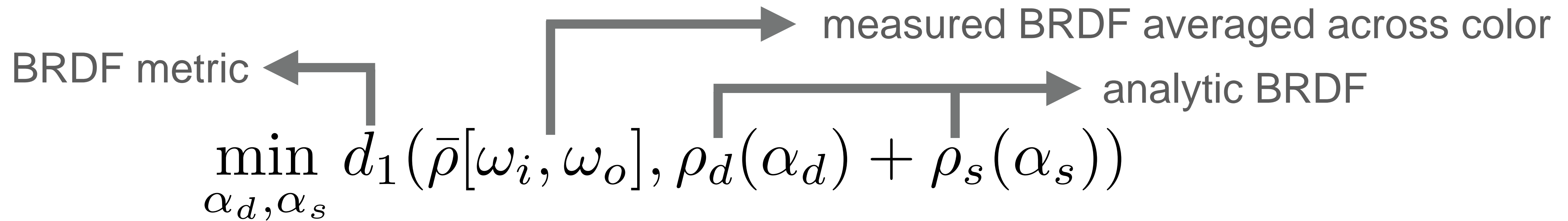
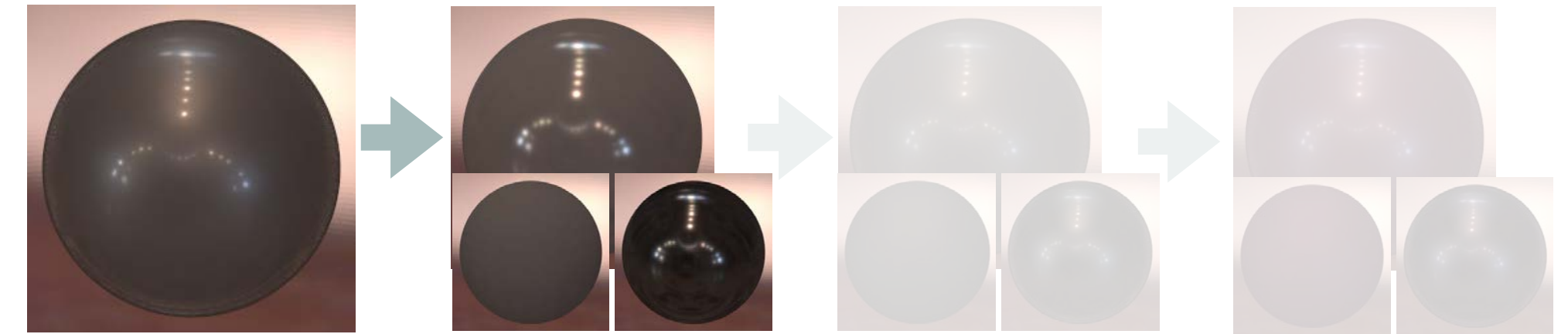
log2



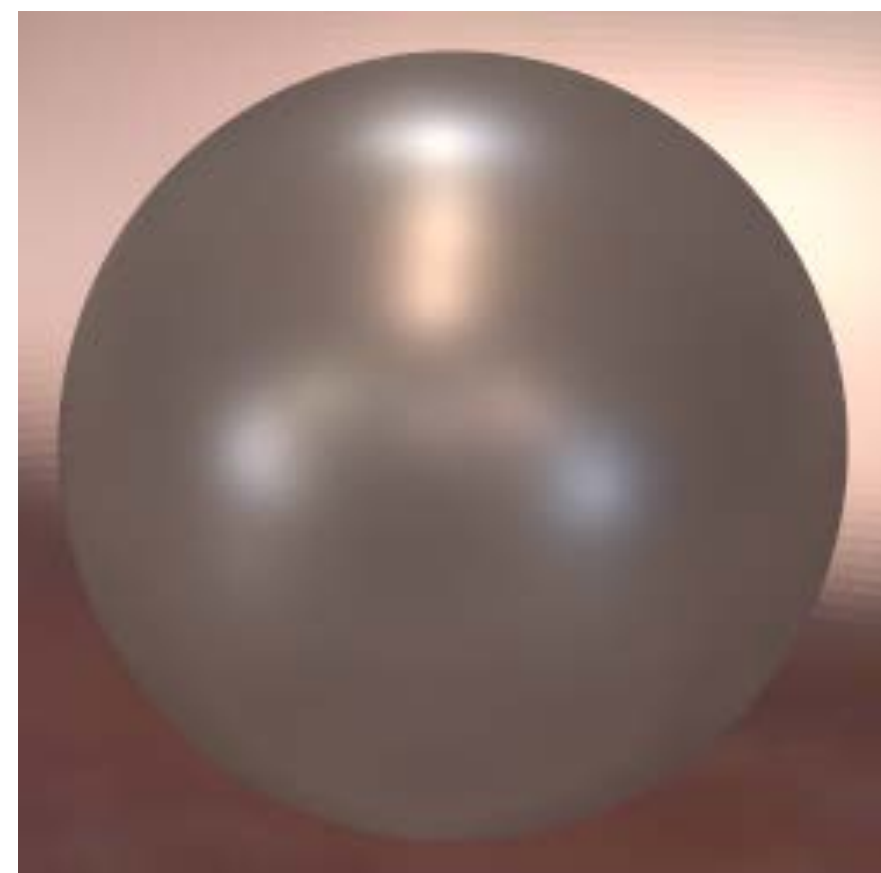
weighted square

1. DIFFUSE-SPECULAR SEPARATION

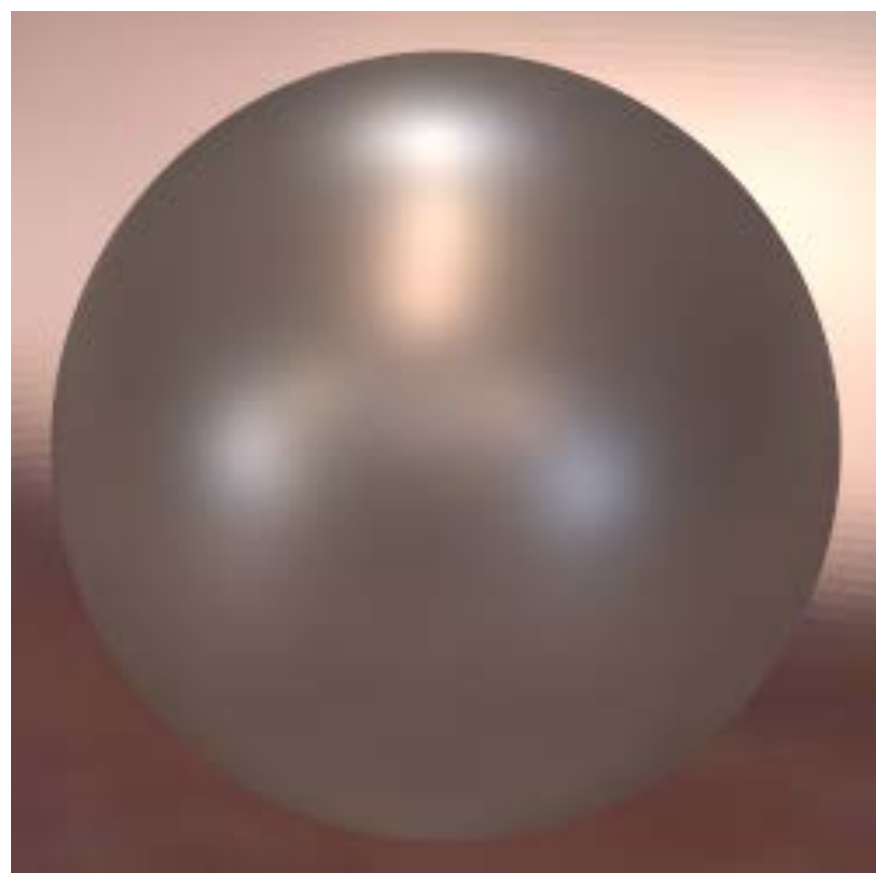
➤ Step 1: analytical approximation



two-layer-silver



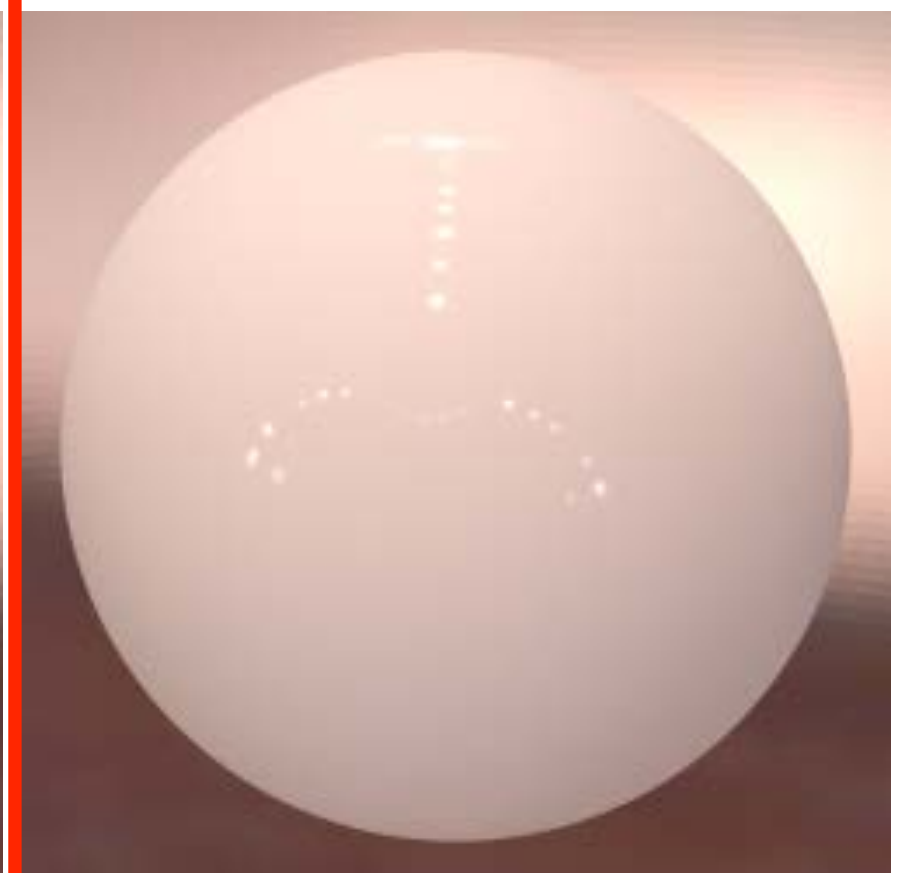
cubic-root



log1



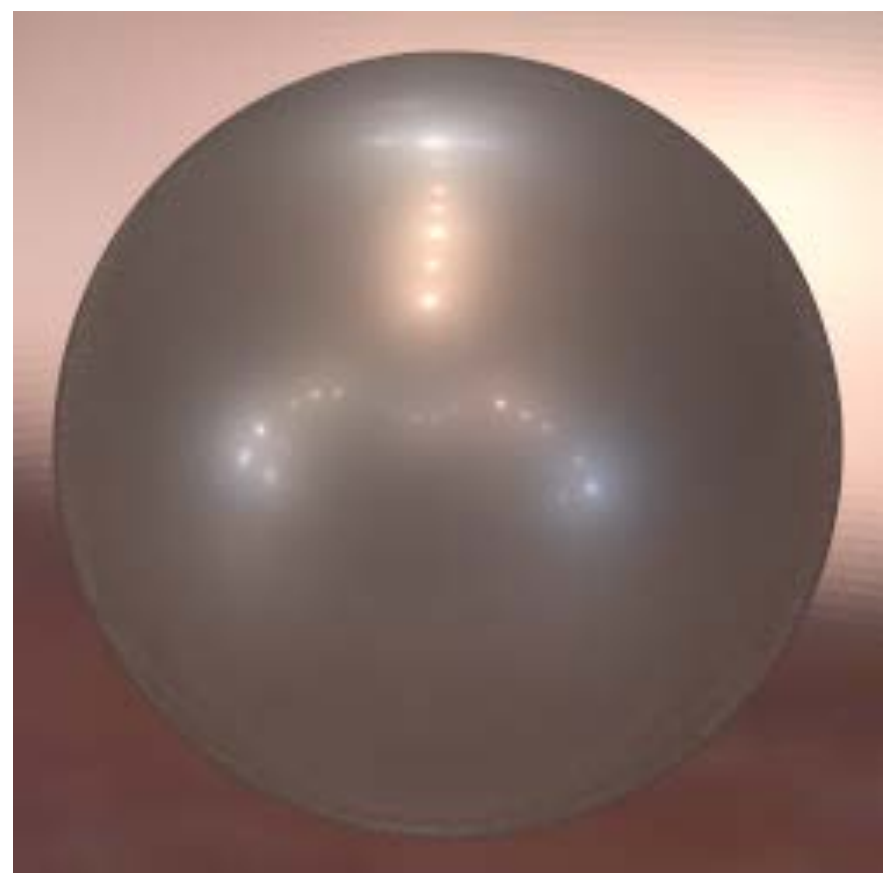
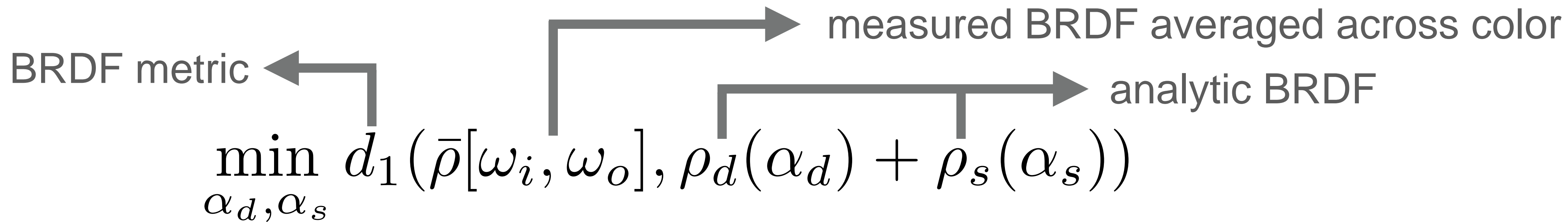
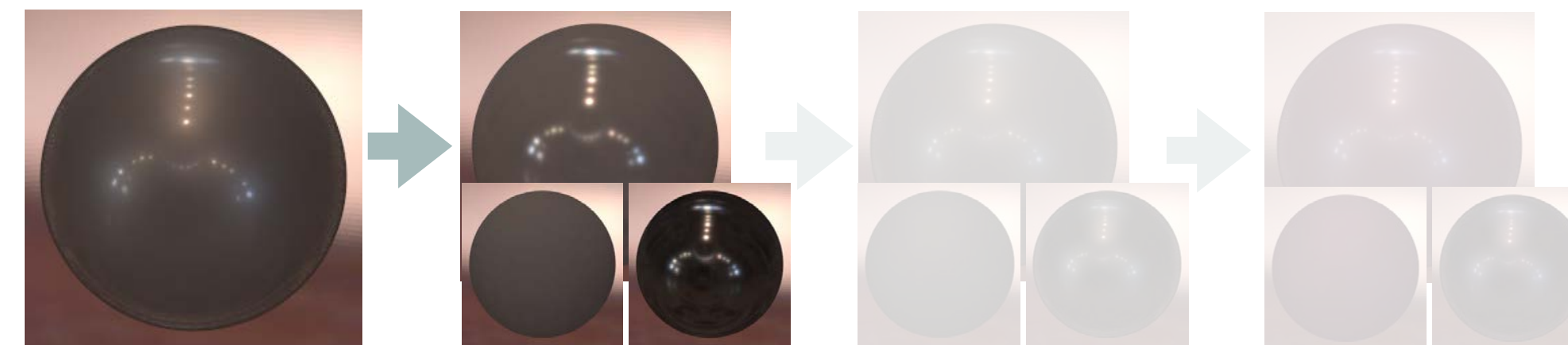
log2



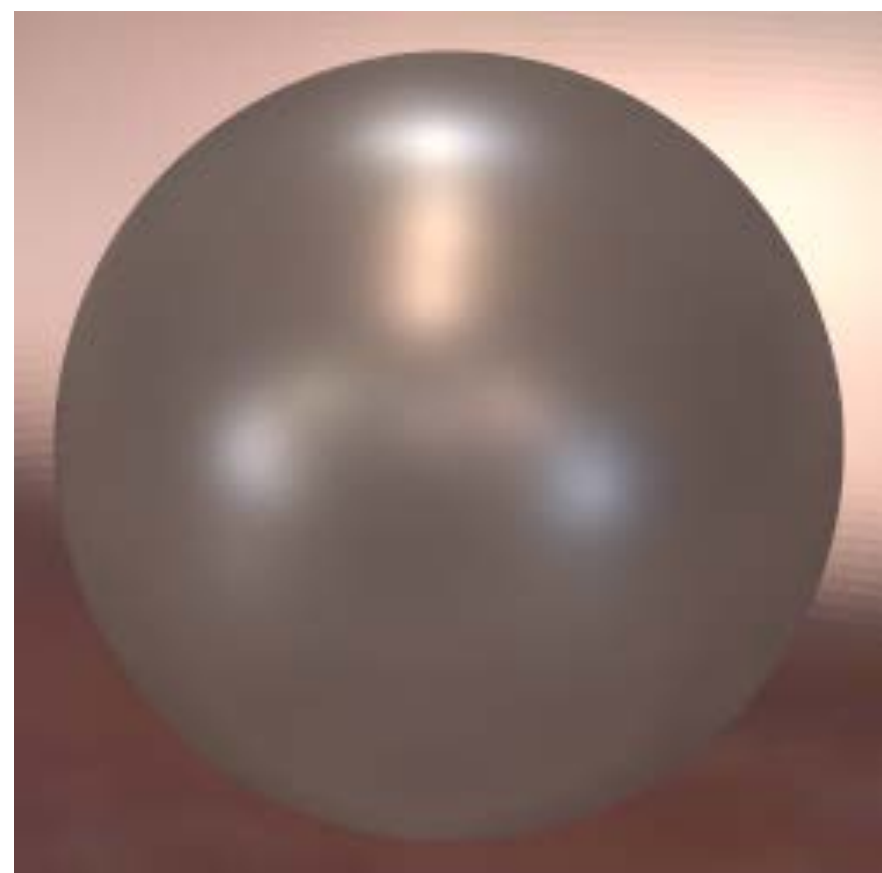
weighted square

1. DIFFUSE-SPECULAR SEPARATION

- Step 1: analytical approximation
- Learn the concept of “diffuse” and “specular” from analytical model



two-layer-silver



cubic-root



log1

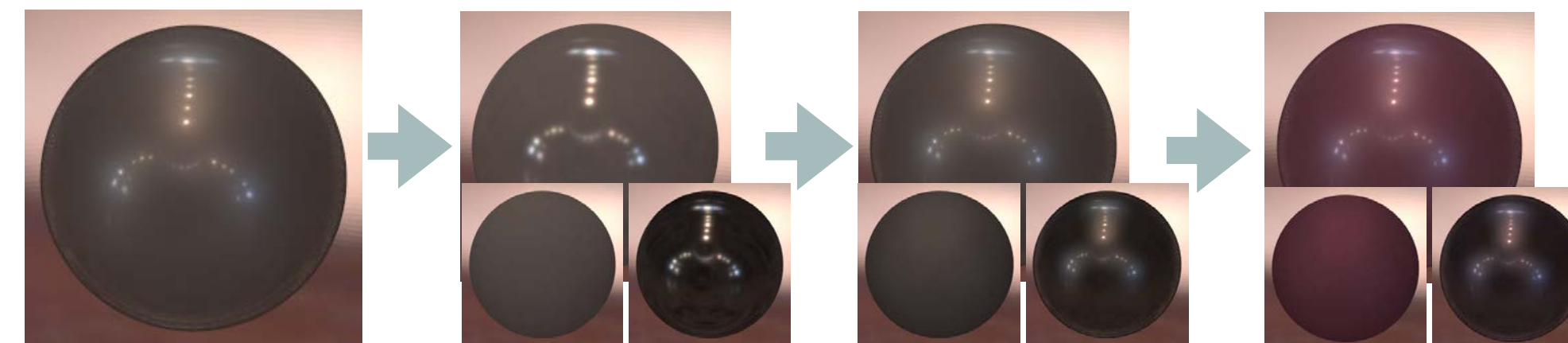


log2



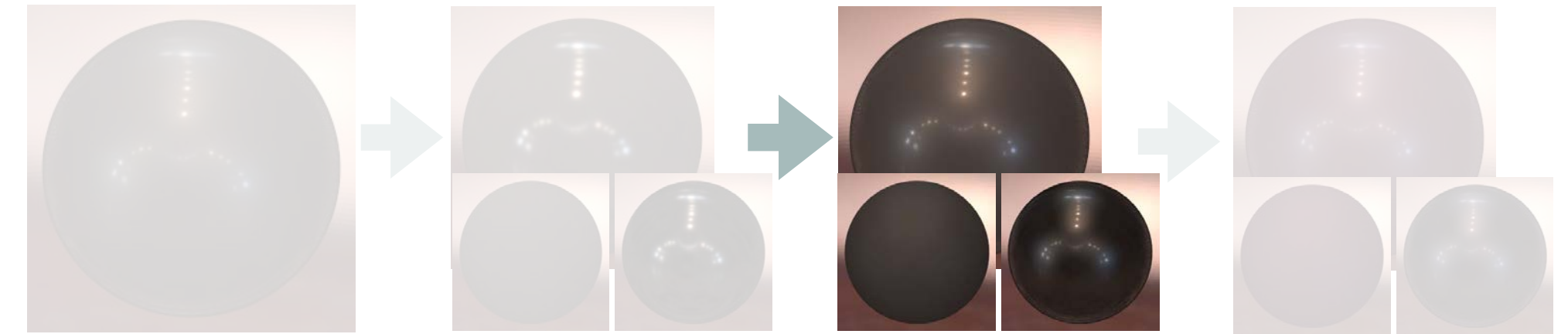
weighted square

1. DIFFUSE-SPECULAR SEPARATION



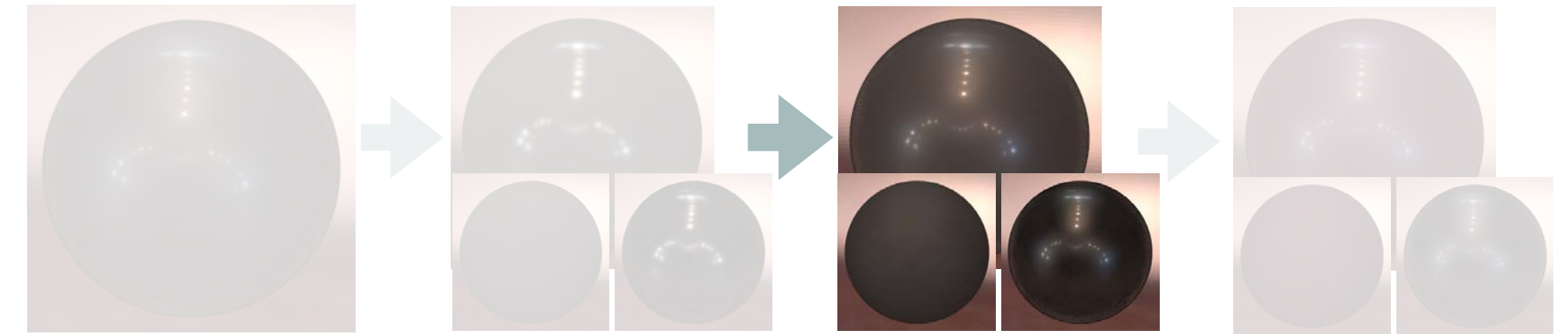
1. DIFFUSE-SPECULAR SEPARATION

- Step 2: diffuse-specular separation



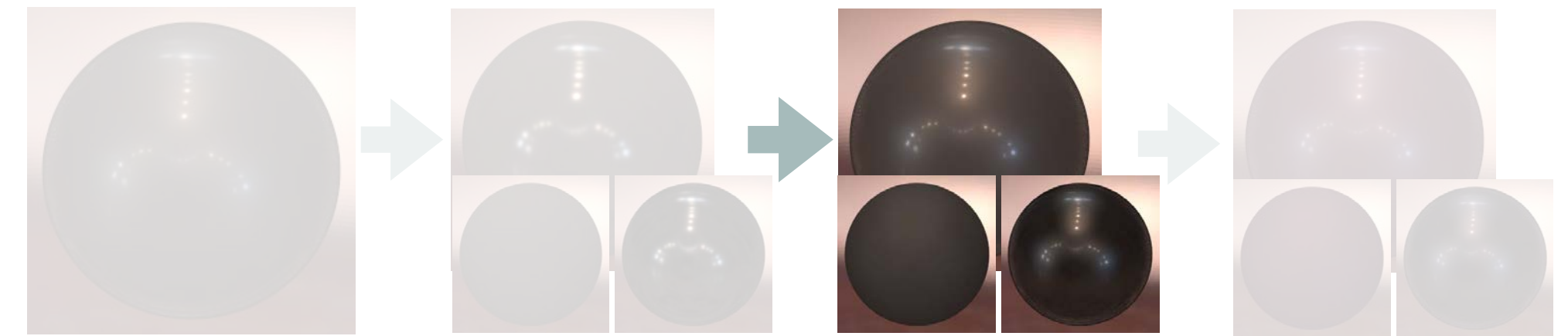
1. DIFFUSE-SPECULAR SEPARATION

- Step 2: diffuse-specular separation
 - Refine analytic approximations



1. DIFFUSE-SPECULAR SEPARATION

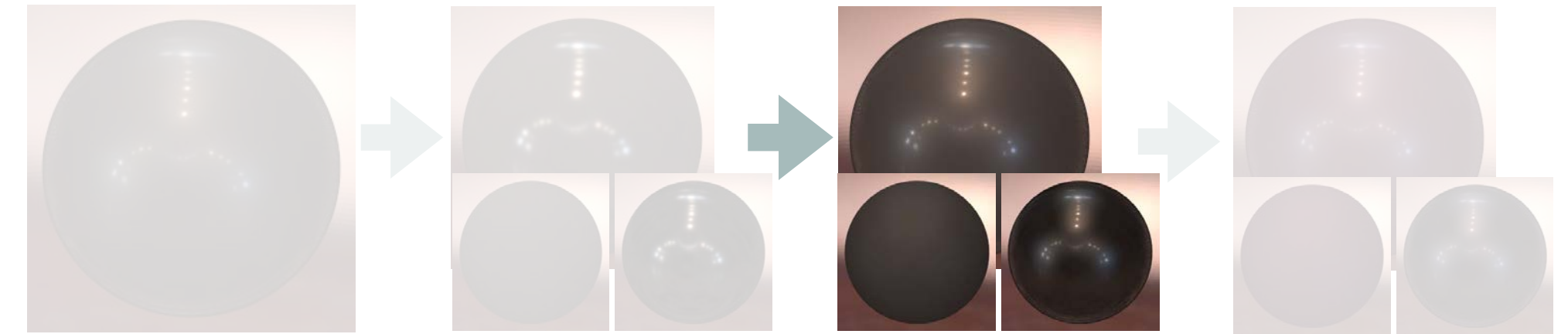
- Step 2: diffuse-specular separation
 - Refine analytic approximations



$$\min_{\rho_d, \rho_s} d_2(\bar{\rho}, \rho_d + \rho_s) + \eta^d \cdot d_2(\rho_d, \rho_d(\alpha_d)) + \eta^s \cdot d_2(\rho_s, \rho_s(\alpha_s))$$

1. DIFFUSE-SPECULAR SEPARATION

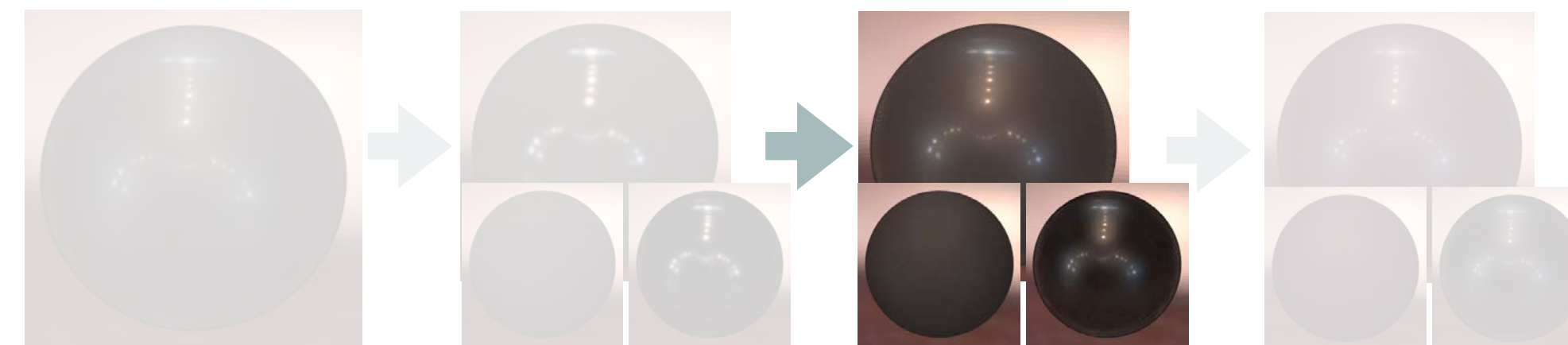
- Step 2: diffuse-specular separation
 - Refine analytic approximations



$$\min_{\rho_d, \rho_s} \underbrace{d_2(\bar{\rho}, \rho_d + \rho_s)}_{\text{Data fitting}} + \eta^d \cdot d_2(\rho_d, \rho_d(\alpha_d)) + \eta^s \cdot d_2(\rho_s, \rho_s(\alpha_s))$$

1. DIFFUSE-SPECULAR SEPARATION

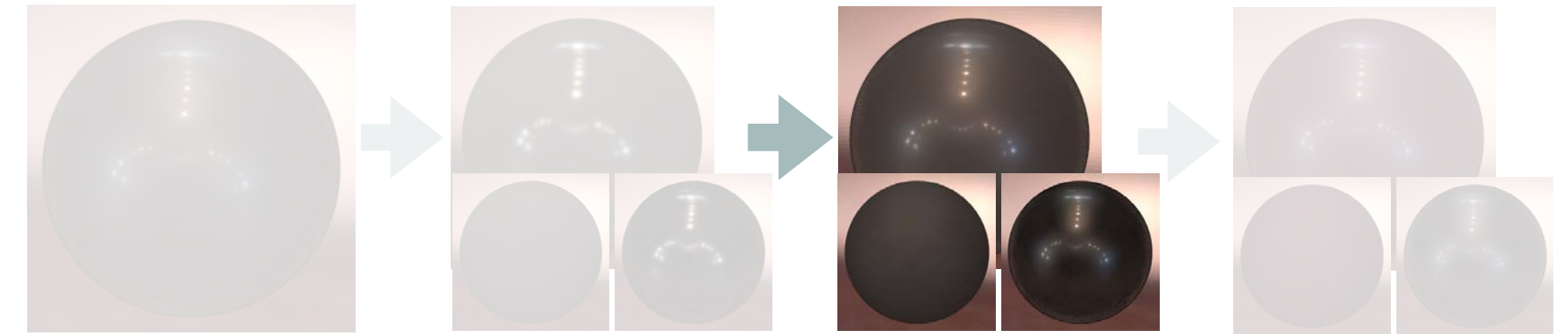
- Step 2: diffuse-specular separation
 - Refine analytic approximations



$$\min_{\rho_d, \rho_s} \underbrace{d_2(\bar{\rho}, \rho_d + \rho_s)}_{\text{Data fitting}} + \underbrace{\eta^d \cdot d_2(\rho_d, \rho_d(\alpha_d))}_{\text{Analytic guidance}} + \underbrace{\eta^s \cdot d_2(\rho_s, \rho_s(\alpha_s))}_{\text{Analytic guidance}}$$

1. DIFFUSE-SPECULAR SEPARATION

- Step 2: diffuse-specular separation
 - Refine analytic approximations

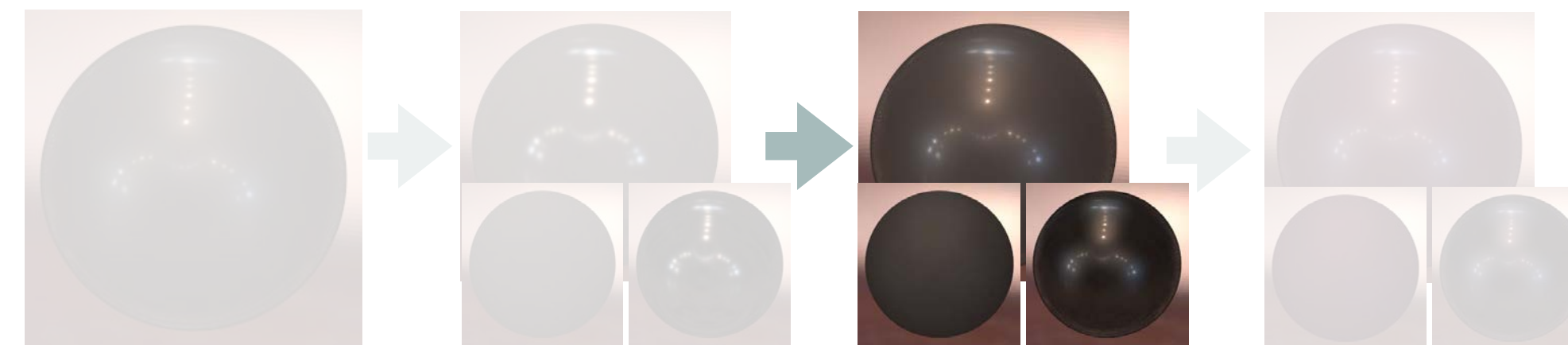


$$\min_{\rho_d, \rho_s} \underbrace{d_2(\bar{\rho}, \rho_d + \rho_s)}_{\text{Data fitting}} + \underbrace{\eta^d \cdot d_2(\rho_d, \rho_d(\alpha_d))}_{\text{Analytic guidance}} + \underbrace{\eta^s \cdot d_2(\rho_s, \rho_s(\alpha_s))}_{\text{Analytic guidance}}$$

$$d_2(\rho_1, \rho_2) = \|(\rho_1 - \rho_2) \cdot \cos \omega_i \cos \omega_o\|_1$$

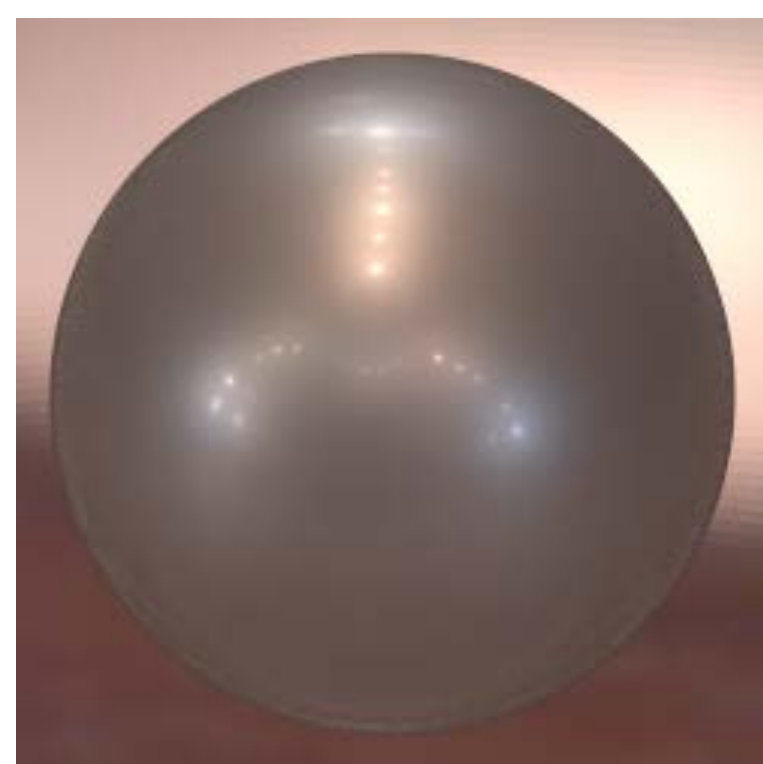
1. DIFFUSE-SPECULAR SEPARATION

- Step 2: diffuse-specular separation
 - Refine analytic approximations

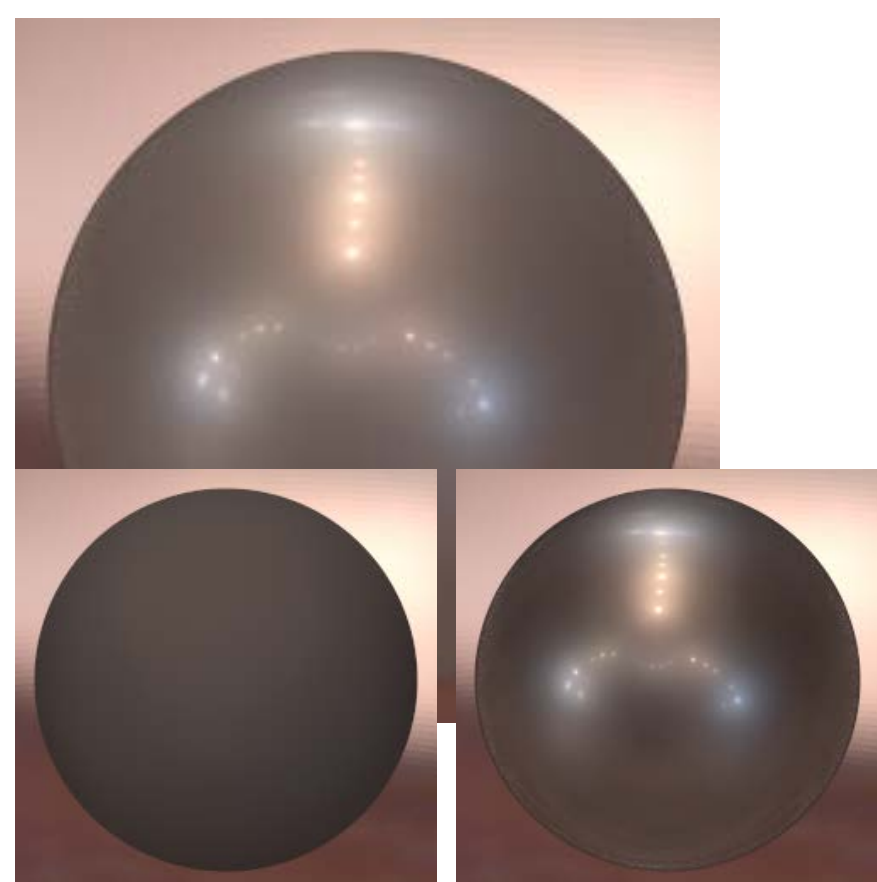


$$\min_{\rho_d, \rho_s} \underbrace{d_2(\bar{\rho}, \rho_d + \rho_s)}_{\text{Data fitting}} + \underbrace{\eta^d \cdot d_2(\rho_d, \rho_d(\alpha_d))}_{\text{Analytic guidance}} + \underbrace{\eta^s \cdot d_2(\rho_s, \rho_s(\alpha_s))}_{\text{Analytic guidance}}$$

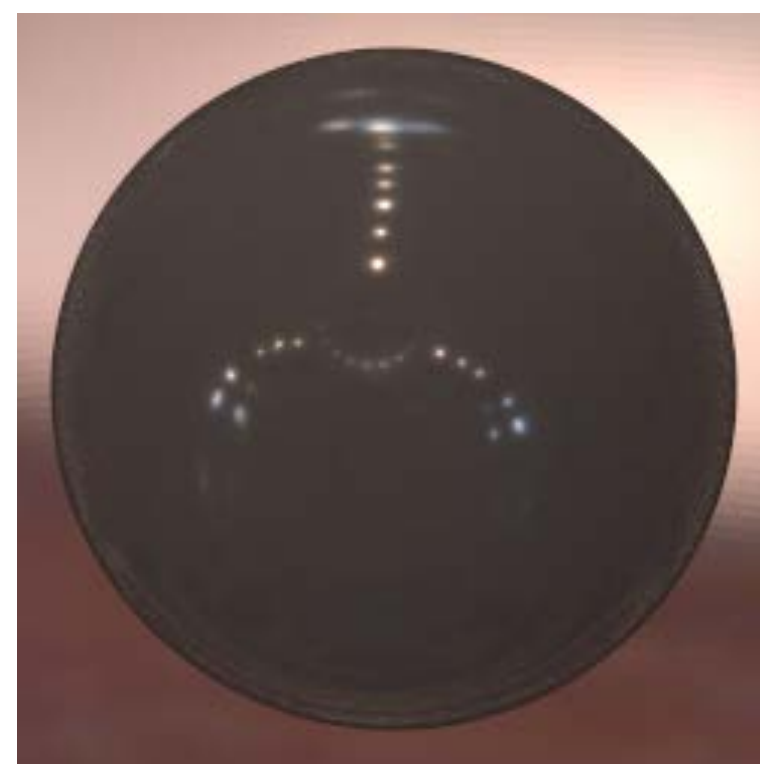
$$d_2(\rho_1, \rho_2) = \|(\rho_1 - \rho_2) \cdot \cos \omega_i \cos \omega_o\|_1$$



two-layer-silver



separation
result



specular-violet-
phenolic



separation
result

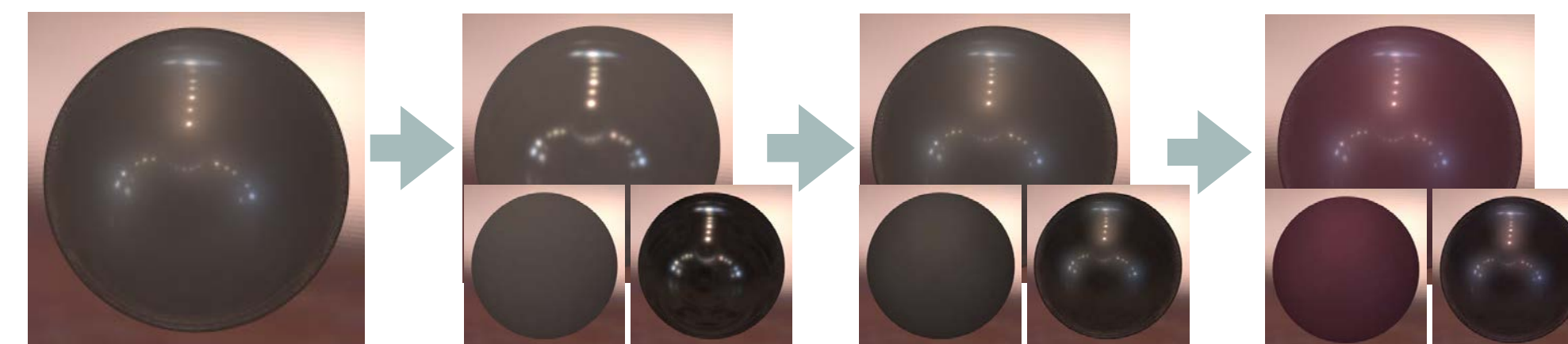


steel



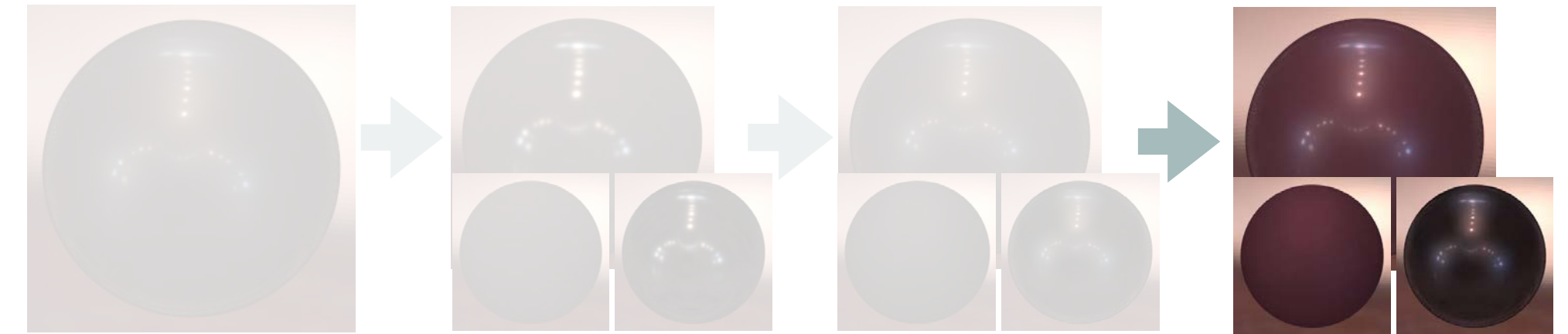
separation
result

1. DIFFUSE-SPECULAR SEPARATION



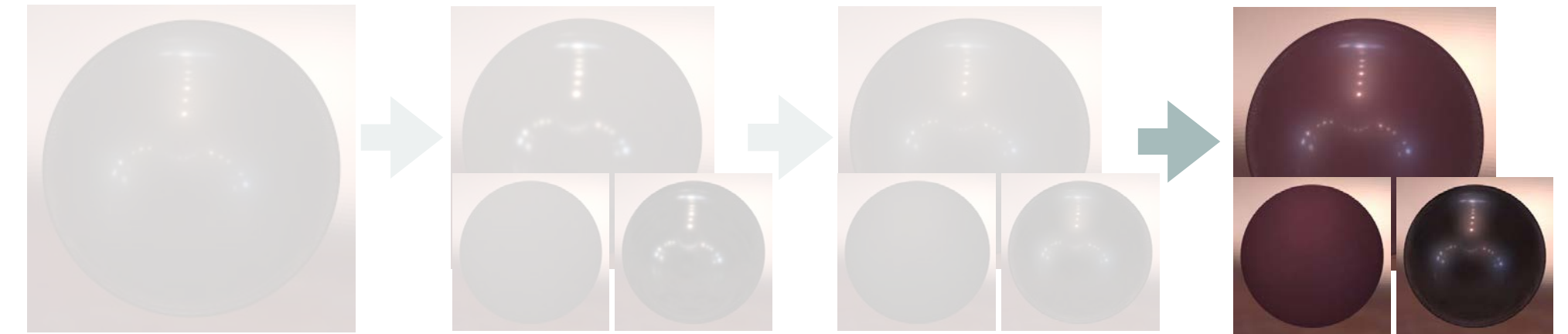
1. DIFFUSE-SPECULAR SEPARATION

- Step 3: color restoration



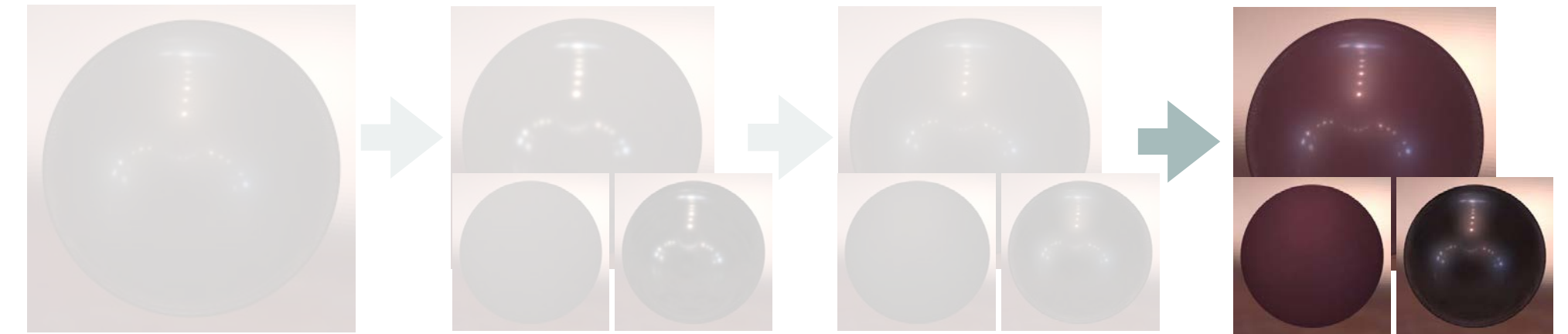
1. DIFFUSE-SPECULAR SEPARATION

- Step 3: color restoration
- Use image to do the comparison



1. DIFFUSE-SPECULAR SEPARATION

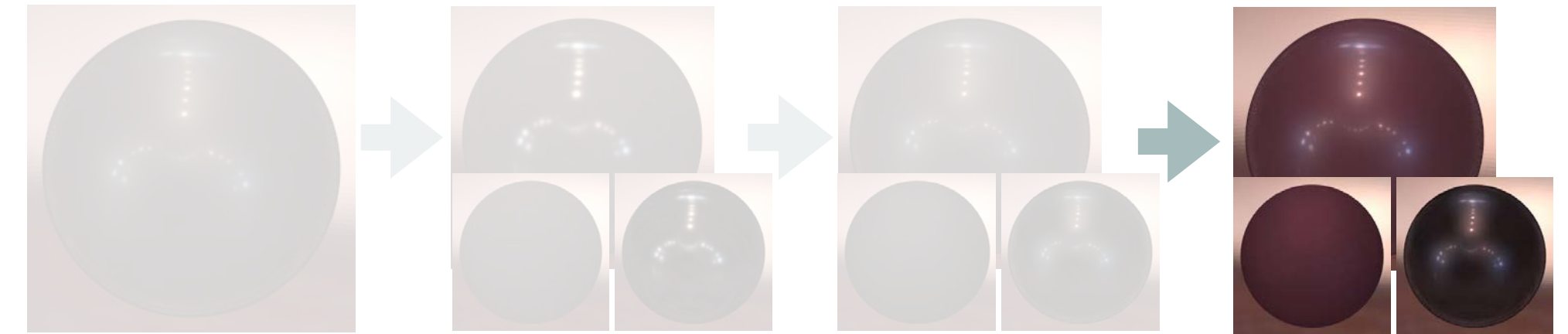
- Step 3: color restoration
- Use image to do the comparison



$$\min_{\mathbf{c}_d, \mathbf{c}_s} d_3 (\mathbf{R} \cdot \boldsymbol{\rho}, \mathbf{R} \cdot (\rho_d \cdot \mathbf{c}_d + \rho_s \cdot \mathbf{c}_s))$$

1. DIFFUSE-SPECULAR SEPARATION

- Step 3: color restoration
- Use image to do the comparison

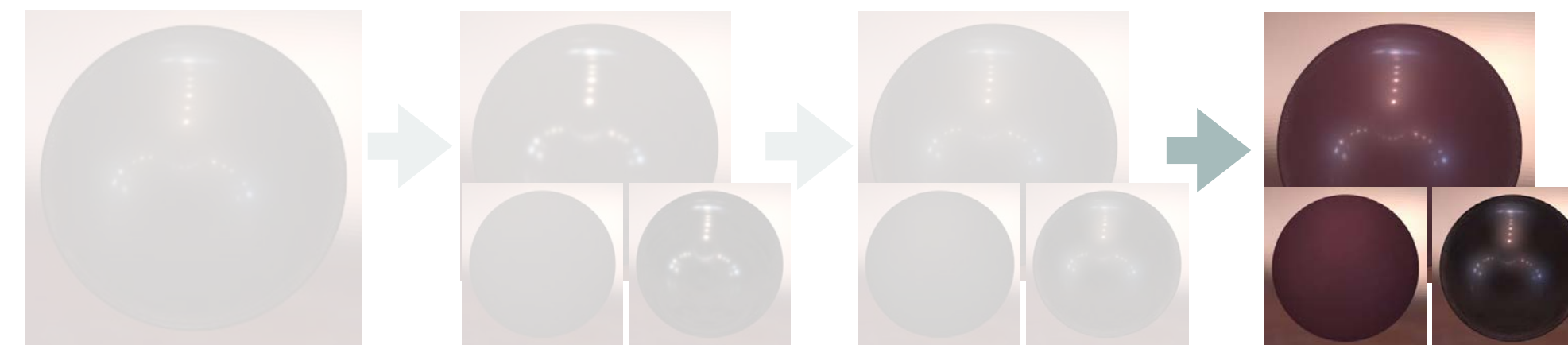


Render a BRDF into an image

$$\min_{\mathbf{c}_d, \mathbf{c}_s} d_3 (\mathbf{R} \cdot \boldsymbol{\rho}, \mathbf{R} \cdot (\rho_d \cdot \mathbf{c}_d + \rho_s \cdot \mathbf{c}_s))$$

1. DIFFUSE-SPECULAR SEPARATION

- Step 3: color restoration
- Use image to do the comparison



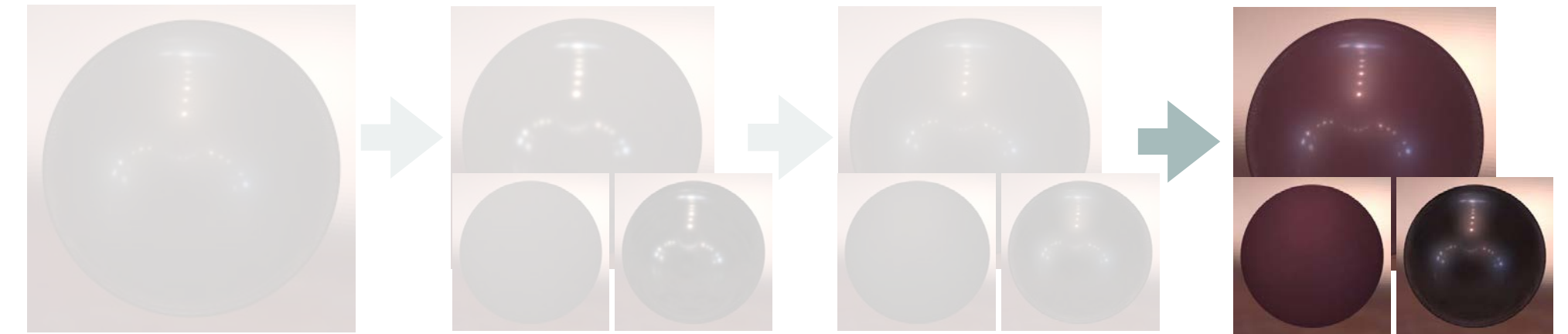
Render a BRDF into an image

$$\min_{\mathbf{c}_d, \mathbf{c}_s} d_3(\mathbf{R} \cdot \boldsymbol{\rho}, \mathbf{R} \cdot (\rho_d \cdot \mathbf{c}_d + \rho_s \cdot \mathbf{c}_s))$$

$$d_3(\mathbf{x}_1, \mathbf{x}_2) = \|\mathbf{s}_1 \cos \mathbf{h}_1 - \mathbf{s}_2 \cos \mathbf{h}_2\|_2 + \|\mathbf{s}_1 \sin \mathbf{h}_1 - \mathbf{s}_2 \sin \mathbf{h}_2\|_2.$$

1. DIFFUSE-SPECULAR SEPARATION

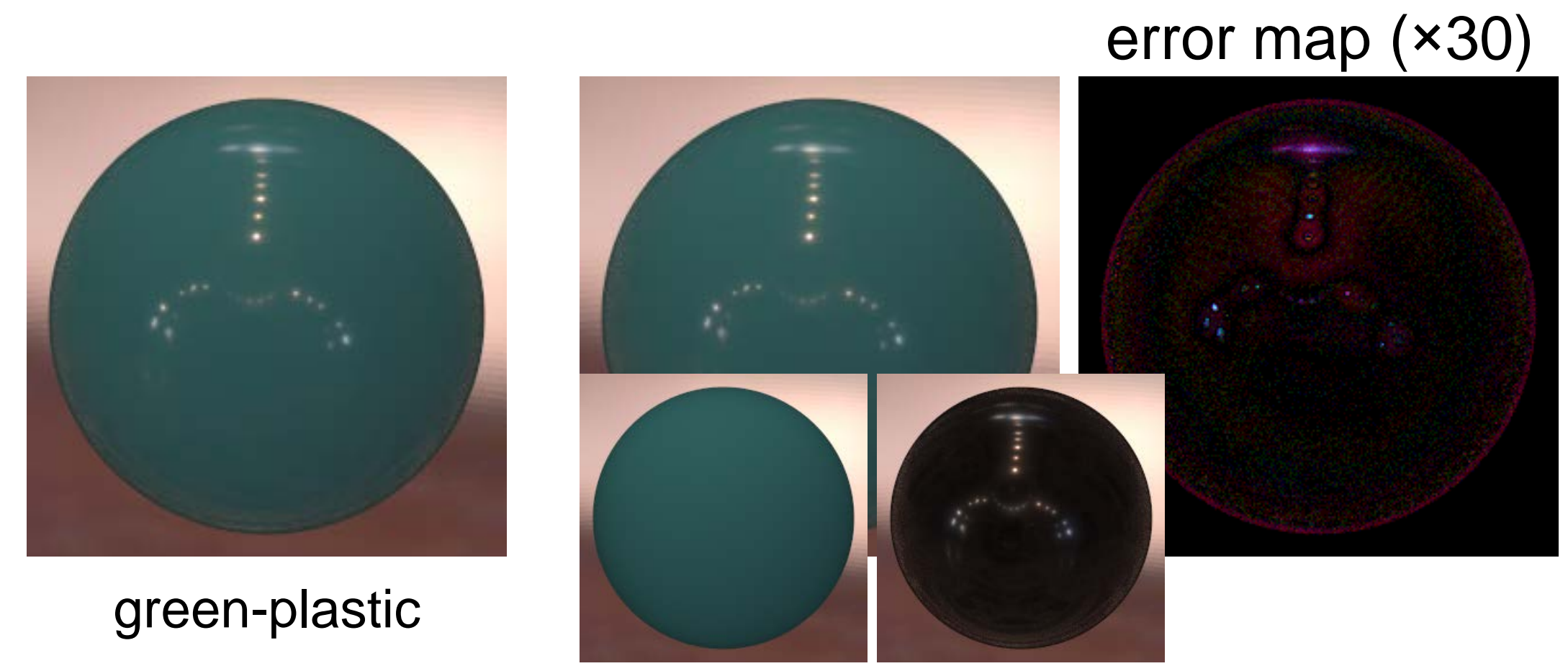
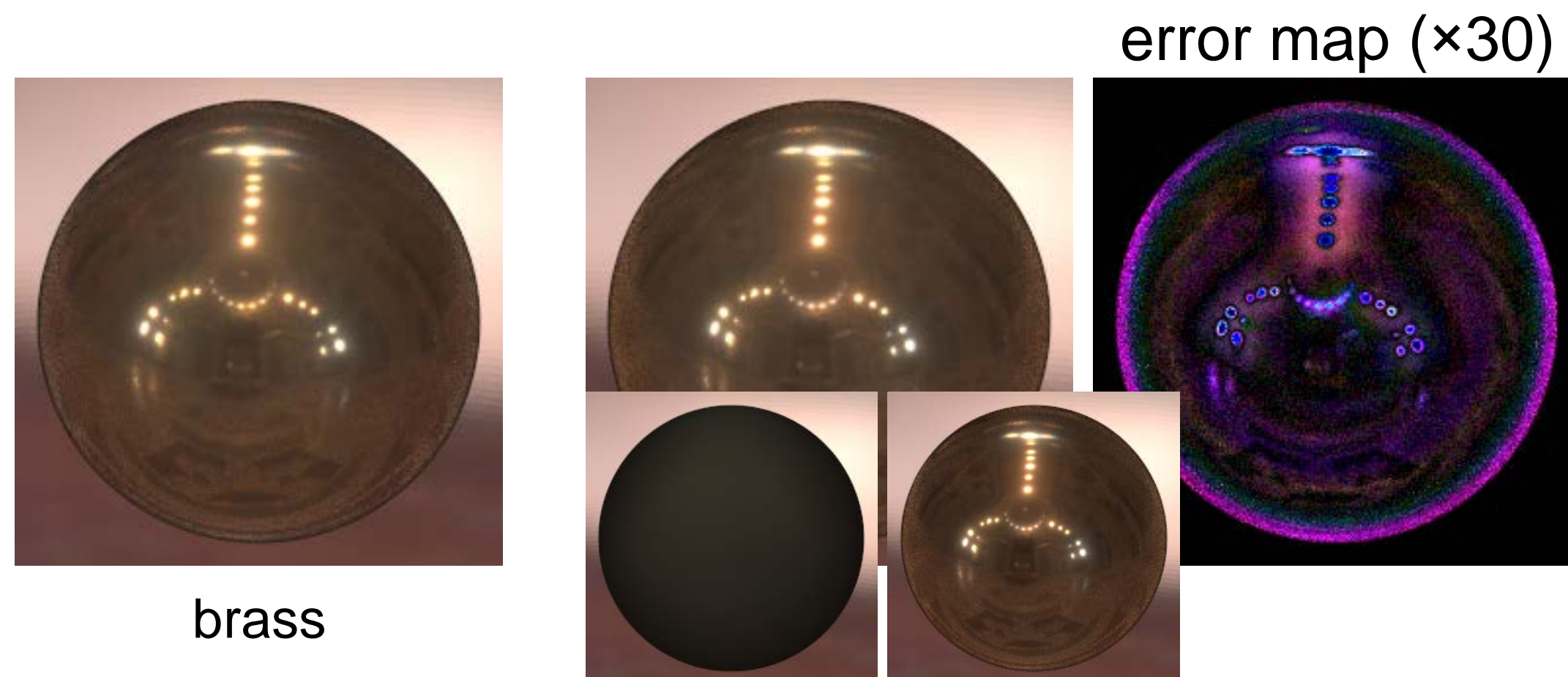
- Step 3: color restoration
- Use image to do the comparison



Render a BRDF into an image

$$\min_{\mathbf{c}_d, \mathbf{c}_s} d_3(\mathbf{R} \cdot \boldsymbol{\rho}, \mathbf{R} \cdot (\rho_d \cdot \mathbf{c}_d + \rho_s \cdot \mathbf{c}_s))$$

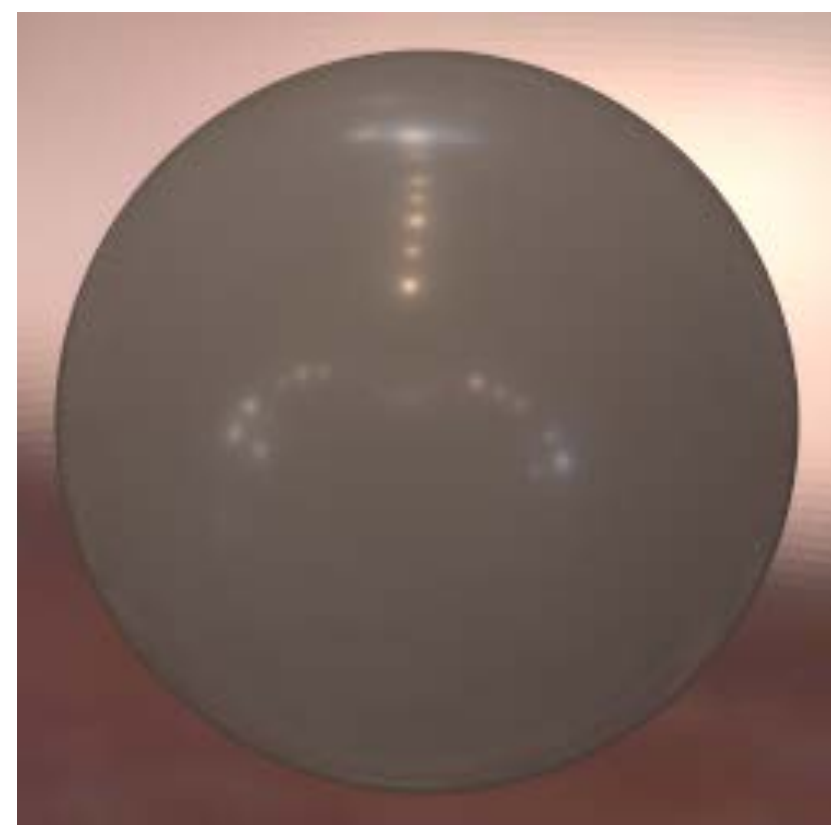
$$d_3(\mathbf{x}_1, \mathbf{x}_2) = \|\mathbf{s}_1 \cos \mathbf{h}_1 - \mathbf{s}_2 \cos \mathbf{h}_2\|_2 + \|\mathbf{s}_1 \sin \mathbf{h}_1 - \mathbf{s}_2 \sin \mathbf{h}_2\|_2.$$



1. DIFFUSE-SPECULAR SEPARATION



1. DIFFUSE-SPECULAR SEPARATION

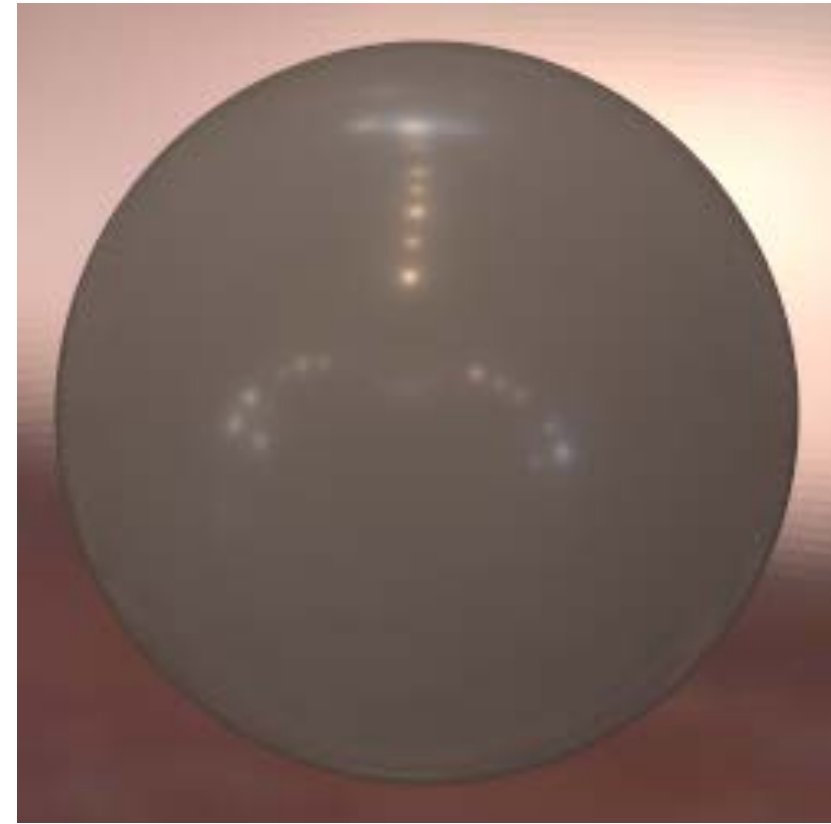


gray-plastic
original BRDF



our separation

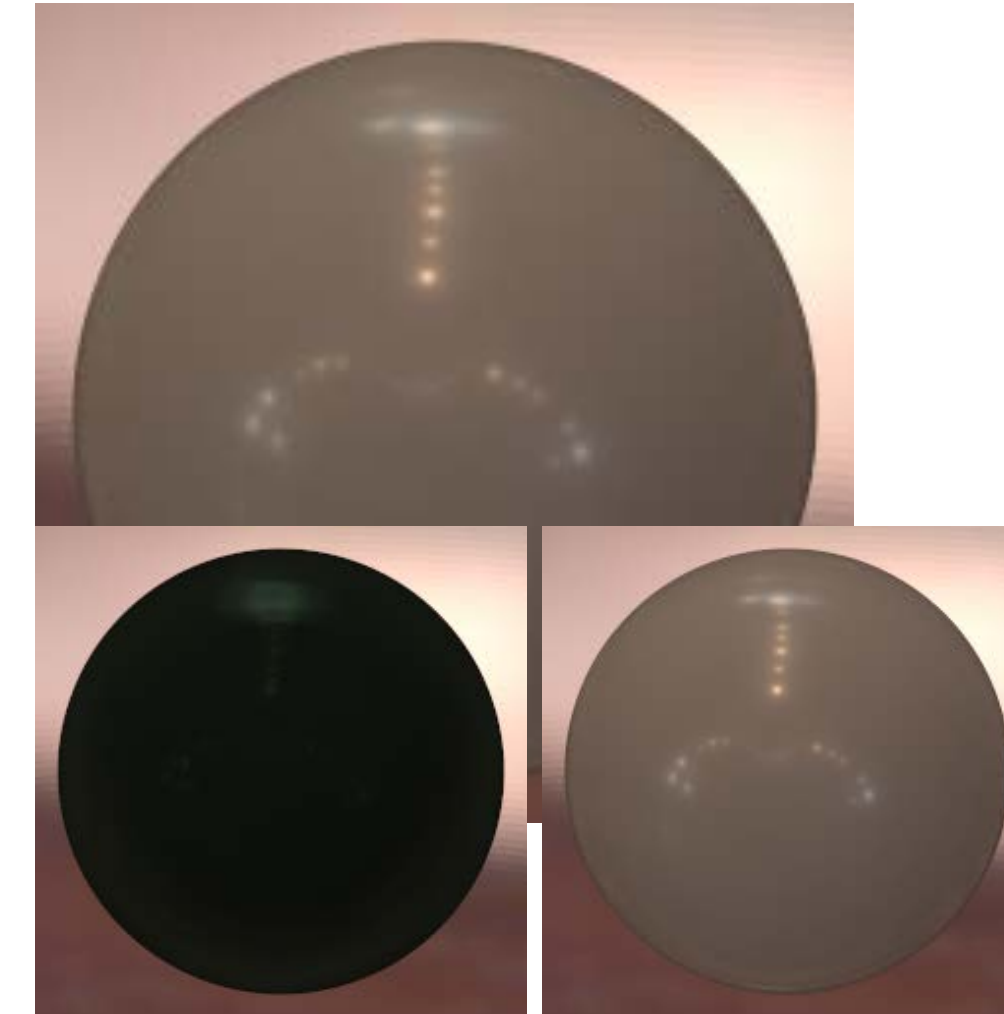
1. DIFFUSE-SPECULAR SEPARATION



gray-plastic
original BRDF

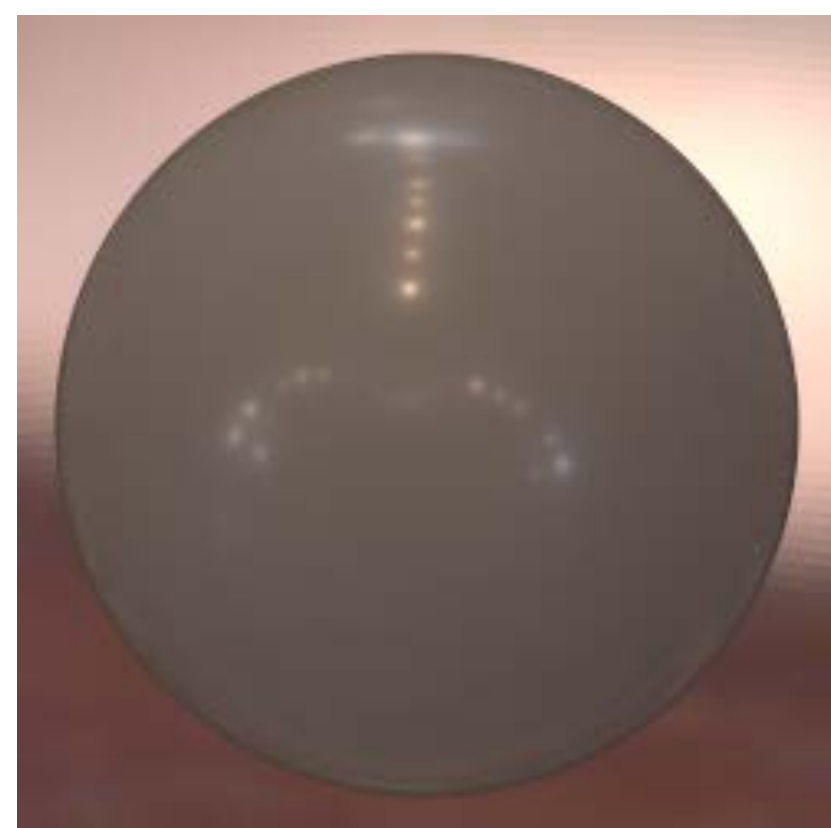


our separation



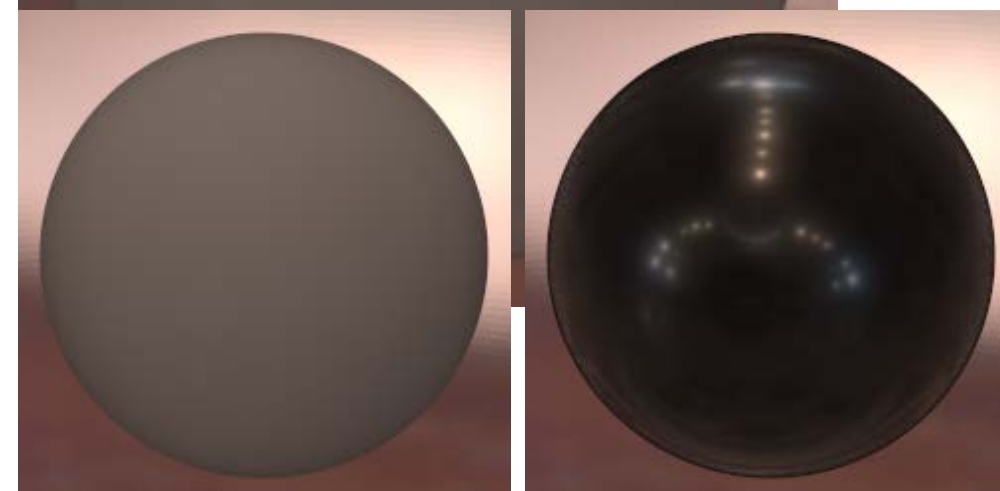
direct NMF

1. DIFFUSE-SPECULAR SEPARATION

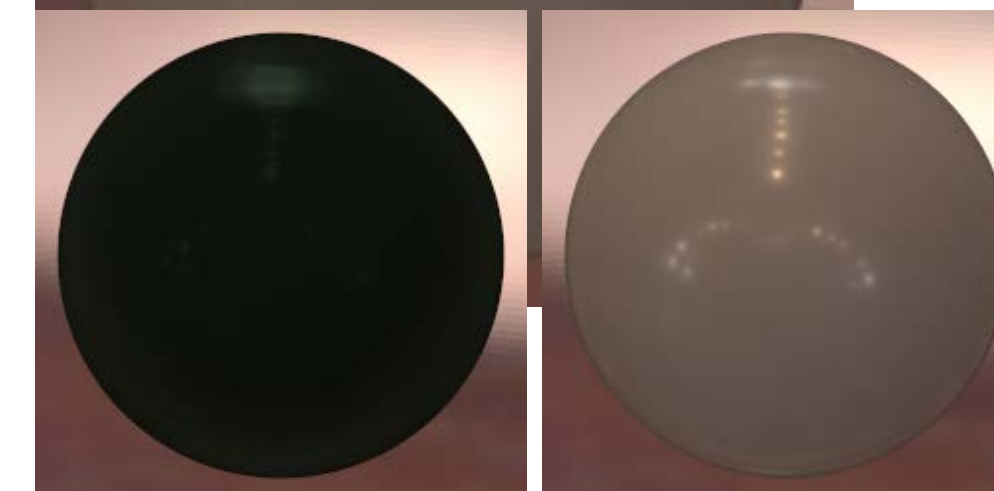


gray-plastic

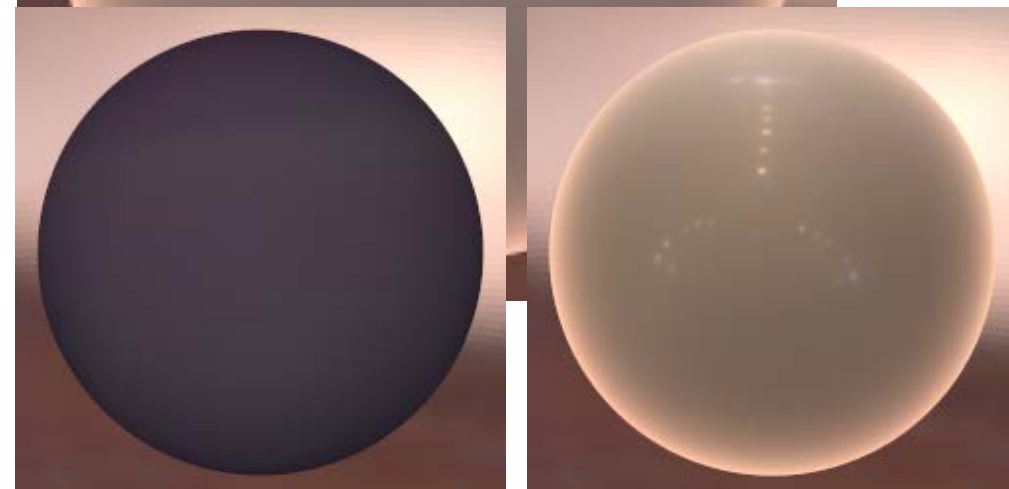
original BRDF



our separation

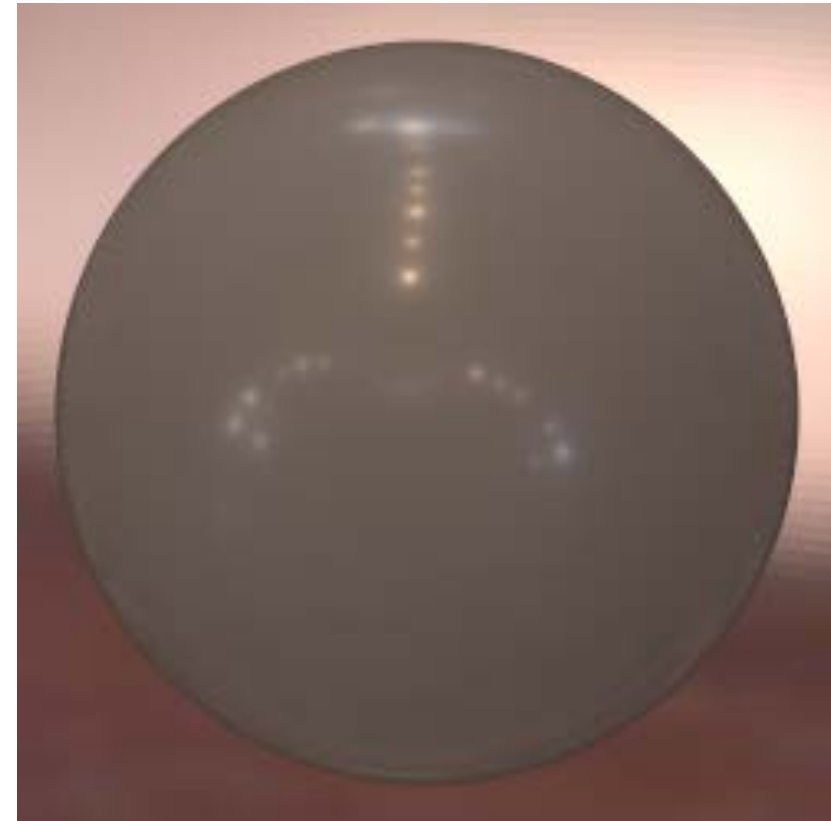


direct NMF



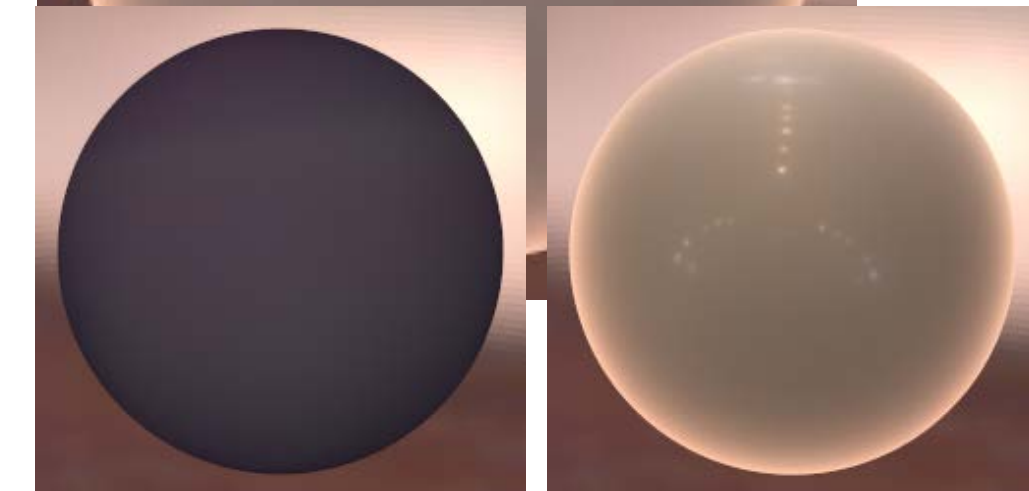
Lawrence *et al.*

1. DIFFUSE-SPECULAR SEPARATION

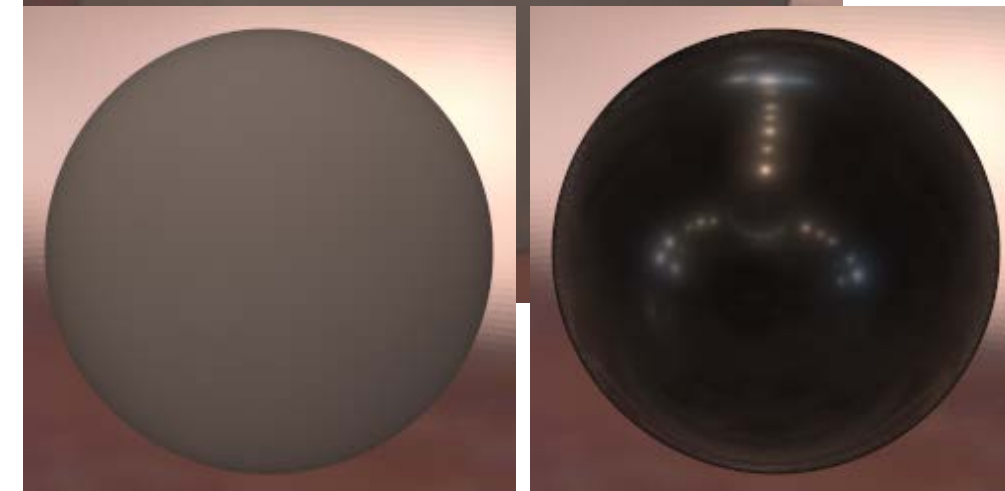


gray-plastic

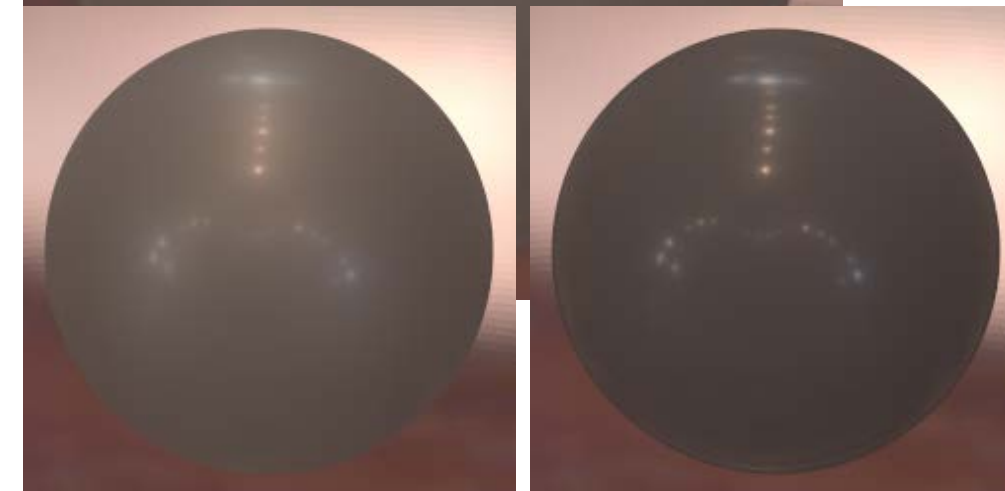
original BRDF



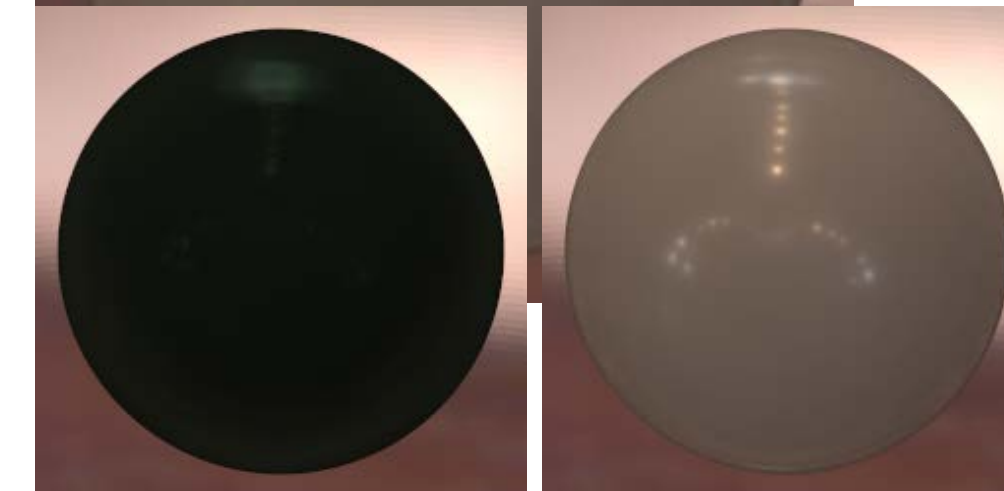
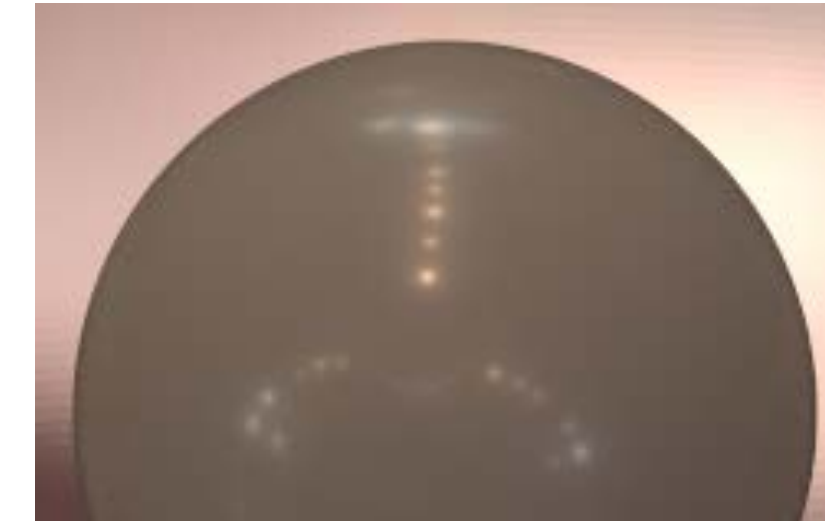
Lawrence *et al.*



our separation

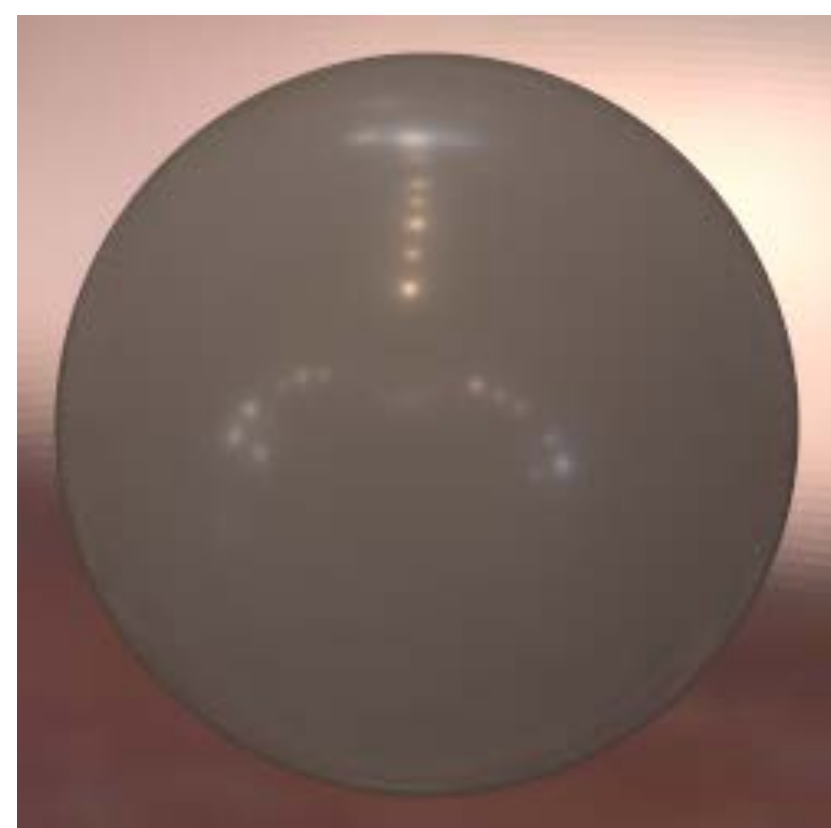


Nielsen *et al.*



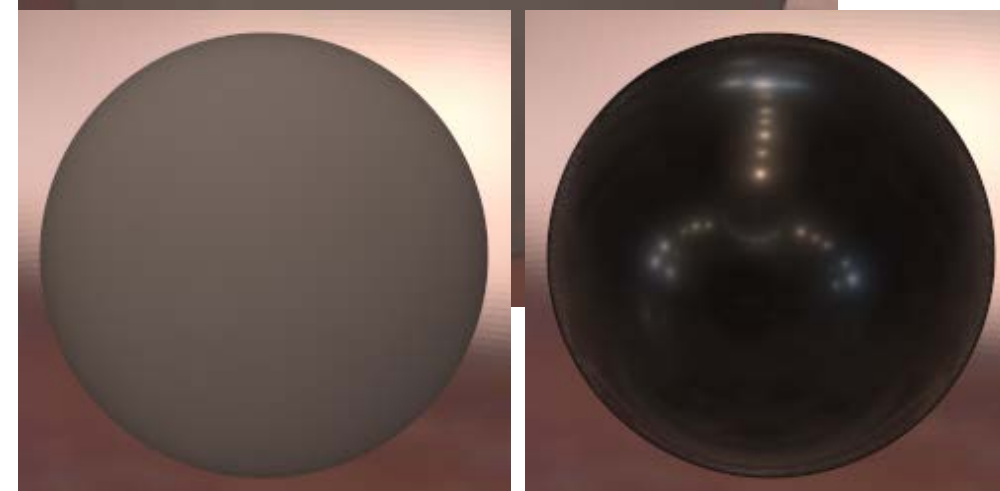
direct NMF

1. DIFFUSE-SPECULAR SEPARATION

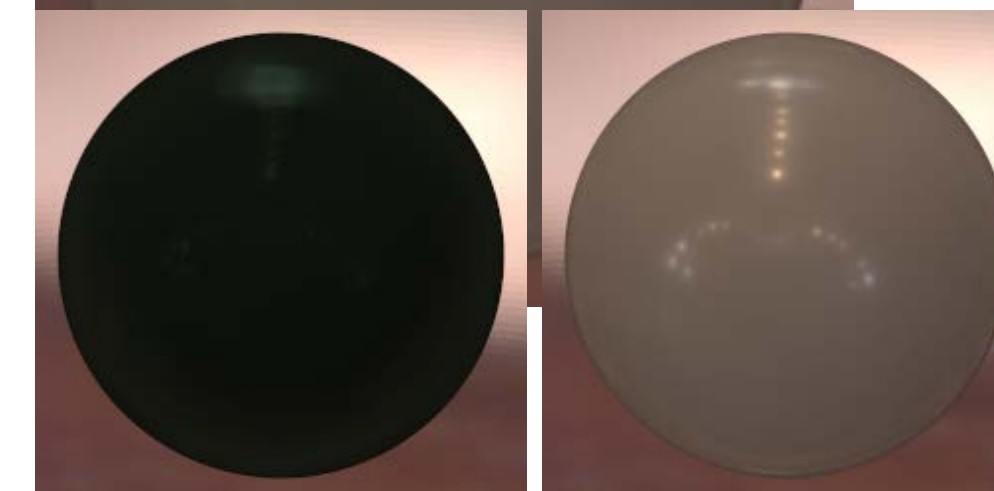


gray-plastic

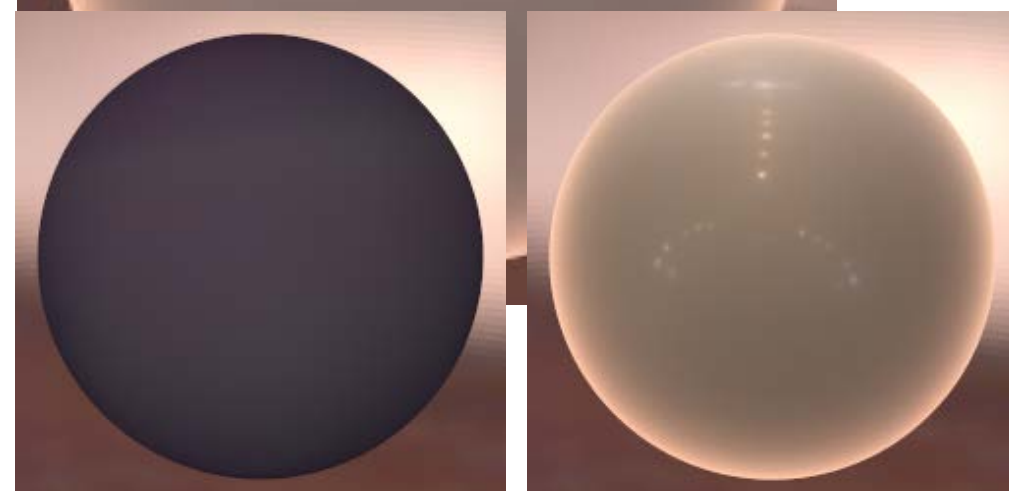
original BRDF



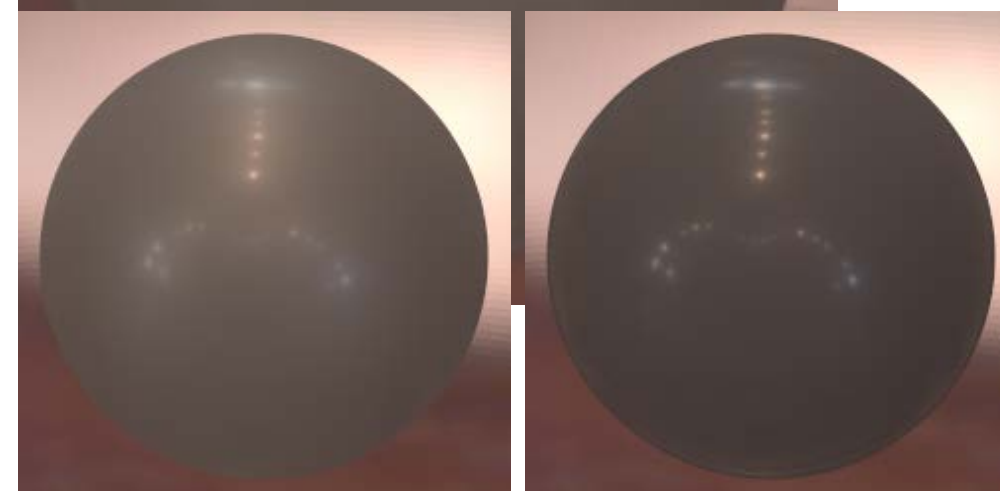
our separation



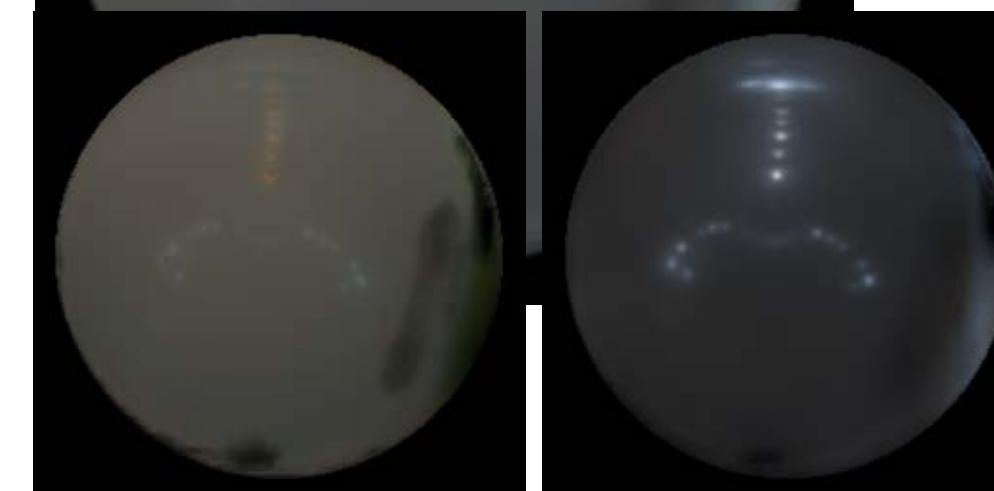
direct NMF



Lawrence *et al.*

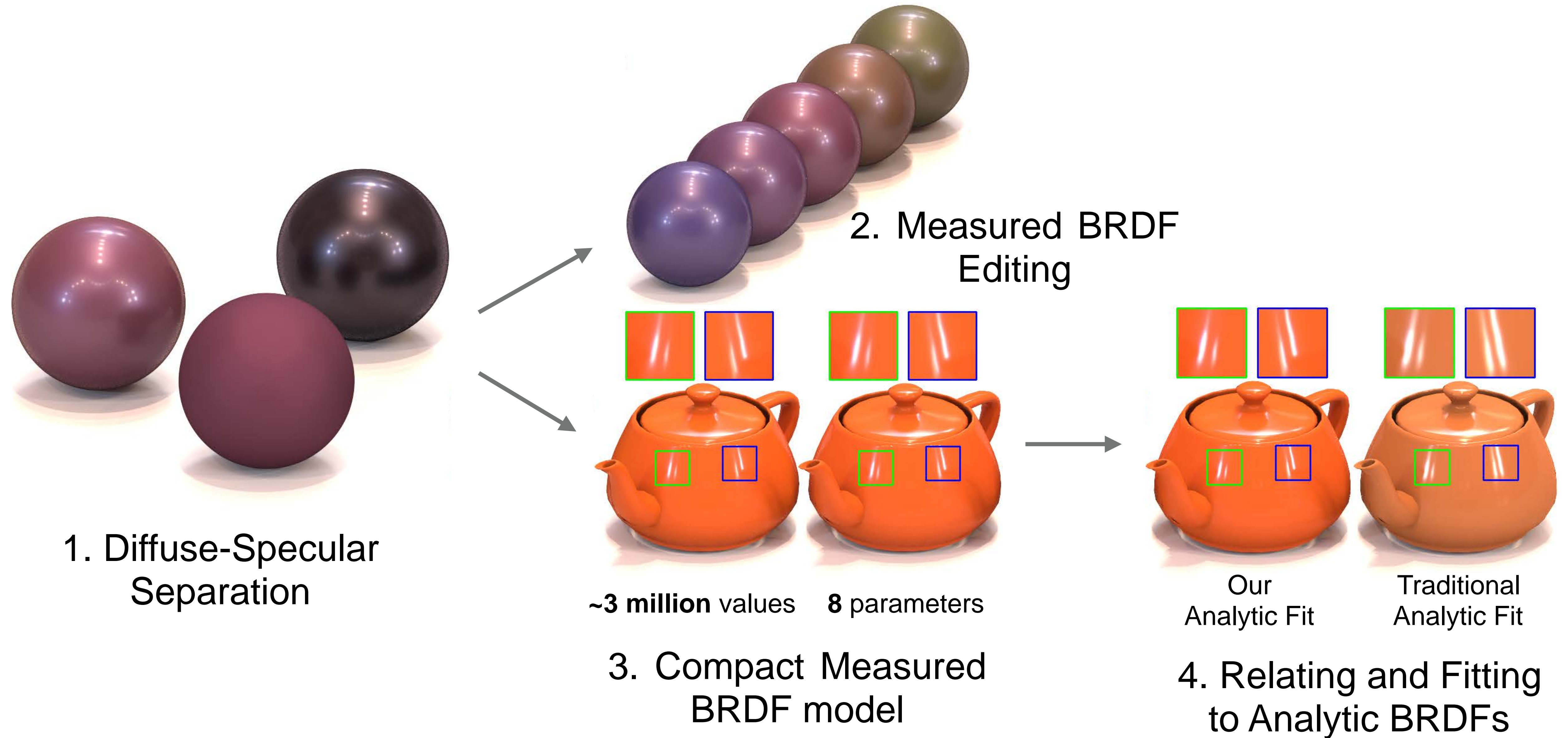


Nielsen *et al.*

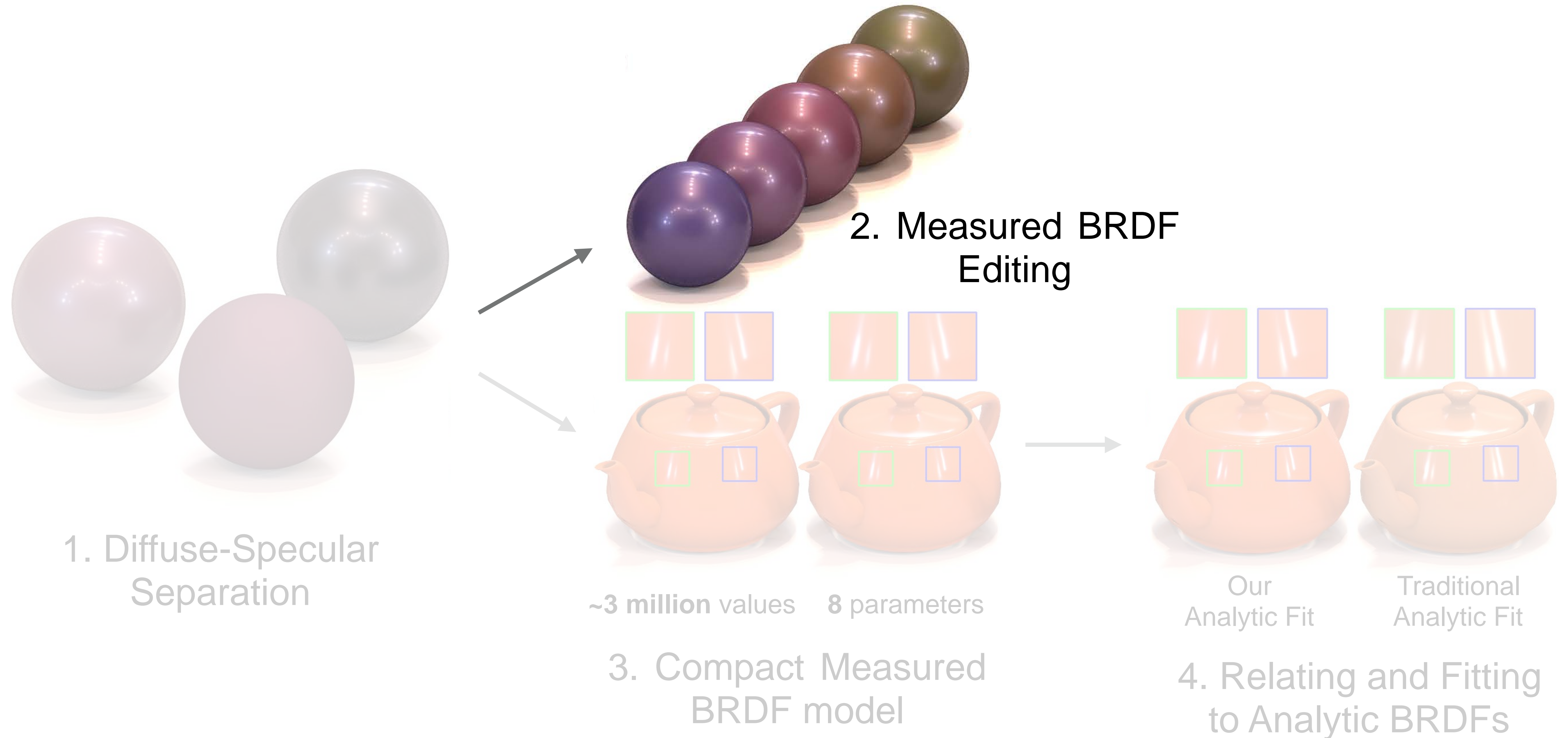


Shi *et al.*

OVERVIEW



OVERVIEW



2. MEASURED BRDF EDITING

$$\rho[\omega_i, \omega_o, \lambda] \approx$$

2. MEASURED BRDF EDITING

$$\rho[\omega_i, \omega_o, \lambda] \approx \rho_d[\omega_i, \omega_o] \cdot \mathbf{c}_d(\lambda)$$

2. MEASURED BRDF EDITING

$$\rho[\omega_i, \omega_o, \lambda] \approx \rho_d[\omega_i, \omega_o] \cdot \mathbf{c}_d(\lambda) + \rho_s[\omega_i, \omega_o] \cdot \mathbf{c}_s(\lambda)$$

2. MEASURED BRDF EDITING

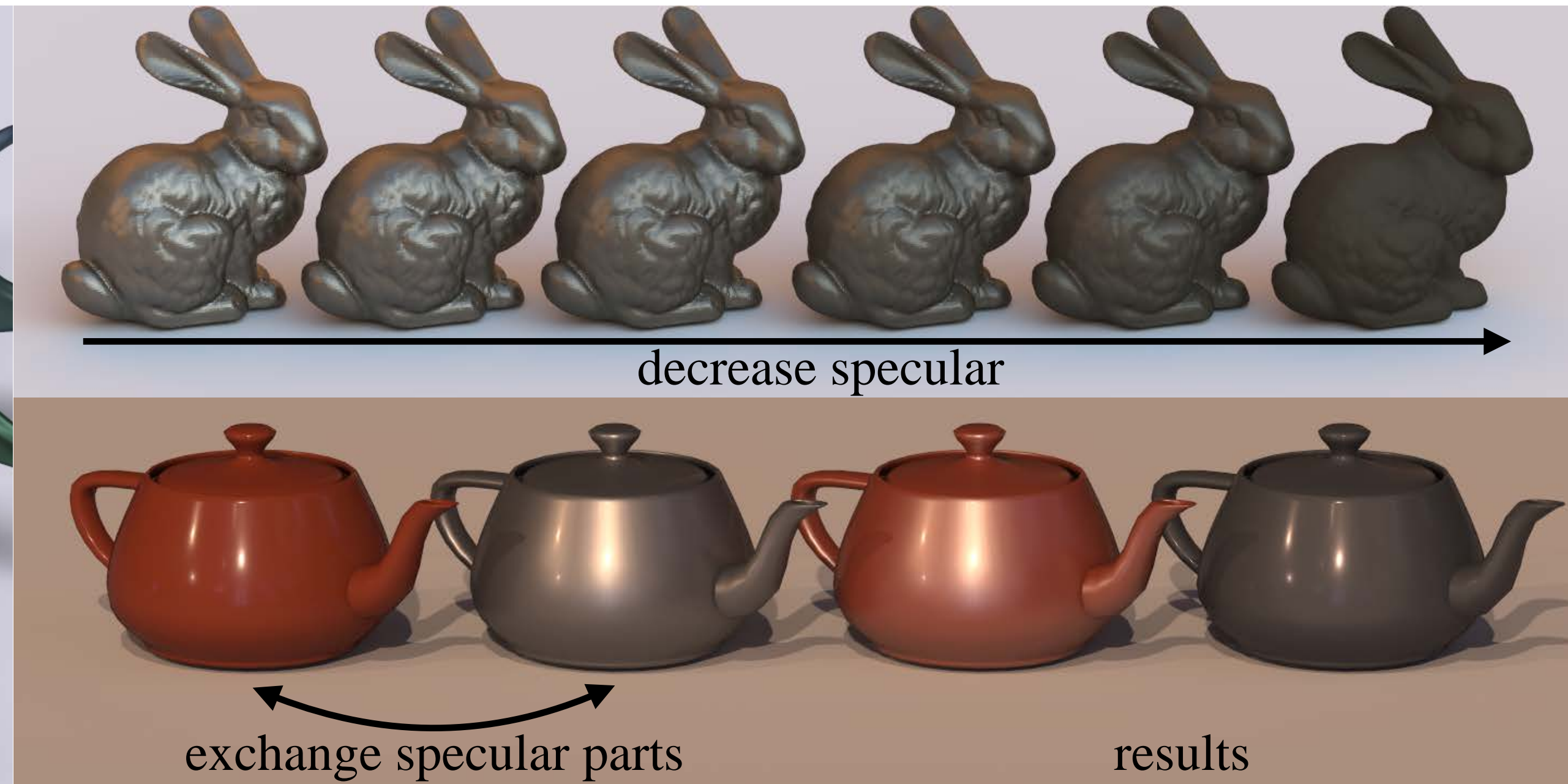
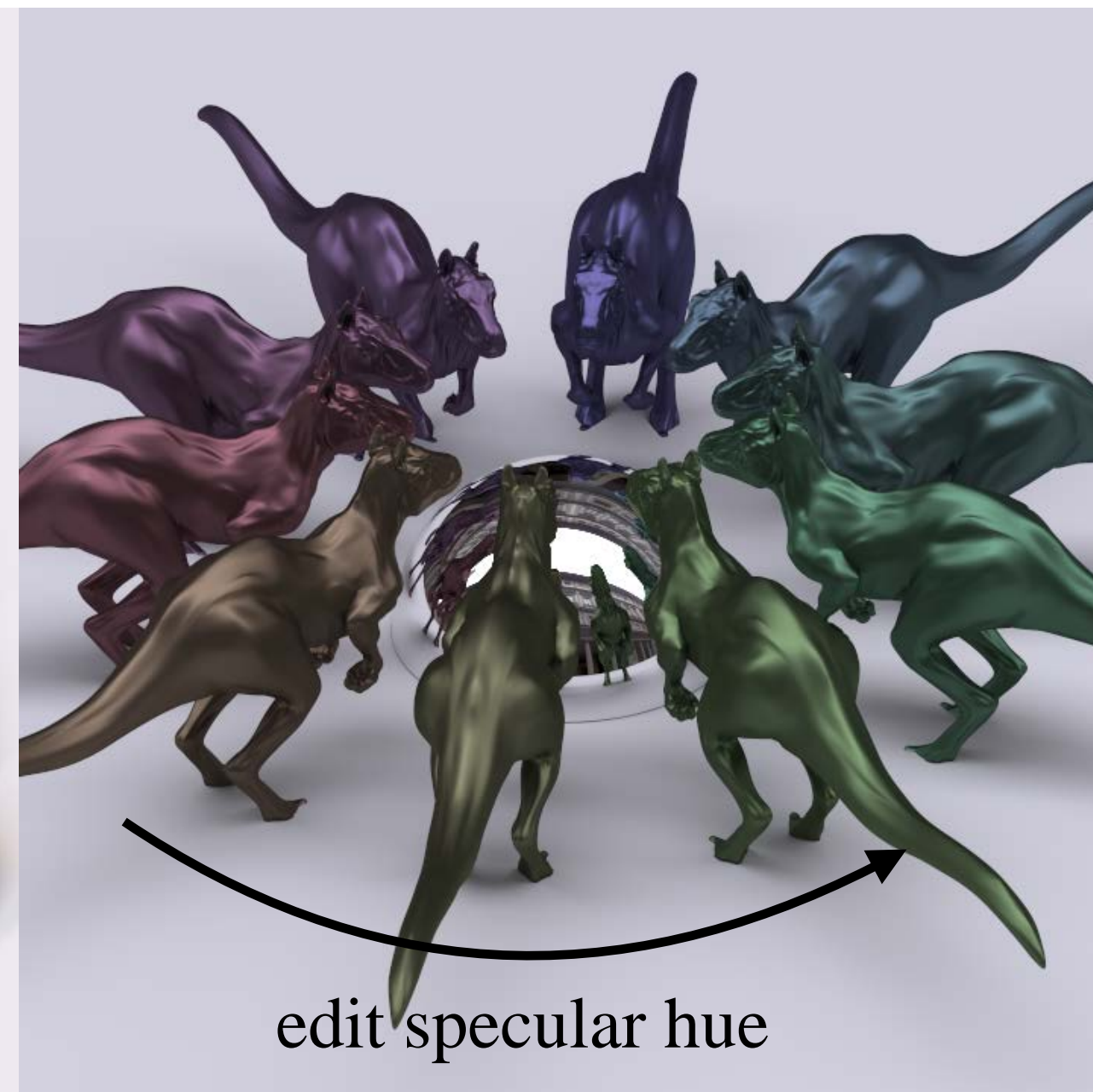
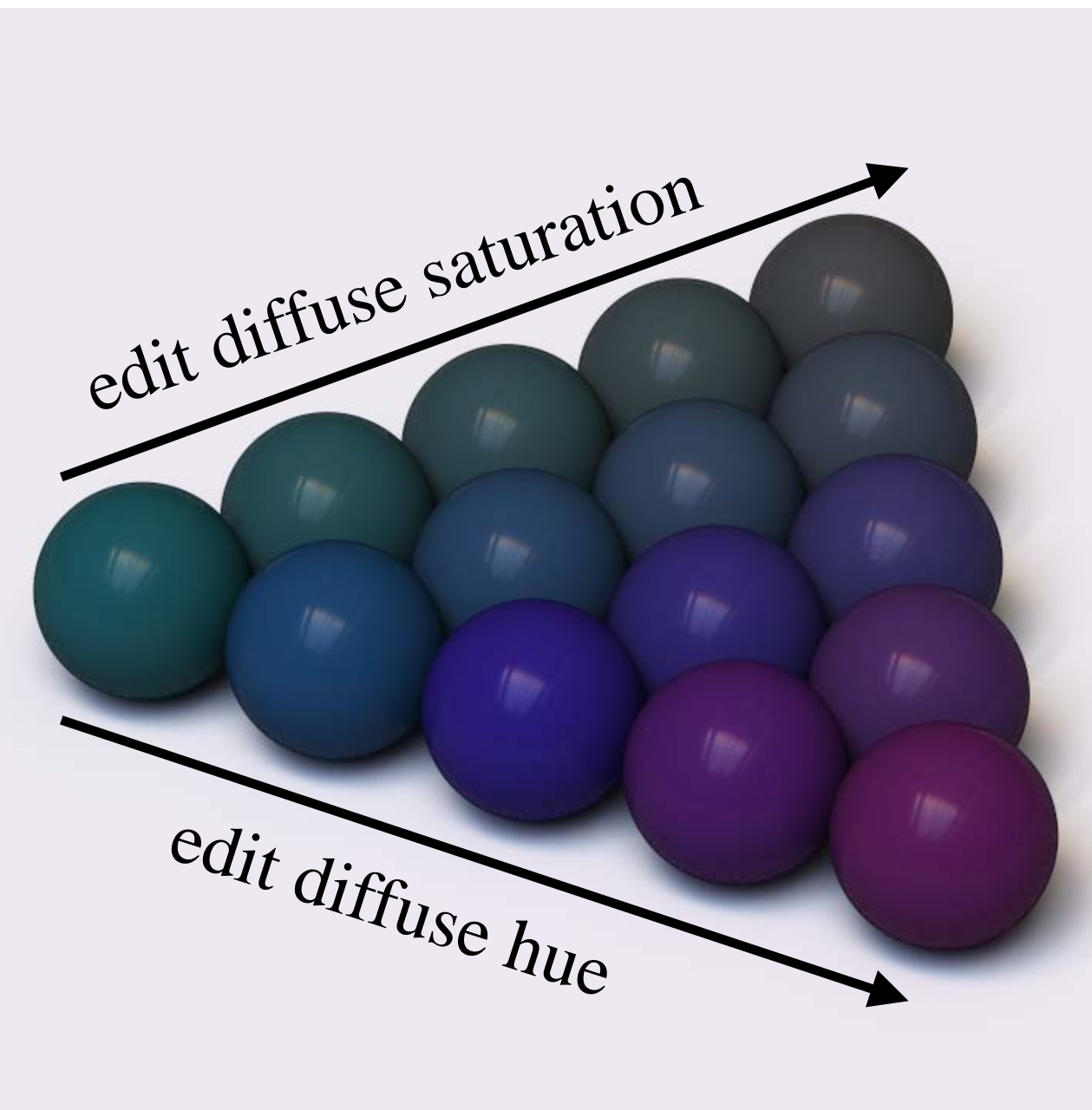
$$\rho[\omega_i, \omega_o, \lambda] \approx \rho_d[\omega_i, \omega_o] \cdot \underline{\mathbf{c}_d(\lambda)} + \rho_s[\omega_i, \omega_o] \cdot \underline{\mathbf{c}_s(\lambda)}$$

Color

2. MEASURED BRDF EDITING

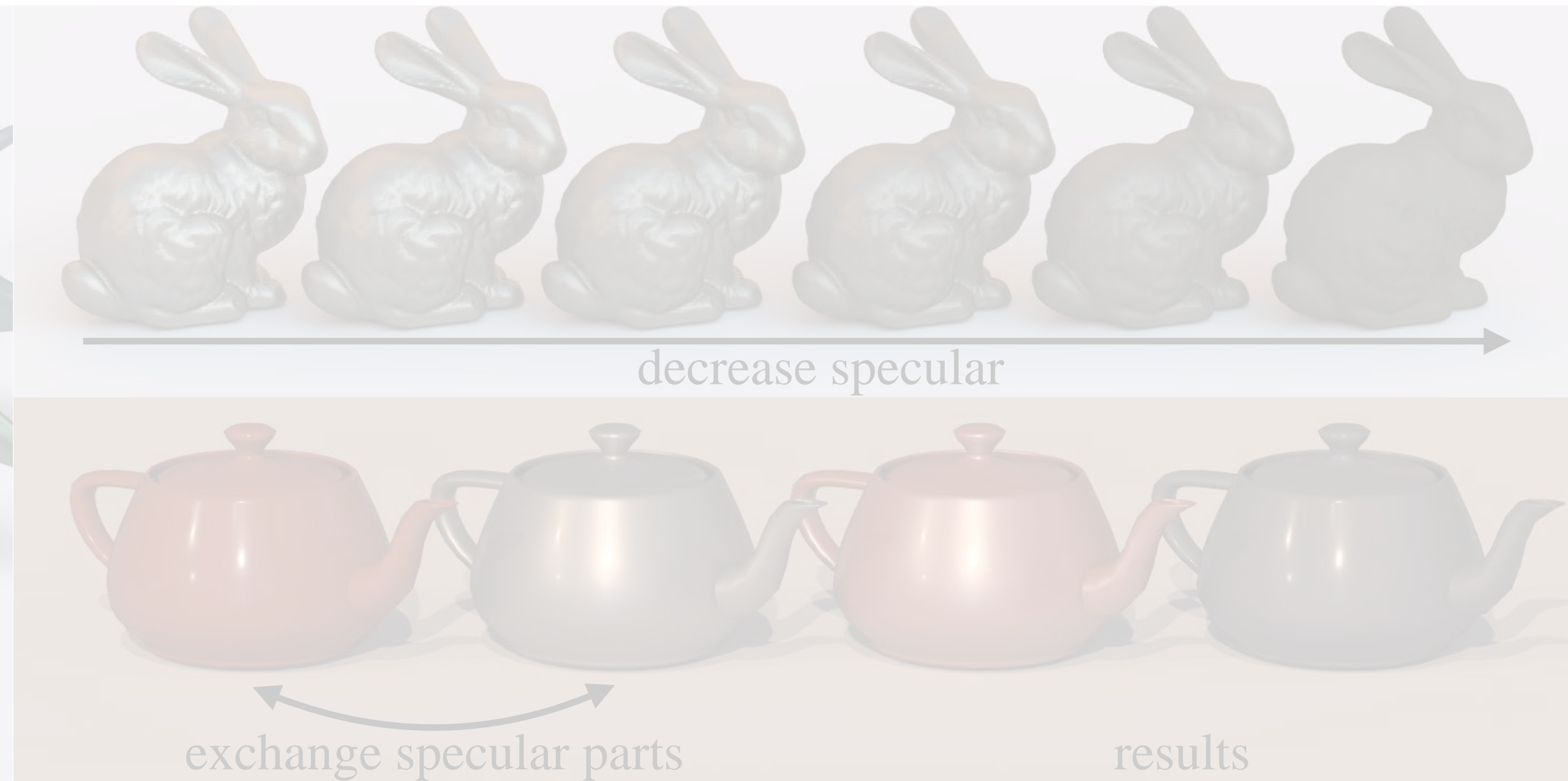
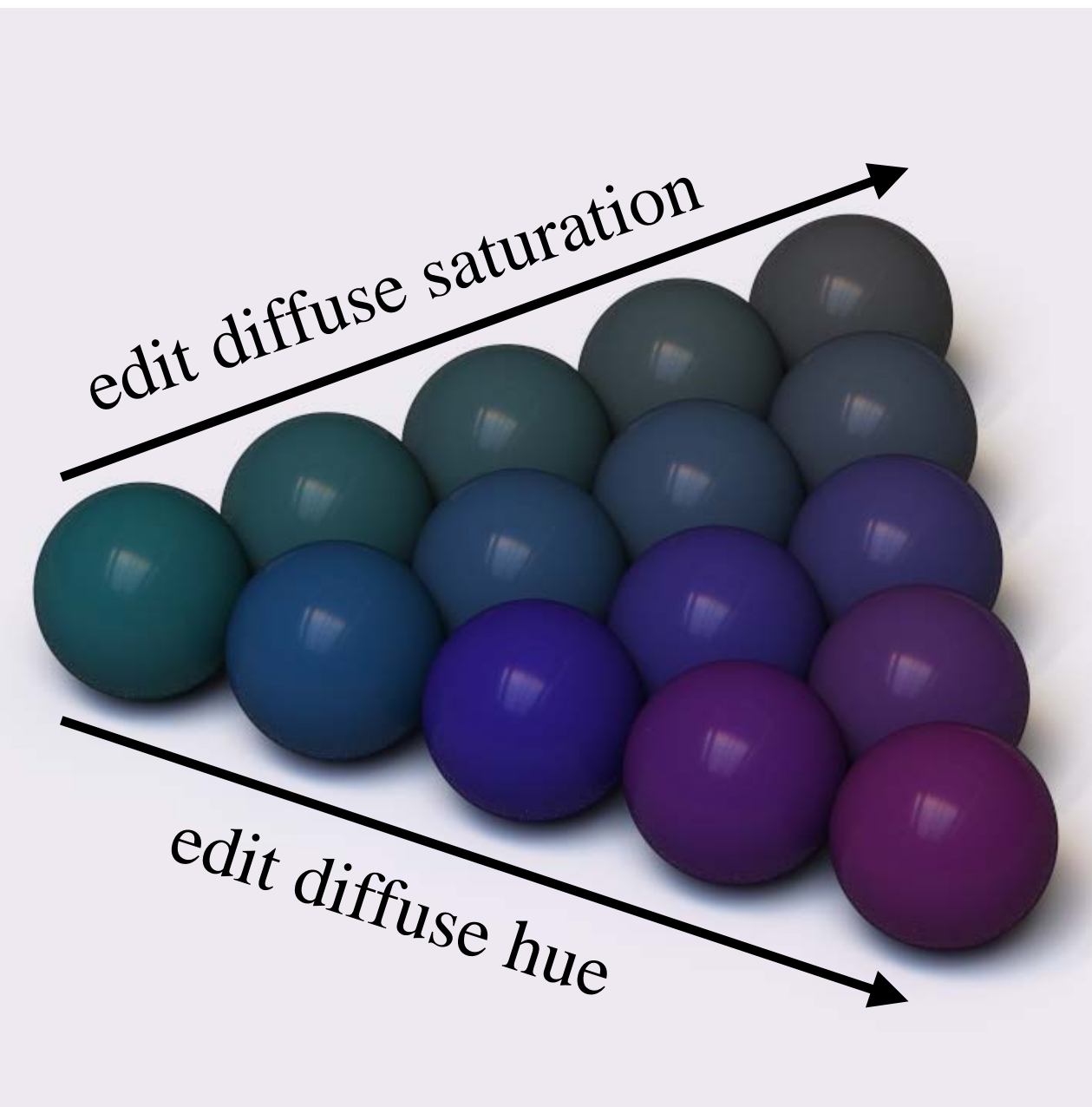
$$\rho[\omega_i, \omega_o, \lambda] \approx \rho_d[\omega_i, \omega_o] \cdot \underline{c_d(\lambda)} + \rho_s[\omega_i, \omega_o] \cdot \underline{c_s(\lambda)}$$

Color



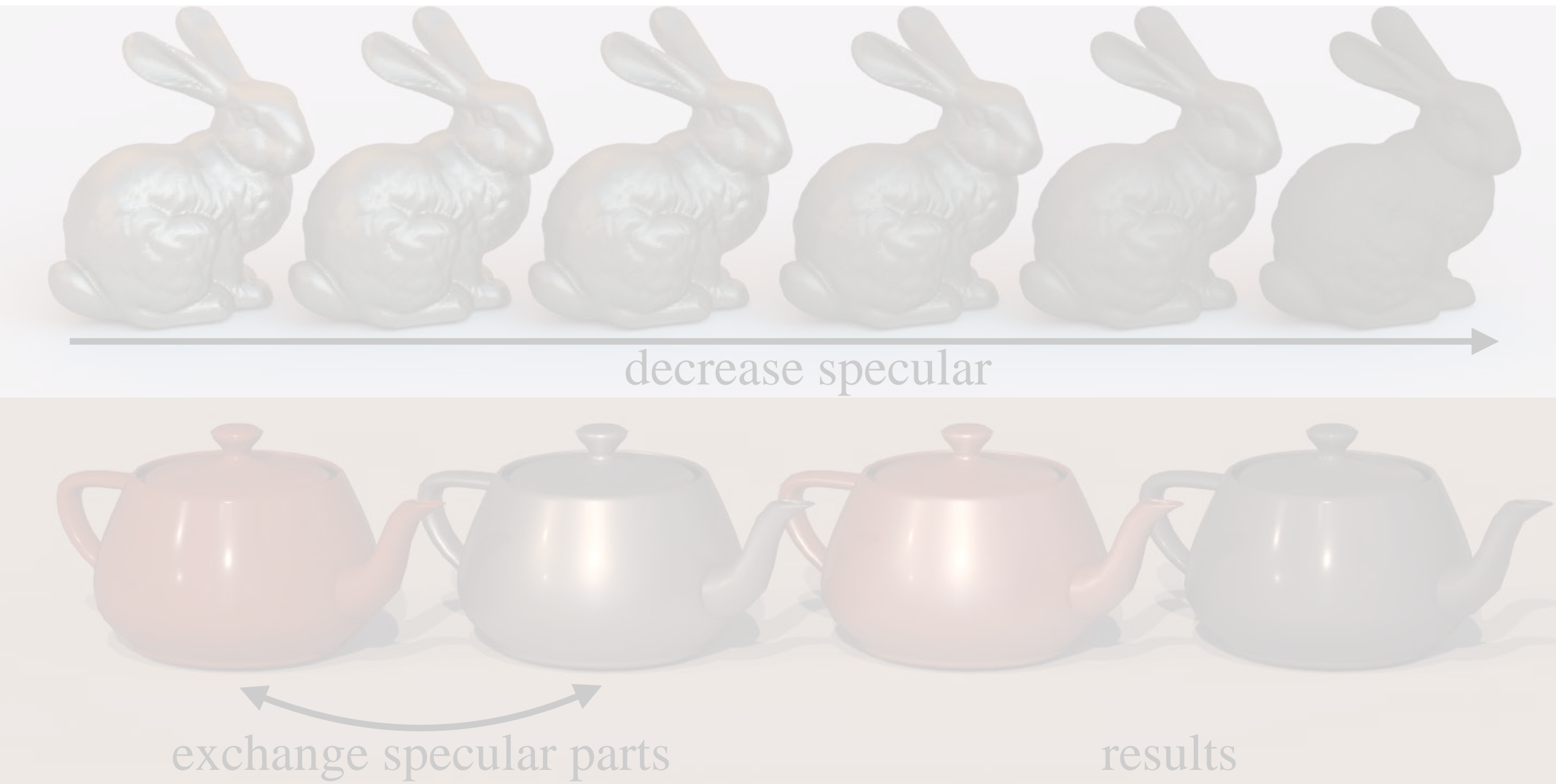
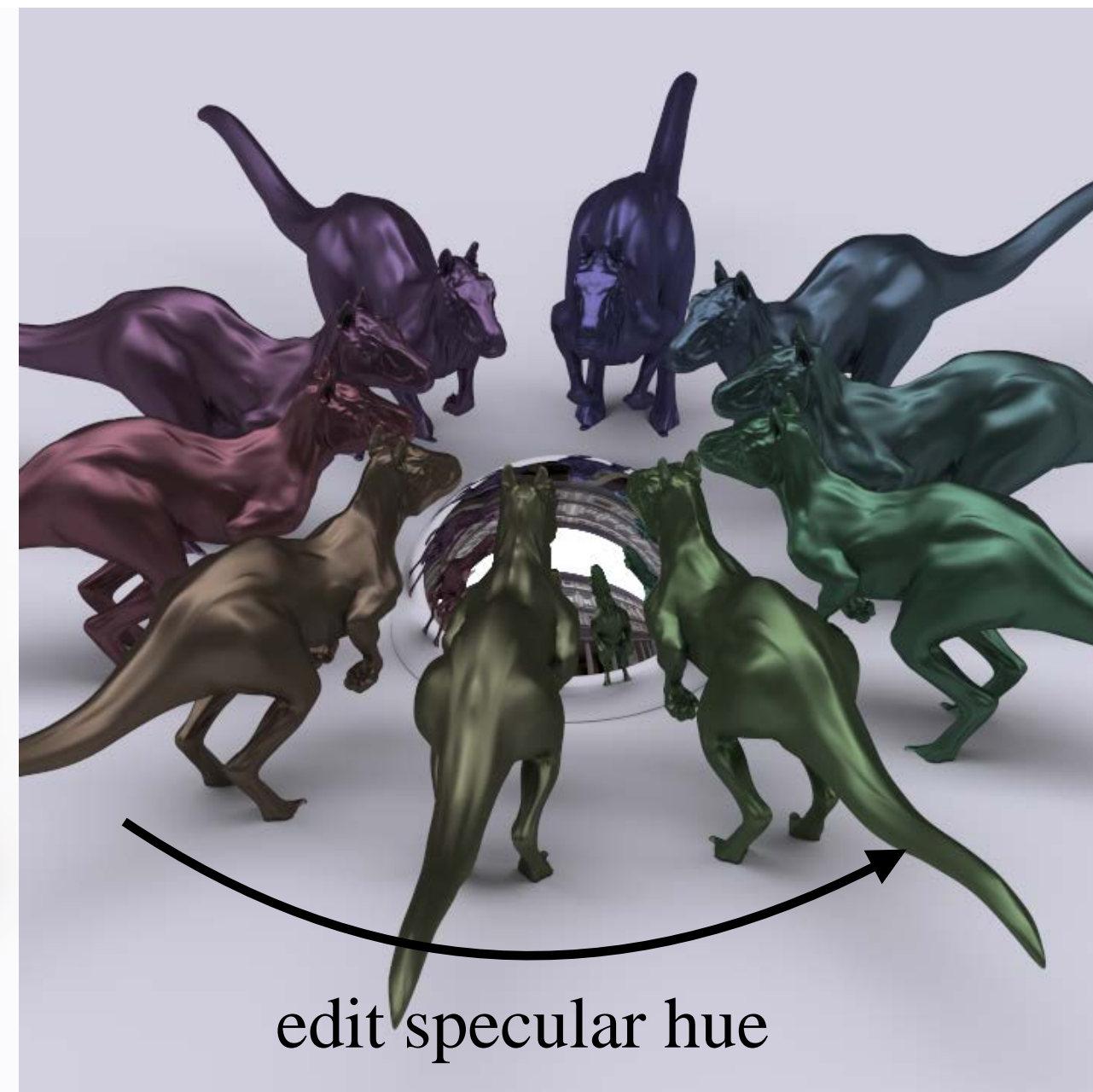
2. MEASURED BRDF EDITING

$$\rho[\omega_i, \omega_o, \lambda] \approx \rho_d[\omega_i, \omega_o] \cdot \underline{c_d(\lambda)} + \rho_s[\omega_i, \omega_o] \cdot c_s(\lambda)$$



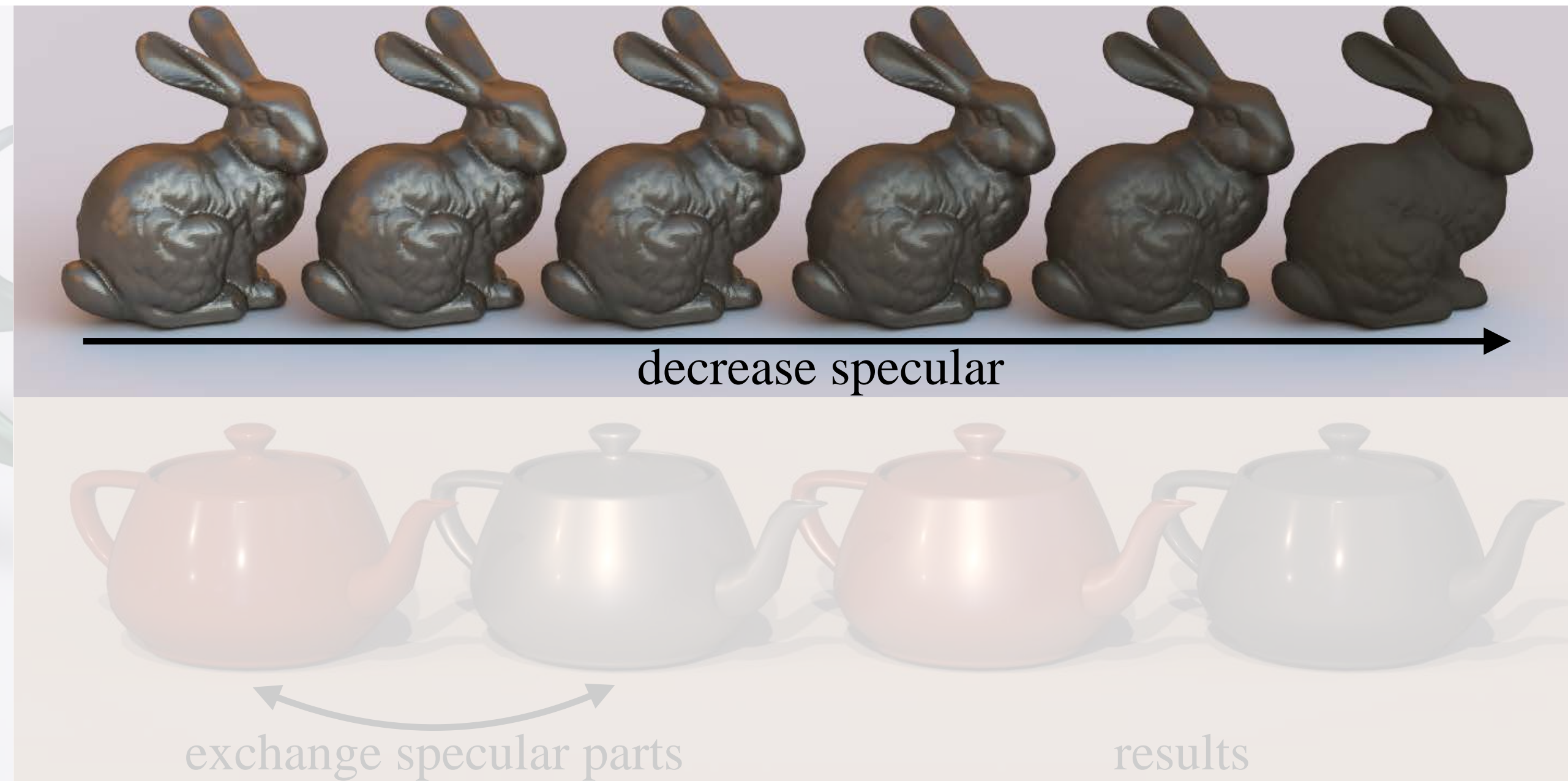
2. MEASURED BRDF EDITING

$$\rho[\omega_i, \omega_o, \lambda] \approx \rho_d[\omega_i, \omega_o] \cdot \mathbf{c}_d(\lambda) + \rho_s[\omega_i, \omega_o] \cdot \underline{\mathbf{c}_s(\lambda)}$$



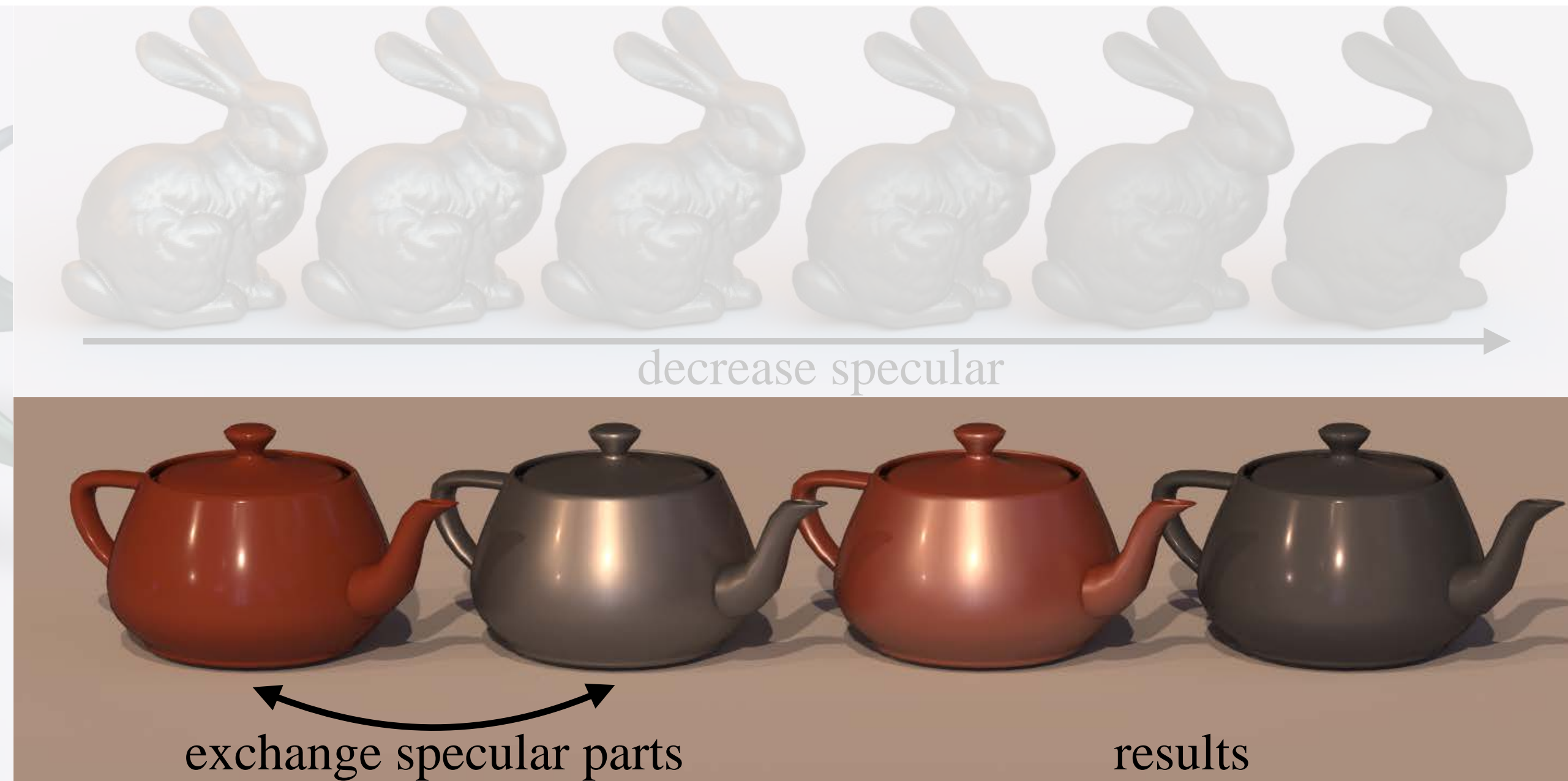
2. MEASURED BRDF EDITING

$$\rho[\omega_i, \omega_o, \lambda] \approx \rho_d[\omega_i, \omega_o] \cdot \mathbf{c}_d(\lambda) + \rho_s[\omega_i, \omega_o] \cdot \mathbf{c}_s(\lambda)$$



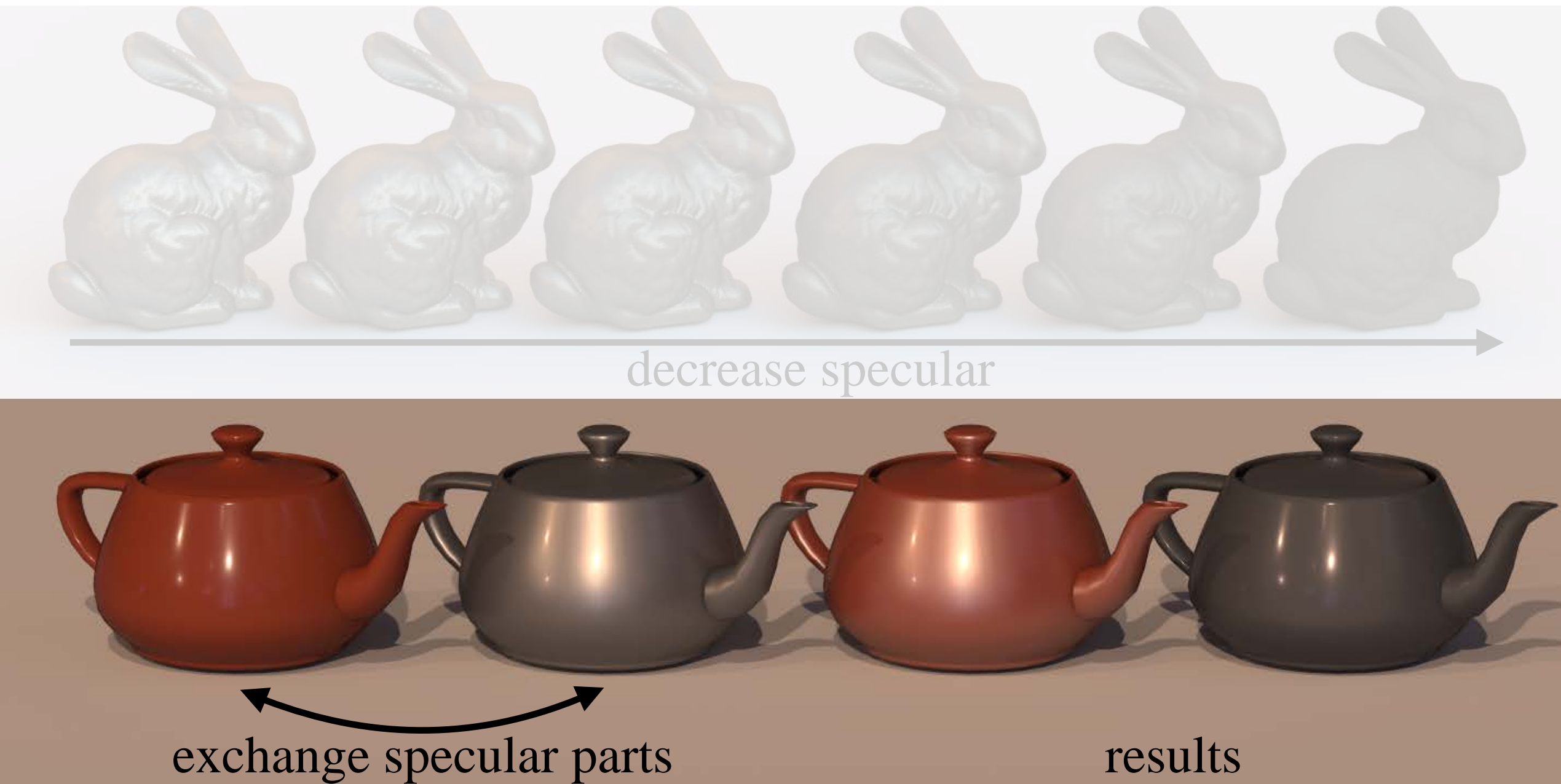
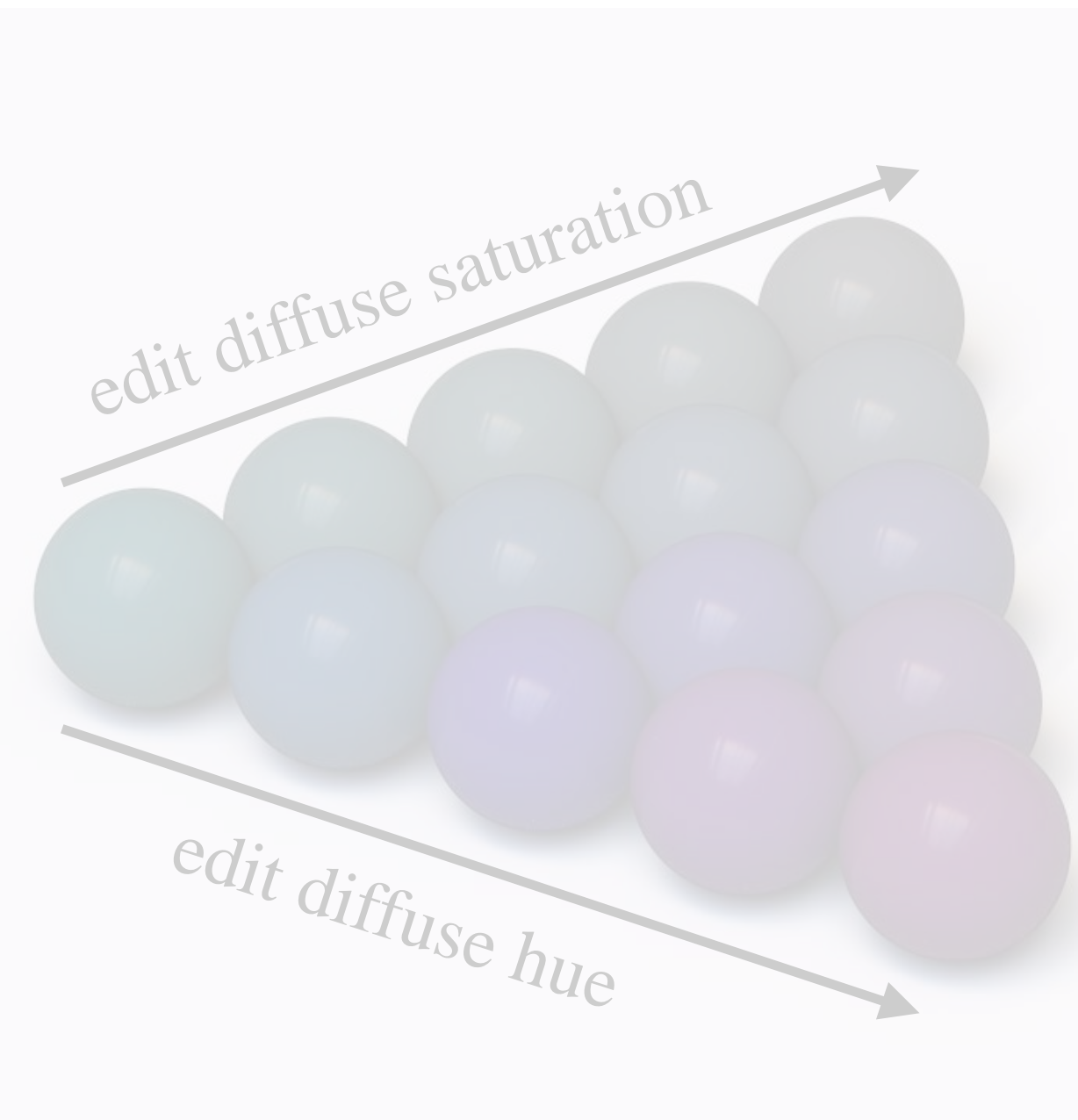
2. MEASURED BRDF EDITING

$$\rho[\omega_i, \omega_o, \lambda] \approx \rho_d[\omega_i, \omega_o] \cdot \mathbf{c}_d(\lambda) + \rho_s[\omega_i, \omega_o] \cdot \mathbf{c}_s(\lambda)$$

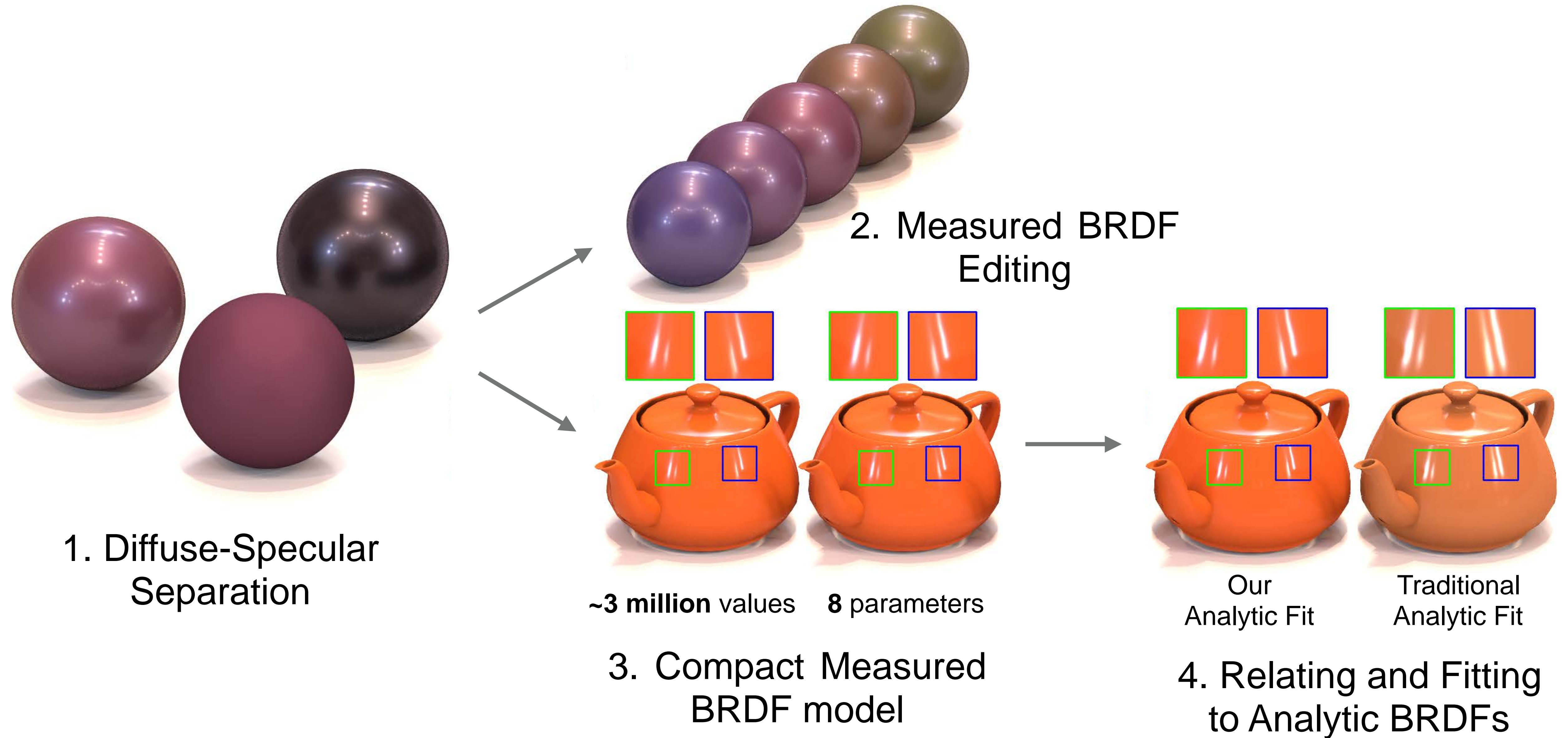


2. MEASURED BRDF EDITING

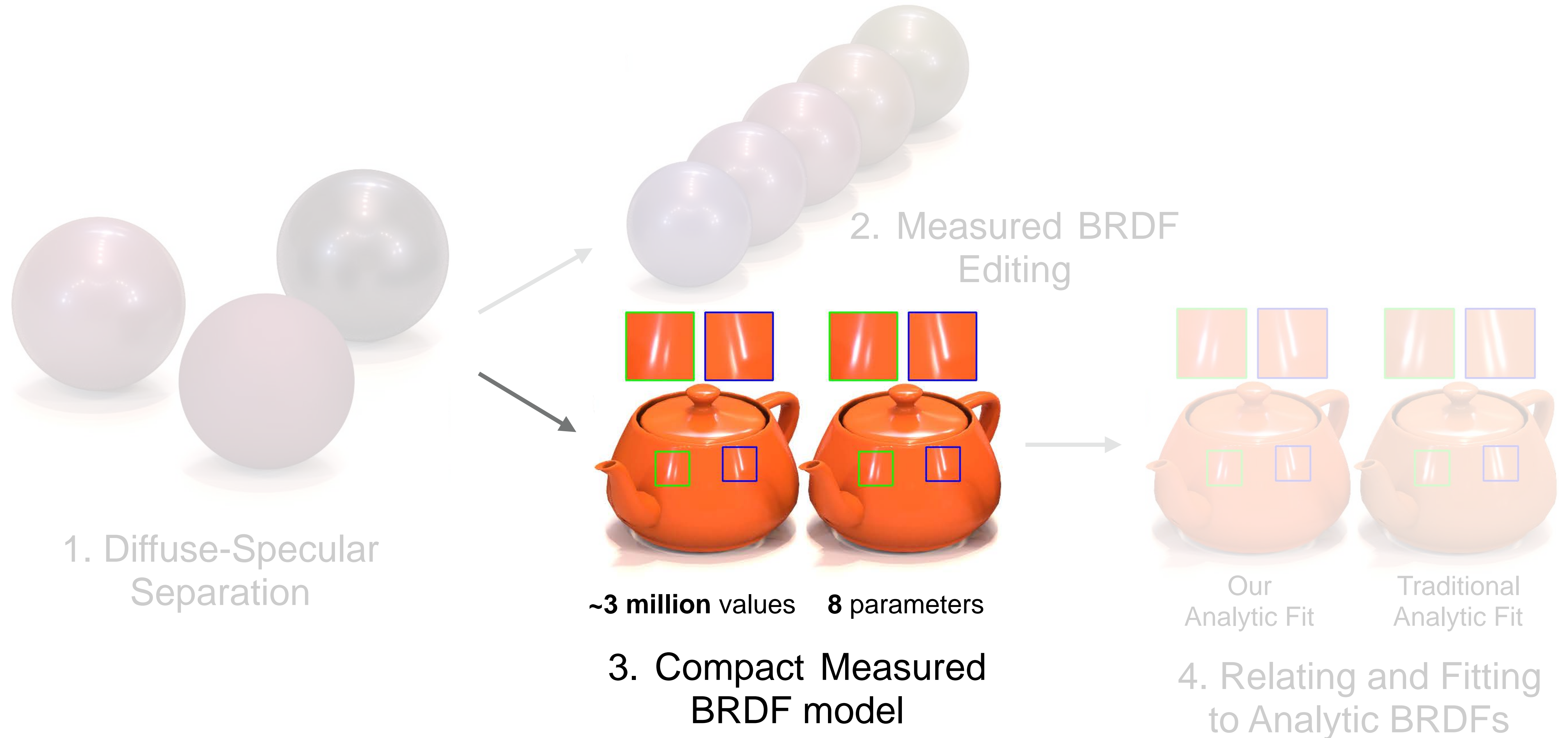
$$\rho[\omega_i, \omega_o, \lambda] \approx \rho_d[\omega_i, \omega_o] \cdot \mathbf{c}_d(\lambda) + \rho_s'[\omega_i, \omega_o] \cdot \mathbf{c}_s'(\lambda)$$



OVERVIEW



OVERVIEW



3. COMPACT MEASURED BRDF MODEL



3. COMPACT MEASURED BRDF MODEL



➤ Previous work:

Nielsen, Jannik Boll, Henrik Wann Jensen, and Ravi Ramamoorthi. "On optimal, minimal BRDF sampling for reflectance acquisition." *ACM Transactions on Graphics (TOG)* 34.6 (2015): 186.

3. COMPACT MEASURED BRDF MODEL



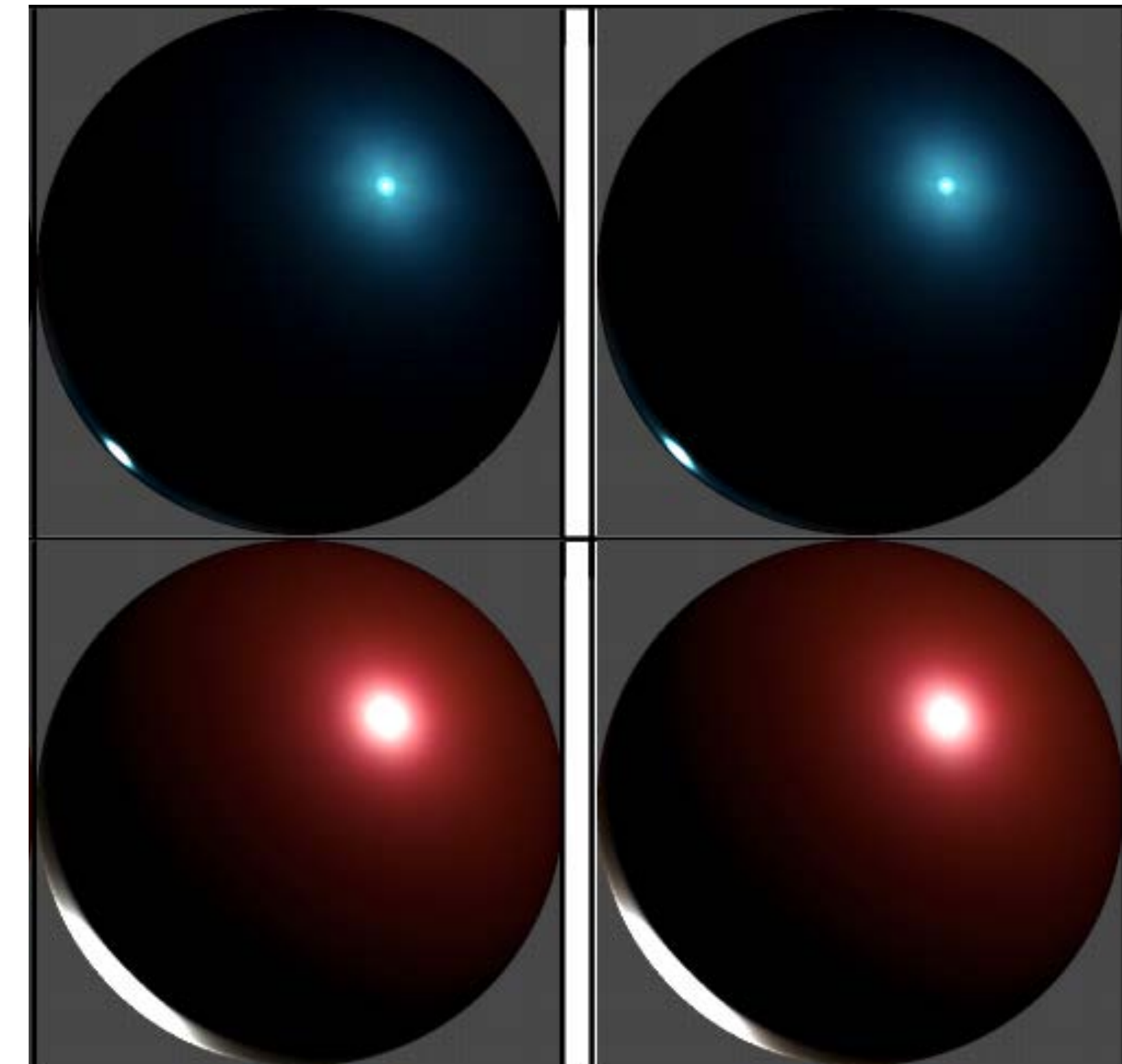
- Previous work:
- Apply PCA on MERL dataset (100 measured BRDFs)

Nielsen, Jannik Boll, Henrik Wann Jensen, and Ravi Ramamoorthi. "On optimal, minimal BRDF sampling for reflectance acquisition." *ACM Transactions on Graphics (TOG)* 34.6 (2015): 186.

Matusik, Wojciech, et al. "A data-driven reflectance model." *ACM Transactions on Graphics (TOG)* 22.3 (2003): 759-769.

3. COMPACT MEASURED BRDF MODEL

- Previous work:
- Apply PCA on MERL dataset (100 measured BRDFs)
- Use 5 principal components to express one color channel



**5 principal
components**

Full BRDF

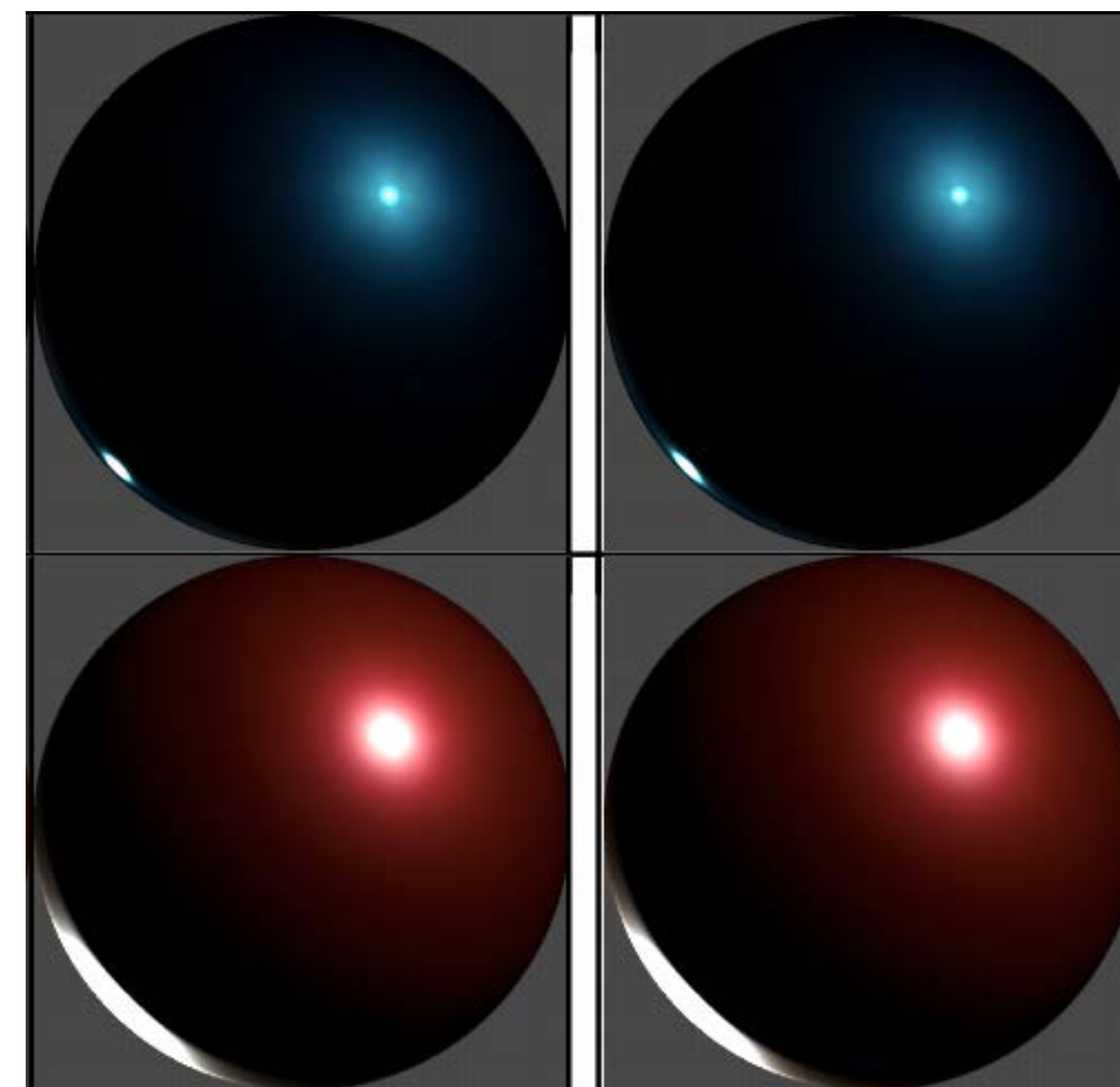
Nielsen, Jannik Boll, Henrik Wann Jensen, and Ravi Ramamoorthi. "On optimal, minimal BRDF sampling for reflectance acquisition." *ACM Transactions on Graphics (TOG)* 34.6 (2015): 186.

Matusik, Wojciech, et al. "A data-driven reflectance model." *ACM Transactions on Graphics (TOG)* 22.3 (2003): 759-769.

3. COMPACT MEASURED BRDF MODEL

- Previous work:
- Apply PCA on MERL dataset (100 measured BRDFs)
- Use 5 principal components to express one color channel

- Drawbacks
 - Treat each color channel independently



**5 principal
components**

Full BRDF

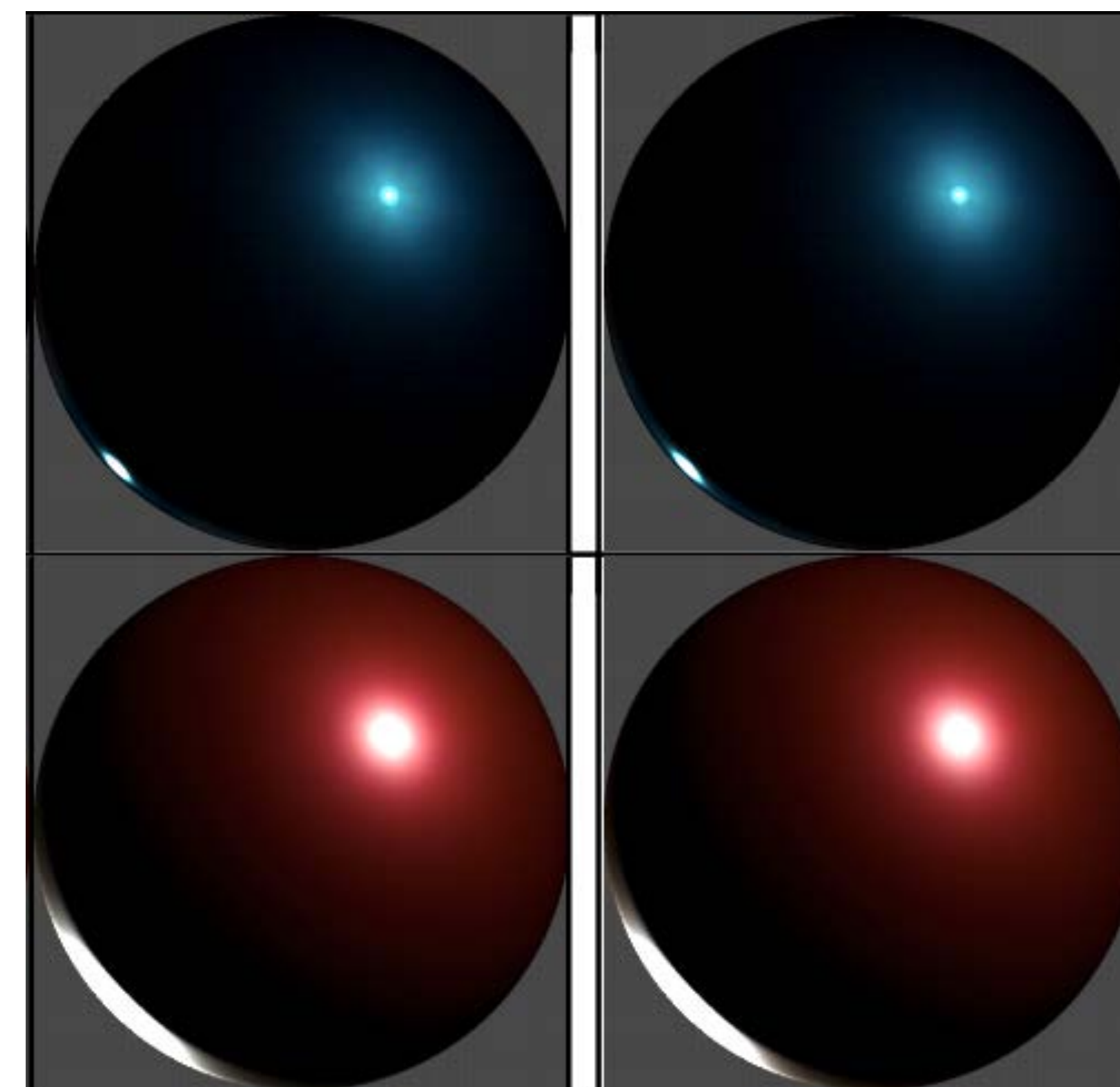
Nielsen, Jannik Boll, Henrik Wann Jensen, and Ravi Ramamoorthi. "On optimal, minimal BRDF sampling for reflectance acquisition." *ACM Transactions on Graphics (TOG)* 34.6 (2015): 186.

Matusik, Wojciech, et al. "A data-driven reflectance model." *ACM Transactions on Graphics (TOG)* 22.3 (2003): 759-769.

3. COMPACT MEASURED BRDF MODEL

- Previous work:
- Apply PCA on MERL dataset (100 measured BRDFs)
- Use 5 principal components to express one color channel

- Drawbacks
 - Treat each color channel independently
 - Mix the diffuse and specular together.



**5 principal
components**

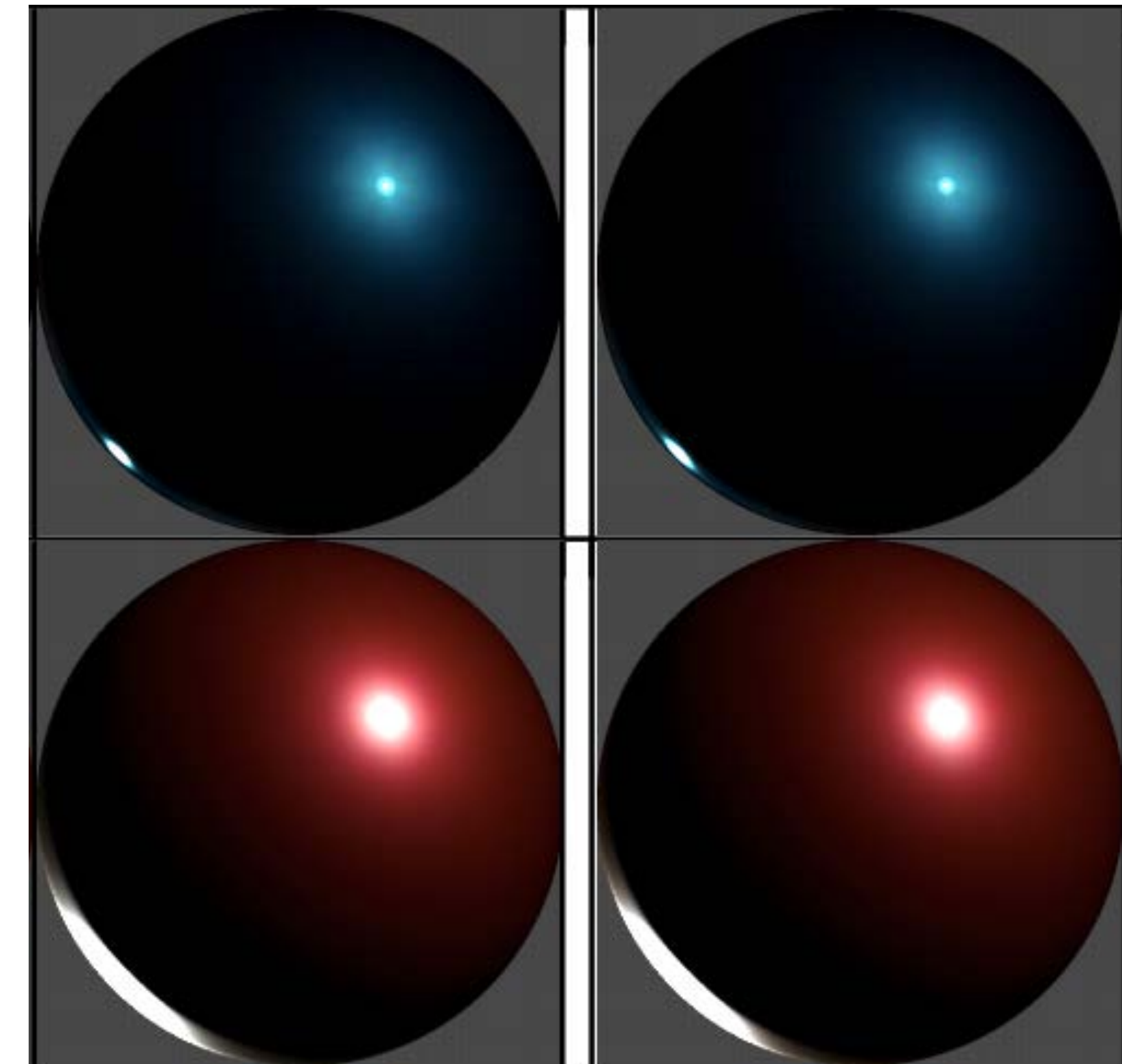
Full BRDF

Nielsen, Jannik Boll, Henrik Wann Jensen, and Ravi Ramamoorthi. "On optimal, minimal BRDF sampling for reflectance acquisition." *ACM Transactions on Graphics (TOG)* 34.6 (2015): 186.

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3. COMPACT MEASURED BRDF MODEL

- Previous work:
 - Apply PCA on MERL dataset (100 measured BRDFs)
 - Use 5 principal components to express one color channel
- Drawbacks
 - Treat each color channel independently
 - Mix the diffuse and specular together.
- Apply PCA on the diffuse and specular part separately.



**5 principal
components**

Full BRDF

Nielsen, Jannik Boll, Henrik Wann Jensen, and Ravi Ramamoorthi. "On optimal, minimal BRDF sampling for reflectance acquisition." *ACM Transactions on Graphics (TOG)* 34.6 (2015): 186.

Matusik, Wojciech, et al. "A data-driven reflectance model." *ACM Transactions on Graphics (TOG)* 22.3 (2003): 759-769.

3. COMPACT MEASURED BRDF MODEL



3. COMPACT MEASURED BRDF MODEL



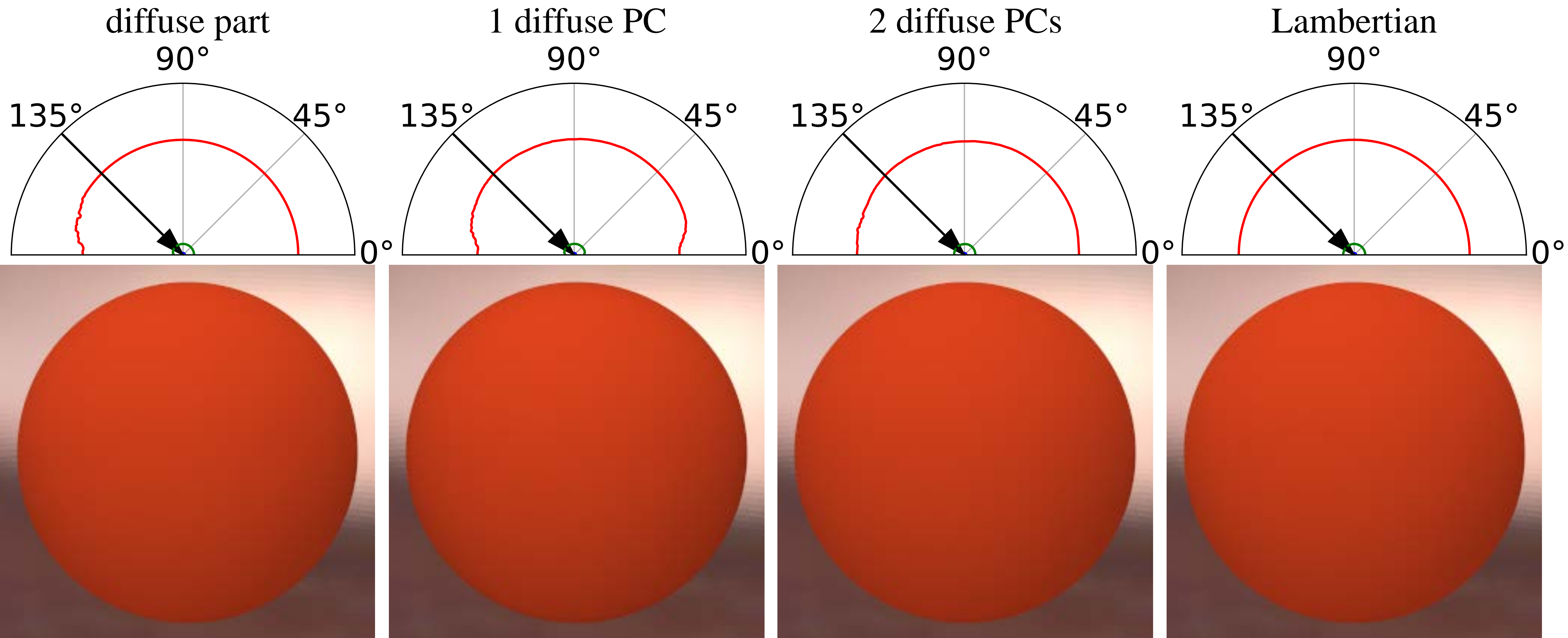
➤ Diffuse

3. COMPACT MEASURED BRDF MODEL

- Diffuse
- Directly do PCA on the diffuse parts of all MERL BRDFs

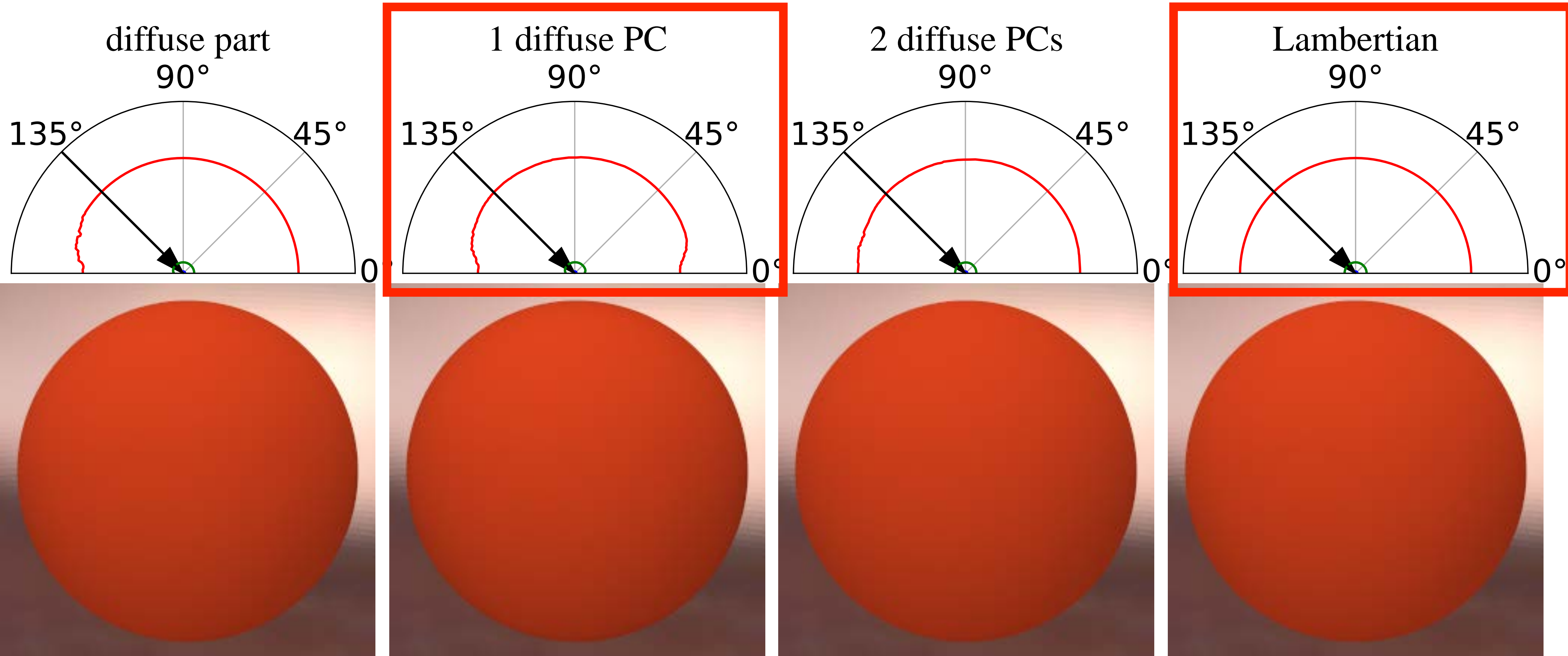
3. COMPACT MEASURED BRDF MODEL

► Diffuse



3. COMPACT MEASURED BRDF MODEL

► Diffuse



3. COMPACT MEASURED BRDF MODEL

- Diffuse
- Directly do PCA on the diffuse parts of all MERL BRDFs

$$\rho_d = Q_d \cdot x_d$$

3. COMPACT MEASURED BRDF MODEL

- Diffuse
- Directly do PCA on the diffuse parts of all MERL BRDFs

$$\rho_d = Q_d \cdot x_d$$

first principal component (PC)

first PC coefficient

3. COMPACT MEASURED BRDF MODEL

- Diffuse
- Directly do PCA on the diffuse parts of all MERL BRDFs
- No mean subtraction in PCA

$$\rho_d = Q_d \cdot x_d$$

first principal component (PC)

first PC coefficient

3. COMPACT MEASURED BRDF MODEL

- Diffuse
- Directly do PCA on the diffuse parts of all MERL BRDFs
- No mean subtraction in PCA

$$\rho_d = Q_d \cdot x_d$$

first principal component (PC)
 first PC coefficient



$$\rho_d(\alpha_d) = \frac{\alpha_d}{\pi}$$

- Direct connection to Lambertian parameter.

3. COMPACT MEASURED BRDF MODEL

- Diffuse
- Directly do PCA on the diffuse parts of all MERL BRDFs
- No mean subtraction in PCA

$$\rho_d = Q_d \cdot x_d$$

first principal component (PC)
 first PC coefficient

$$\alpha_d = \frac{\pi \cdot \|Q_d\|_2^2}{\|Q_d\|_1} \cdot x_d$$

$$\rho_d(\alpha_d) = \frac{\alpha_d}{\pi}$$

- Direct connection to Lambertian parameter.

3. COMPACT MEASURED BRDF MODEL



3. COMPACT MEASURED BRDF MODEL



➤ Specular

3. COMPACT MEASURED BRDF MODEL

- Specular
- Perform PCA on log-mapped BRDF value $g(\rho_s)$

3. COMPACT MEASURED BRDF MODEL

- Specular
- Perform PCA on log-mapped BRDF value $g(\rho_s)$

$$g(\rho_s) = \log (\rho_s \cos(\mathbf{n} \cdot \boldsymbol{\omega}_i) \cos(\mathbf{n} \cdot \boldsymbol{\omega}_o) + \varepsilon)$$

3. COMPACT MEASURED BRDF MODEL

- Specular
- Perform PCA on log-mapped BRDF value $g(\rho_s)$

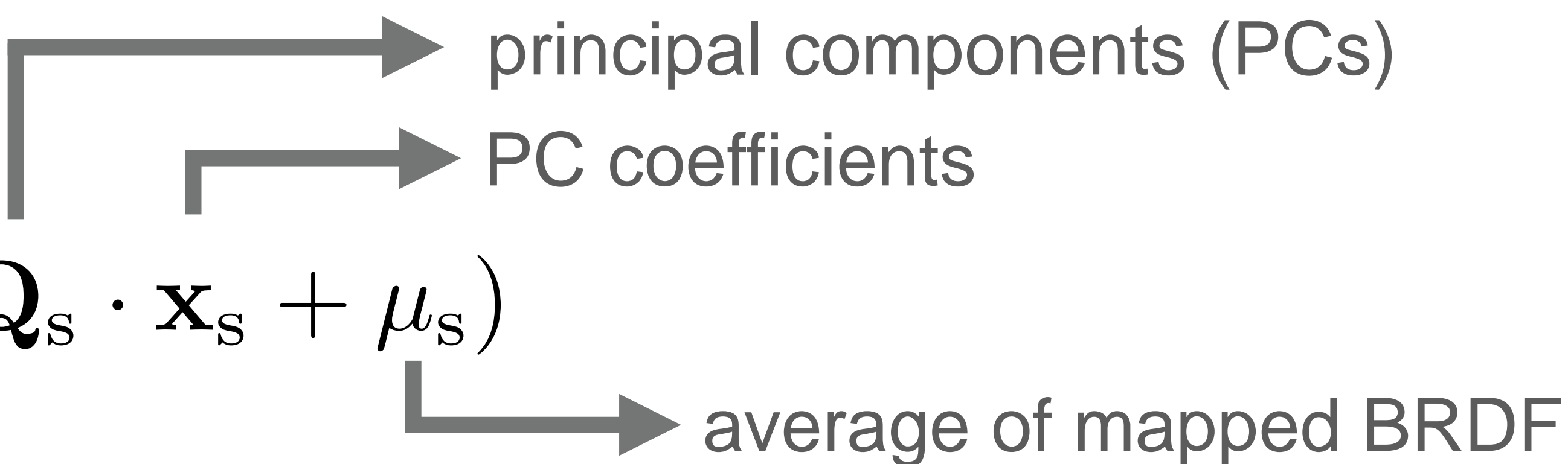
$$\rho_s = g^{-1} (\mathbf{Q}_s \cdot \mathbf{x}_s + \mu_s)$$

$$g(\rho_s) = \log (\rho_s \cos(\mathbf{n} \cdot \boldsymbol{\omega}_i) \cos(\mathbf{n} \cdot \boldsymbol{\omega}_o) + \varepsilon)$$

3. COMPACT MEASURED BRDF MODEL

- Specular
- Perform PCA on log-mapped BRDF value $g(\rho_s)$

$$\rho_s = g^{-1} (\mathbf{Q}_s \cdot \mathbf{x}_s + \mu_s)$$



$$g(\rho_s) = \log (\rho_s \cos(\mathbf{n} \cdot \boldsymbol{\omega}_i) \cos(\mathbf{n} \cdot \boldsymbol{\omega}_o) + \varepsilon)$$

3. COMPACT MEASURED BRDF MODEL

➤ Specular

specular part

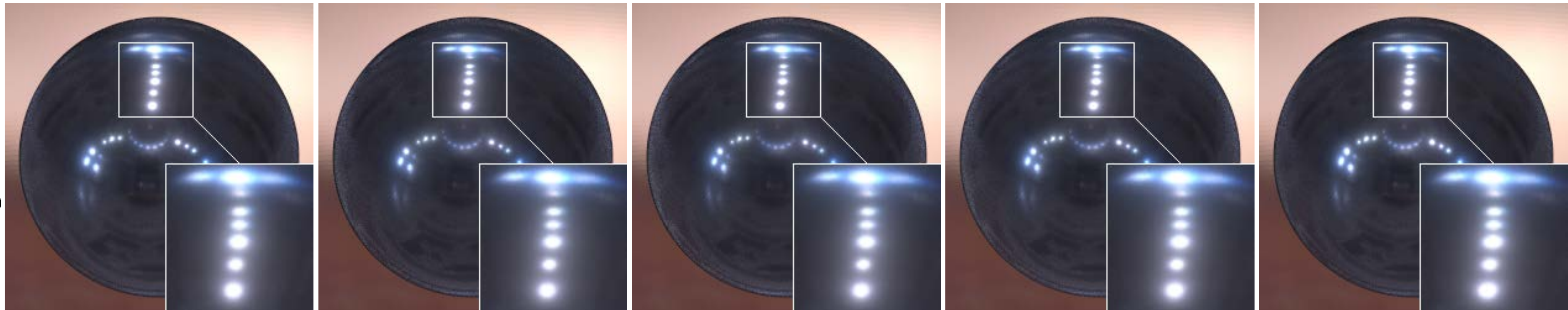
2 specular PCs

3 specular PCs

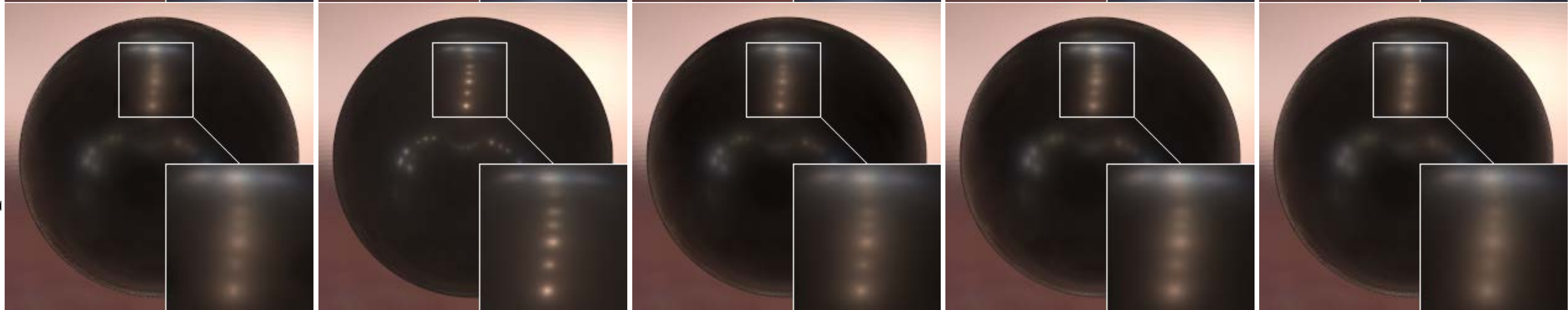
5 specular PCs

10 specular PCs

blue-metallic-
paint2



yellow-matte-
plastic



3. COMPACT MEASURED BRDF MODEL

➤ Specular

specular part

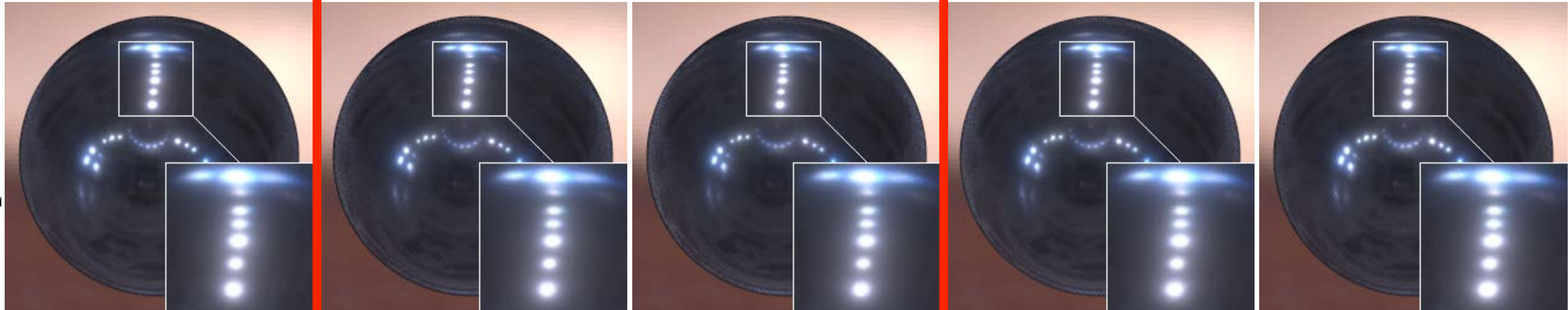
2 specular PCs

3 specular PCs

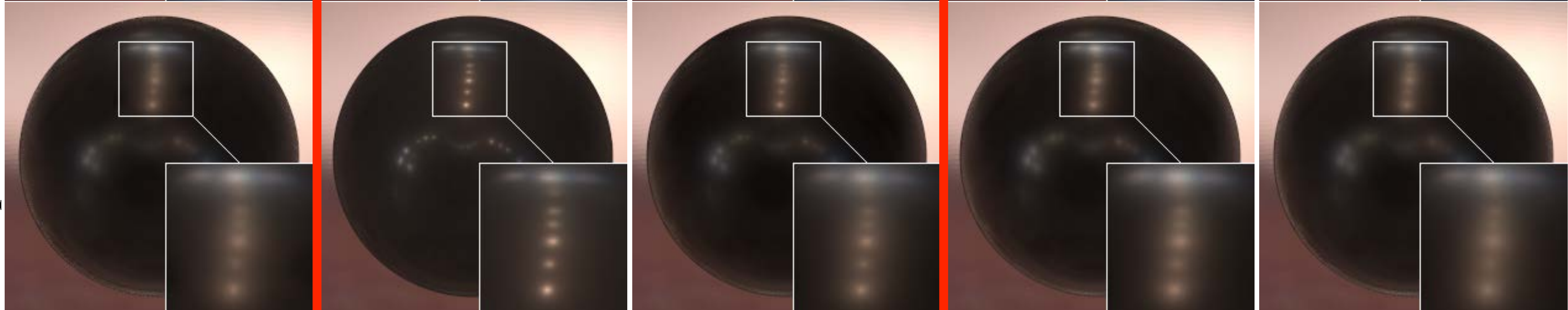
5 specular PCs

10 specular PCs

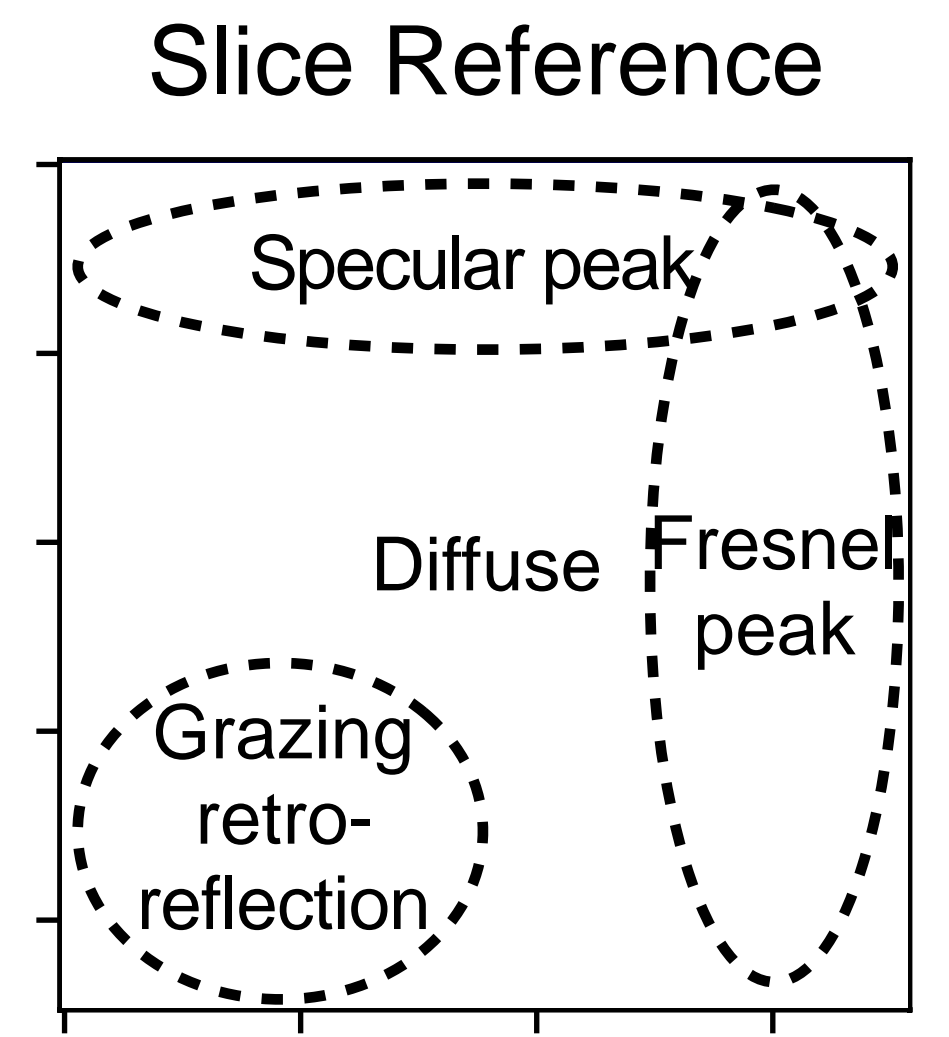
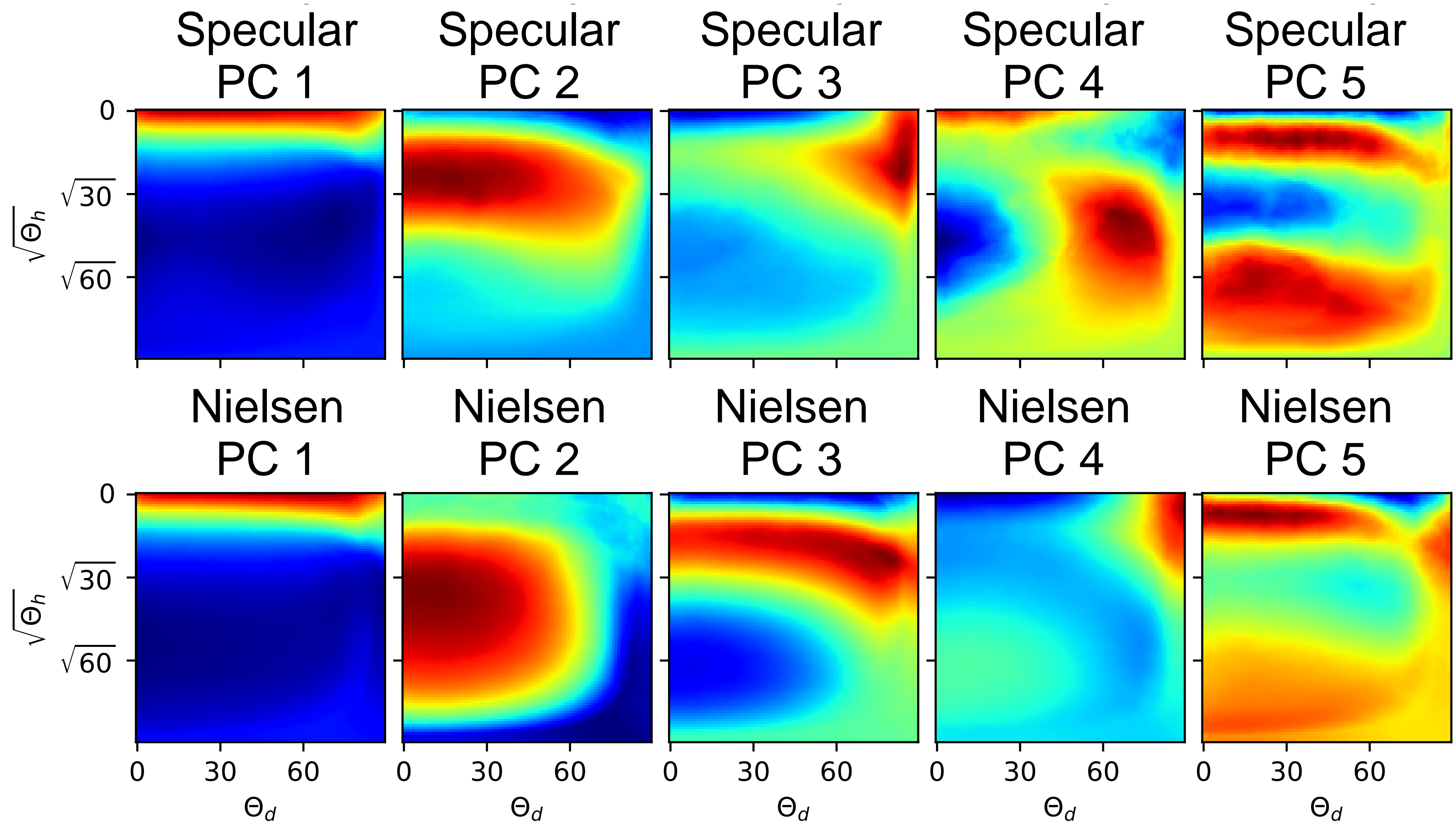
blue-metallic-
paint2



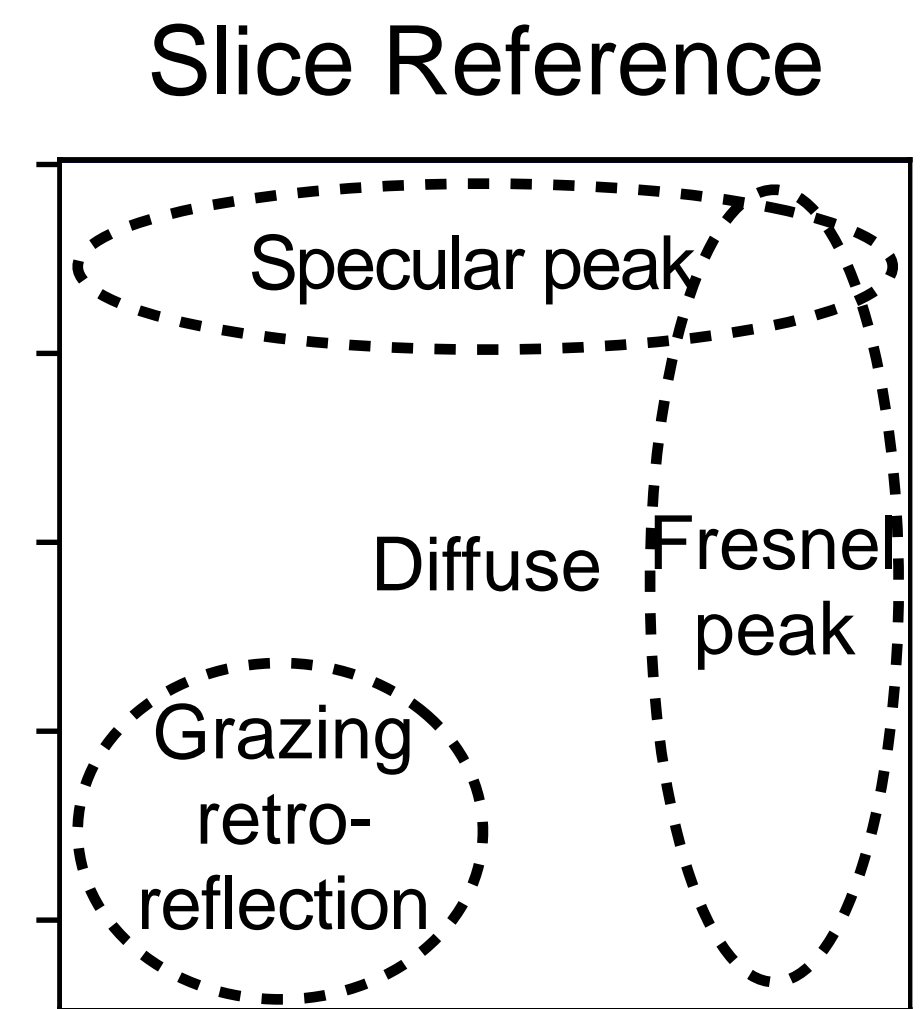
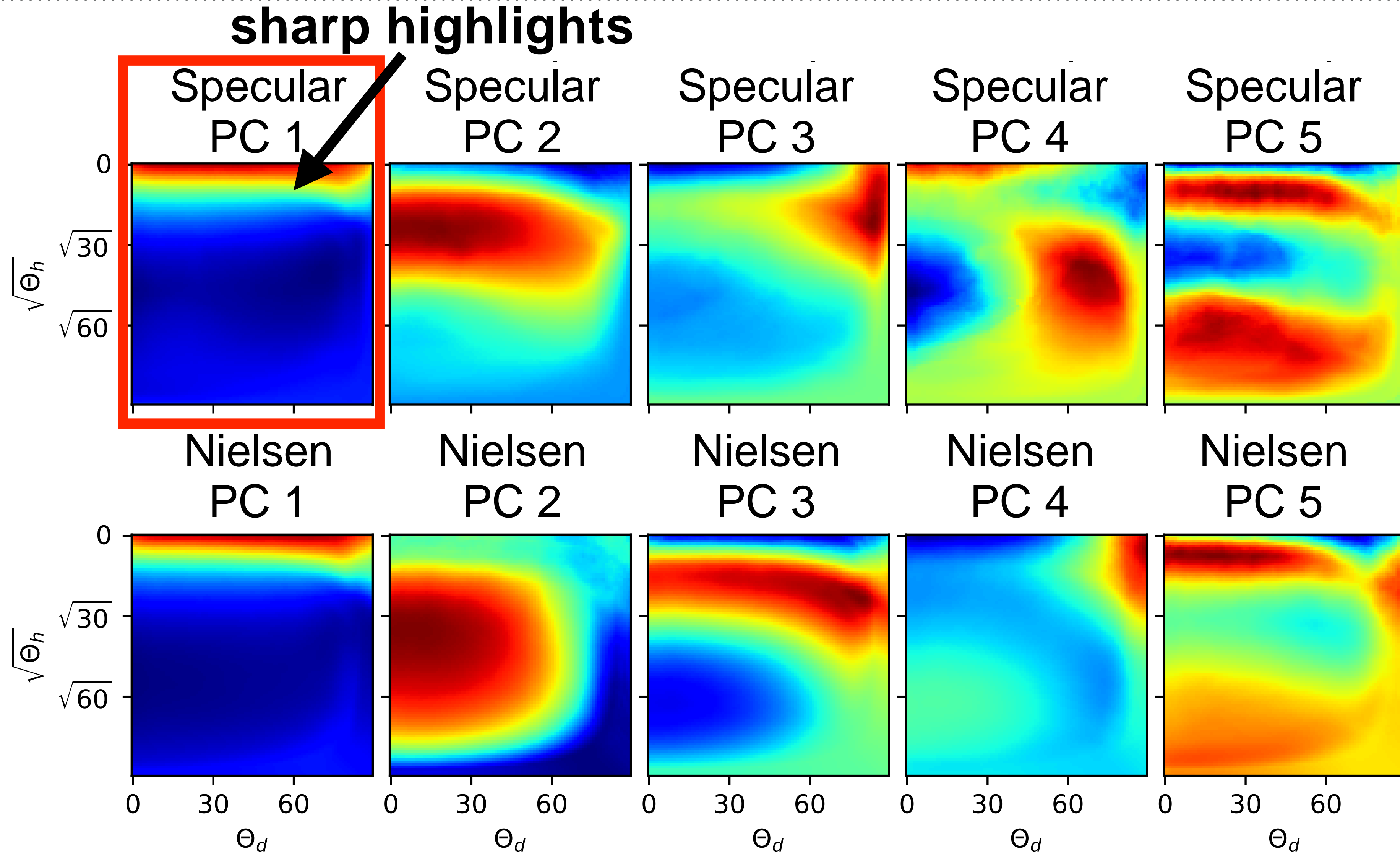
yellow-matte-
plastic



3. COMPACT MEASURED BRDF MODEL

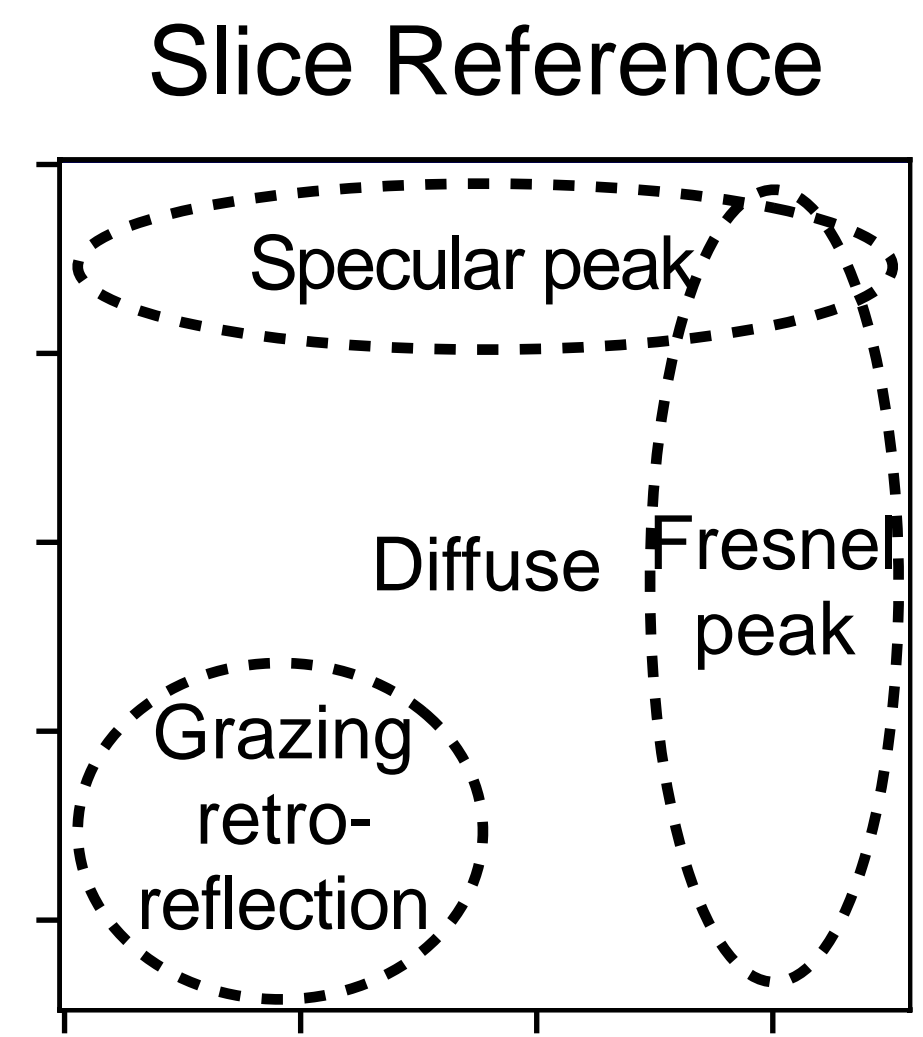
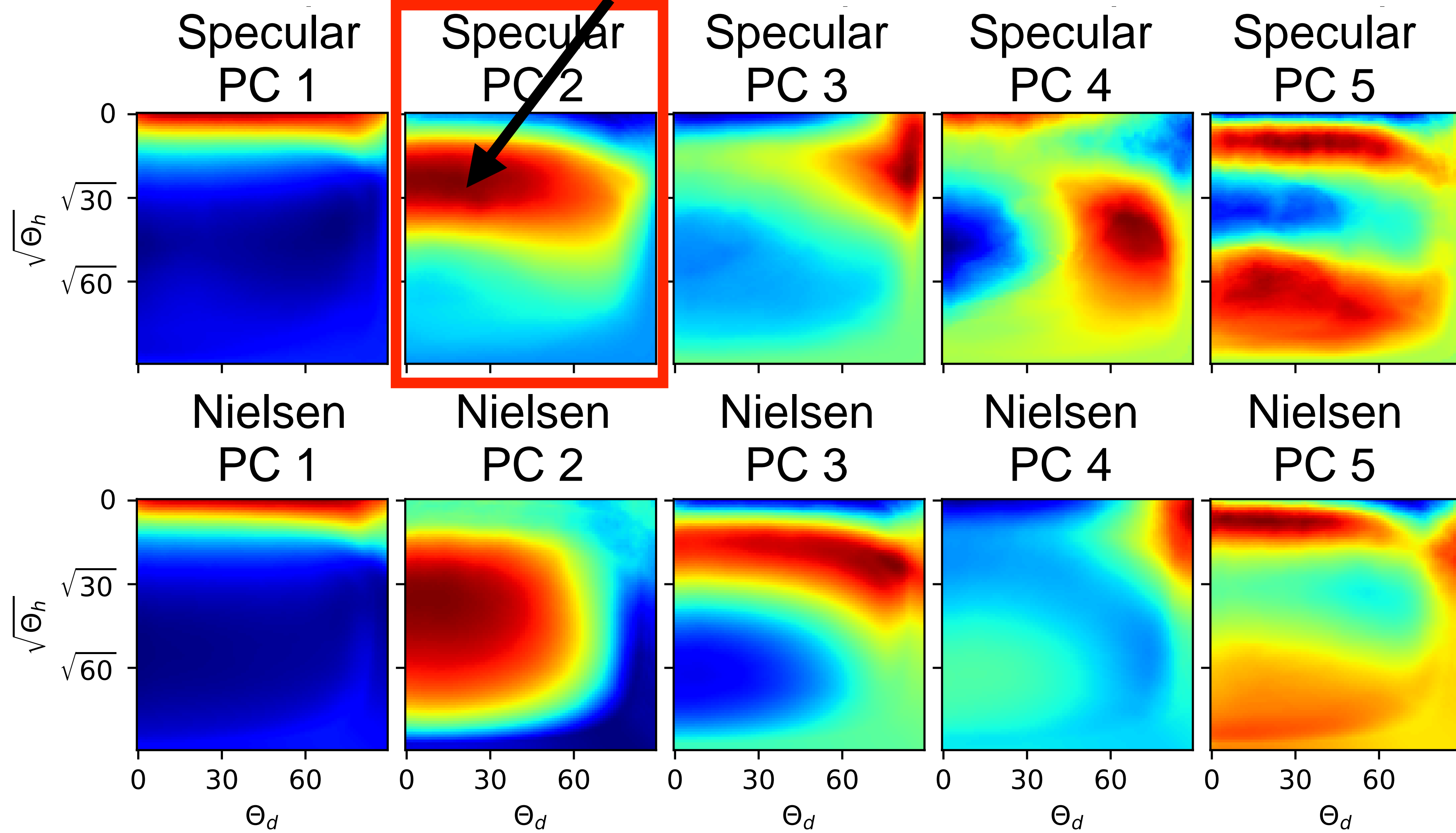


3. COMPACT MEASURED BRDF MODEL



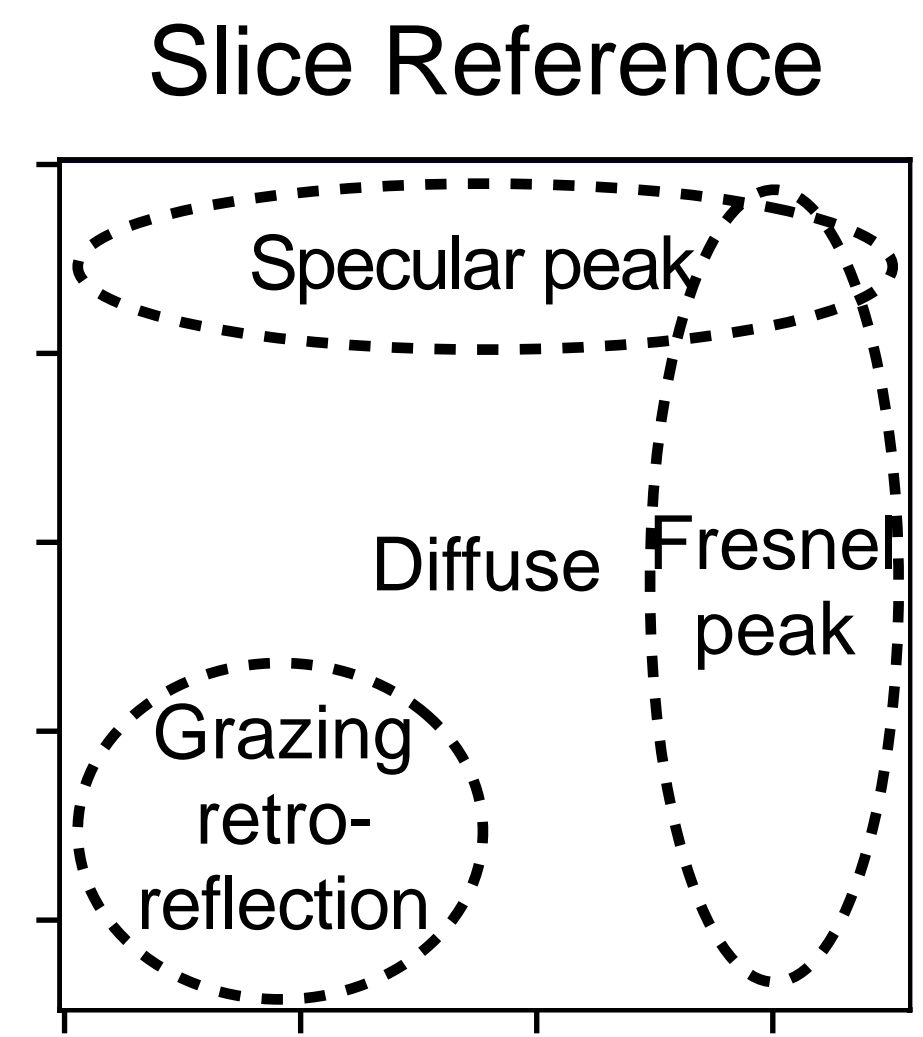
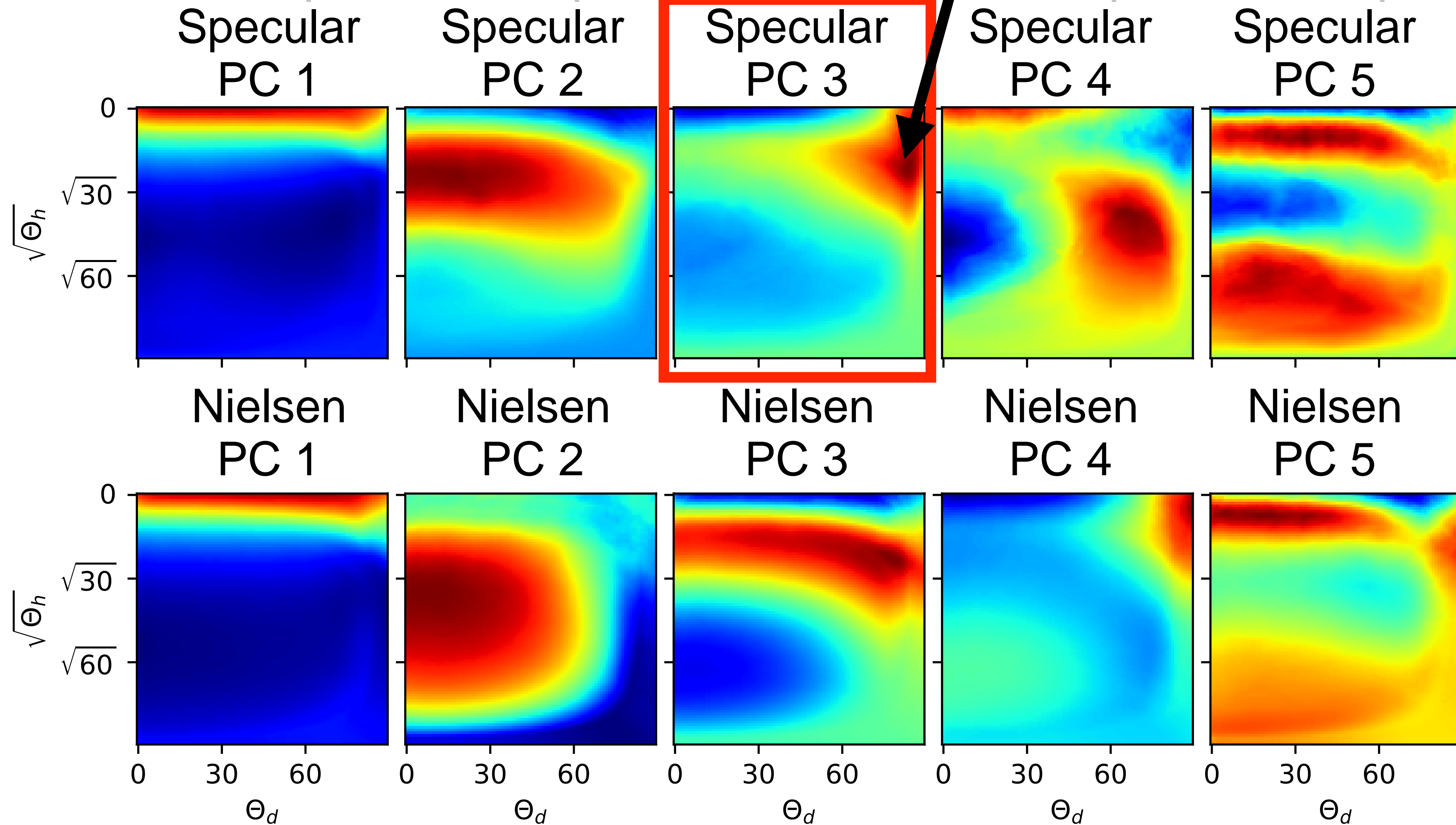
3. COMPACT MEASURED BRDF MODEL

control highlight width

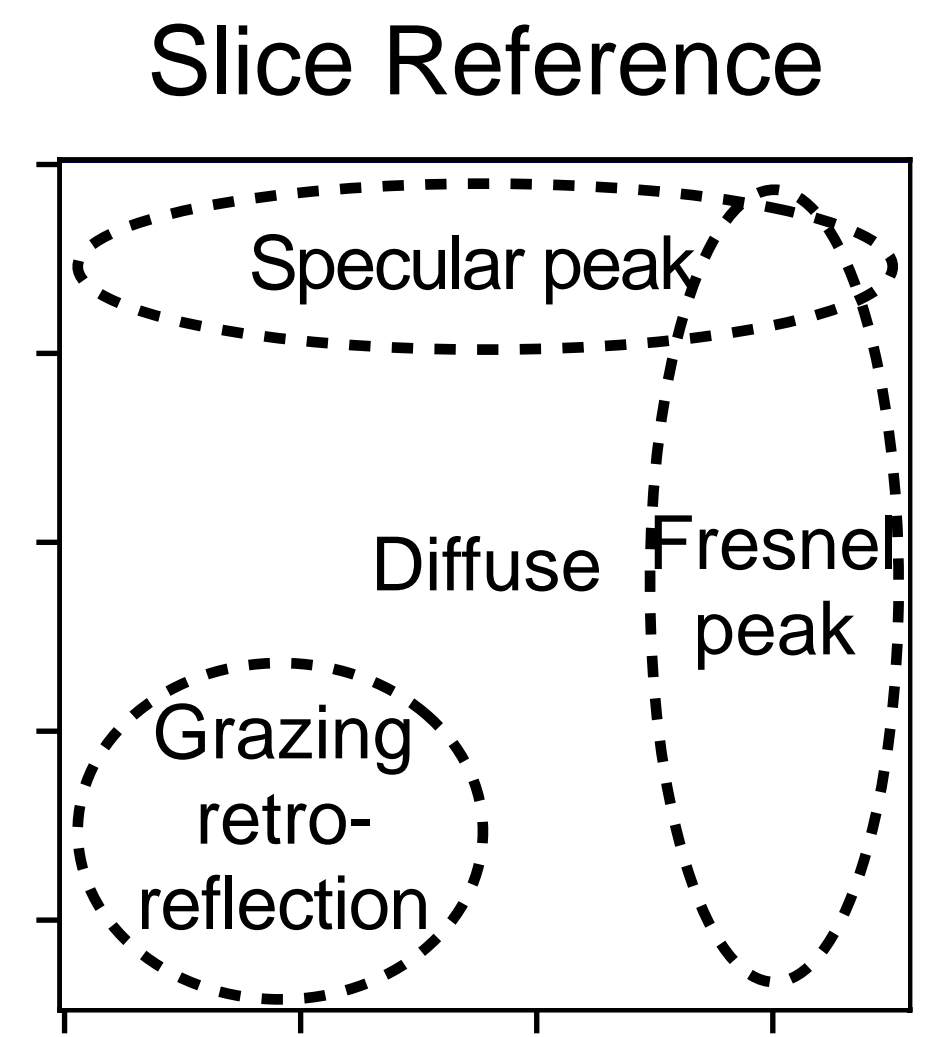
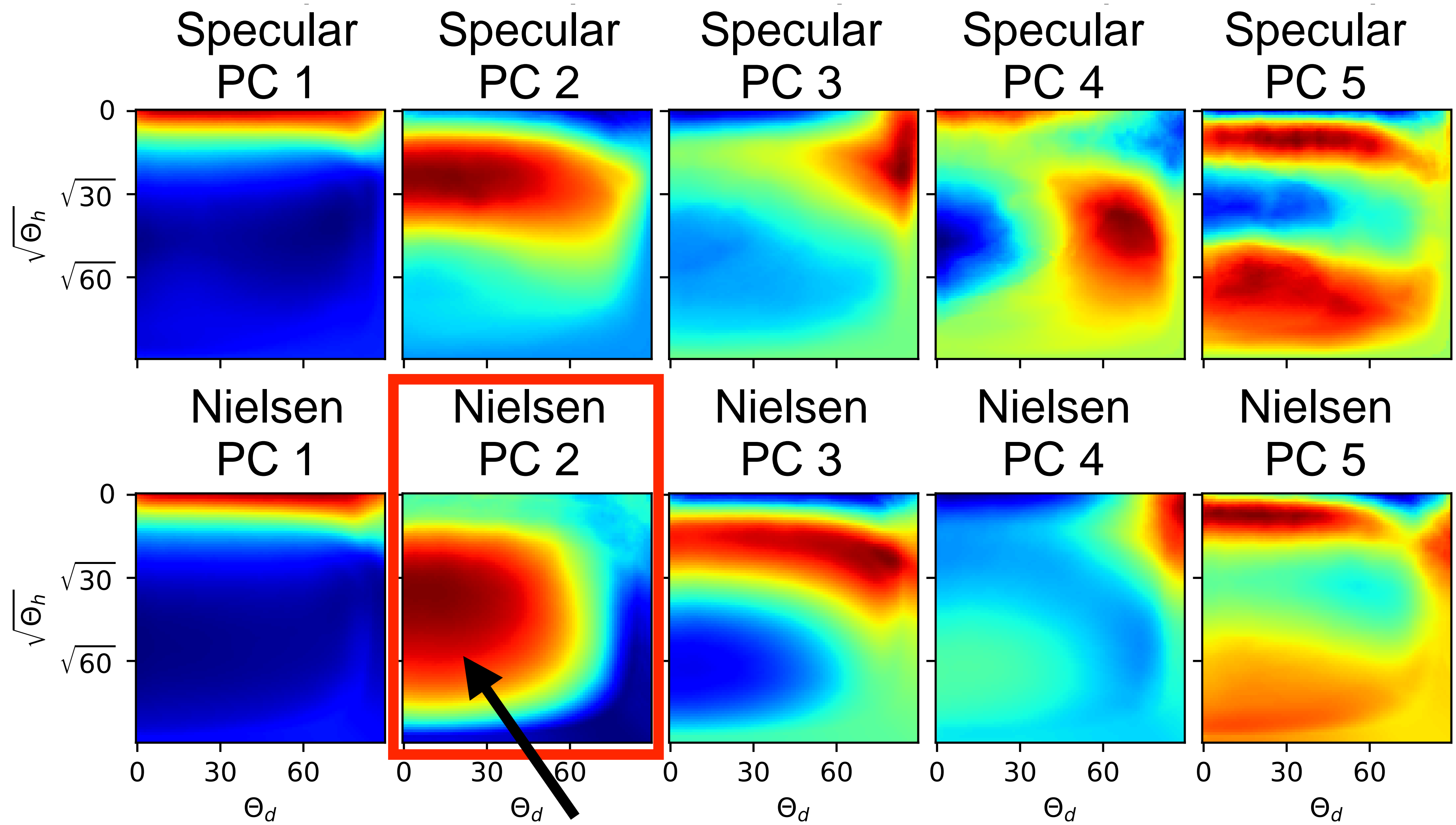


3. COMPACT MEASURED BRDF MODEL

Fresnel effect



3. COMPACT MEASURED BRDF MODEL



mix diffuse and specular

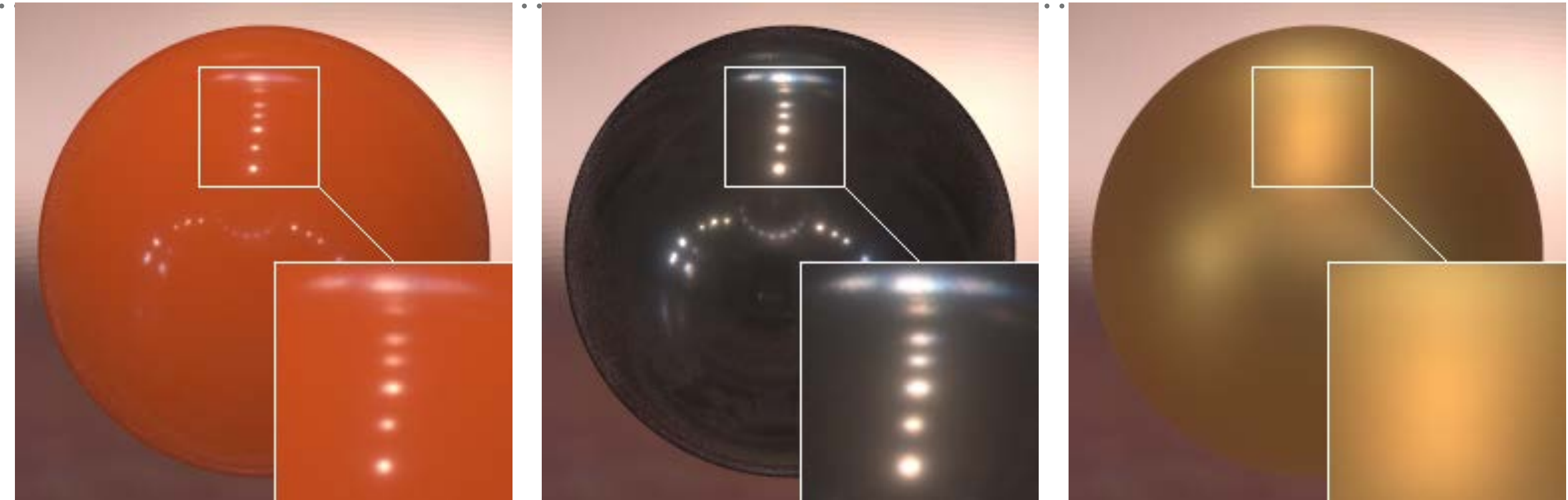
3. COMPACT MEASURED BRDF MODEL



3. COMPACT MEASURED BRDF MODEL

Original BRDF

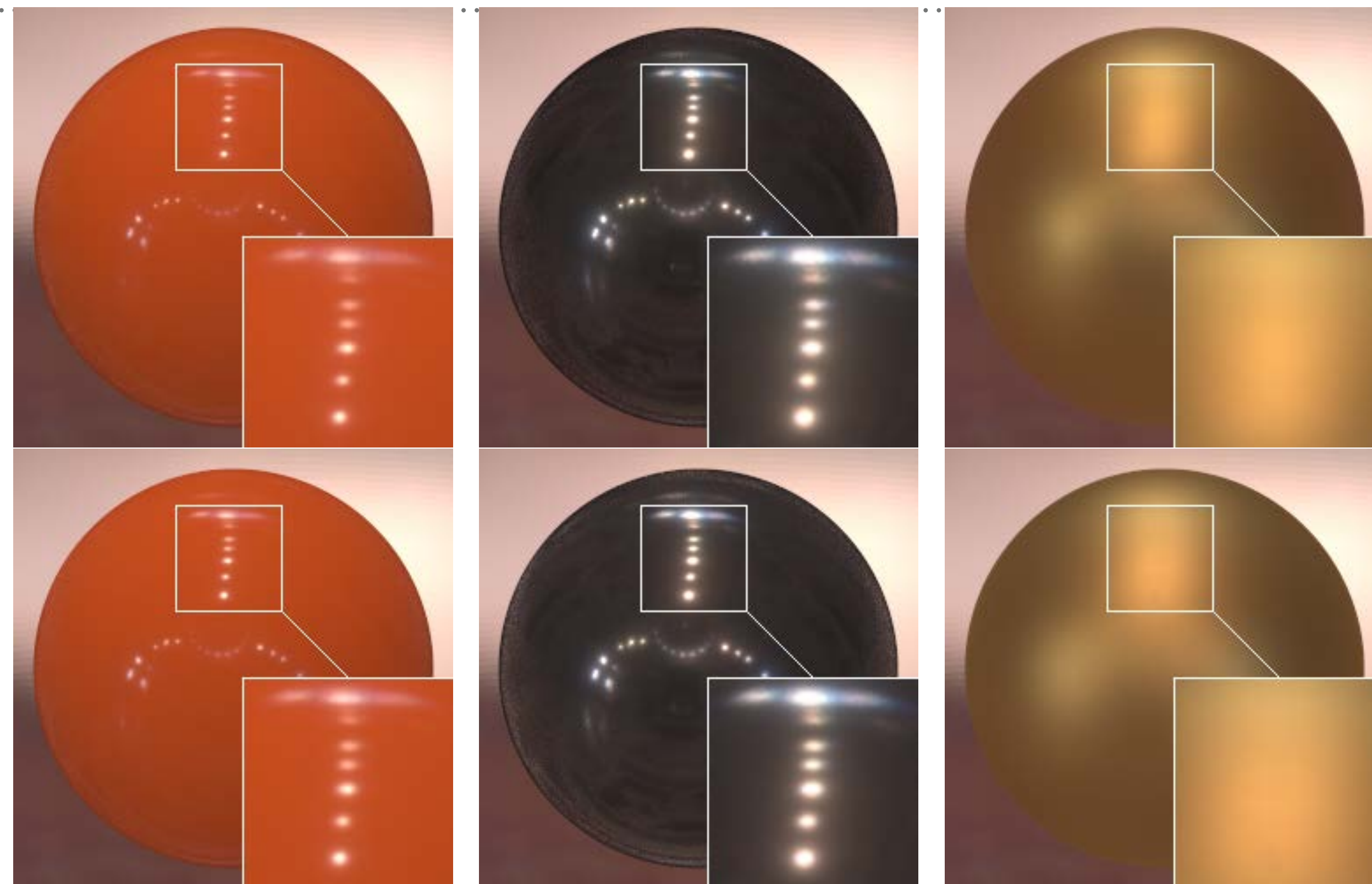
~3 million values



3. COMPACT MEASURED BRDF MODEL

Original BRDF

~3 million values



Our result

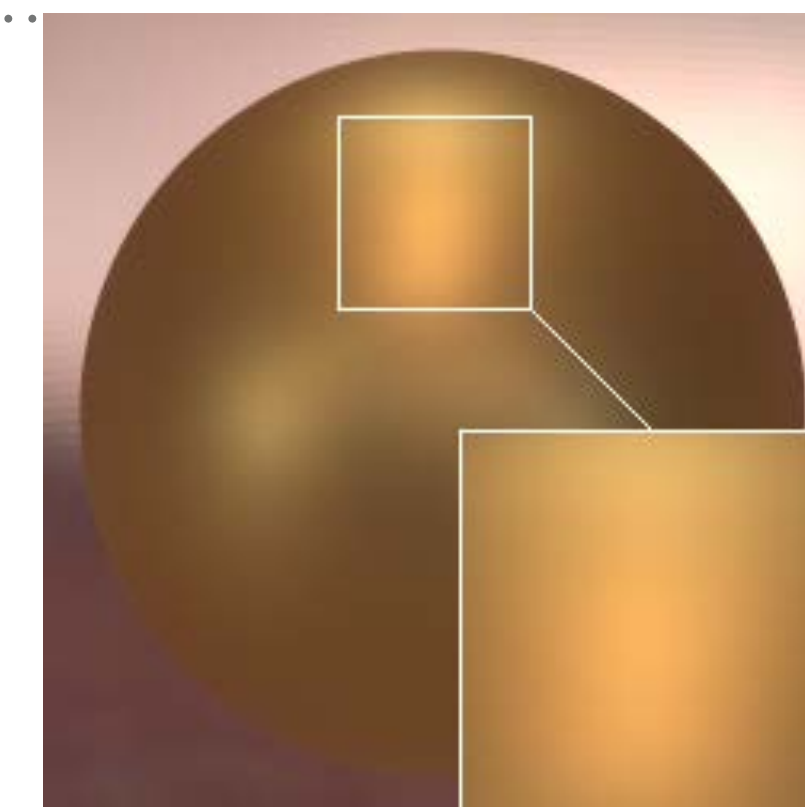
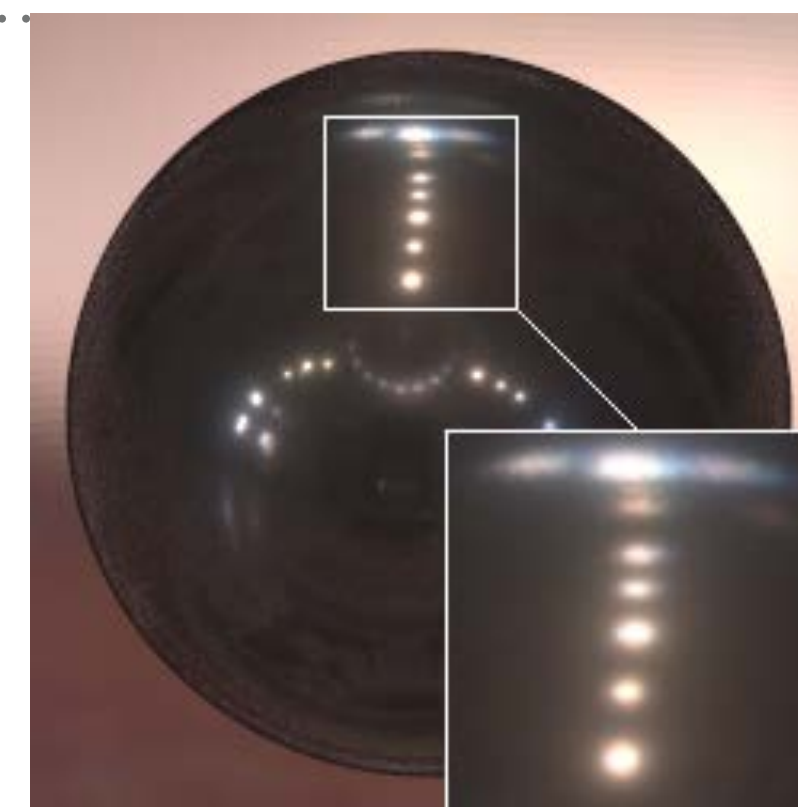
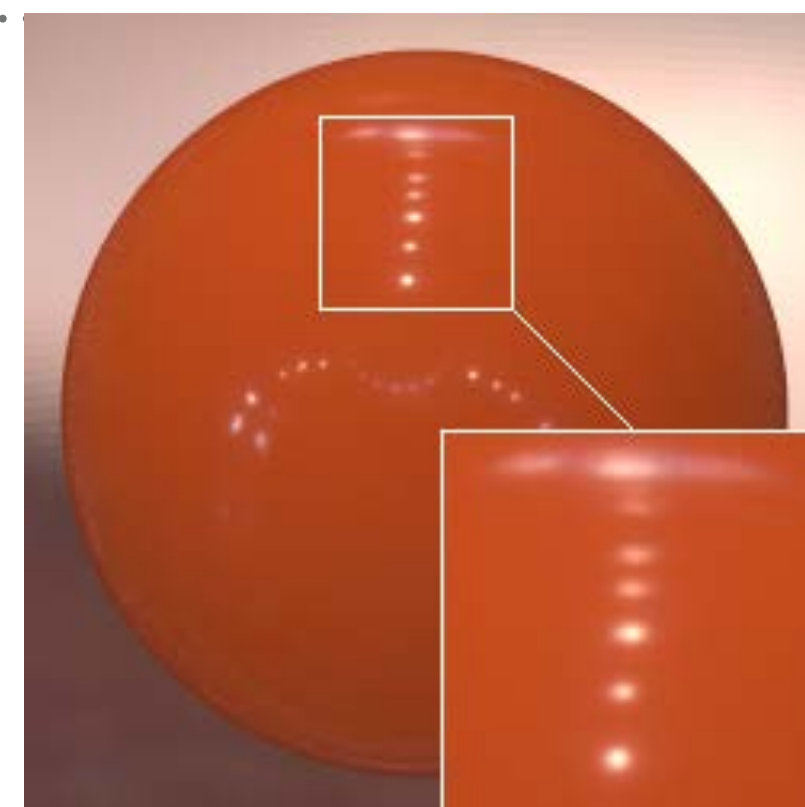
8 coefficients

*(2 for diffuse color, 1 for diffuse PC,
2 for specular color, 3 for specular PCs)*

3. COMPACT MEASURED BRDF MODEL

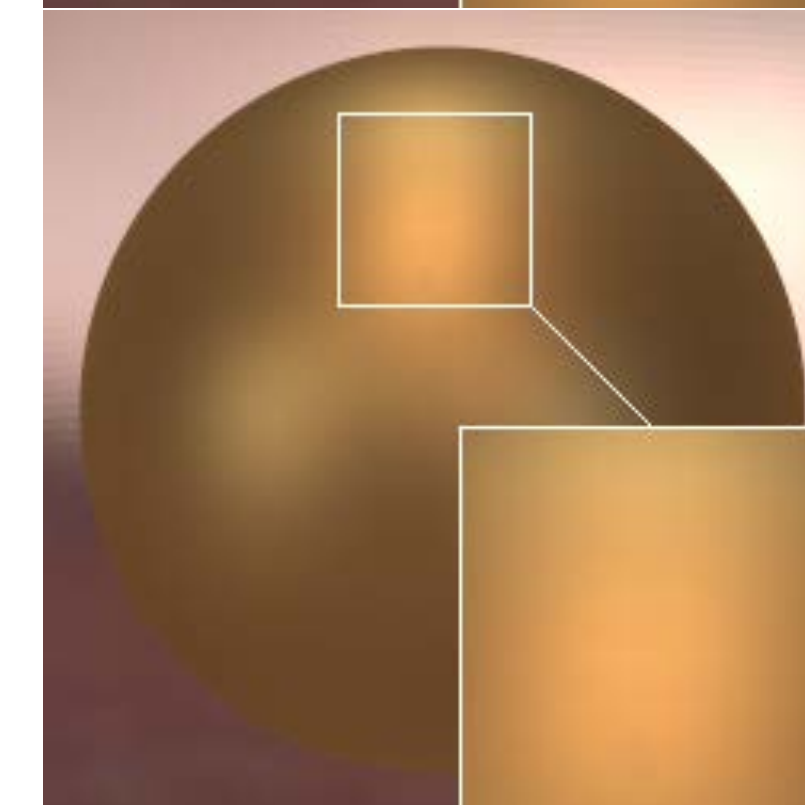
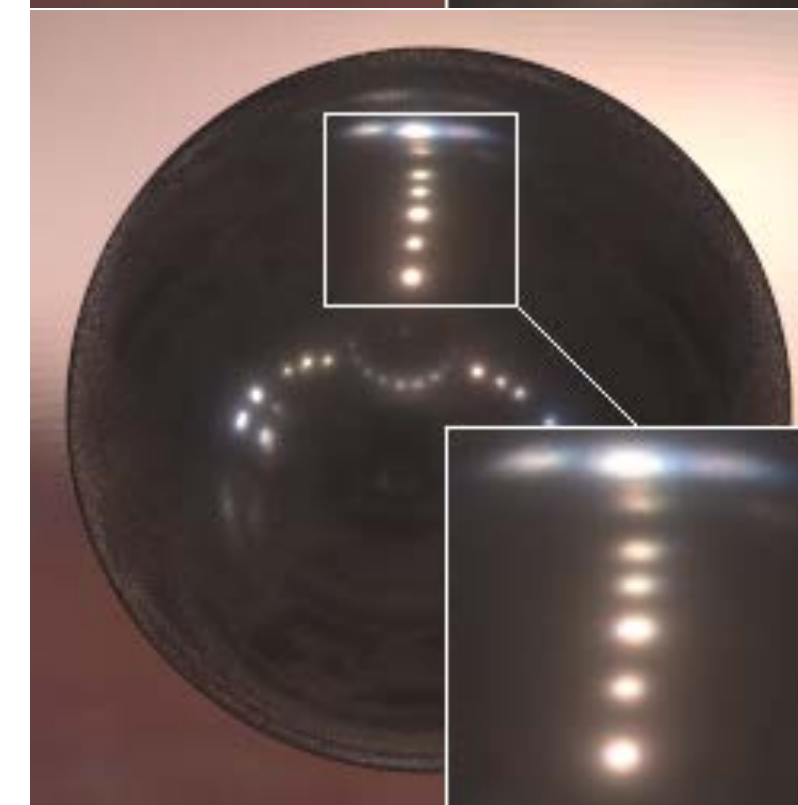
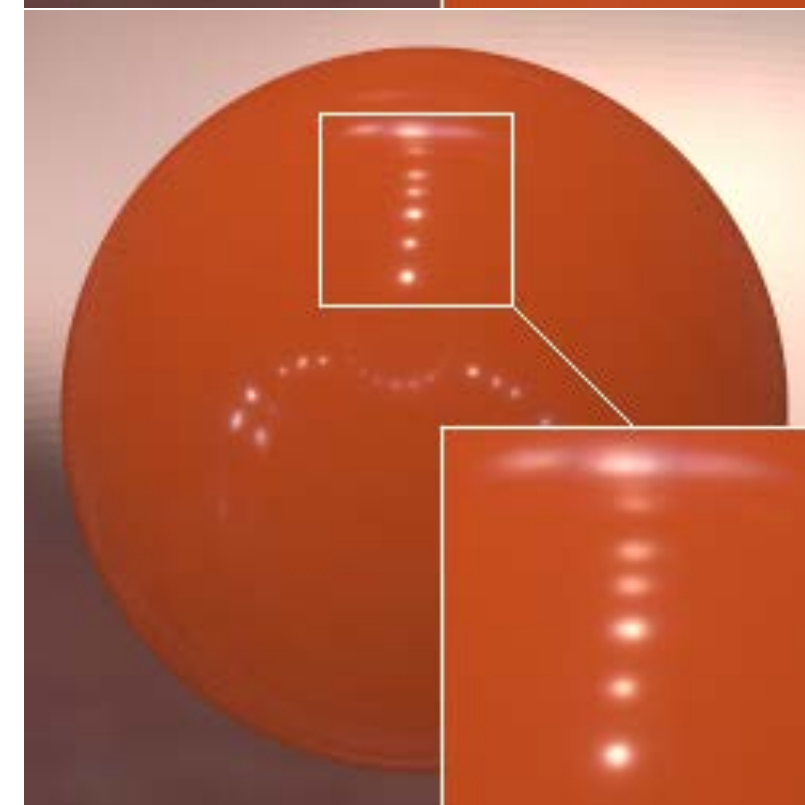
Original BRDF

~3 million values



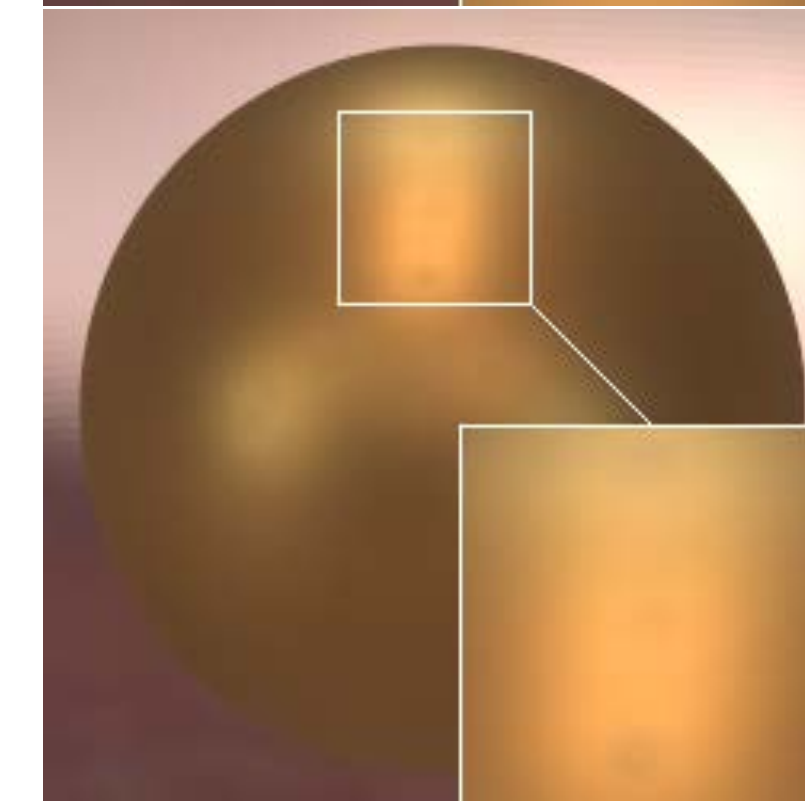
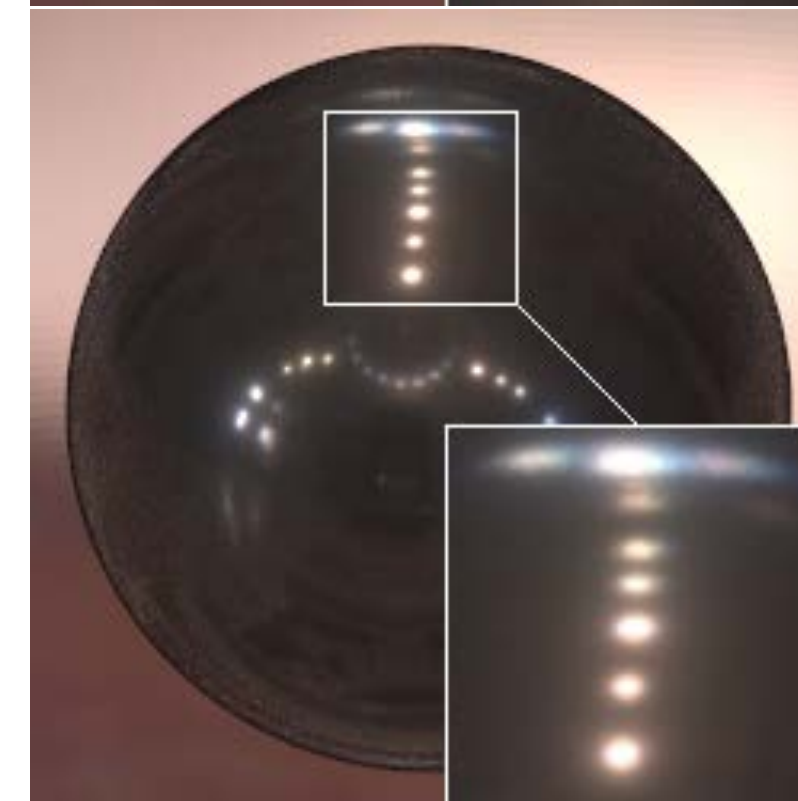
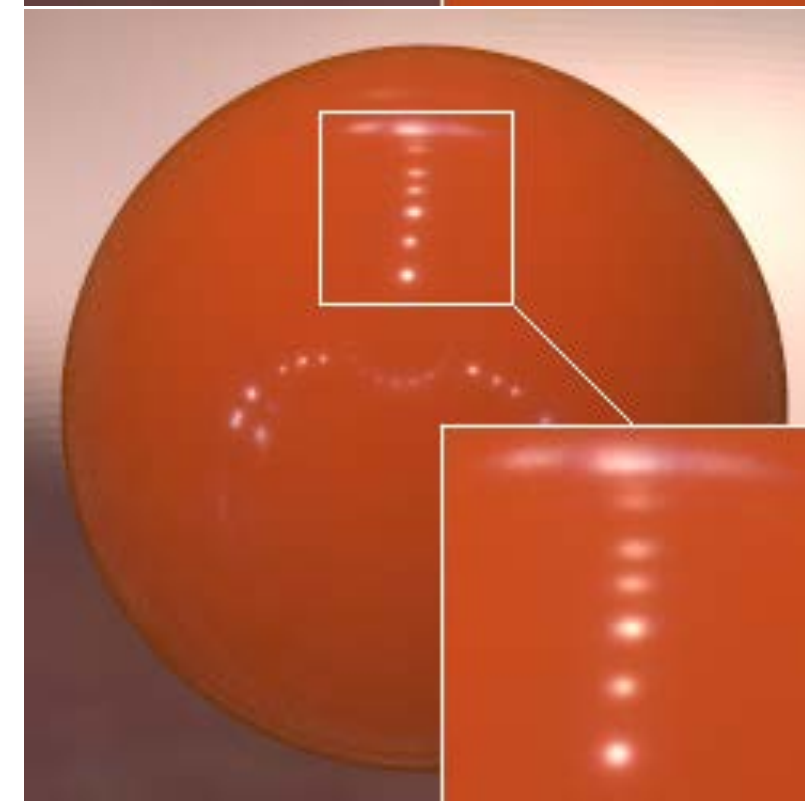
Our result

*8 coefficients
(2 for diffuse color, 1 for diffuse PC,
2 for specular color, 3 for specular PCs)*



Nielsen *et al.*

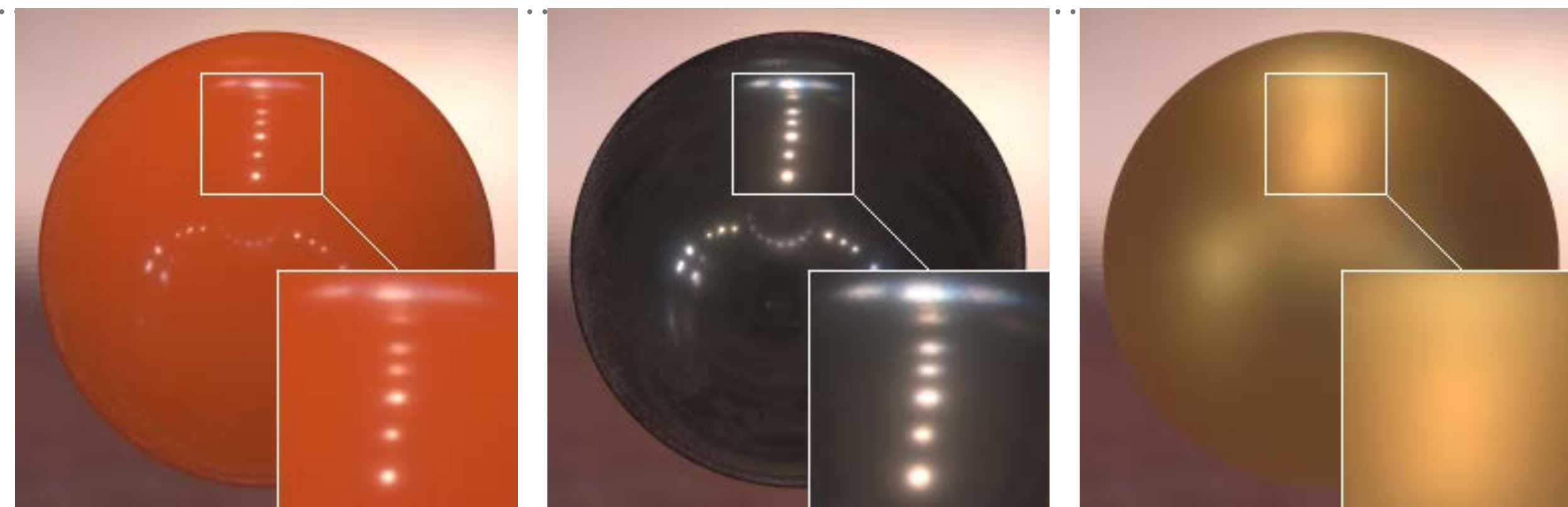
*15 coefficients
(5 for each color channel)*



3. COMPACT MEASURED BRDF MODEL

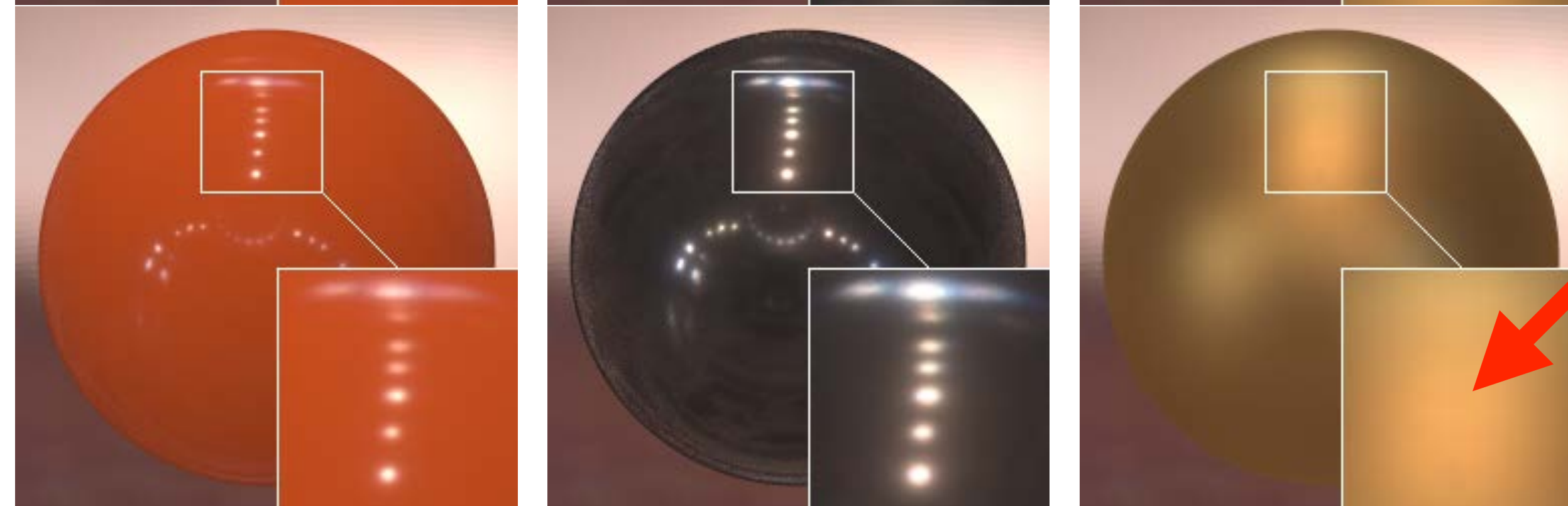
Original BRDF

~3 million values



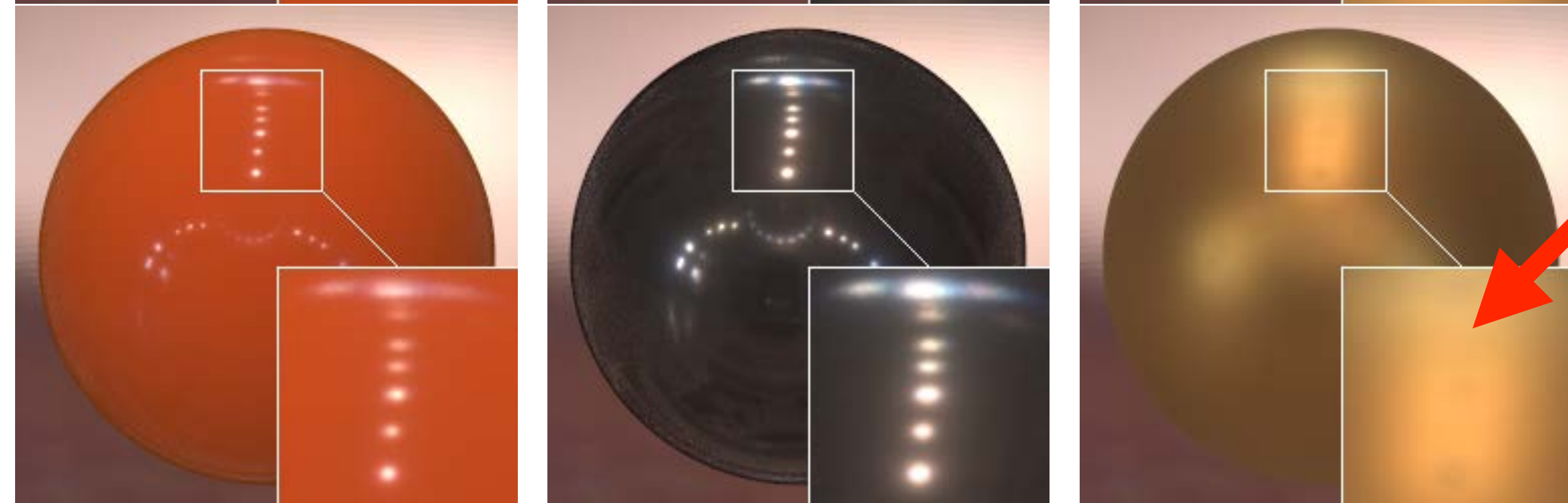
Our result

*8 coefficients
(2 for diffuse color, 1 for diffuse PC,
2 for specular color, 3 for specular PCs)*

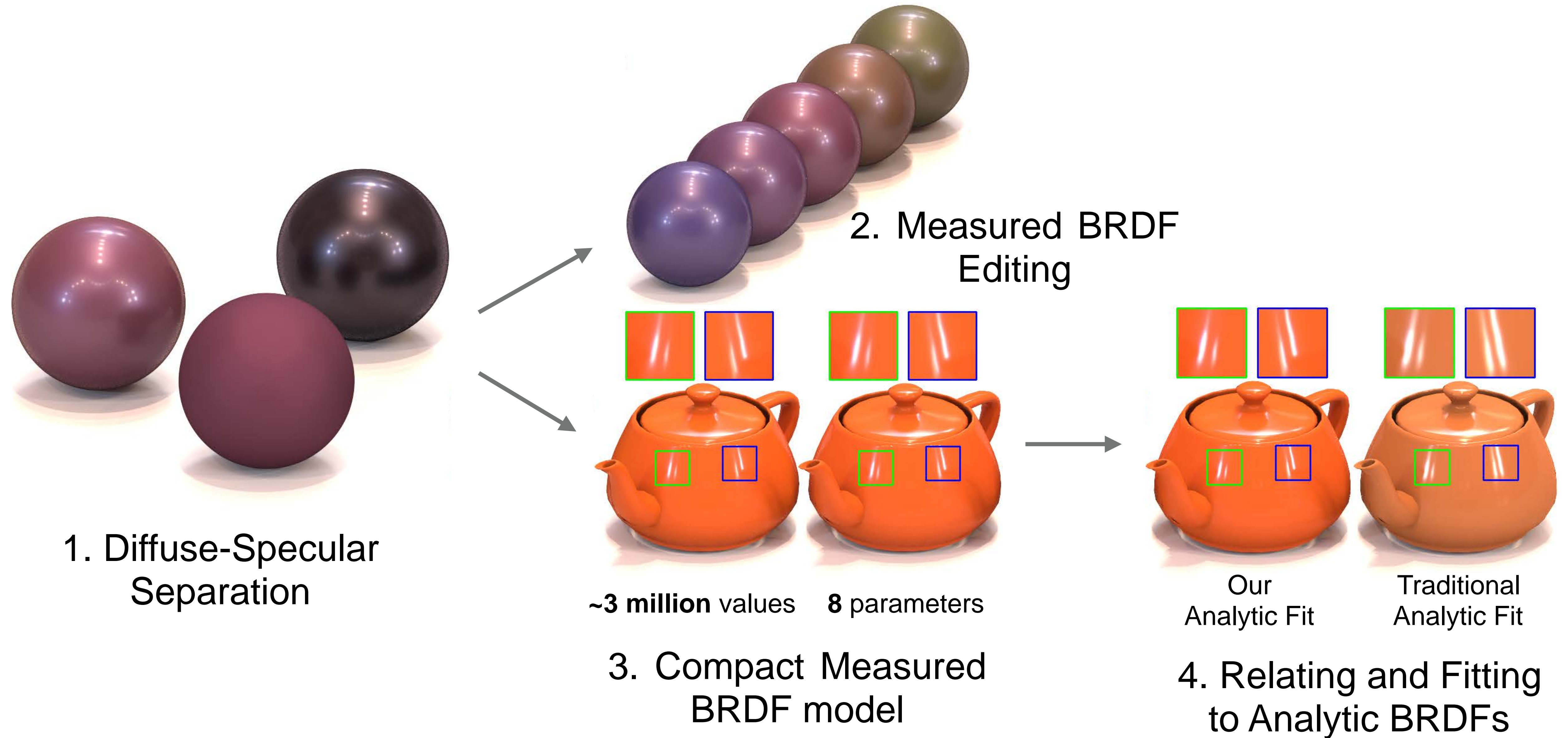


Nielsen *et al.*

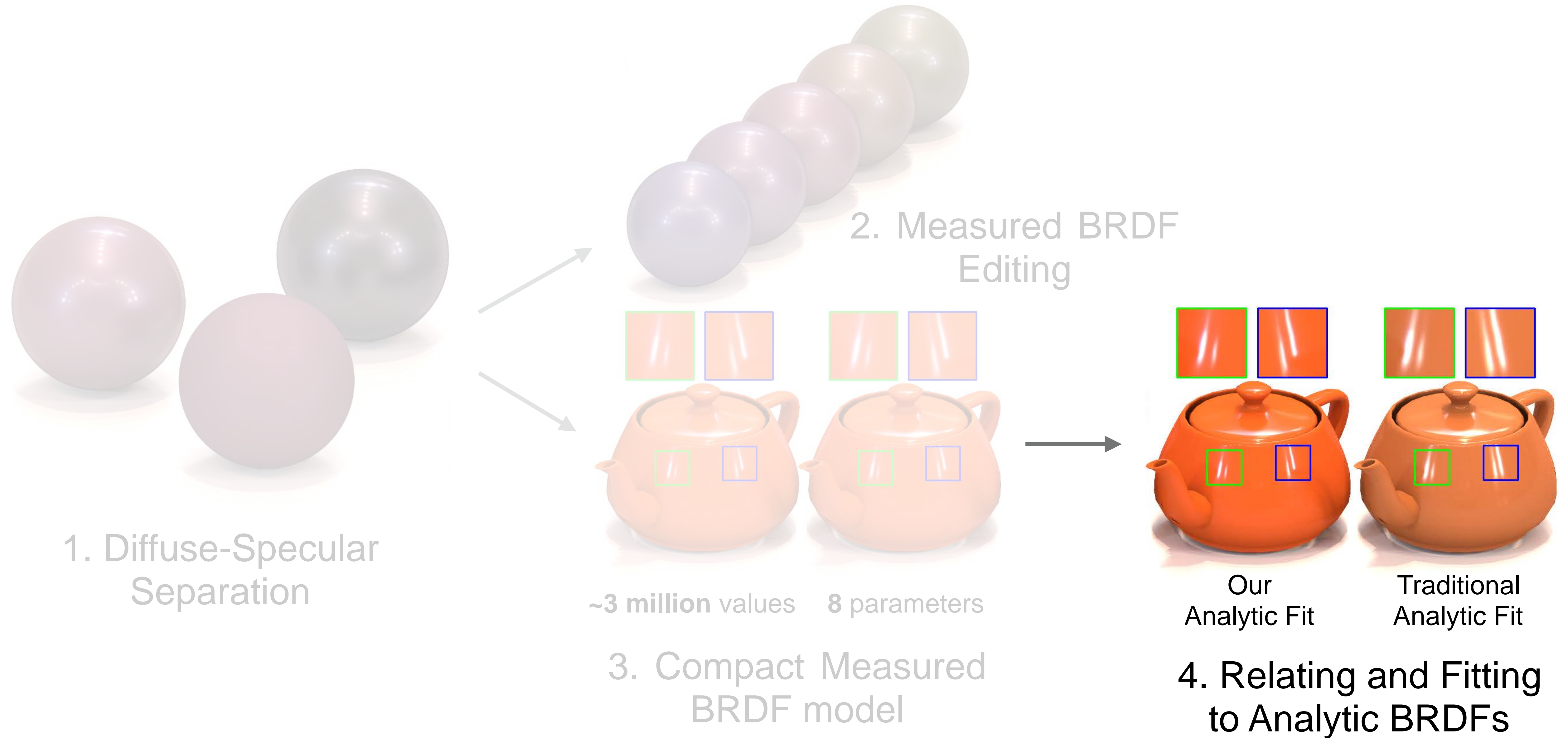
*15 coefficients
(5 for each color channel)*



OVERVIEW



OVERVIEW



4. RELATING AND FITTING TO ANALYTIC BRDFS



Measured BRDF

Analytic BRDF

4. RELATING AND FITTING TO ANALYTIC BRDFS



Measured BRDF

8 coefficients

Analytic BRDF

8 parameter

4. RELATING AND FITTING TO ANALYTIC BRDFS



Measured BRDF

8 coefficients

$$Q_d x_d \cdot \mathbf{c}_d(\lambda) + g^{-1} (\mathbf{Q}_s \cdot \mathbf{x}_s + \mu_s) \cdot \mathbf{c}_s(\lambda)$$

Analytic BRDF

8 parameter

$$\rho_d(\alpha_d) \cdot \mathbf{c}_d(\lambda) + \rho_s(\alpha_s) \cdot \mathbf{c}_s(\lambda)$$

4. RELATING AND FITTING TO ANALYTIC BRDFS



Measured BRDF

8 coefficients

$$Q_d x_d \cdot \underline{\mathbf{c}_d(\lambda)} + g^{-1} (\mathbf{Q}_s \cdot \mathbf{x}_s + \mu_s) \cdot \mathbf{c}_s(\lambda)$$

2 for diffuse color $\mathbf{c}_d(\lambda)$

Analytic BRDF

8 parameter

$$\rho_d(\alpha_d) \cdot \underline{\mathbf{c}_d(\lambda)} + \rho_s(\alpha_s) \cdot \mathbf{c}_s(\lambda)$$

2 for diffuse color $\mathbf{c}_d(\lambda)$

4. RELATING AND FITTING TO ANALYTIC BRDFS



Measured BRDF

8 coefficients

$$Q_d x_d \cdot \mathbf{c}_d(\lambda) + g^{-1} (\mathbf{Q}_s \cdot \mathbf{x}_s + \mu_s) \cdot \underline{\mathbf{c}_s(\lambda)}$$

2 for diffuse color $\mathbf{c}_d(\lambda)$

2 for specular color $\mathbf{c}_s(\lambda)$

Analytic BRDF

8 parameter

$$\rho_d(\alpha_d) \cdot \mathbf{c}_d(\lambda) + \rho_s(\alpha_s) \cdot \underline{\mathbf{c}_s(\lambda)}$$

2 for diffuse color $\mathbf{c}_d(\lambda)$

2 for specular color $\mathbf{c}_s(\lambda)$

4. RELATING AND FITTING TO ANALYTIC BRDFS



Measured BRDF

8 coefficients

$$\underline{Q_d x_d} \cdot \mathbf{c}_d(\lambda) + g^{-1} (\mathbf{Q}_s \cdot \mathbf{x}_s + \mu_s) \cdot \mathbf{c}_s(\lambda)$$

2 for diffuse color $\mathbf{c}_d(\lambda)$

2 for specular color $\mathbf{c}_s(\lambda)$

1 for diffuse PC coefficient x_d

Analytic BRDF

8 parameter

$$\underline{\rho_d(\alpha_d)} \cdot \mathbf{c}_d(\lambda) + \rho_s(\alpha_s) \cdot \mathbf{c}_s(\lambda)$$

2 for diffuse color $\mathbf{c}_d(\lambda)$

2 for specular color $\mathbf{c}_s(\lambda)$

1 for Lambertian intensity α_d

4. RELATING AND FITTING TO ANALYTIC BRDFS



Measured BRDF

8 coefficients

$$Q_d x_d \cdot \mathbf{c}_d(\lambda) + g^{-1} (\mathbf{Q}_s \cdot \mathbf{x}_s + \mu_s) \cdot \mathbf{c}_s(\lambda)$$

2 for diffuse color $\mathbf{c}_d(\lambda)$

2 for specular color $\mathbf{c}_s(\lambda)$

1 for diffuse PC coefficient x_d

3 for specular PC coefficients \mathbf{x}_s

Analytic BRDF

8 parameter

$$\rho_d(\alpha_d) \cdot \mathbf{c}_d(\lambda) + \rho_s(\alpha_s) \cdot \mathbf{c}_s(\lambda)$$

2 for diffuse color $\mathbf{c}_d(\lambda)$

2 for specular color $\mathbf{c}_s(\lambda)$

1 for Lambertian intensity α_d

3 for GGX parameters α_s

4. RELATING AND FITTING TO ANALYTIC BRDFS

Measured BRDF

8 coefficients

$$Q_d x_d \cdot \mathbf{c}_d(\lambda) + g^{-1} (\mathbf{Q}_s \cdot \mathbf{x}_s + \mu_s) \cdot \mathbf{c}_s(\lambda)$$

2 for diffuse color $\mathbf{c}_d(\lambda)$

2 for specular color $\mathbf{c}_s(\lambda)$

1 for diffuse PC coefficient x_d

3 for specular PC coefficients \mathbf{x}_s

Analytic BRDF

8 parameter

$$\rho_d(\alpha_d) \cdot \mathbf{c}_d(\lambda) + \rho_s(\alpha_s) \cdot \mathbf{c}_s(\lambda)$$

2 for diffuse color $\mathbf{c}_d(\lambda)$

2 for specular color $\mathbf{c}_s(\lambda)$

1 for Lambertian intensity α_d

3 for GGX parameters α_s



4. RELATING AND FITTING TO ANALYTIC BRDFS

Measured BRDF

8 coefficients

$$Q_d x_d \cdot \mathbf{c}_d(\lambda) + g^{-1} (\mathbf{Q}_s \cdot \mathbf{x}_s + \mu_s) \cdot \mathbf{c}_s(\lambda)$$

2 for diffuse color $\mathbf{c}_d(\lambda)$

2 for specular color $\mathbf{c}_s(\lambda)$

1 for diffuse PC coefficient x_d

3 for specular PC coefficients \mathbf{x}_s

Analytic BRDF

8 parameter

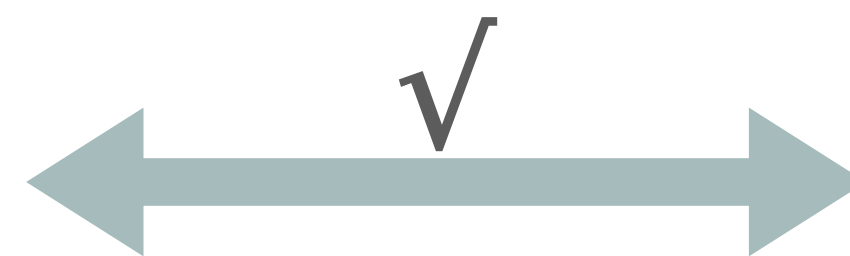
$$\rho_d(\alpha_d) \cdot \mathbf{c}_d(\lambda) + \rho_s(\alpha_s) \cdot \mathbf{c}_s(\lambda)$$

2 for diffuse color $\mathbf{c}_d(\lambda)$

2 for specular color $\mathbf{c}_s(\lambda)$

1 for Lambertian intensity α_d

3 for GGX parameters α_s



4. RELATING AND FITTING TO ANALYTIC BRDFS

Measured BRDF

8 coefficients

$$Q_d x_d \cdot \mathbf{c}_d(\lambda) + g^{-1} (\mathbf{Q}_s \cdot \mathbf{x}_s + \mu_s) \cdot \mathbf{c}_s(\lambda)$$

2 for diffuse color $\mathbf{c}_d(\lambda)$

2 for specular color $\mathbf{c}_s(\lambda)$

1 for diffuse PC coefficient x_d

3 for specular PC coefficients \mathbf{x}_s

Analytic BRDF

8 parameter

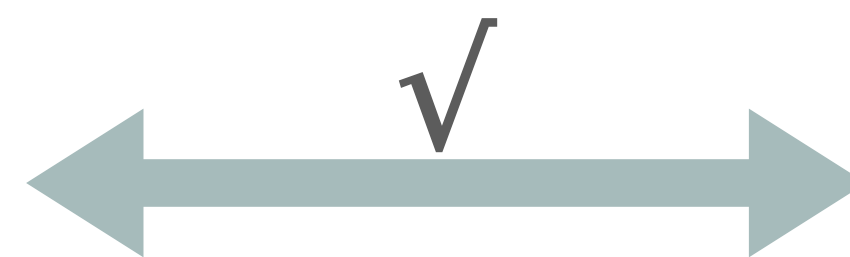
$$\rho_d(\alpha_d) \cdot \mathbf{c}_d(\lambda) + \rho_s(\alpha_s) \cdot \mathbf{c}_s(\lambda)$$

2 for diffuse color $\mathbf{c}_d(\lambda)$

2 for specular color $\mathbf{c}_s(\lambda)$

1 for Lambertian intensity α_d

3 for GGX parameters α_s



4. RELATING AND FITTING TO ANALYTIC BRDFS



4. RELATING AND FITTING TO ANALYTIC BRDFS

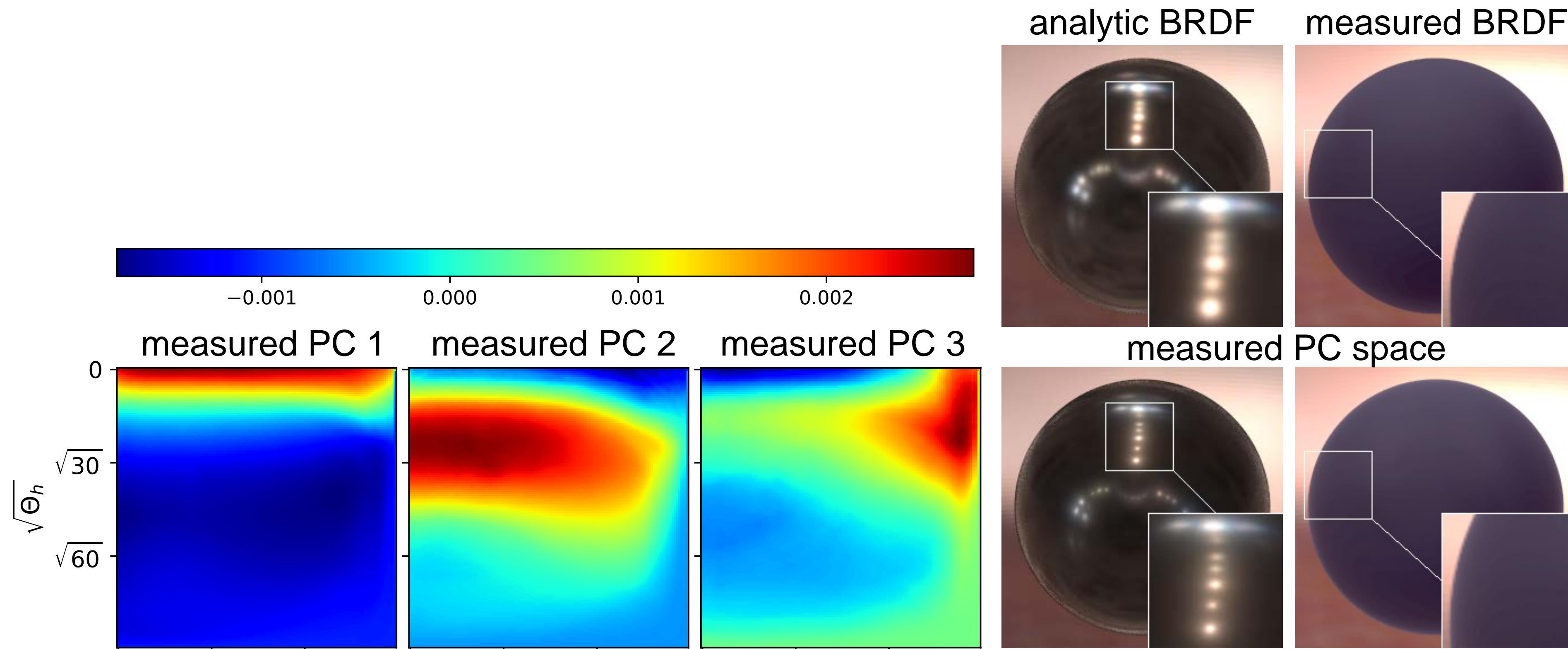
- Measured specular BRDF specified using 3 PC coefficients

4. RELATING AND FITTING TO ANALYTIC BRDFS

- Measured specular BRDF specified using 3 PC coefficients embedded in a 3D PC space

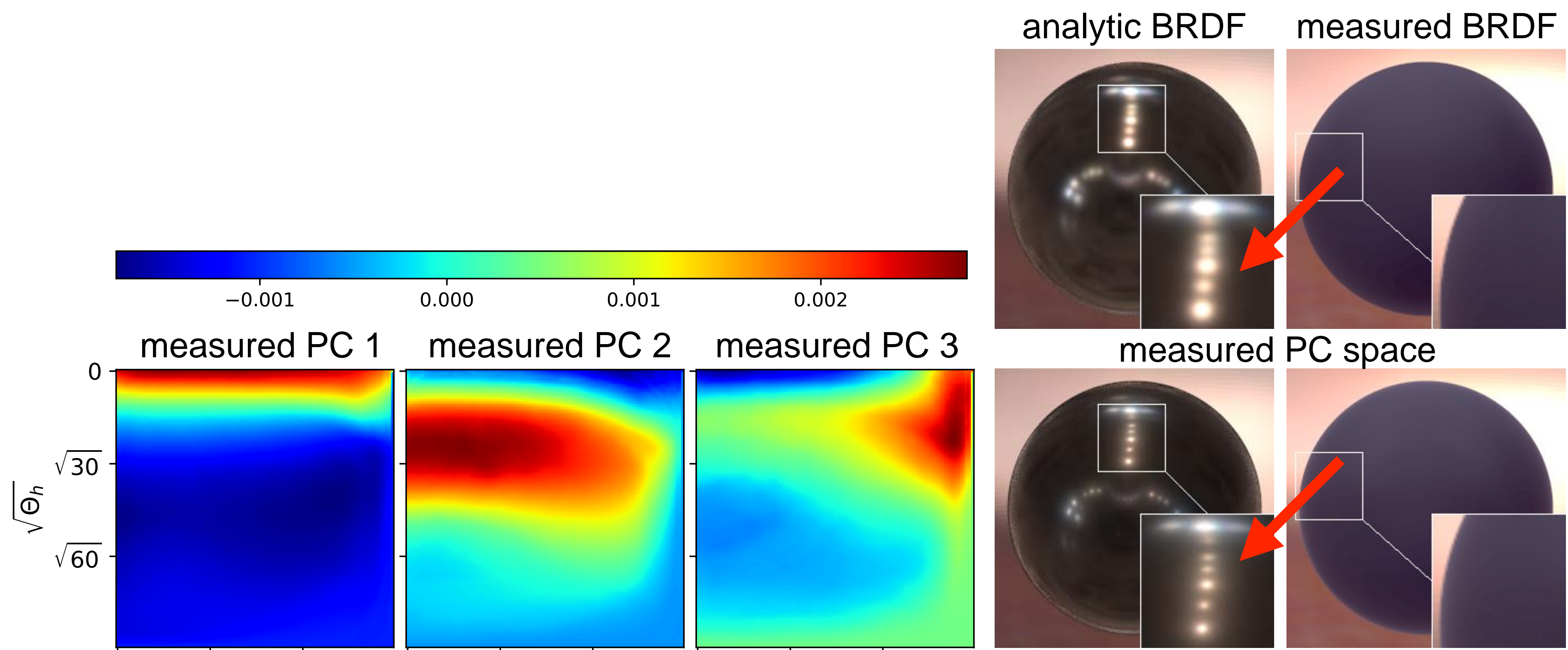
4. RELATING AND FITTING TO ANALYTIC BRDFs

- Measured specular BRDF specified using 3 PC coefficients embedded in a 3D PC space



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4. RELATING AND FITTING TO ANALYTIC BRDFs

- Measured specular BRDF specified using 3 PC coefficients
embedded in a 3D PC space

- Data: specular parts of 100 measured BRDFs

4. RELATING AND FITTING TO ANALYTIC BRDFS

- Measured specular BRDF specified using 3 PC coefficients
 embedded in a 3D PC space

- Data: specular parts of 100 measured BRDFs

$$\rho_s = g^{-1} (\mathbf{Q}_s \cdot \mathbf{x}_s + \mu_s)$$



4. RELATING AND FITTING TO ANALYTIC BRDFS

- Measured specular BRDF specified using 3 PC coefficients
embedded in a 3D PC space

- Data: specular parts of 100 measured BRDFs

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feature of measured BRDF

- + 128 analytic BRDFs sparsely sampled from GGX parameters

4. RELATING AND FITTING TO ANALYTIC BRDFs

- Measured specular BRDF specified using 3 PC coefficients embedded in a 3D PC space

- Data: specular parts of 100 measured BRDFs

$$\rho_s = g^{-1} (\mathbf{Q}_s \cdot \mathbf{x}_s + \mu_s)$$

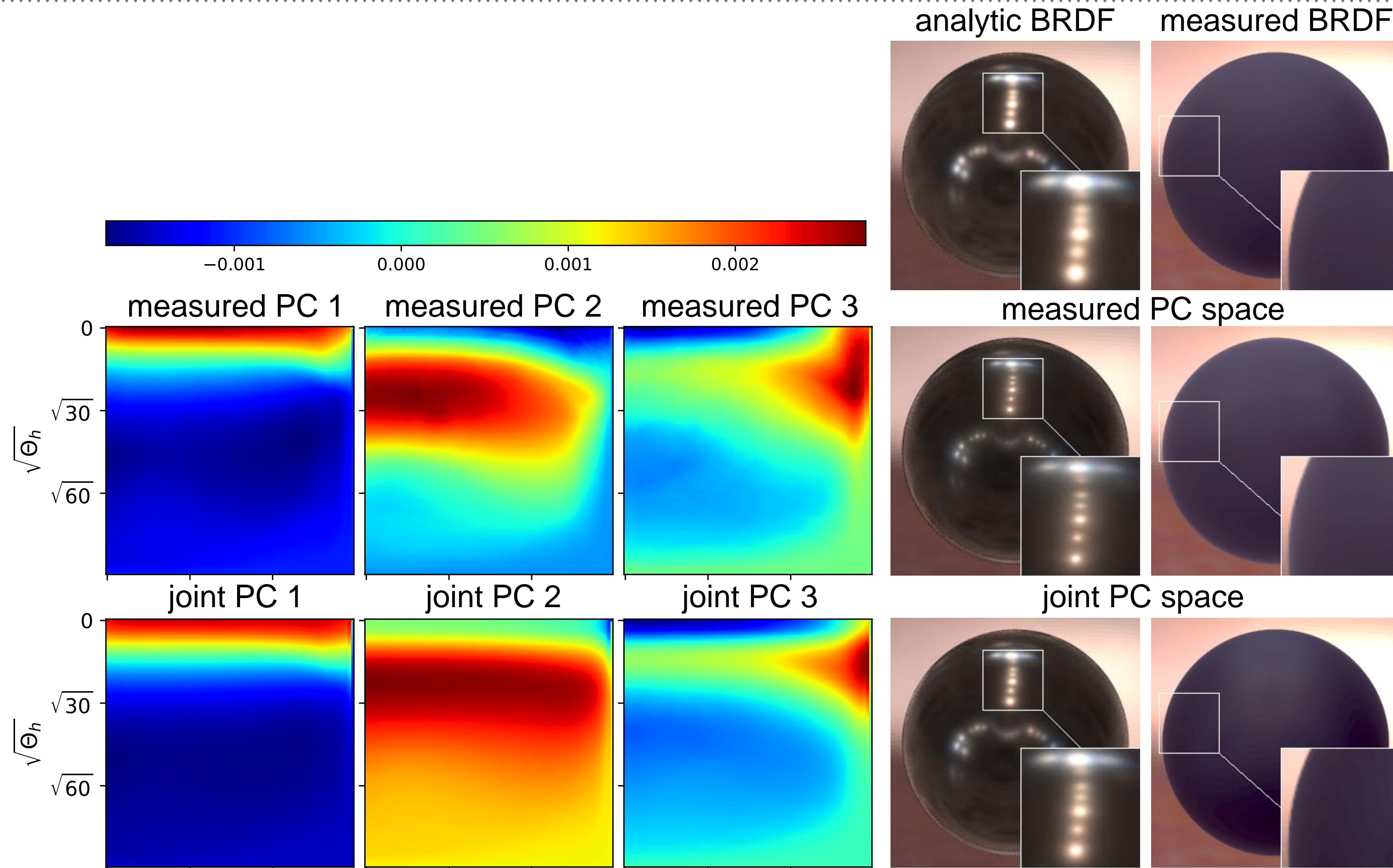
└─┬─▶ feature of measured BRDF

- + 128 analytic BRDFs sparsely sampled from GGX parameters

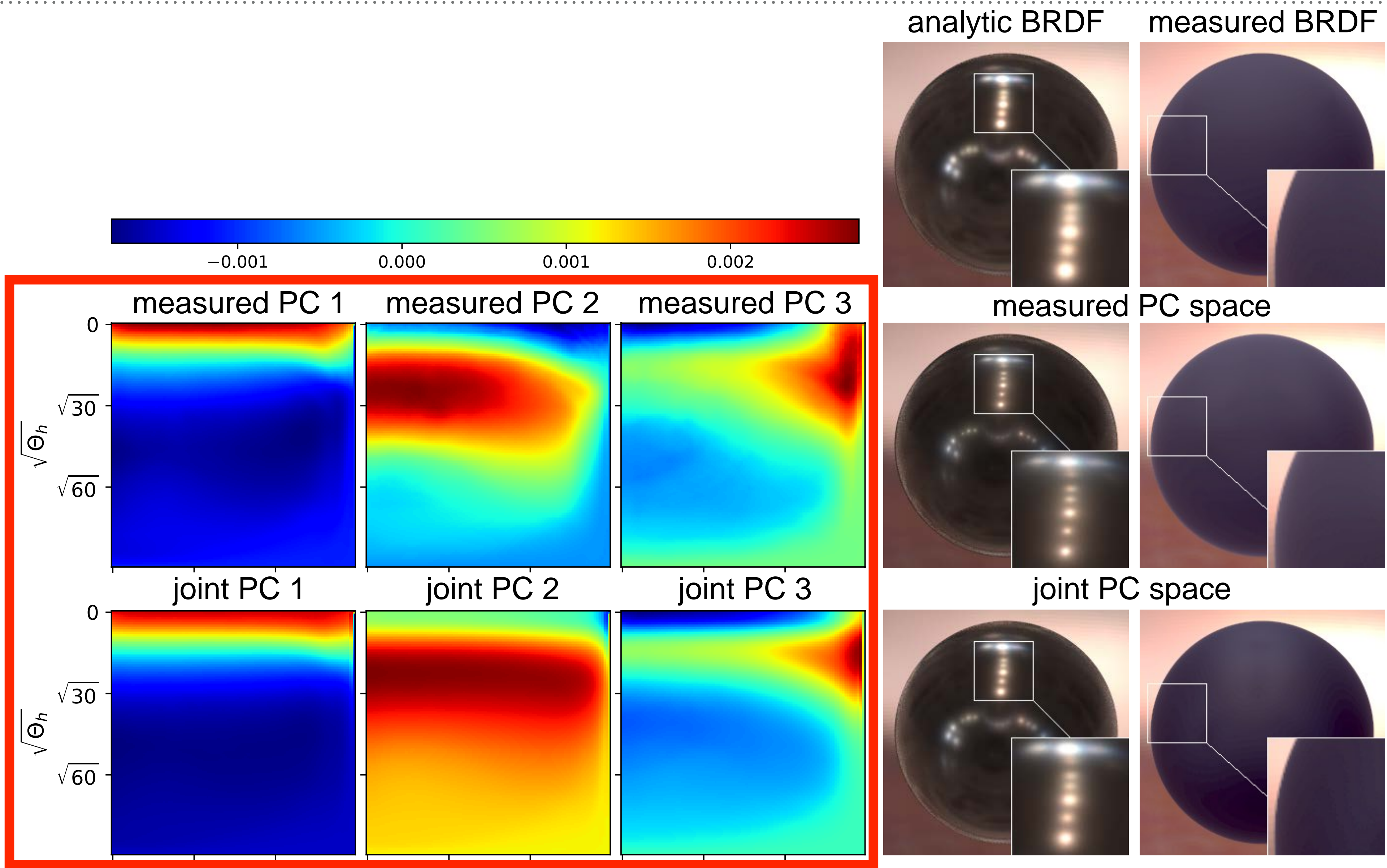
$$\rho_s = g^{-1} (\mathbf{Q}_{s,\text{joint}} \cdot \mathbf{x}_s + \mu_{s,\text{joint}}) \cdot \mathbf{c}_s$$

└─┬─▶ feature of measured and analytic BRDFs

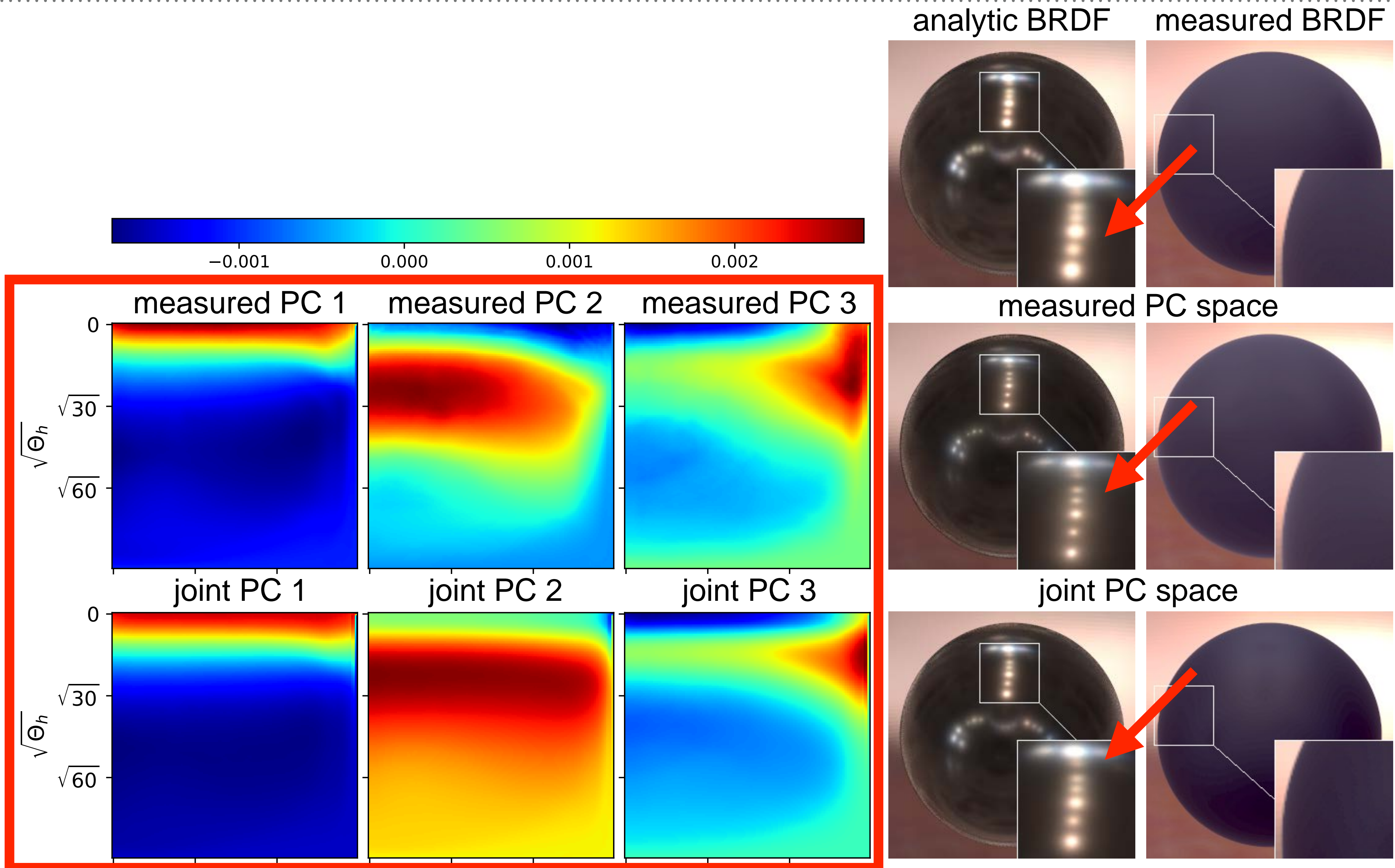
4. RELATING AND FITTING TO ANALYTIC BRDFs



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4. RELATING AND FITTING TO ANALYTIC BRDFS

- Project to joint-PC space:

4. RELATING AND FITTING TO ANALYTIC BRDFs

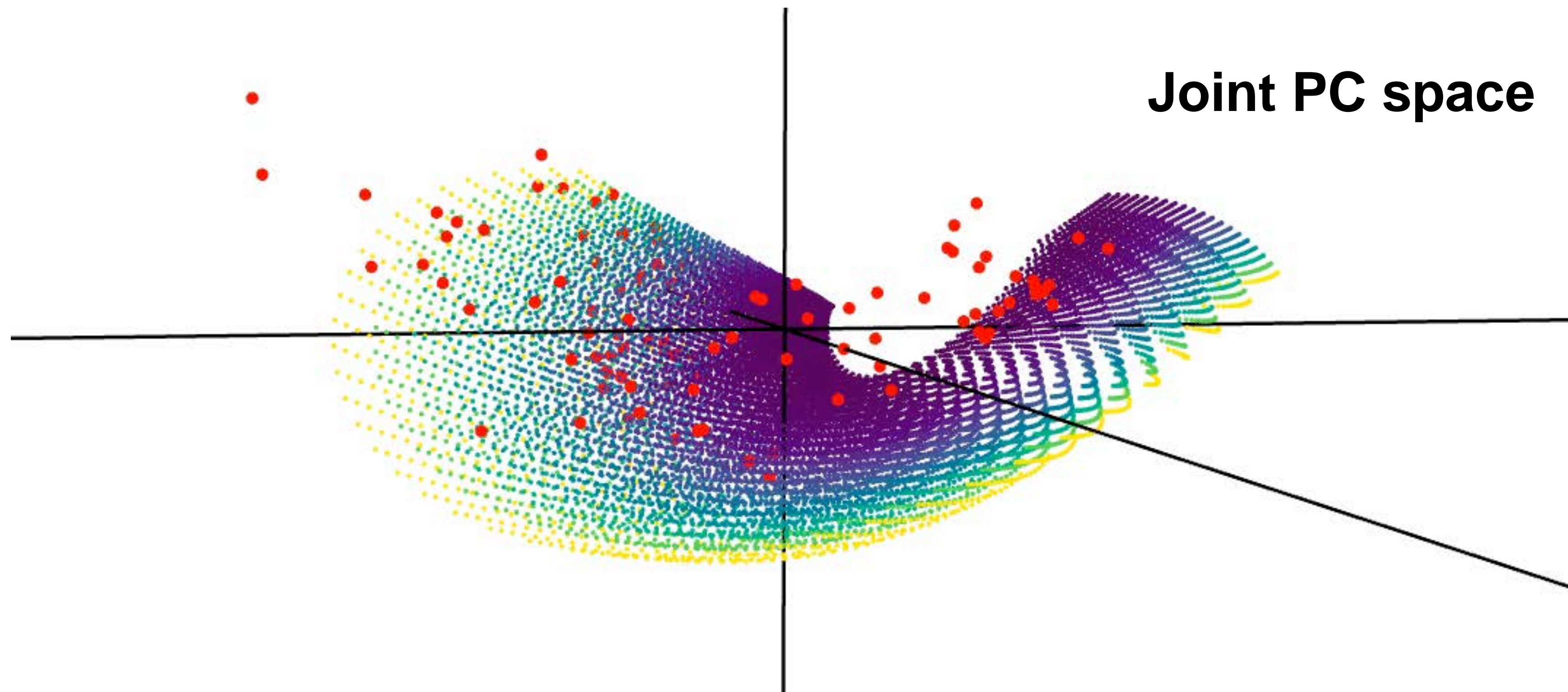
- Project to joint-PC space:
 - specular parts of 100 measured BRDFs

4. RELATING AND FITTING TO ANALYTIC BRDFs

- Project to joint-PC space:
 - specular parts of 100 measured BRDFs
 - 16,000 analytic BRDFs densely sampled from GGX parameters

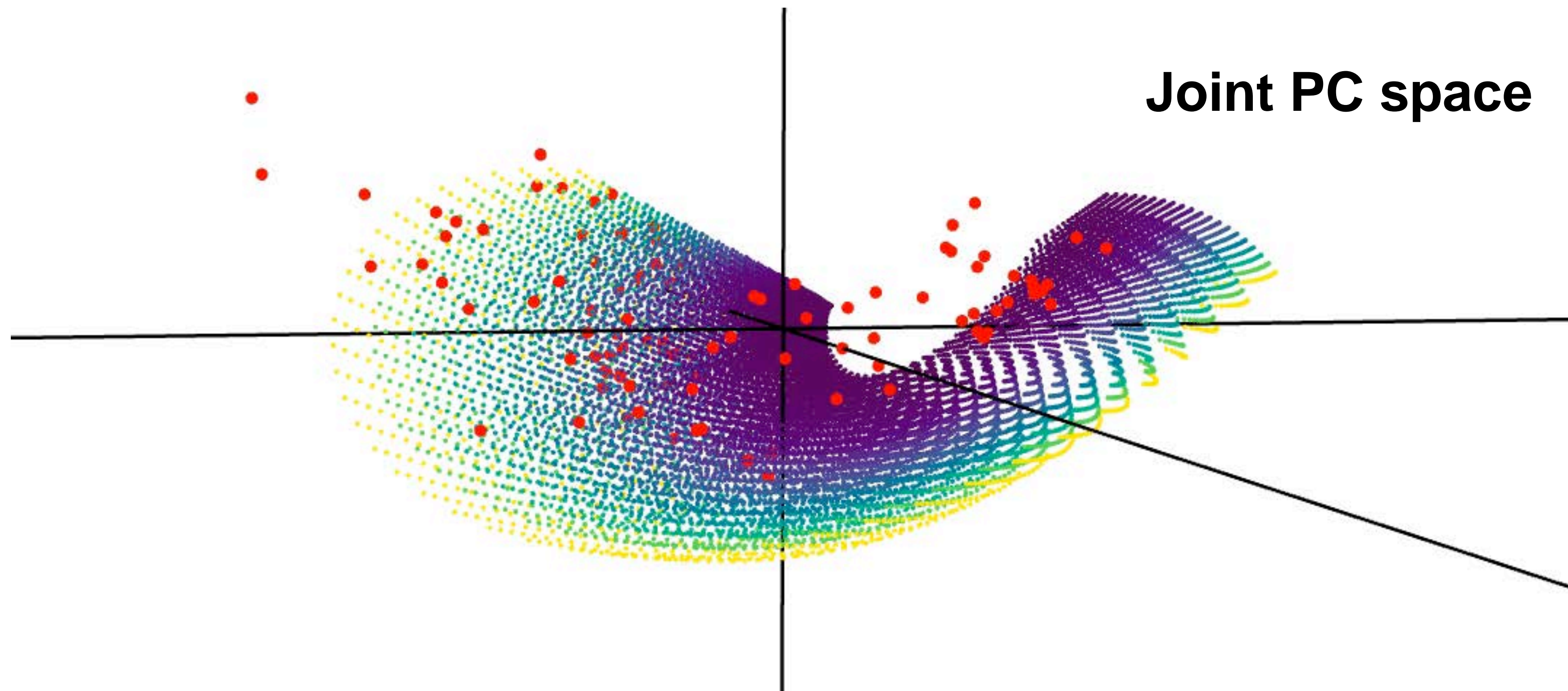
4. RELATING AND FITTING TO ANALYTIC BRDFs

- Project to joint-PC space:
 - specular parts of 100 measured BRDFs
 - 16,000 analytic BRDFs densely sampled from GGX parameters



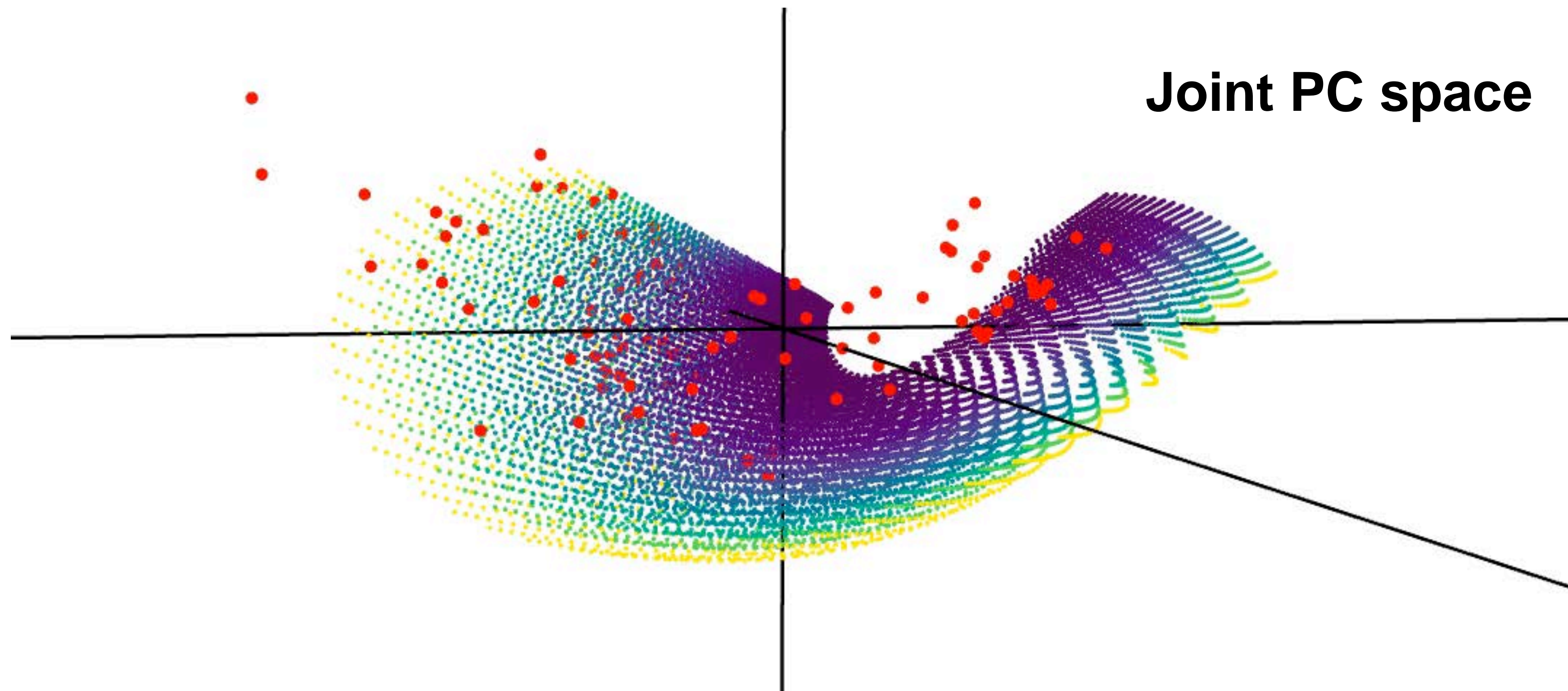
4. RELATING AND FITTING TO ANALYTIC BRDFs

- Project to joint-PC space:
 - specular parts of 100 measured BRDFs (Red points)
 - 16,000 analytic BRDFs densely sampled from GGX parameters (Non-red points)

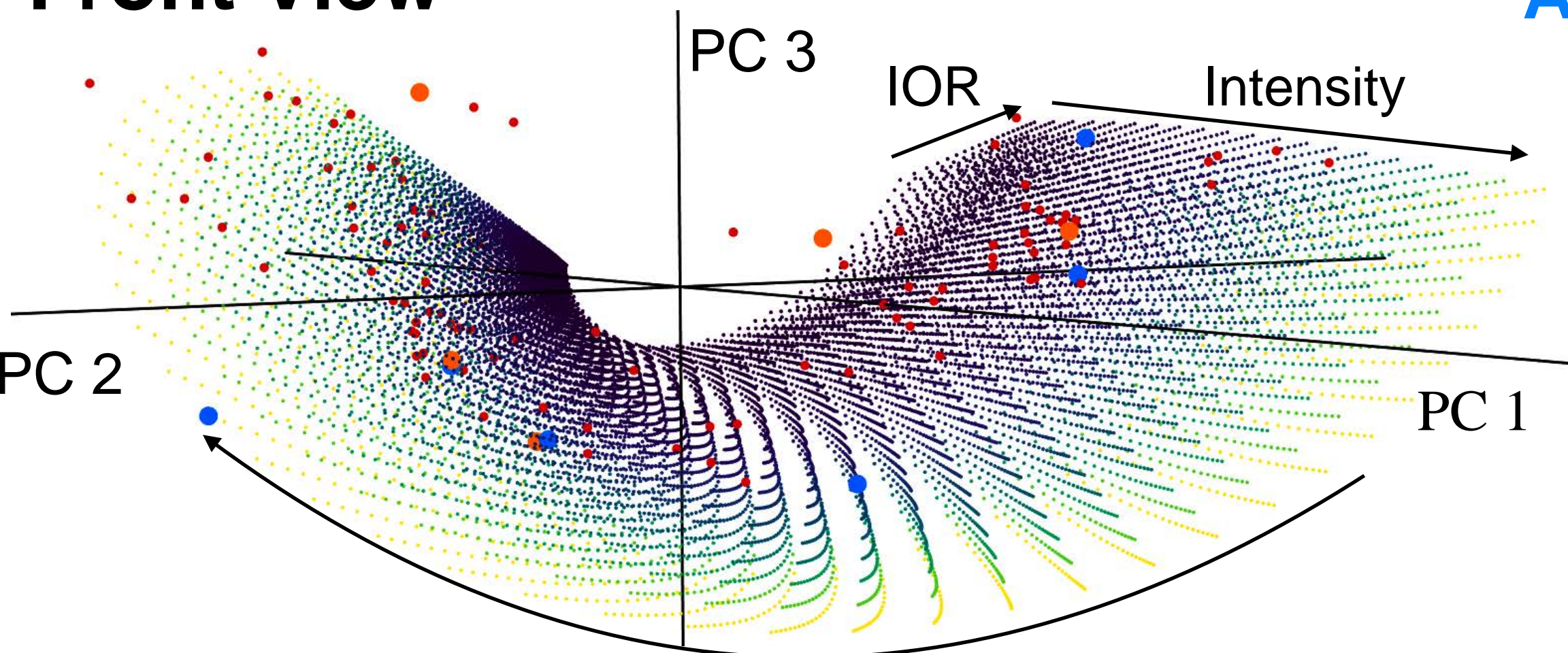


4. RELATING AND FITTING TO ANALYTIC BRDFs

- Project to joint-PC space:
 - specular parts of 100 measured BRDFs (Red points)
 - 16,000 analytic BRDFs densely sampled from GGX parameters (Non-red points)
 - lie in a thin manifold which looks like a “baseball glove”

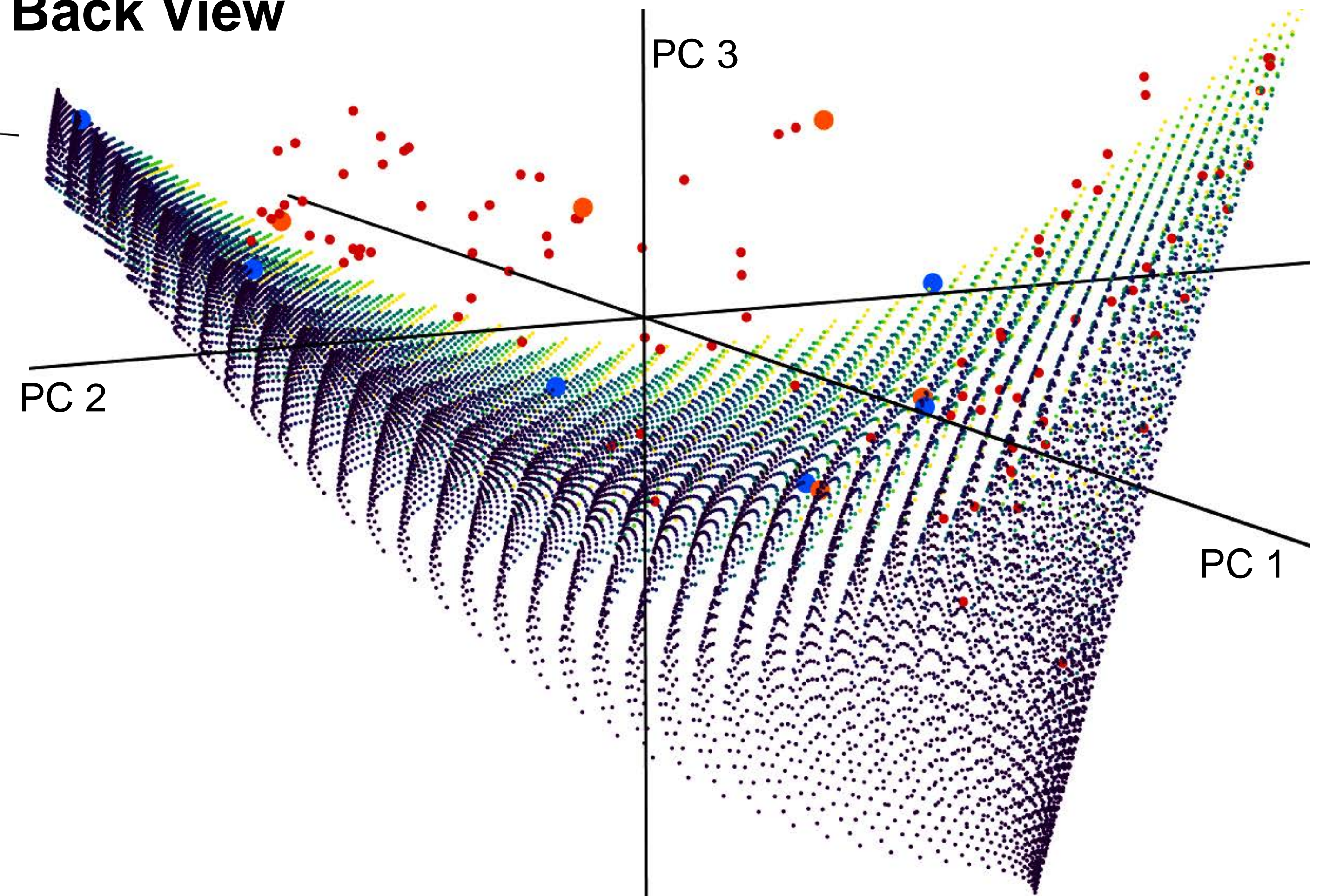


Front View

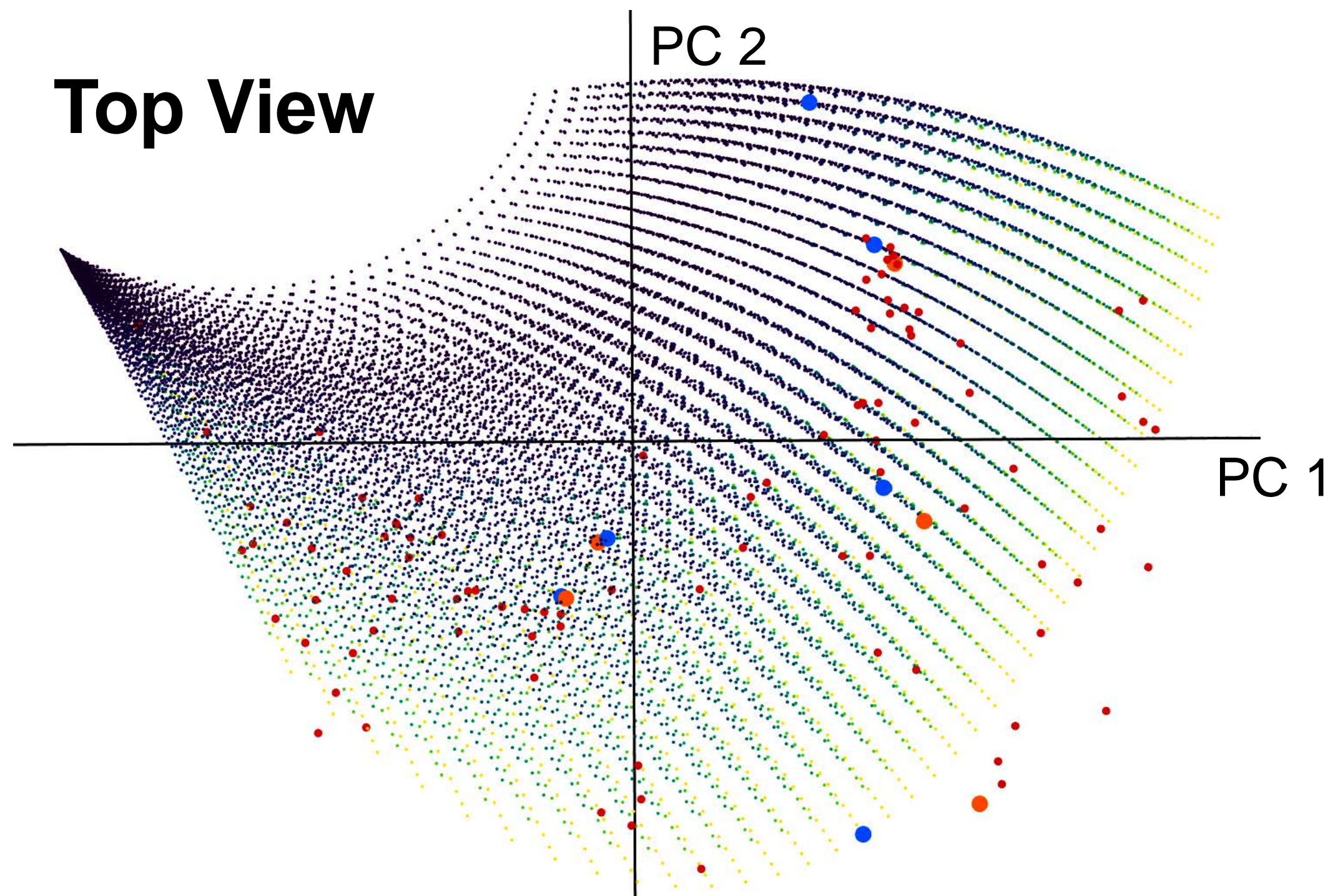


Measured BRDF
Analytic BRDF

Back View

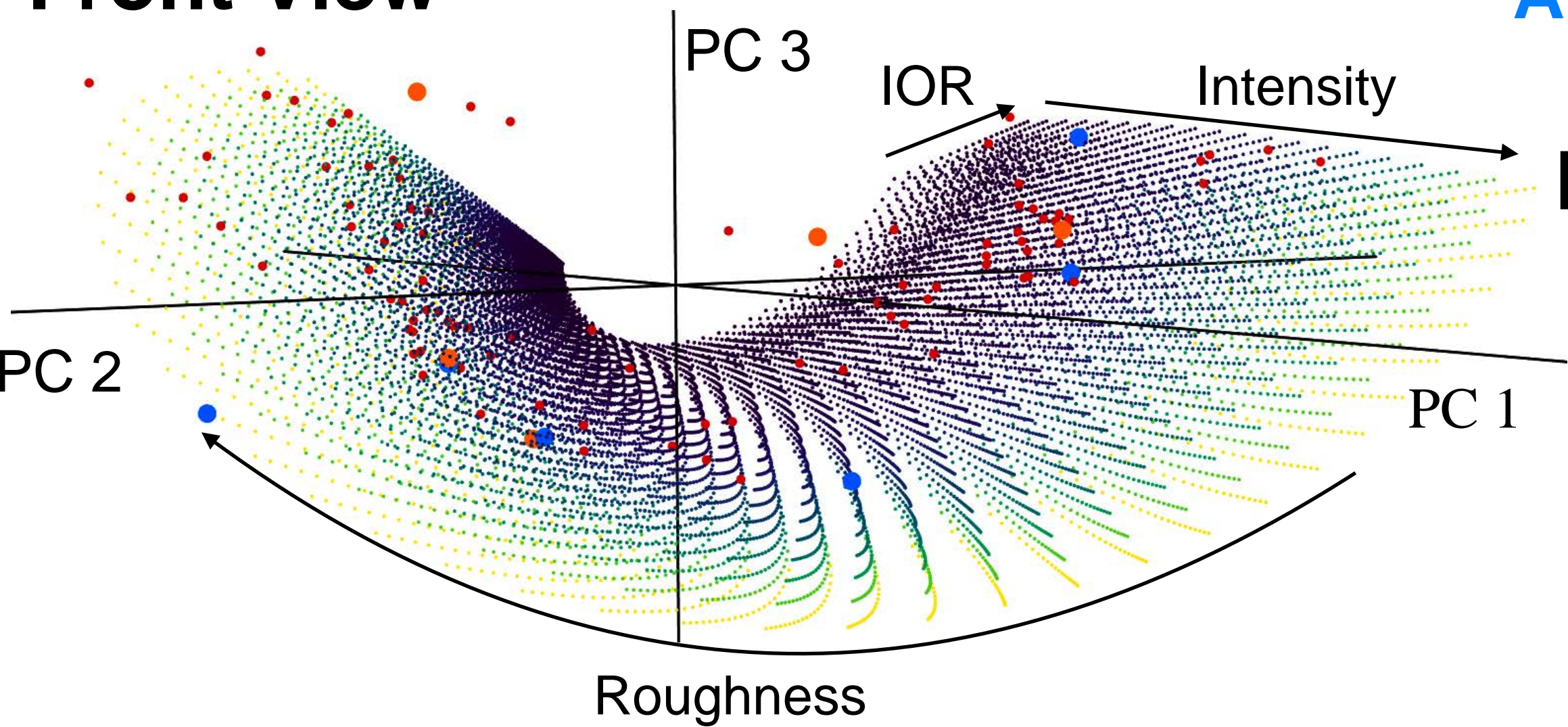


Top View

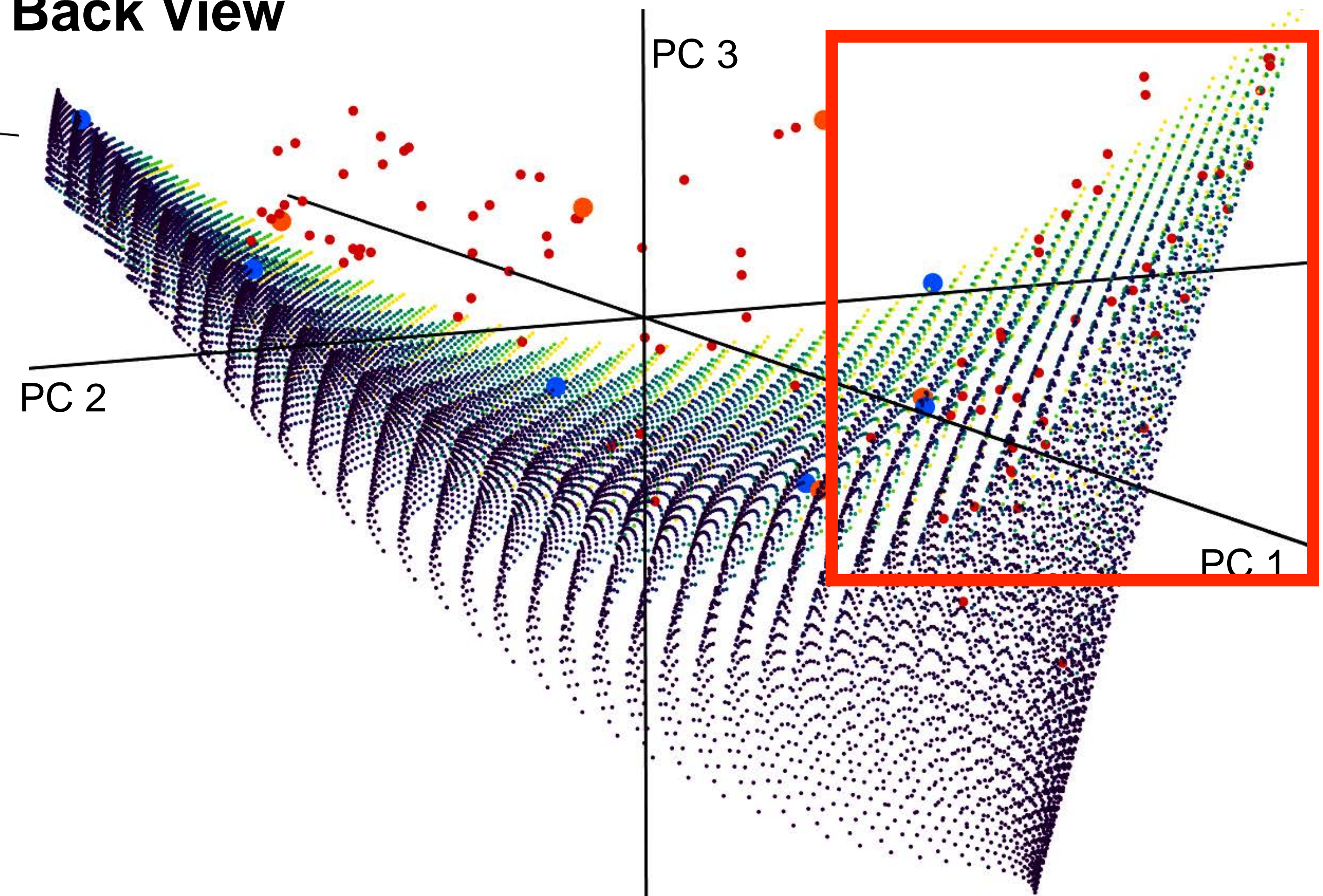


Measured BRDF
Analytic BRDF

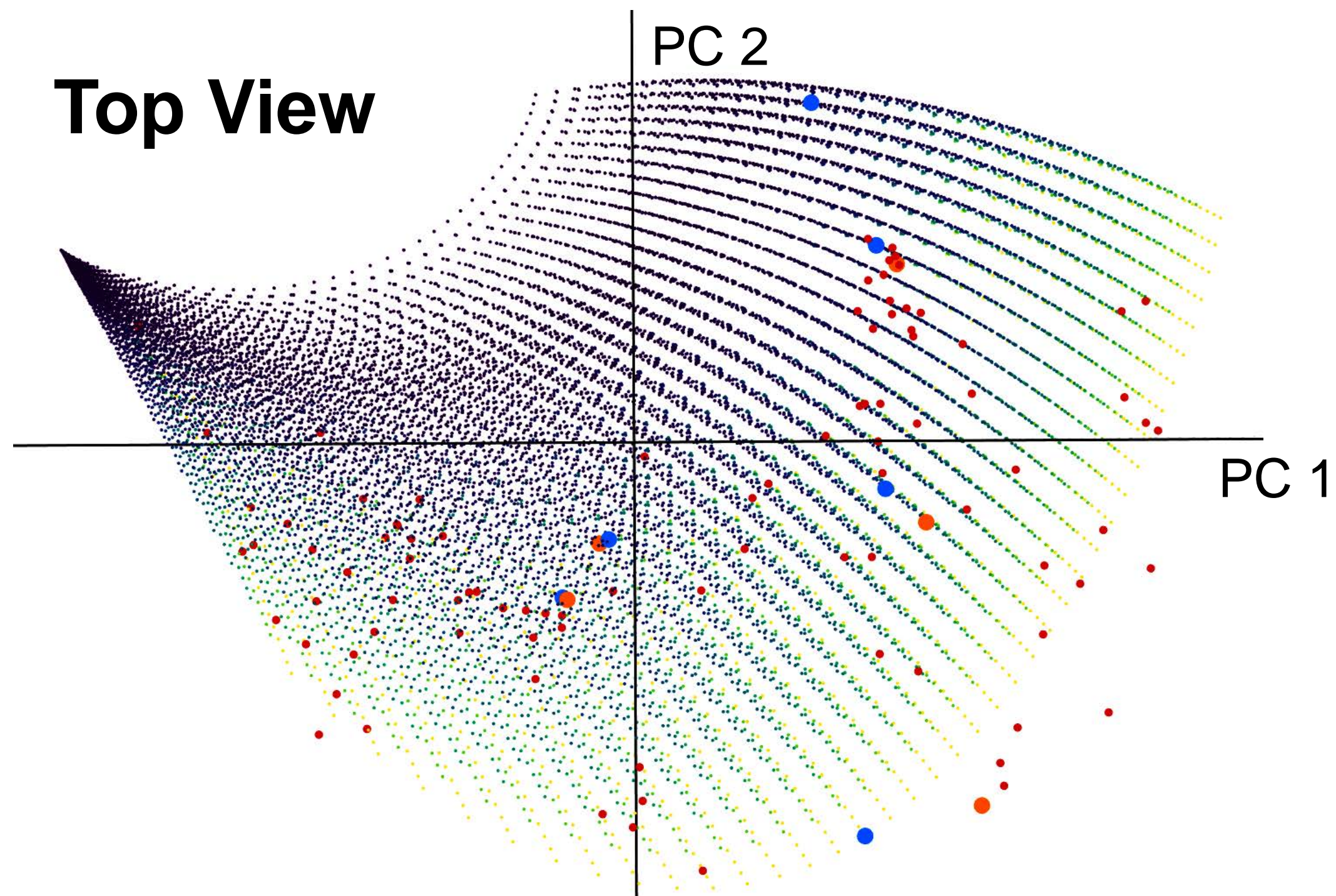
Front View



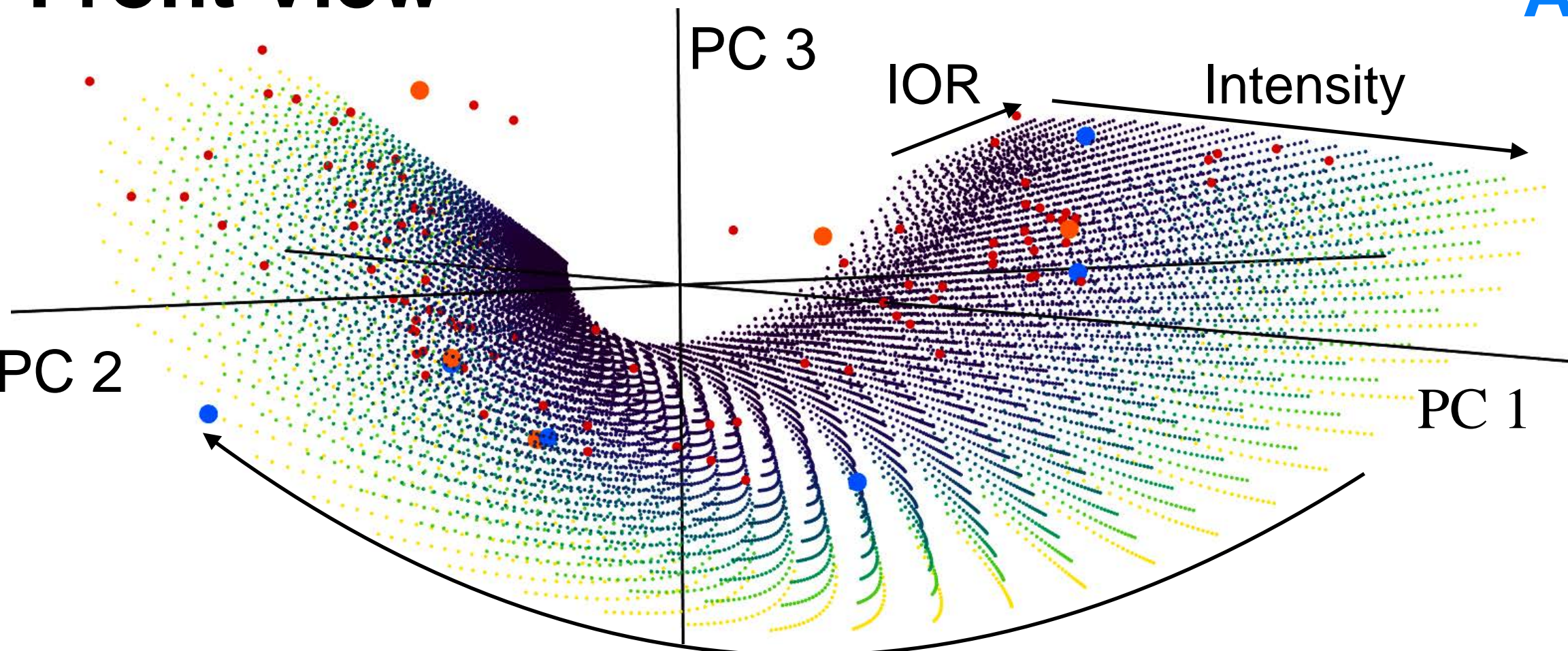
Back View



Top View

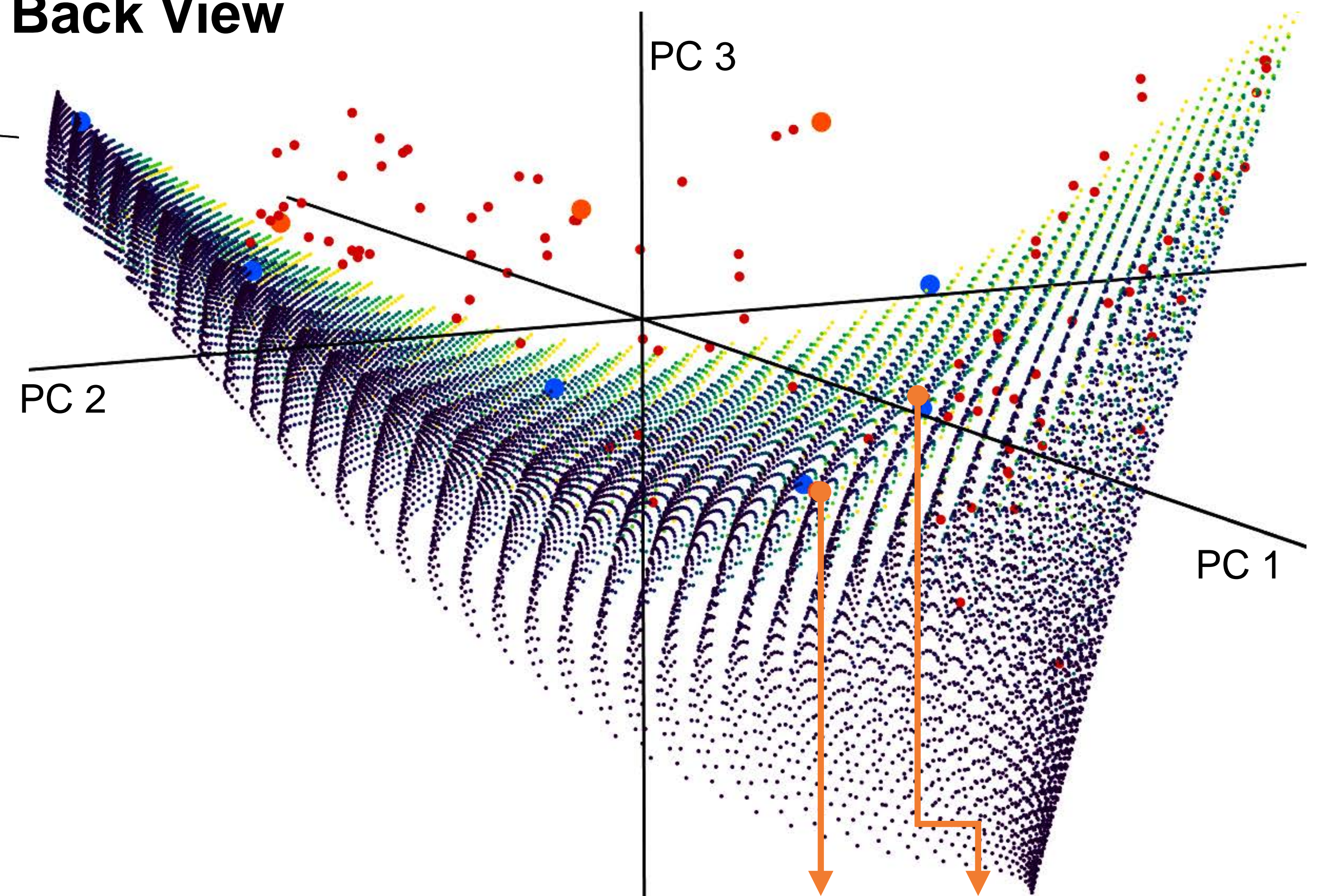


Front View

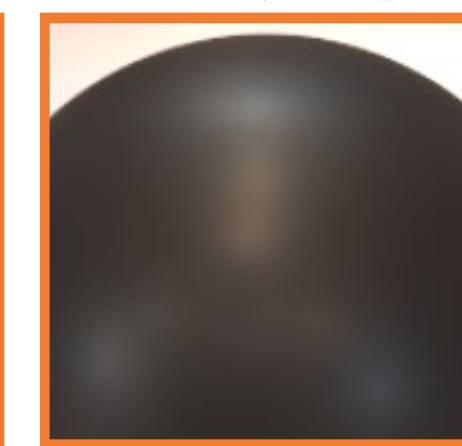
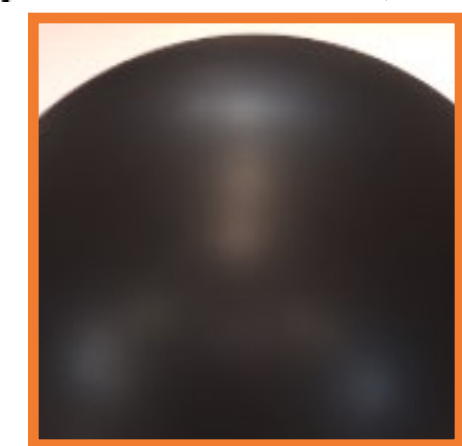
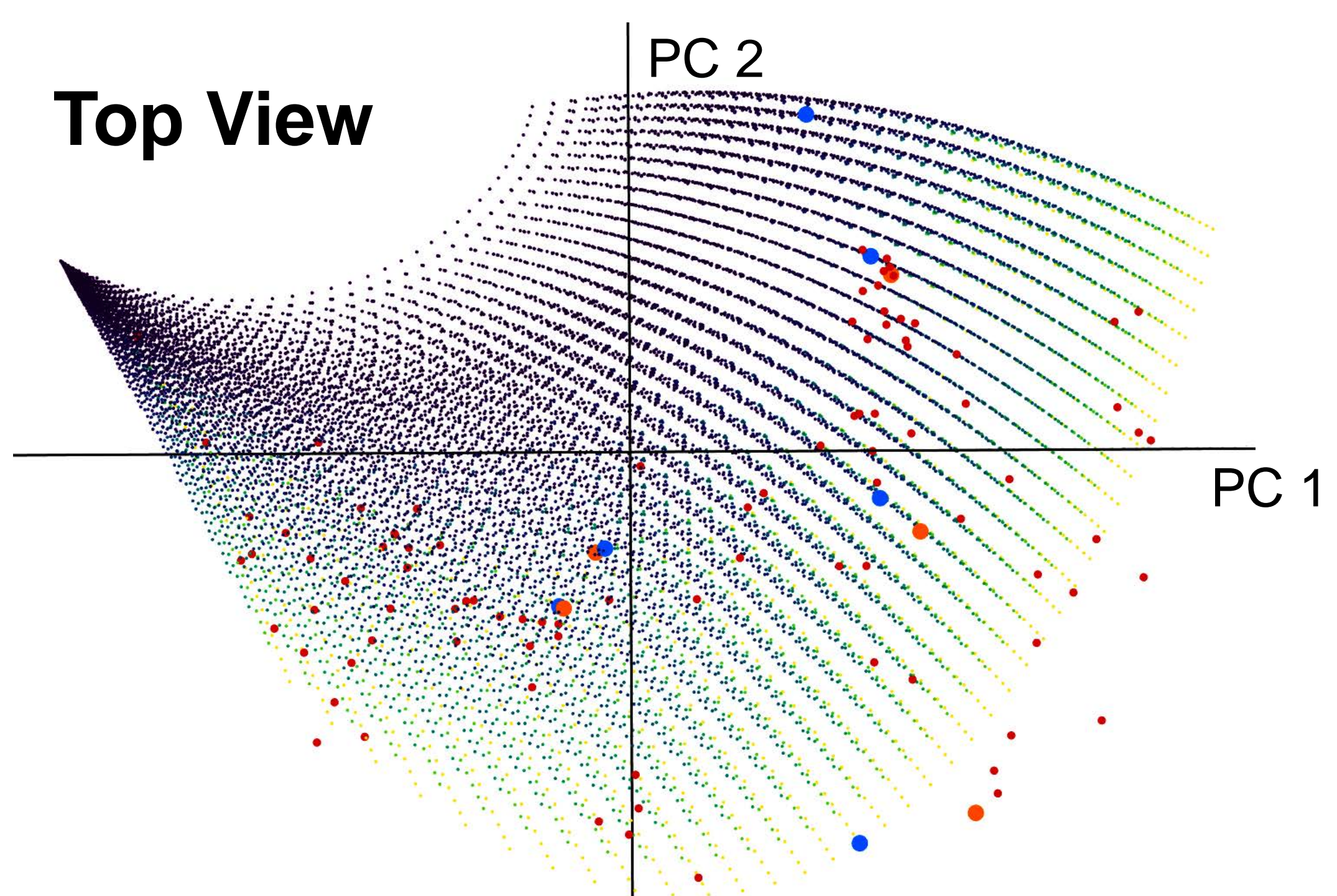


Measured BRDF
Analytic BRDF

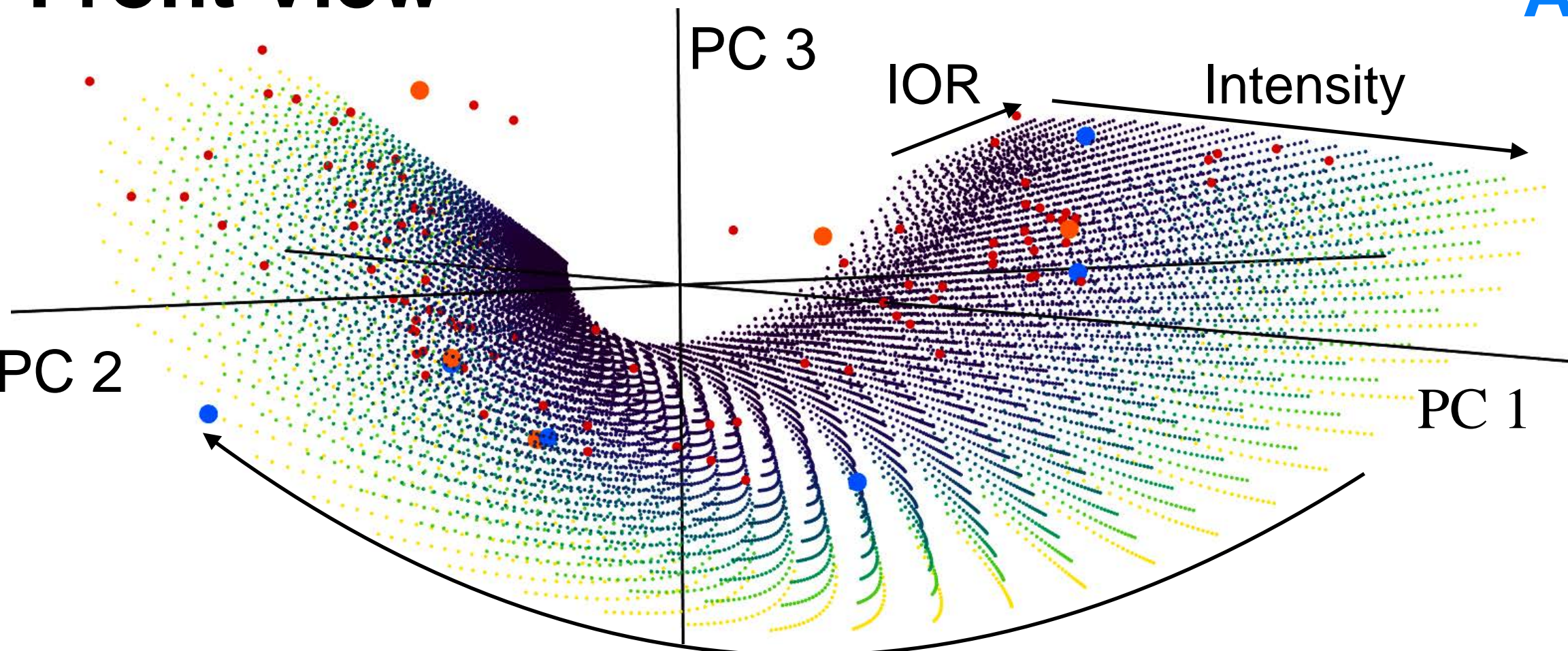
Back View



Top View

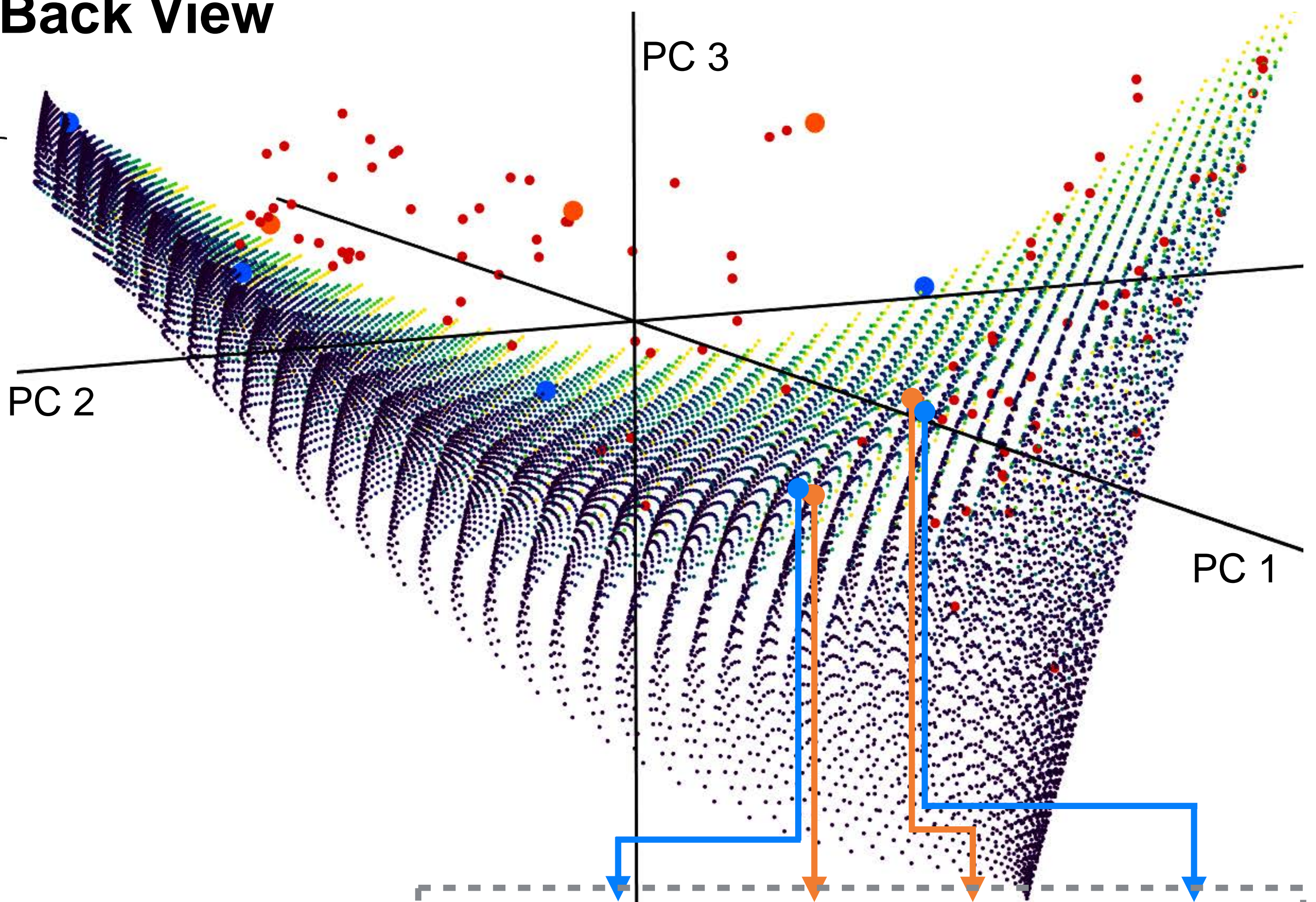


Front View

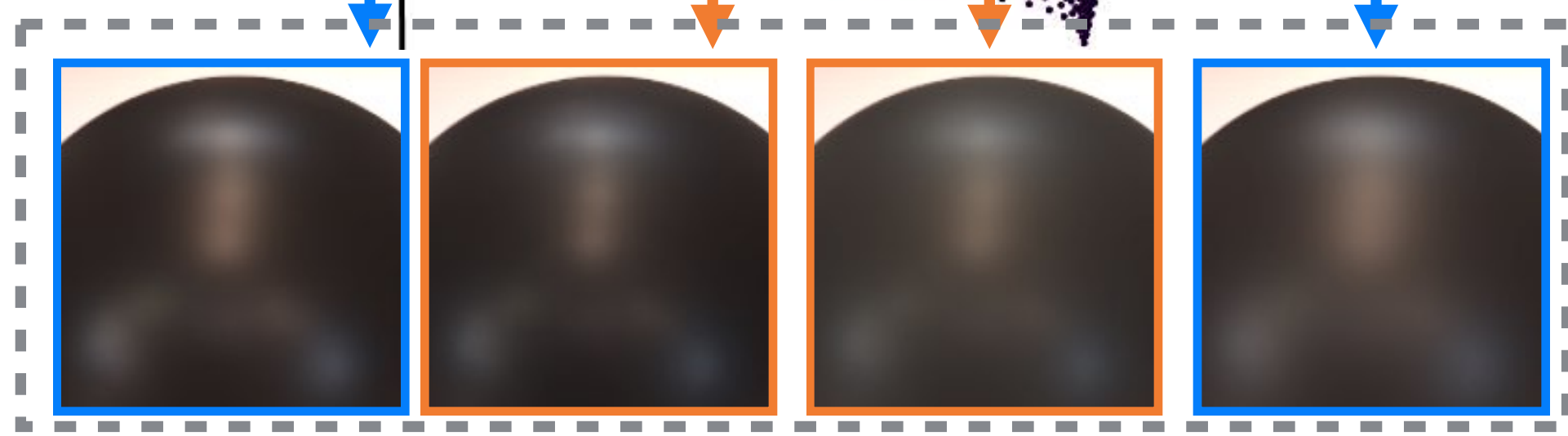
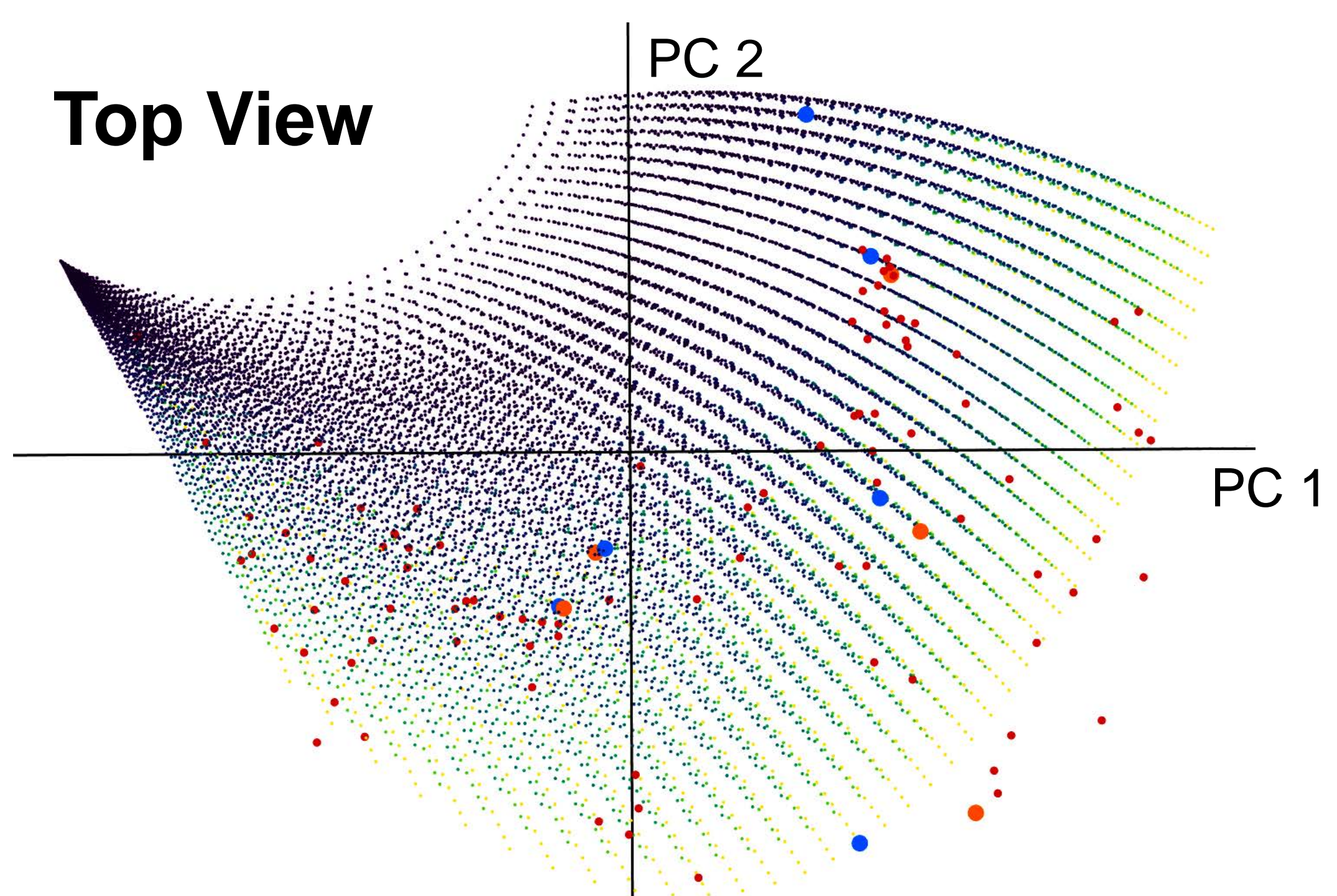


Measured BRDF
Analytic BRDF

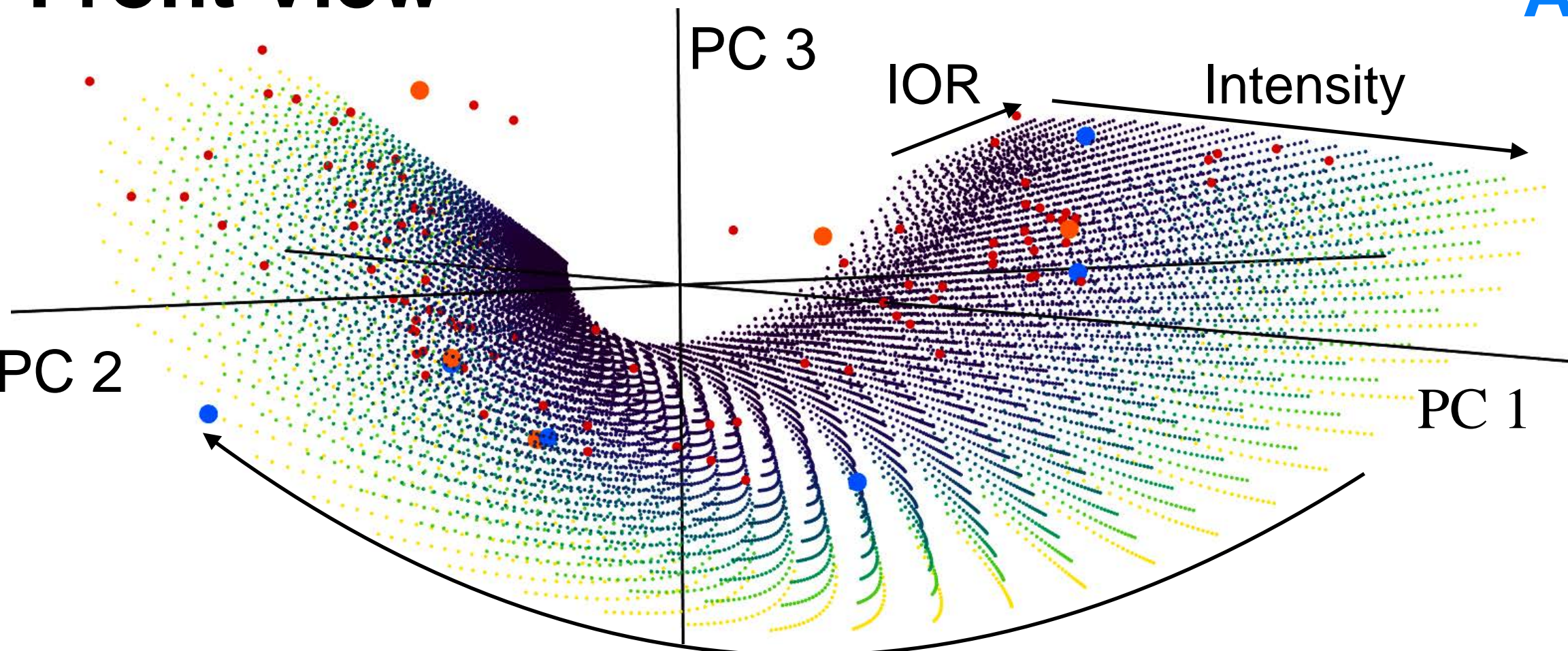
Back View



Top View

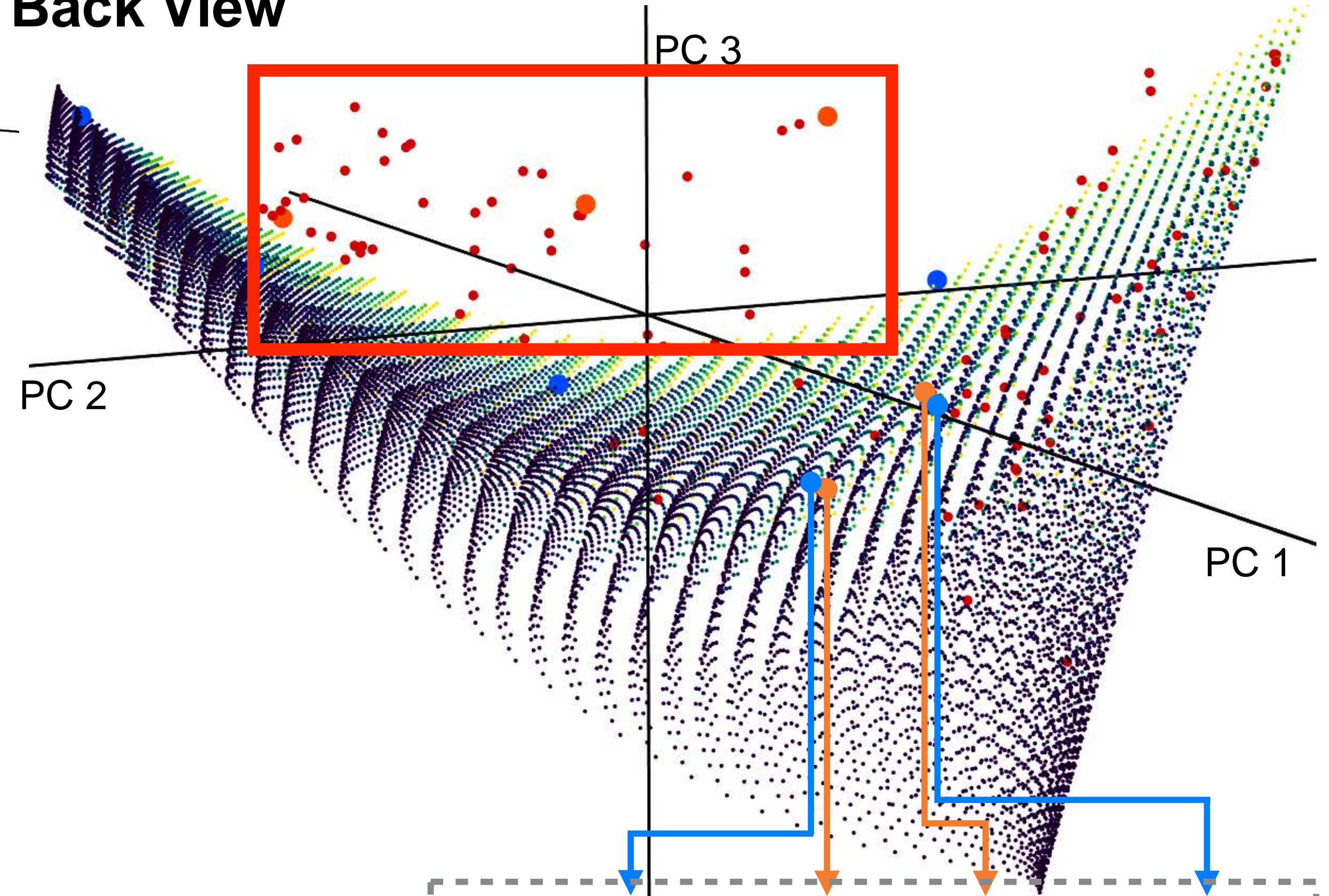


Front View

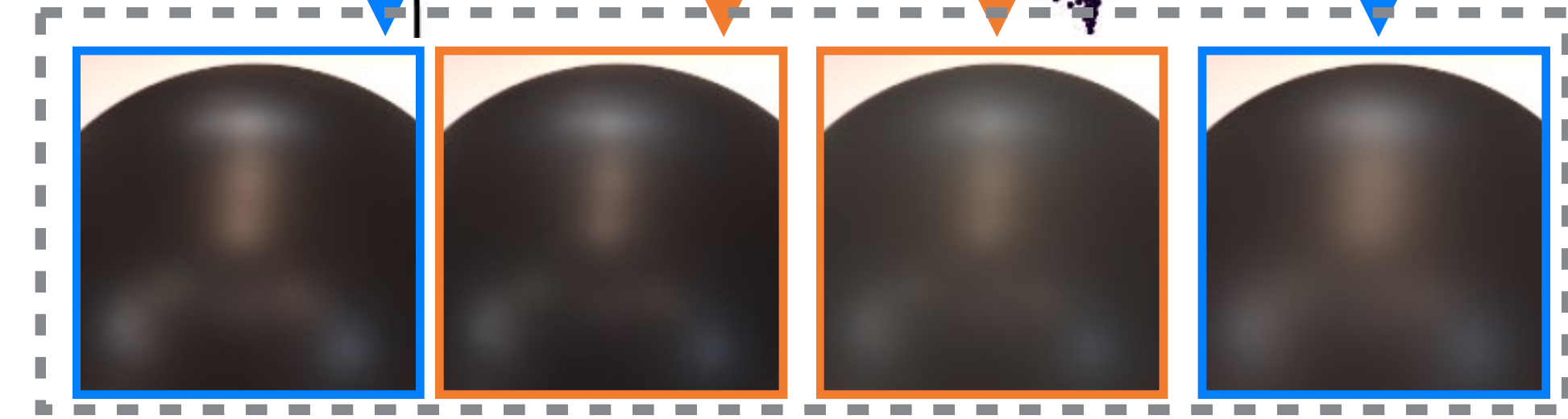
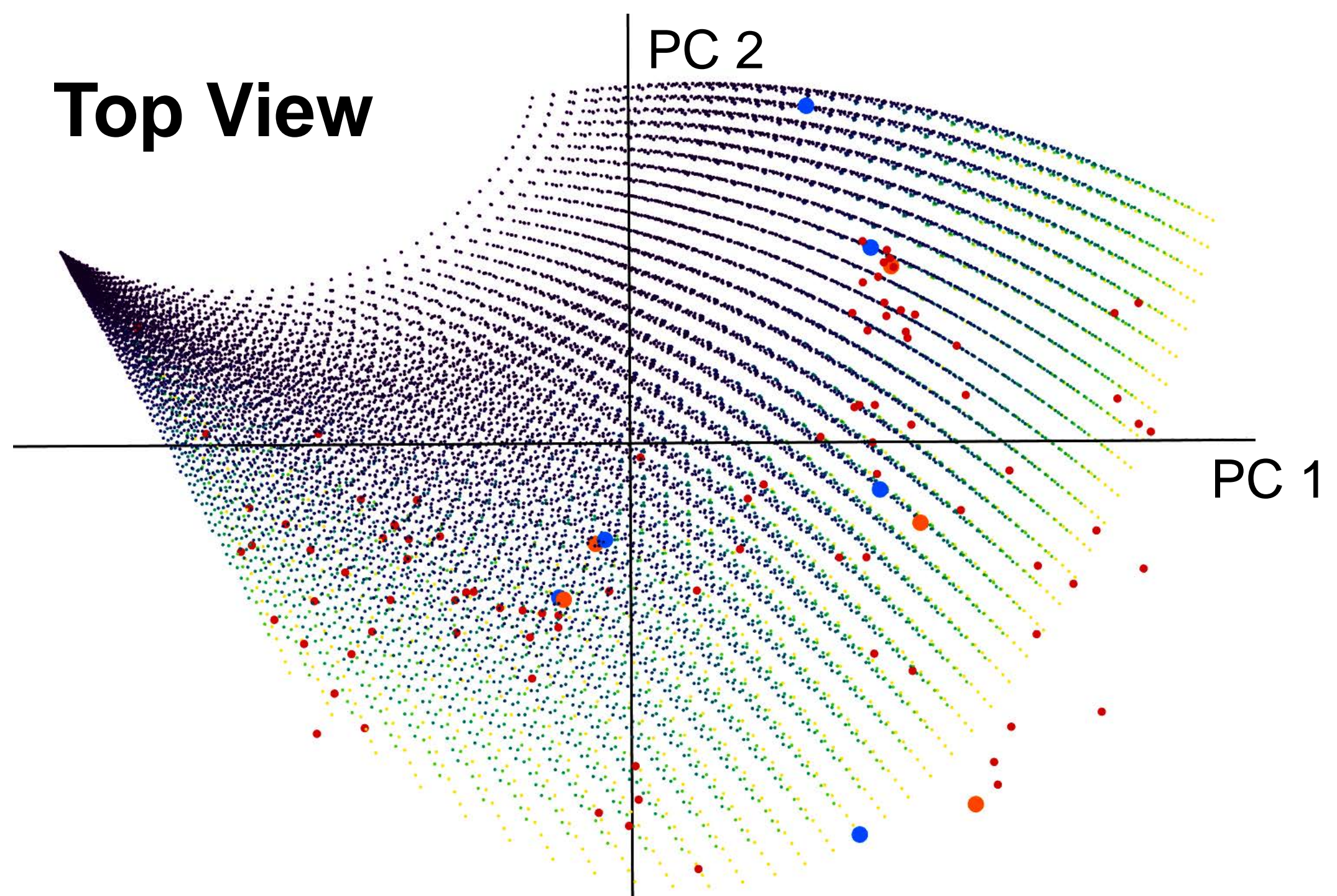


Measured BRDF
Analytic BRDF

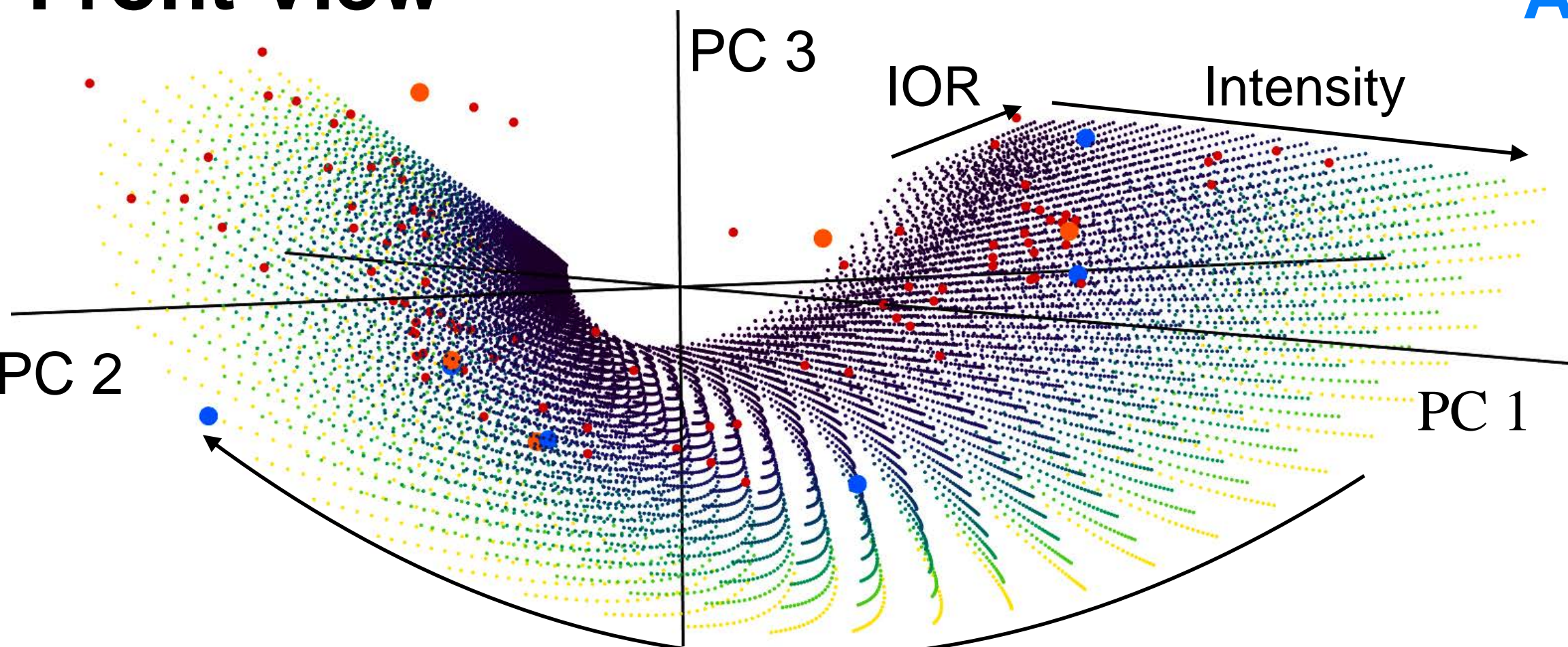
Back View



Top View

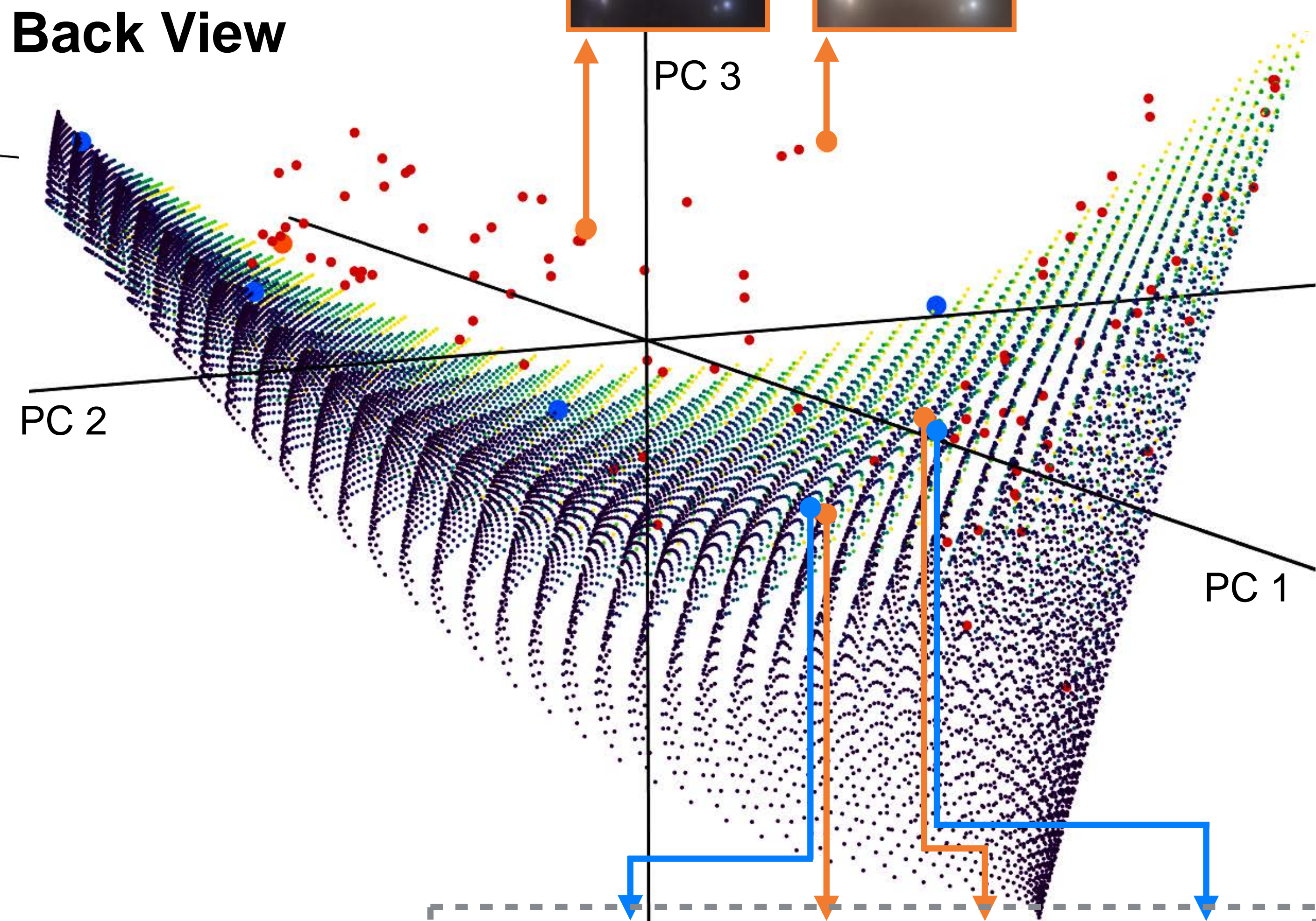


Front View

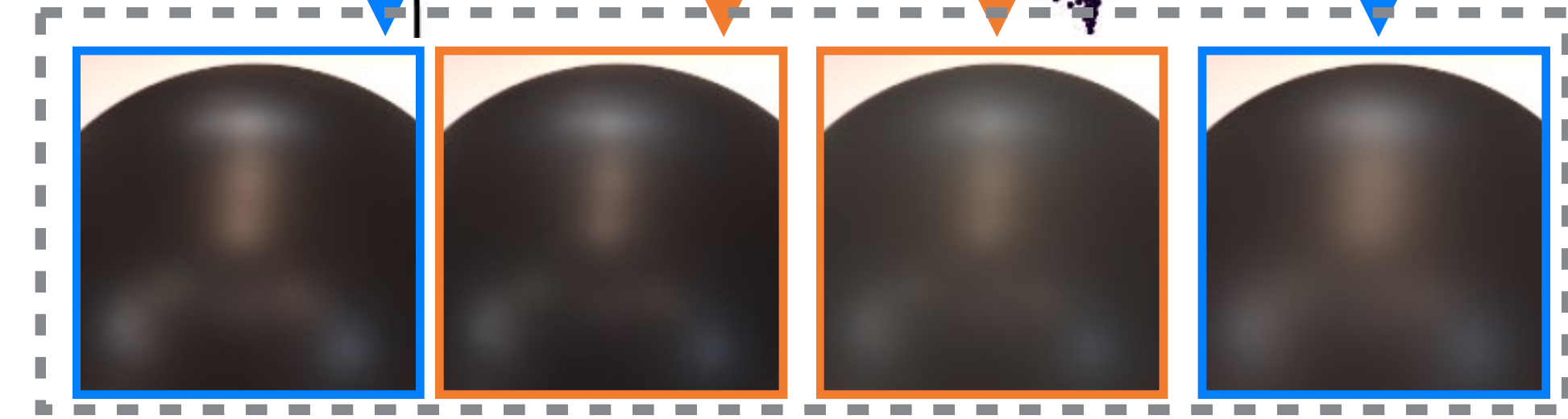
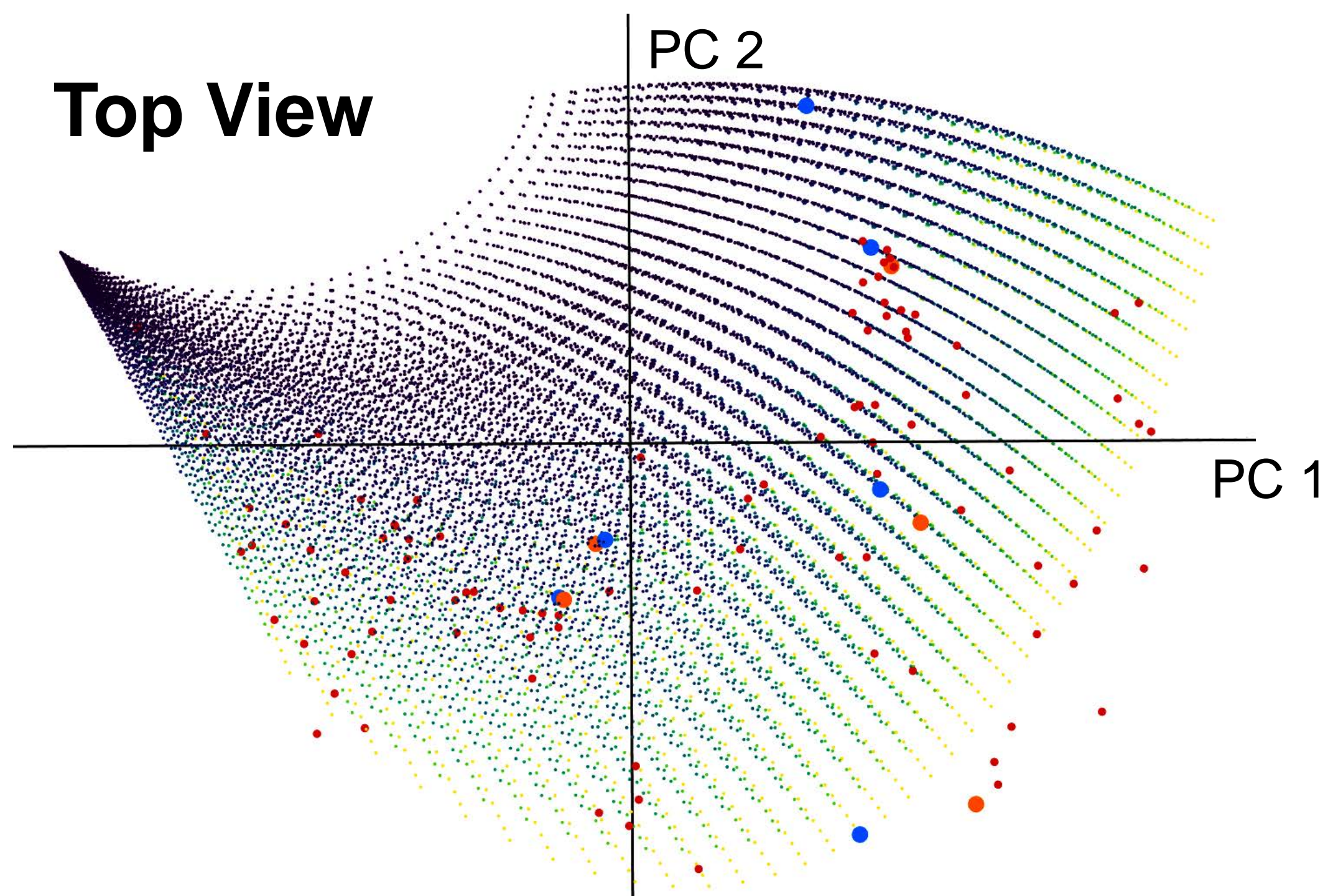


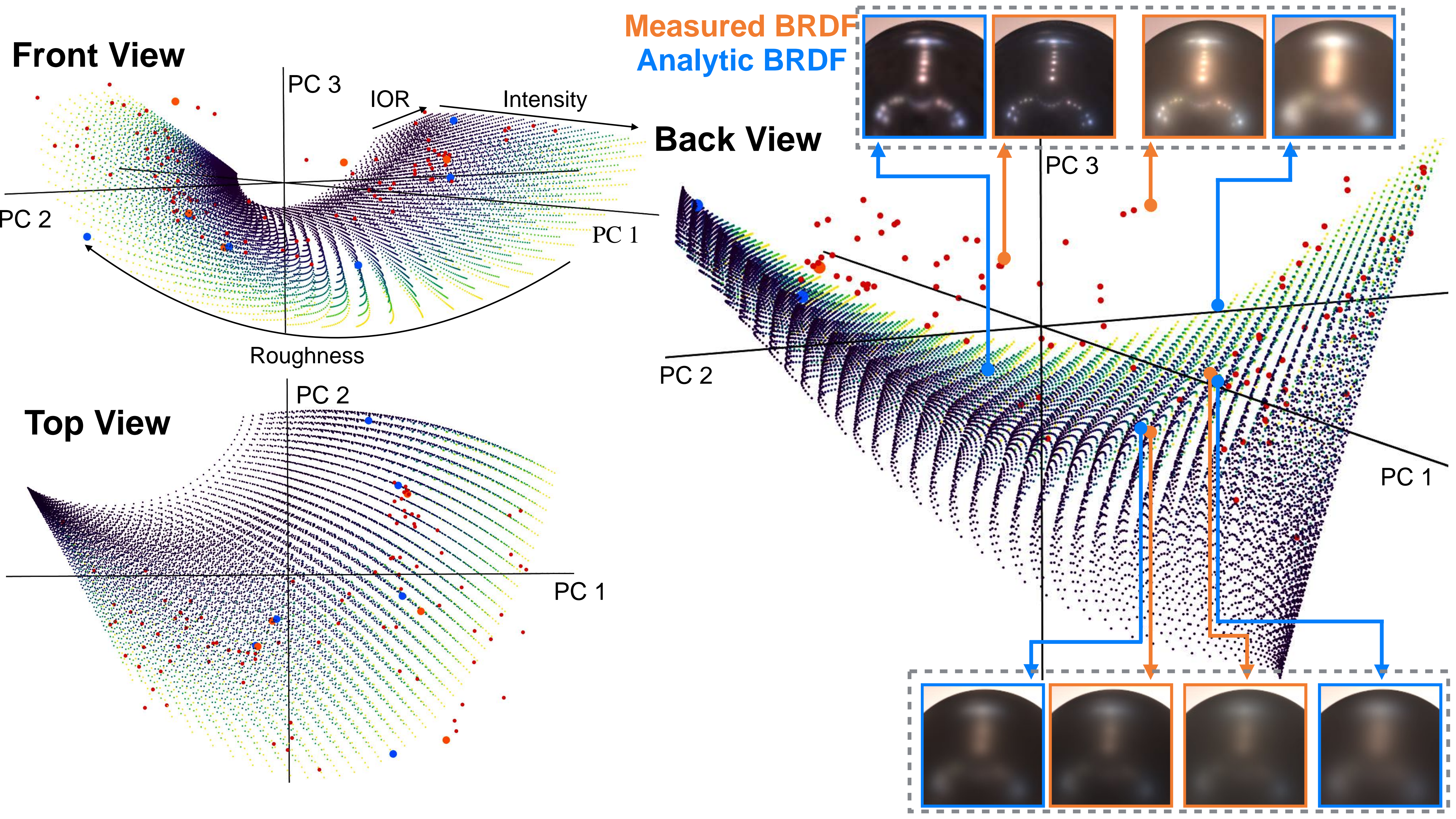
Measured BRDF
Analytic BRDF

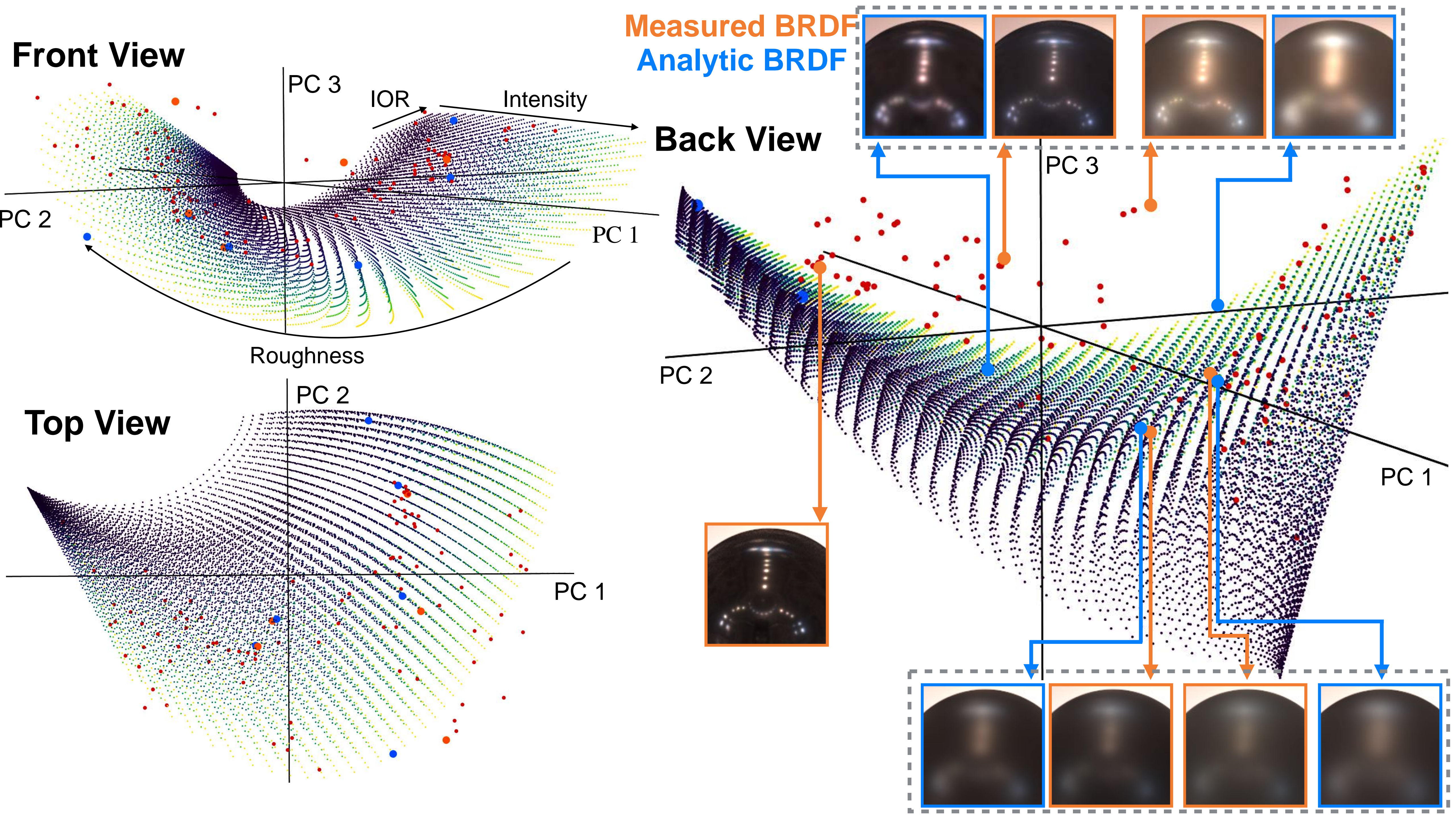
Back View

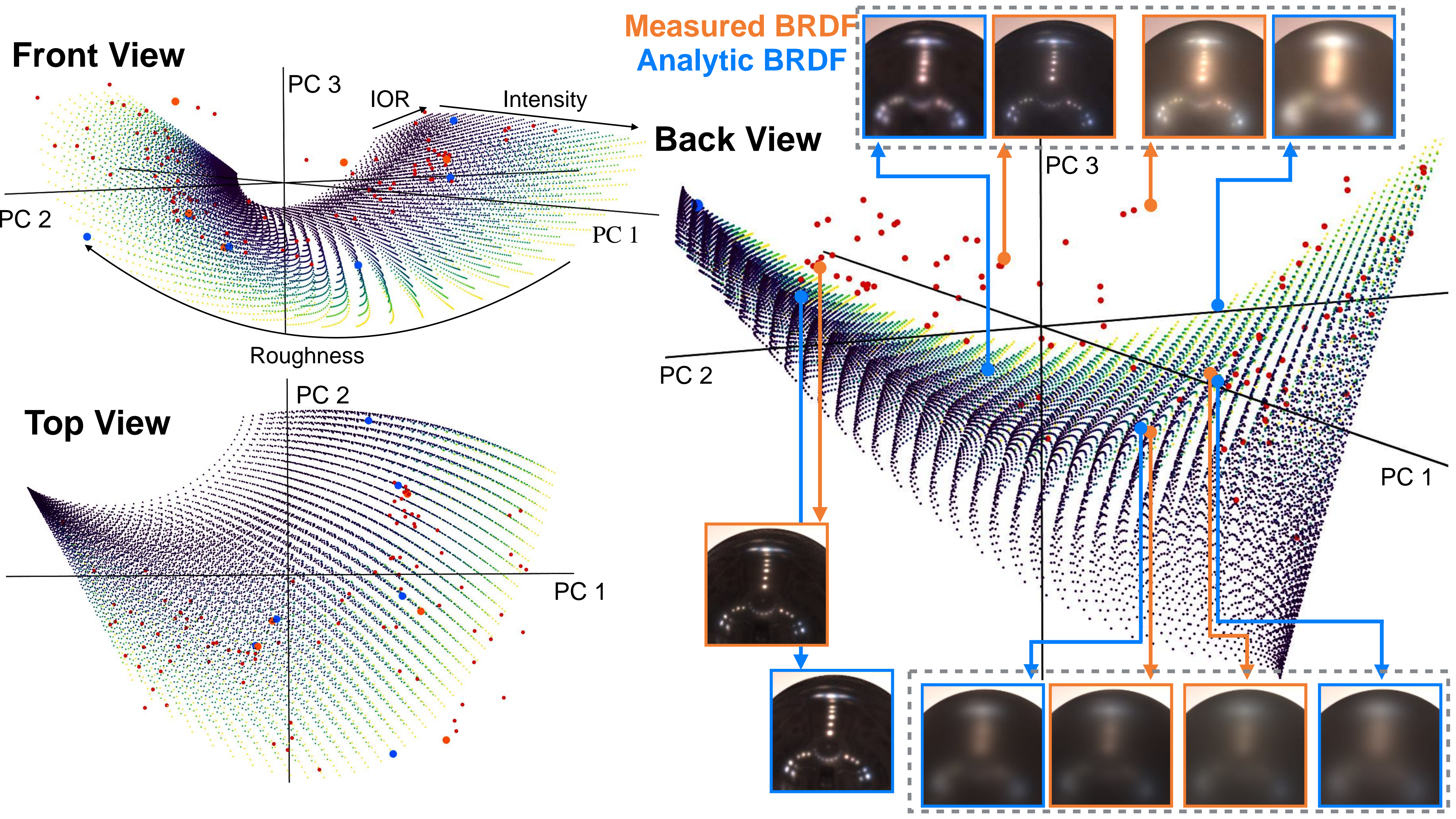


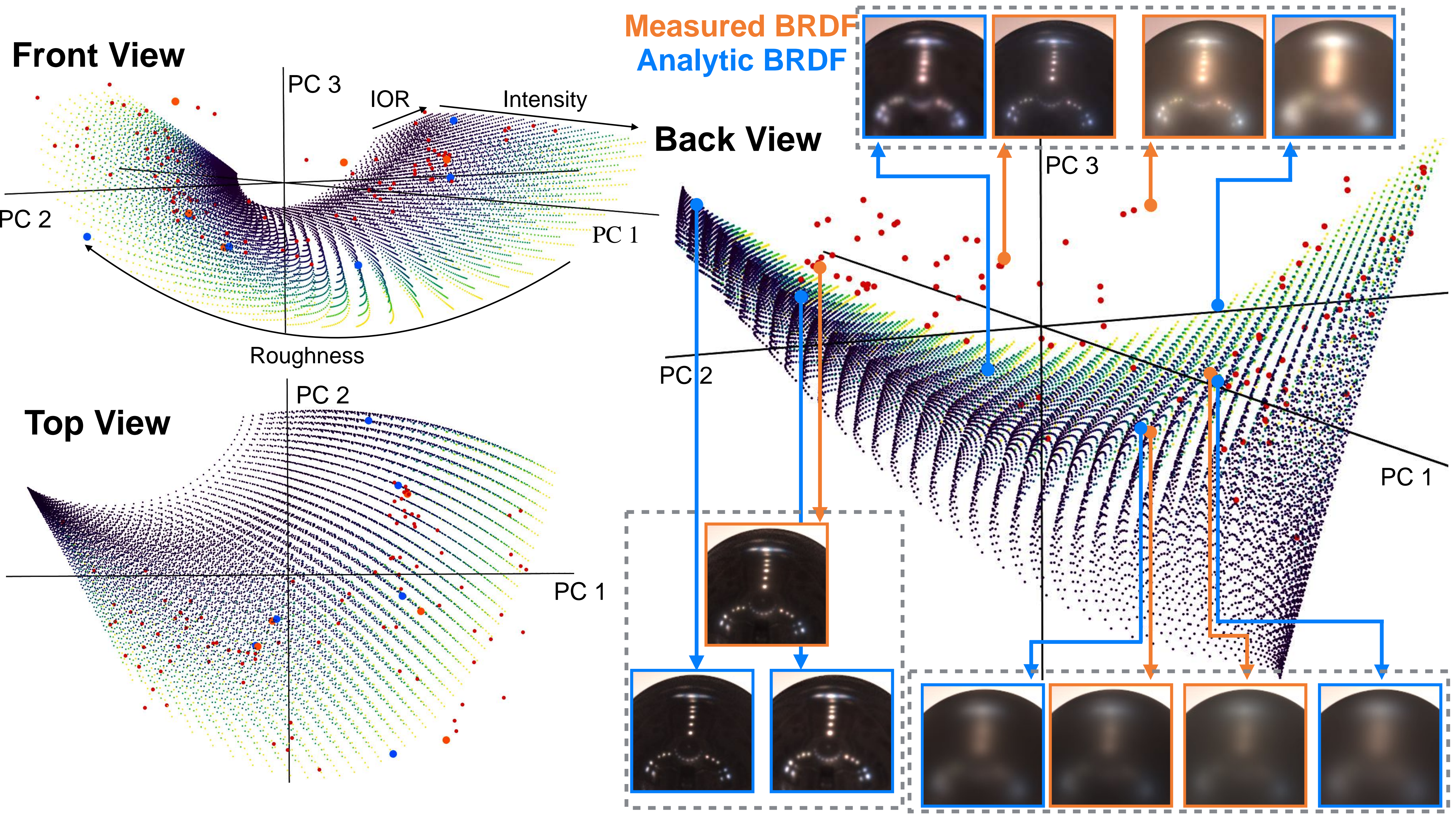
Top View









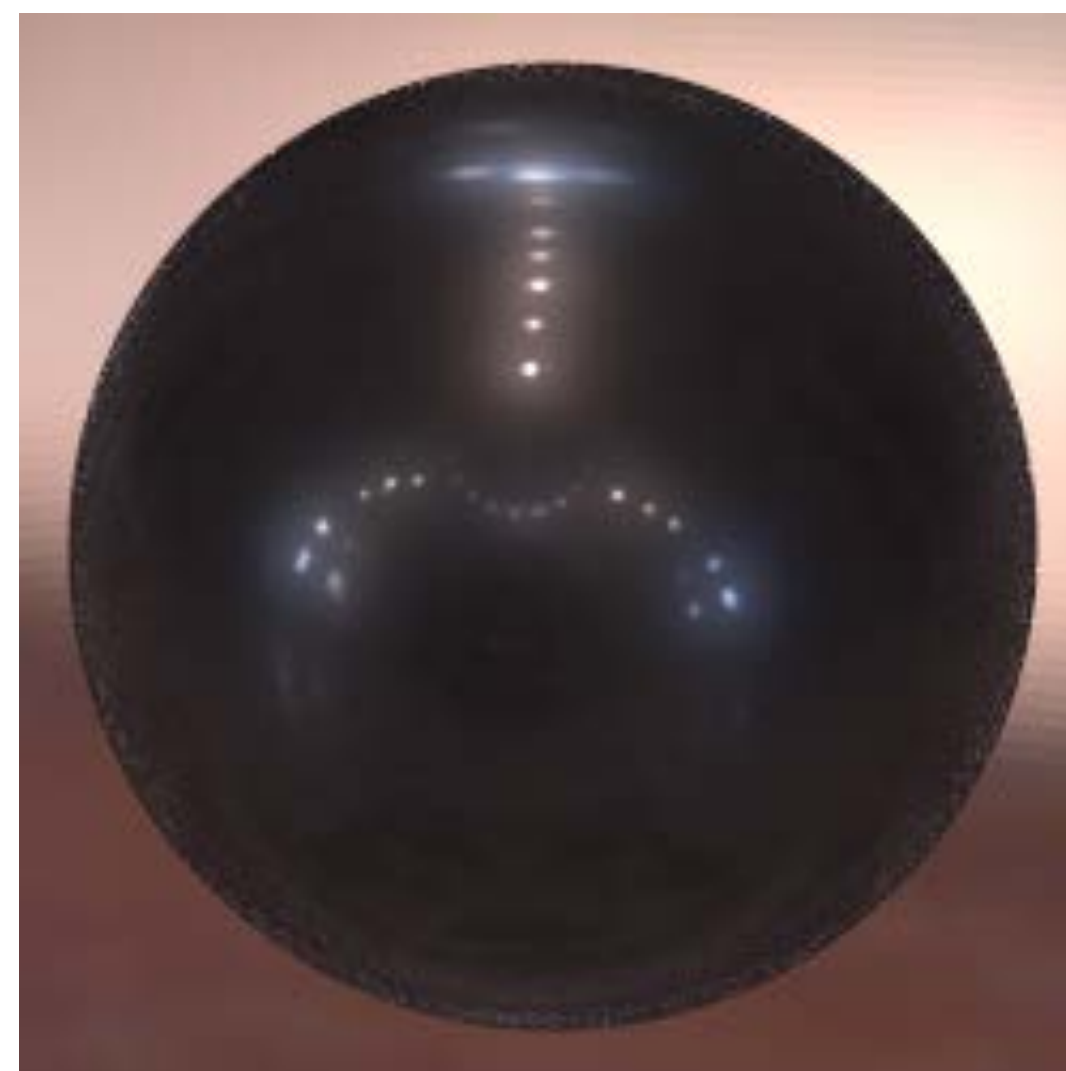


4. RELATING AND FITTING TO ANALYTIC BRDFS



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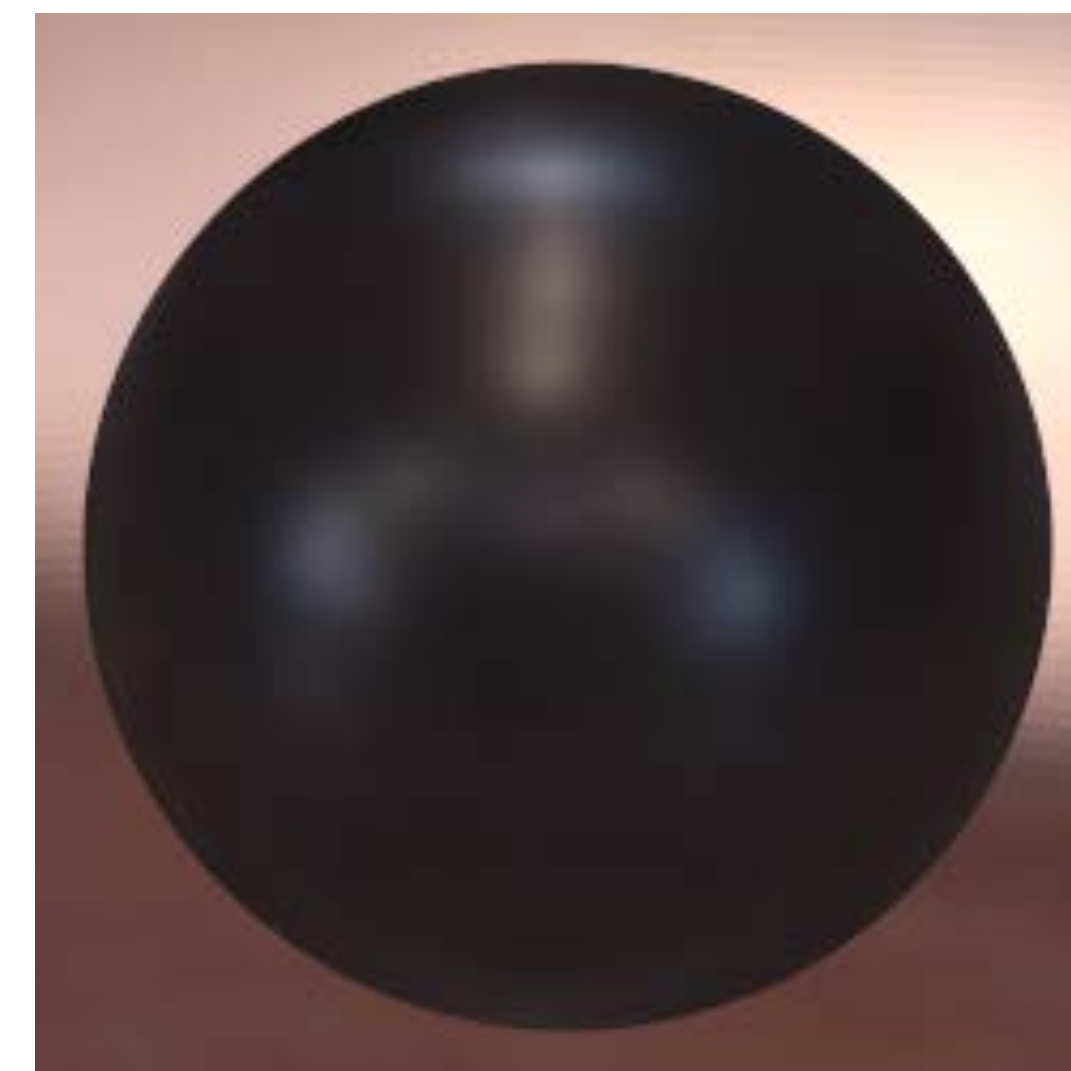
ρ_s



measured BRDF

4. RELATING AND FITTING TO ANALYTIC BRDFS

$$\rho_s \quad - \quad \rho_s(\alpha_s^{(1)})$$



measured BRDF **first-lobe guess**

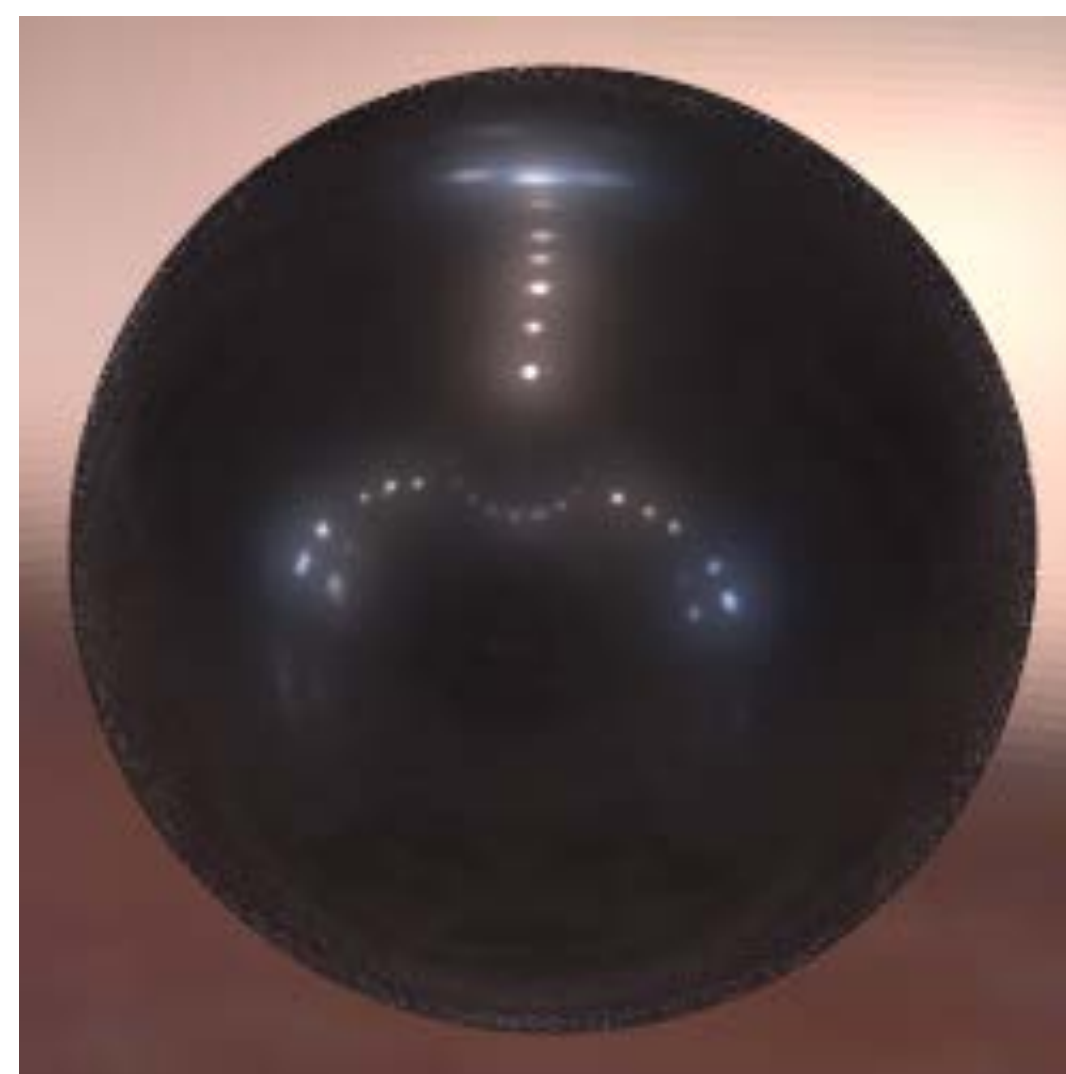
4. RELATING AND FITTING TO ANALYTIC BRDFS

- With first lobe known, project the residual to the joint-PC space and compute the reconstruction error.

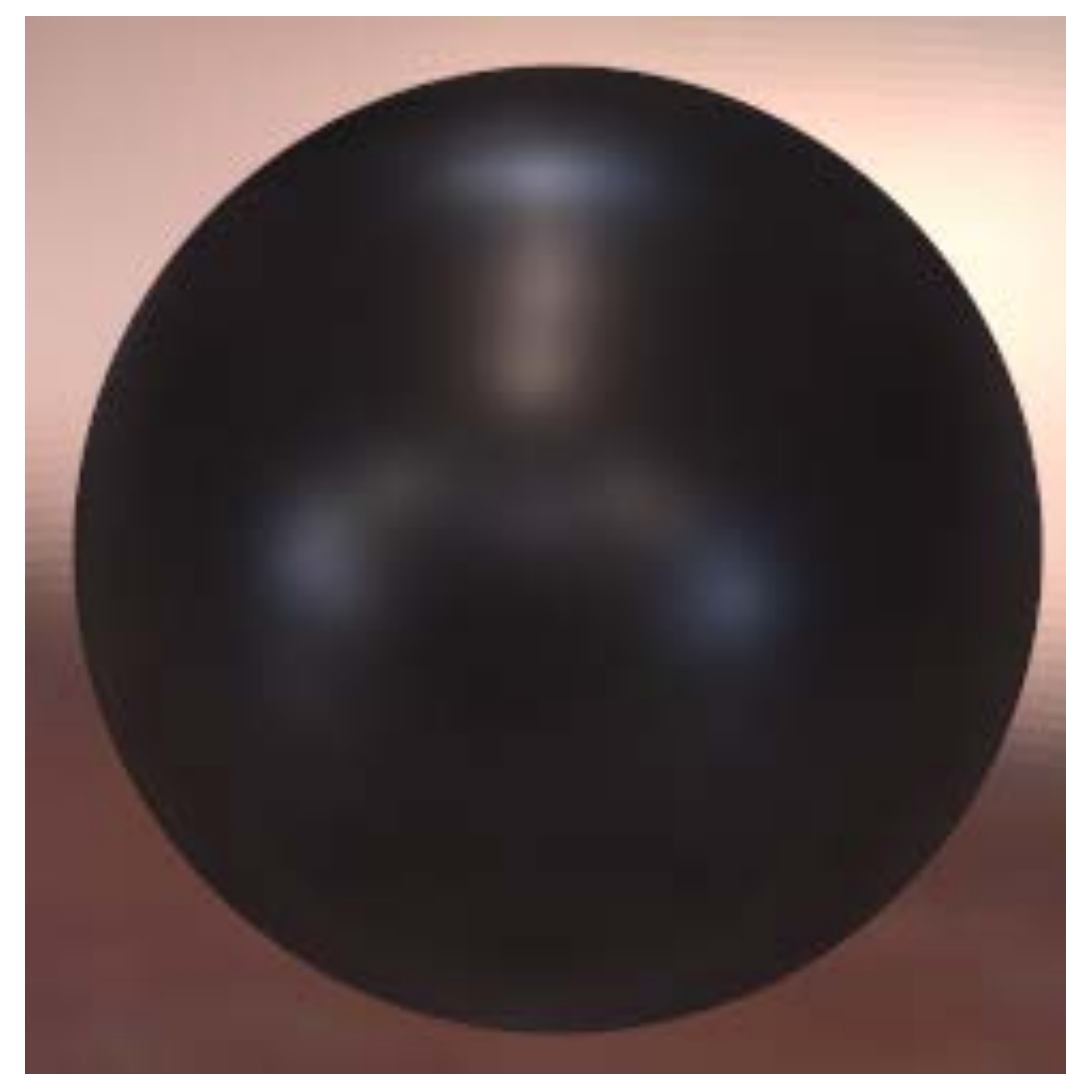
$$\text{Residual}_{\rho_s}(\alpha_s^{(1)}) = \rho_s - \rho_s(\alpha_s^{(1)})$$



residual



measured BRDF



first-lobe guess

4. RELATING AND FITTING TO ANALYTIC BRDFS

- With first lobe known, project the residual to the joint-PC space and compute the reconstruction error.

$$\text{Residual}_{\rho_s}(\alpha_s^{(1)}) = \rho_s - \rho_s(\alpha_s^{(1)})$$

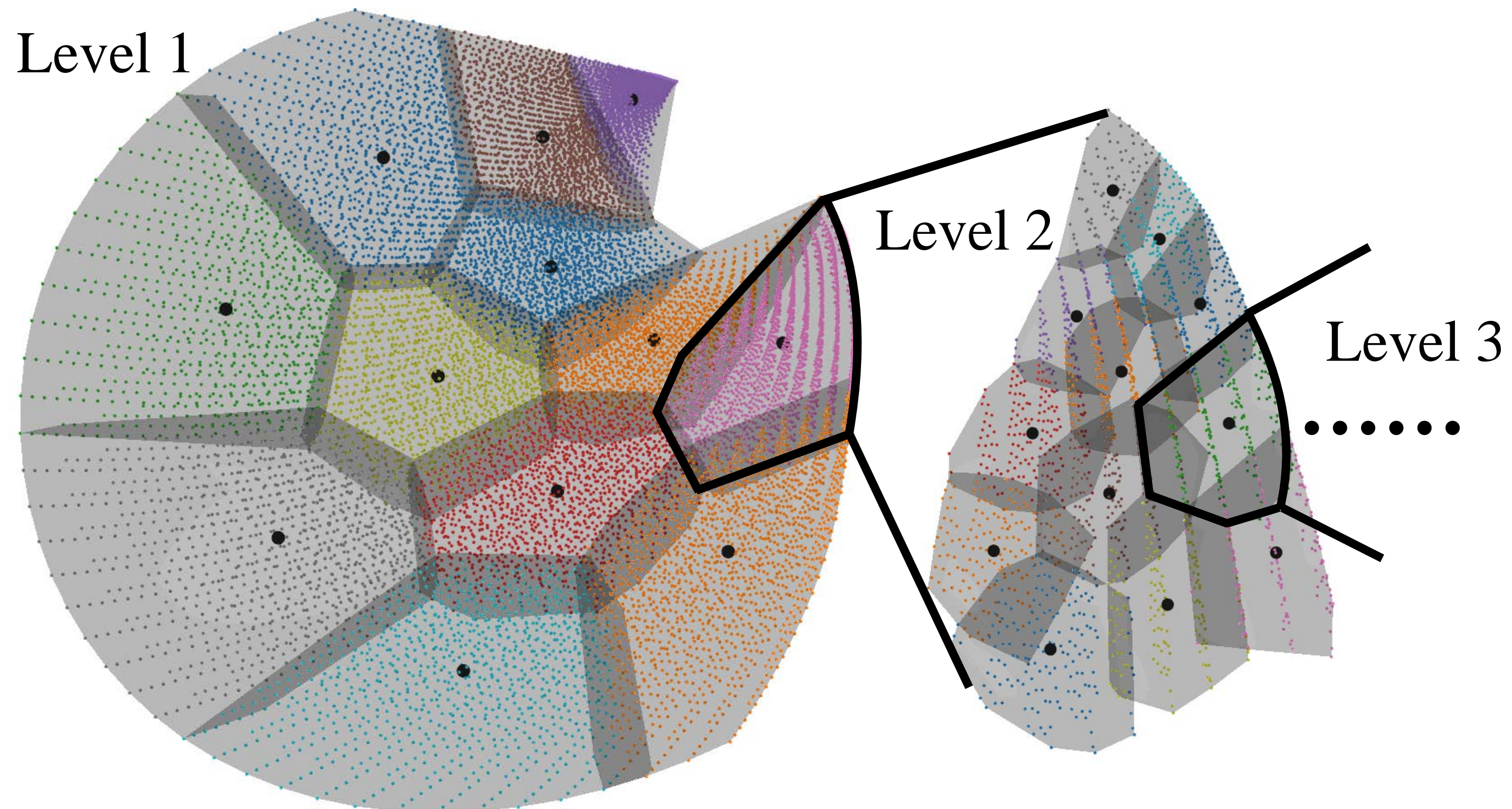
- Perform a searching on the analytic gamut to minimize the error.

4. RELATING AND FITTING TO ANALYTIC BRDFS

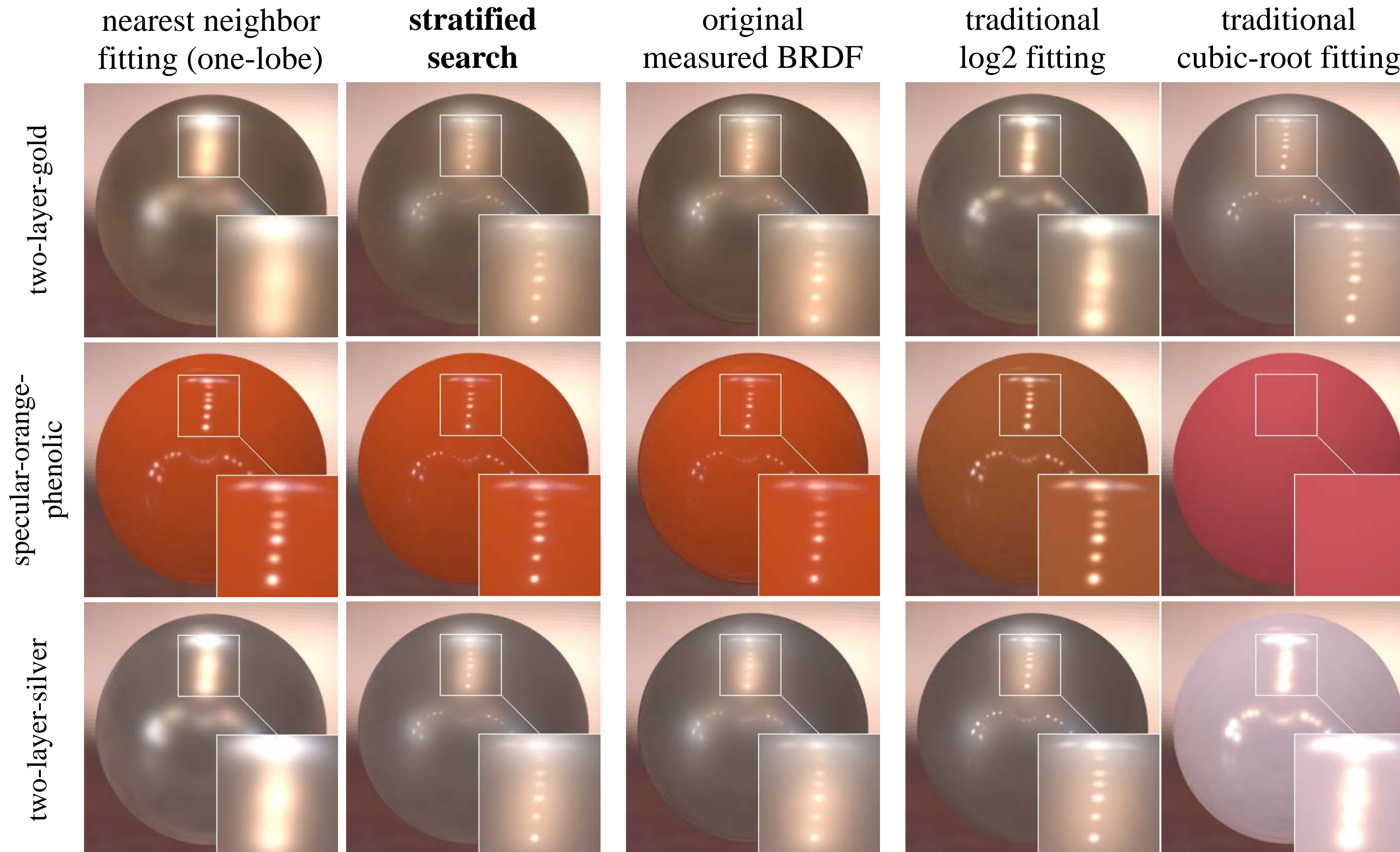
- With first lobe known, project the residual to the joint-PC space and compute the reconstruction error.

$$\text{Residual}_{\rho_s}(\alpha_s^{(1)}) = \rho_s - \rho_s(\alpha_s^{(1)})$$

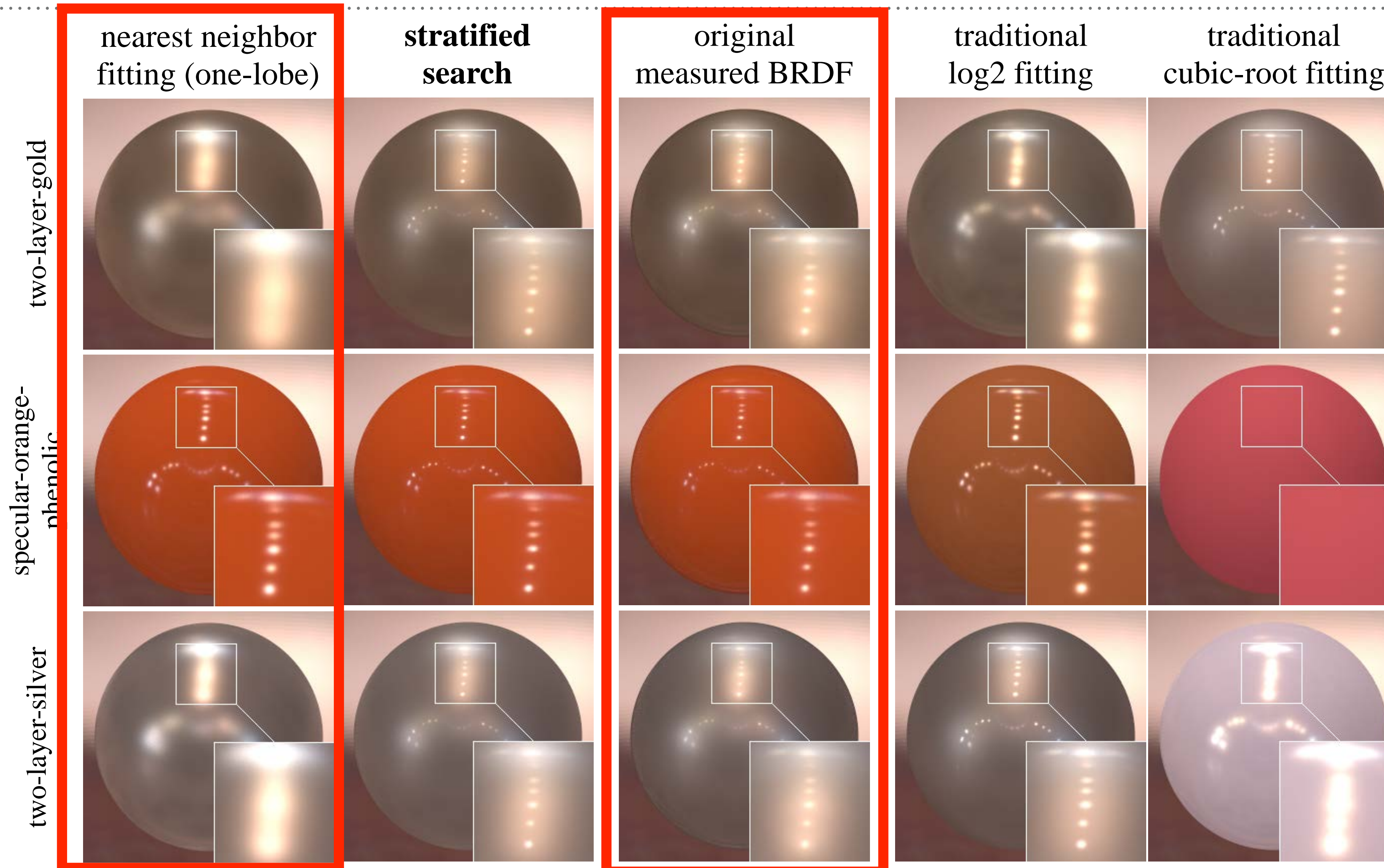
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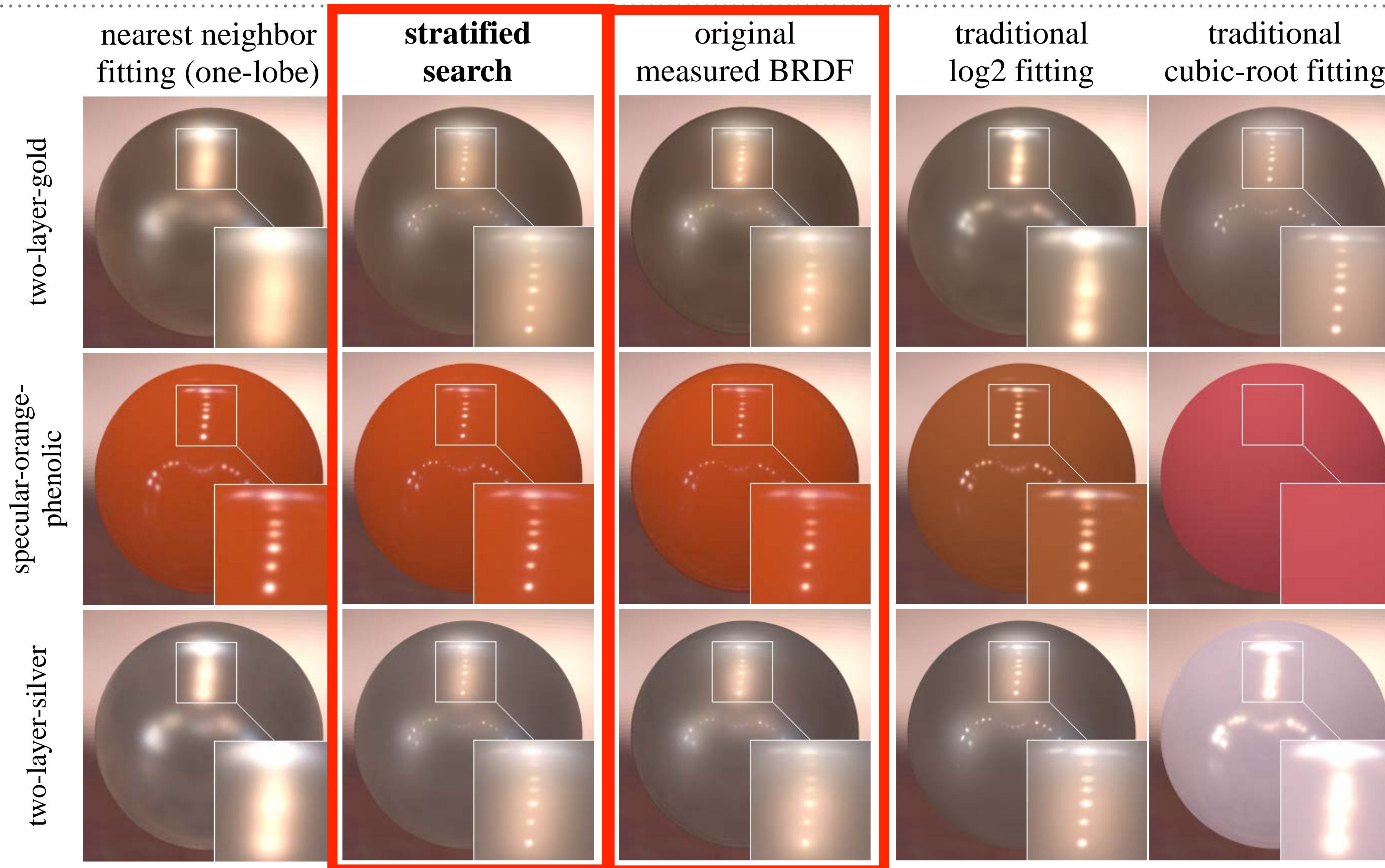
4. RELATING AND FITTING TO ANALYTIC BRDFs



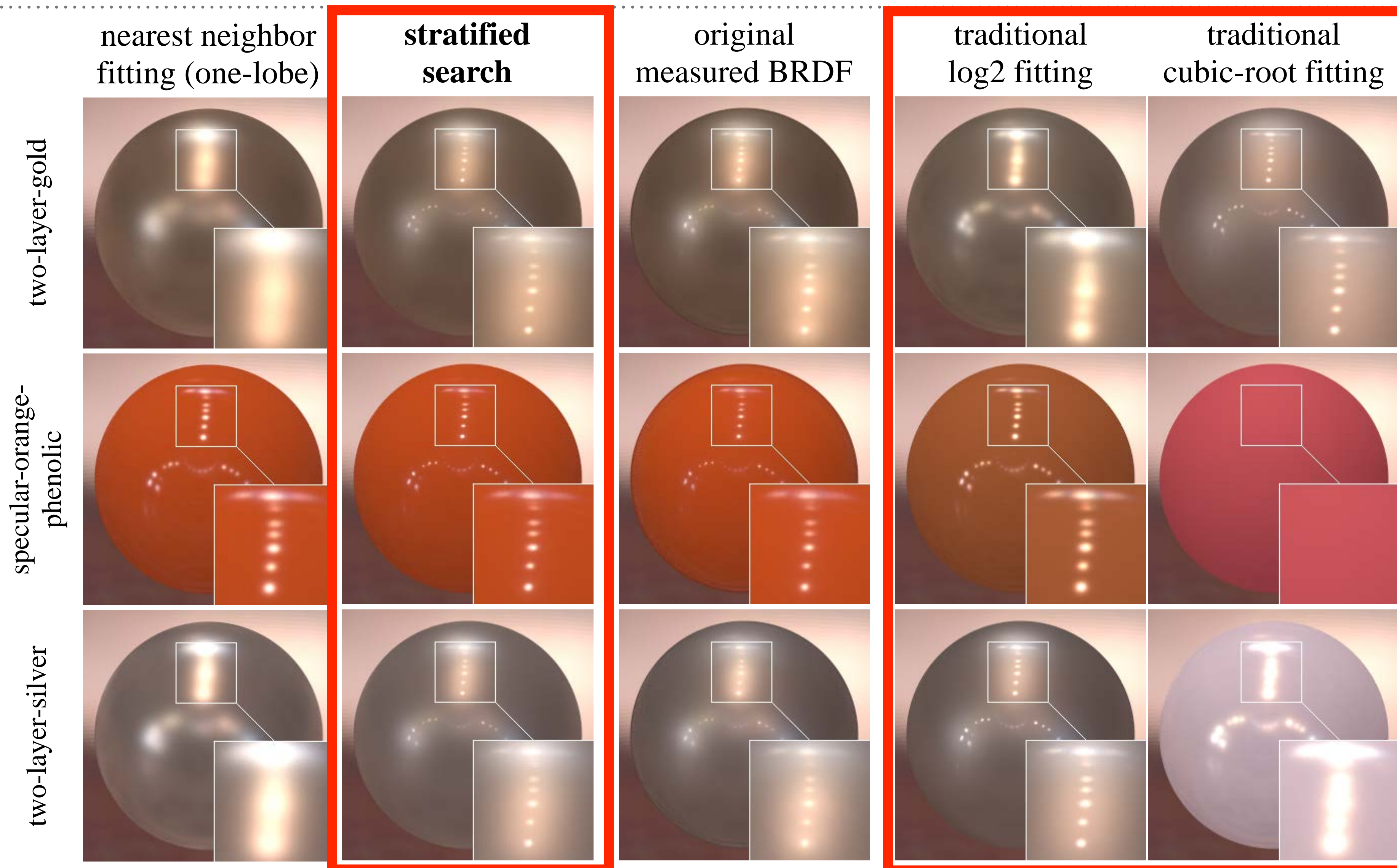
4. RELATING AND FITTING TO ANALYTIC BRDFs



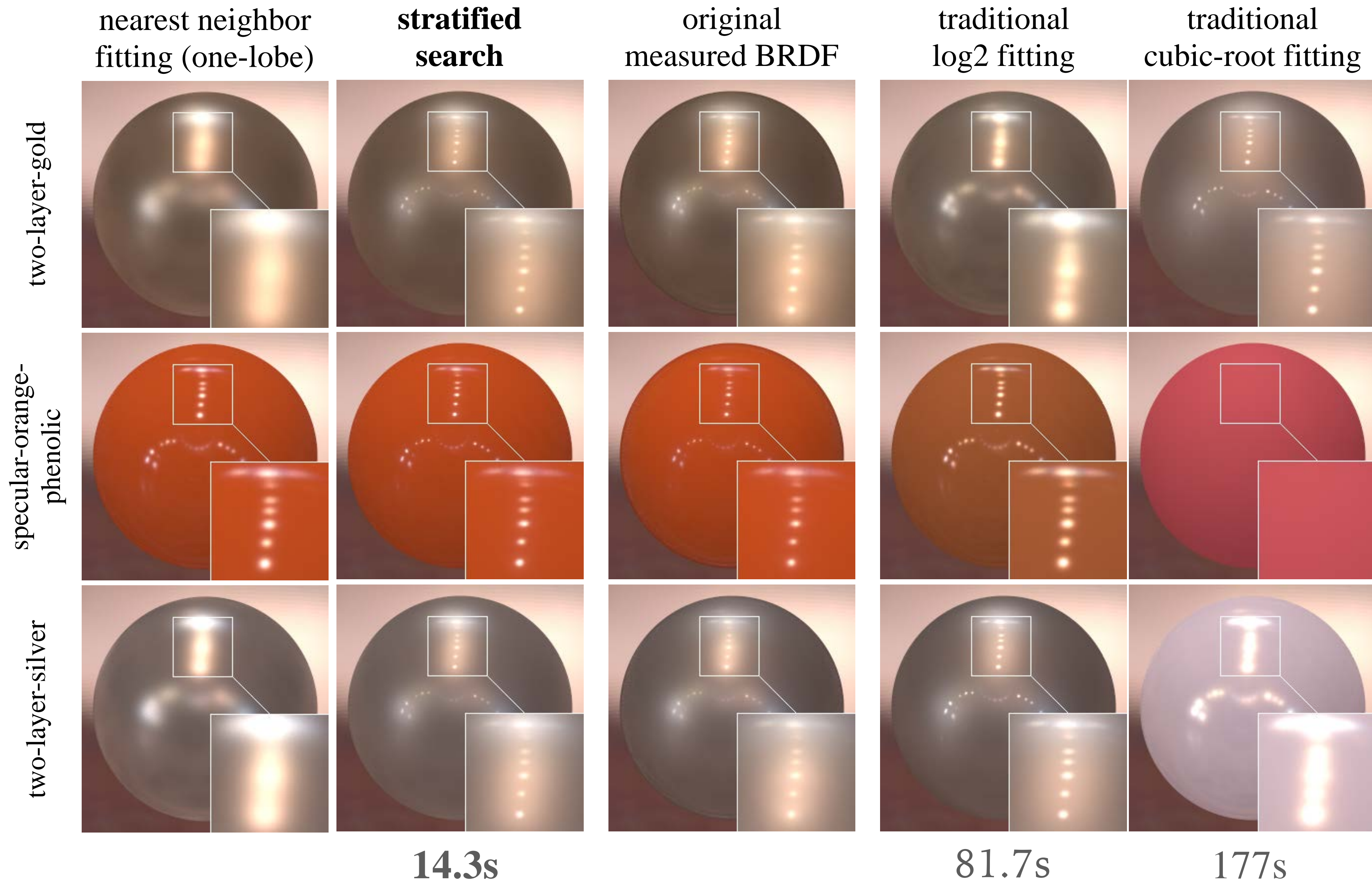
4. RELATING AND FITTING TO ANALYTIC BRDFs



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4. RELATING AND FITTING TO ANALYTIC BRDFs



LIMITATION AND FUTURE WORK

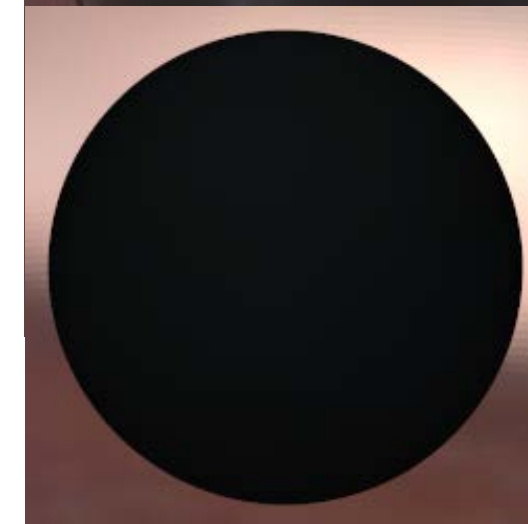
LIMITATION AND FUTURE WORK

- Limitation
 - Multi-color BRDFs

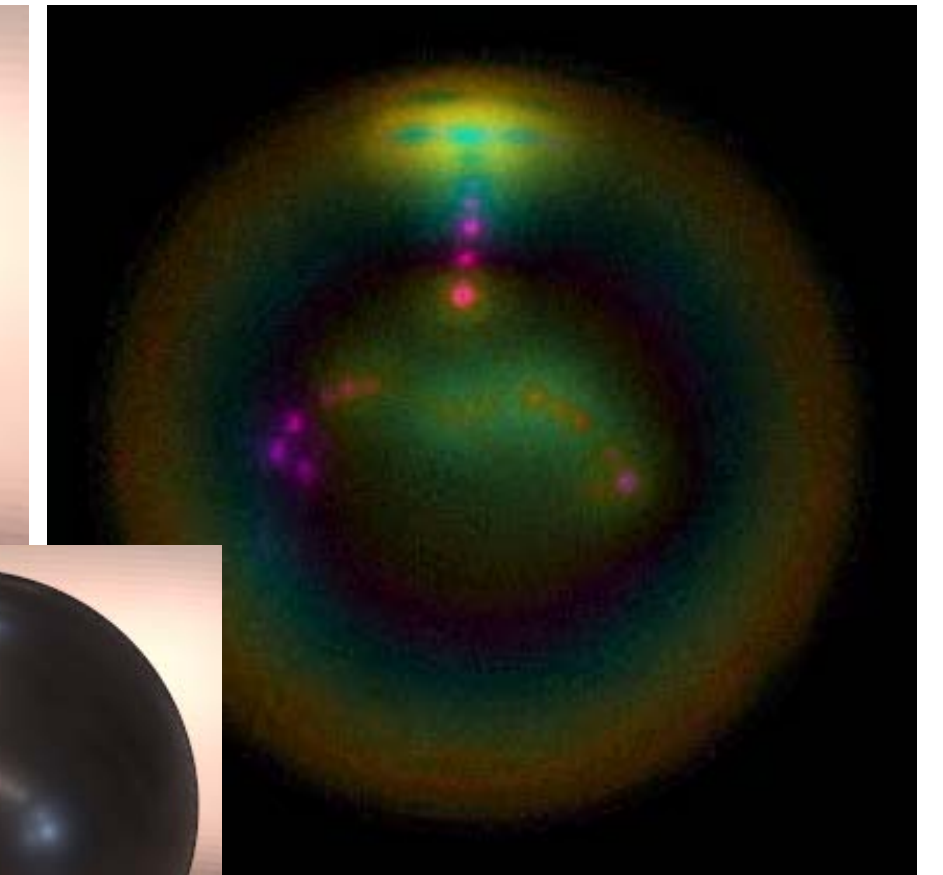


color-changing-paint1

image-based



error map (×15)



LIMITATION AND FUTURE WORK

- Limitation

- Multi-color BRDFs

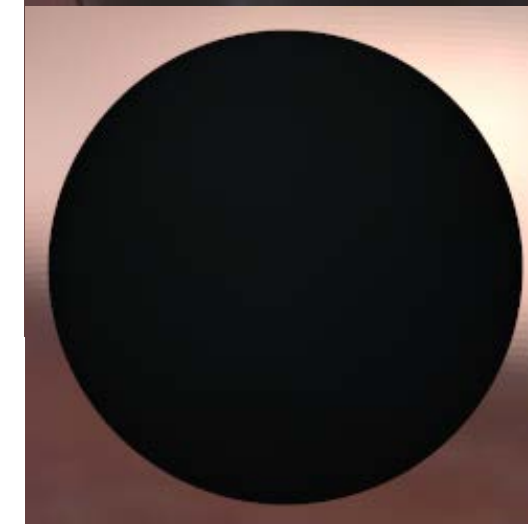
- Future work

- BRDF measurements

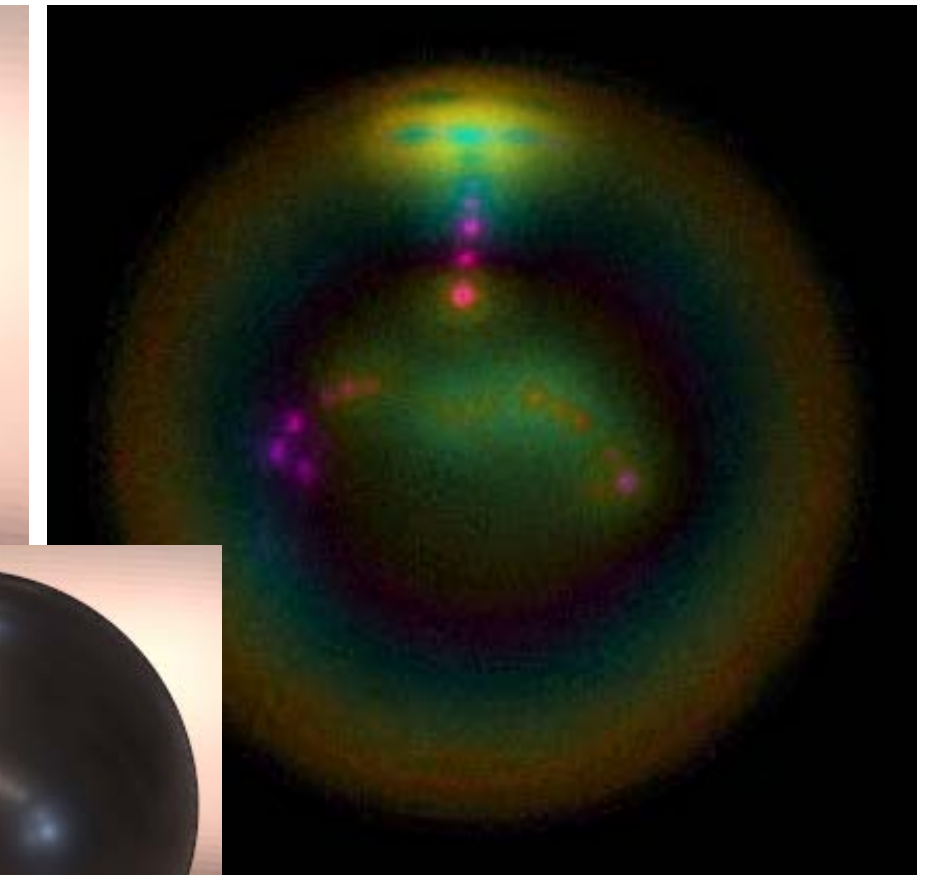


color-changing-paint1

image-based



error map ($\times 15$)



LIMITATION AND FUTURE WORK

- Limitation

- Multi-color BRDFs

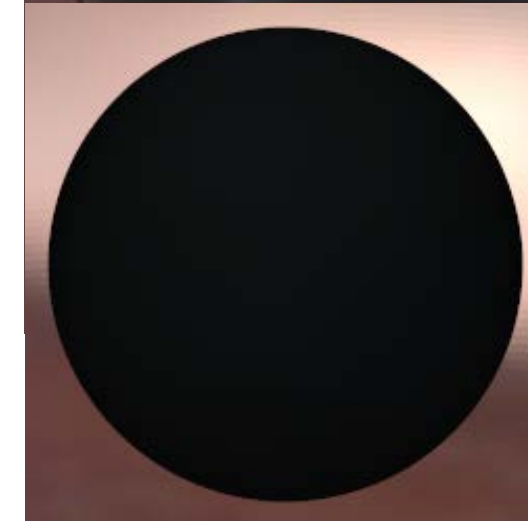
- Future work

- BRDF measurements
- Anisotropic BRDFs

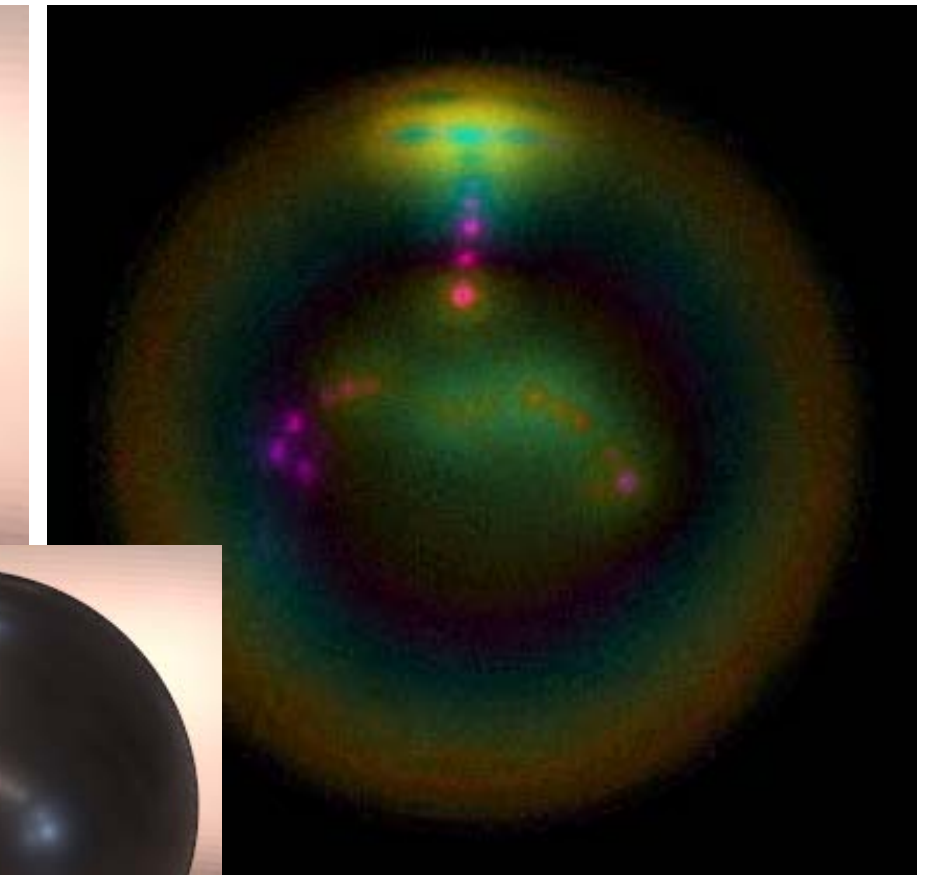


color-changing-paint1

image-based



error map (×15)



LIMITATION AND FUTURE WORK

- Limitation

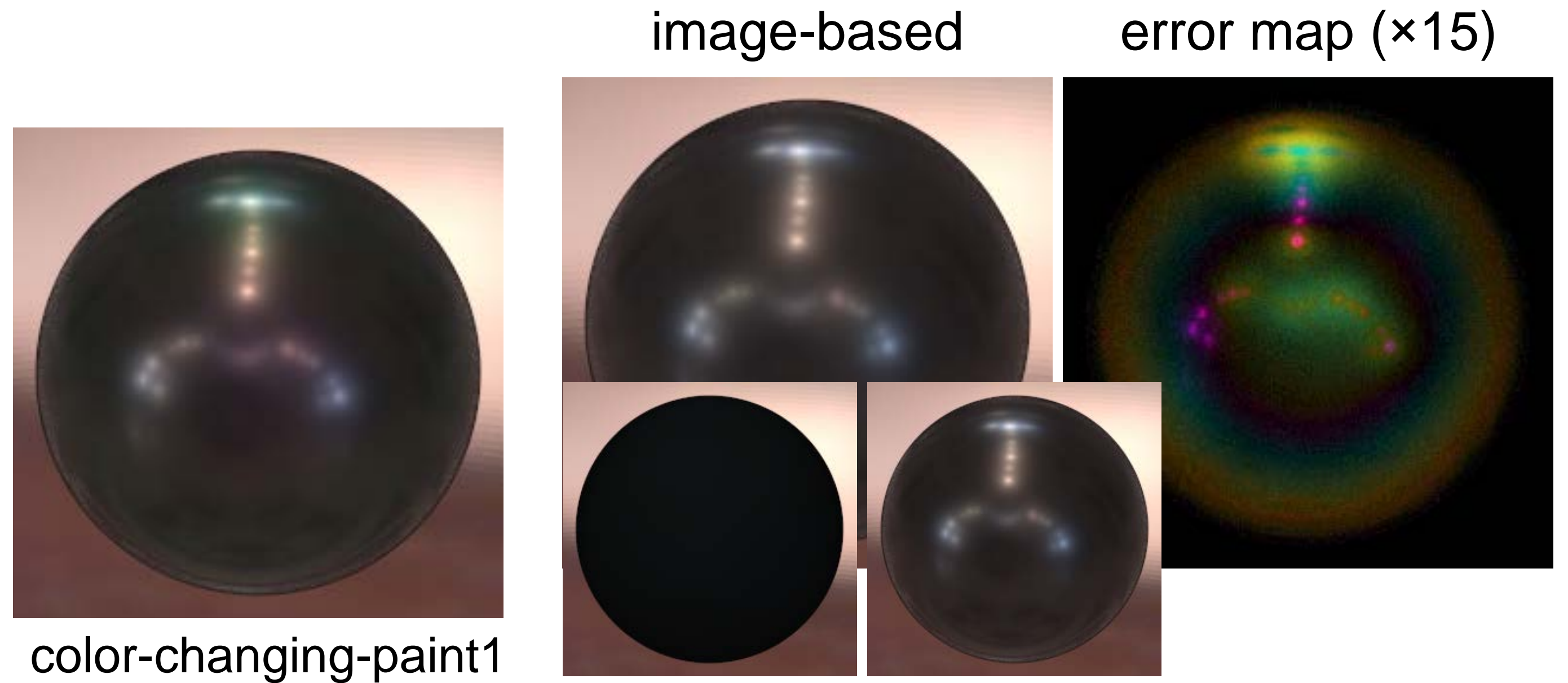
- Multi-color BRDFs

- Future work

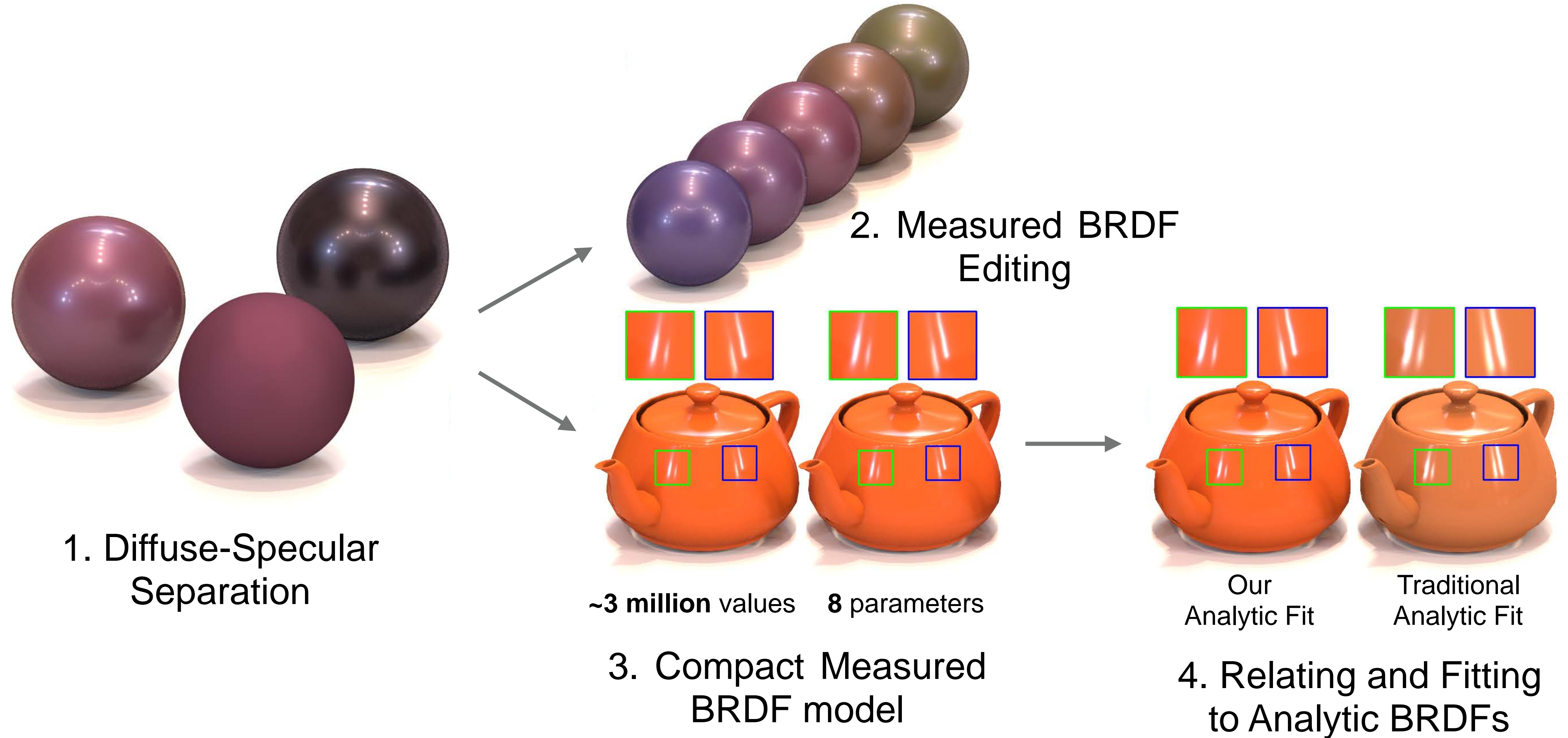
- BRDF measurements
- Anisotropic BRDFs

- Acknowledgement

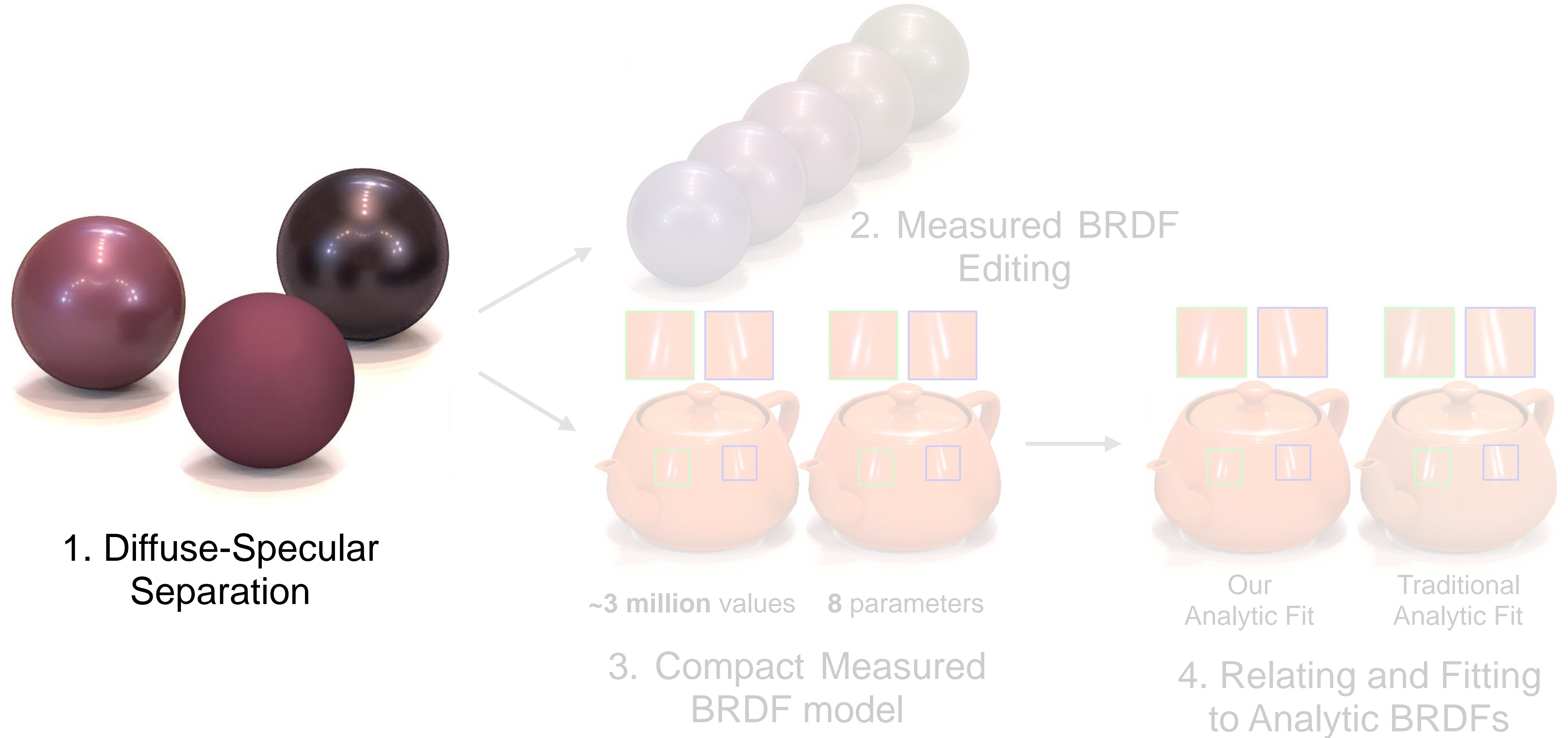
- Anonymous reviewers
- ONR grant N000141712687, a Jacobs Fellowship, and the Ronald L. Graham Chair.



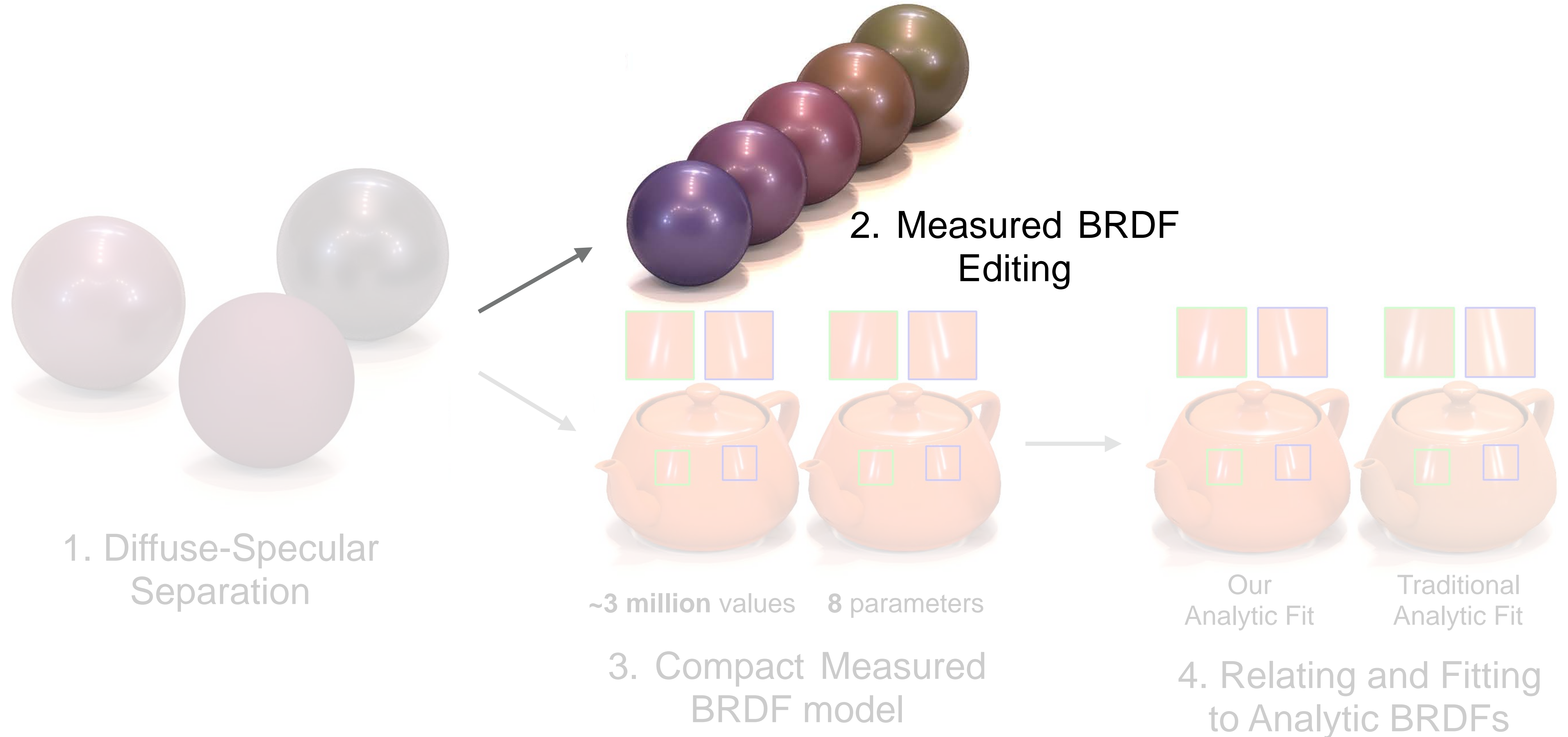
CONCLUSION



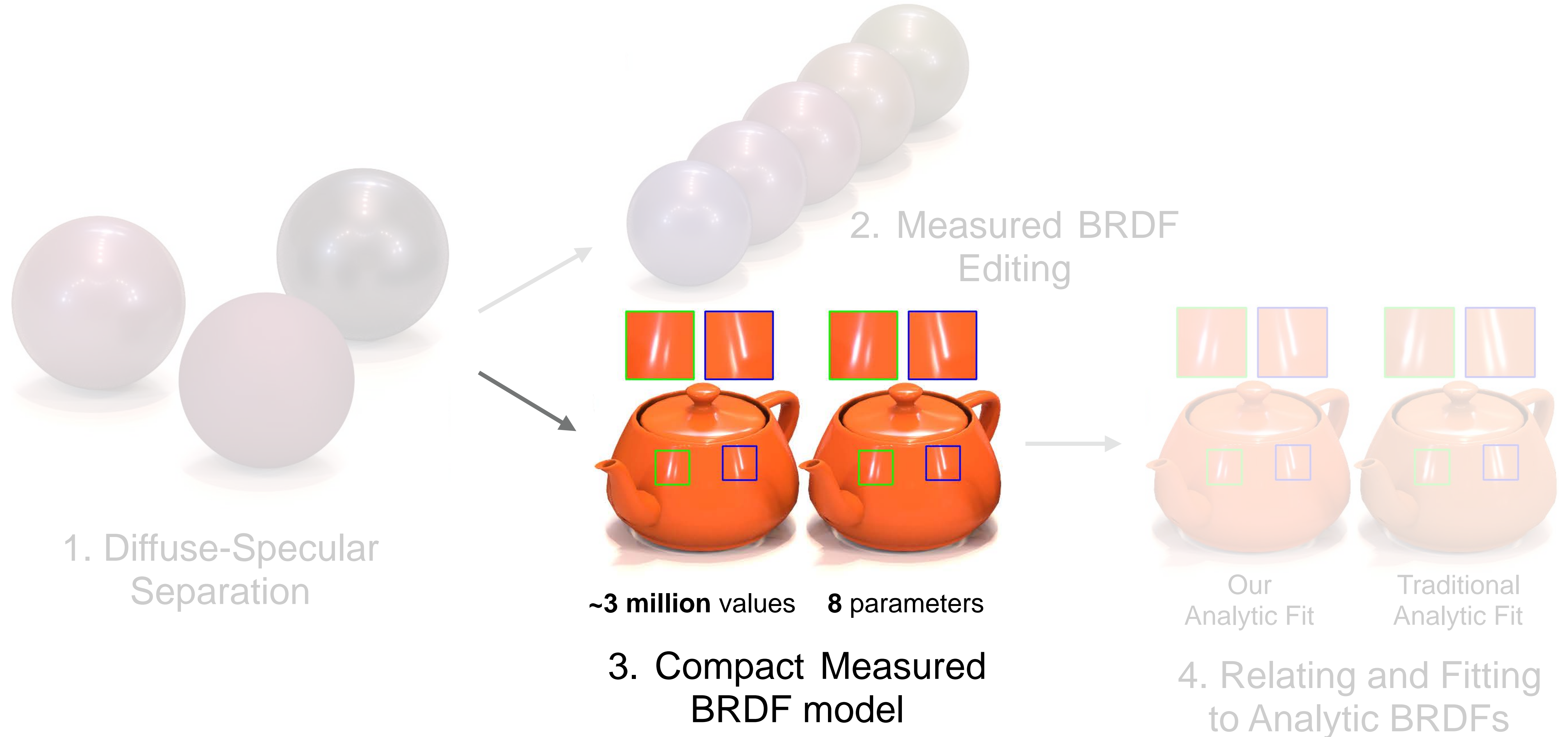
CONCLUSION



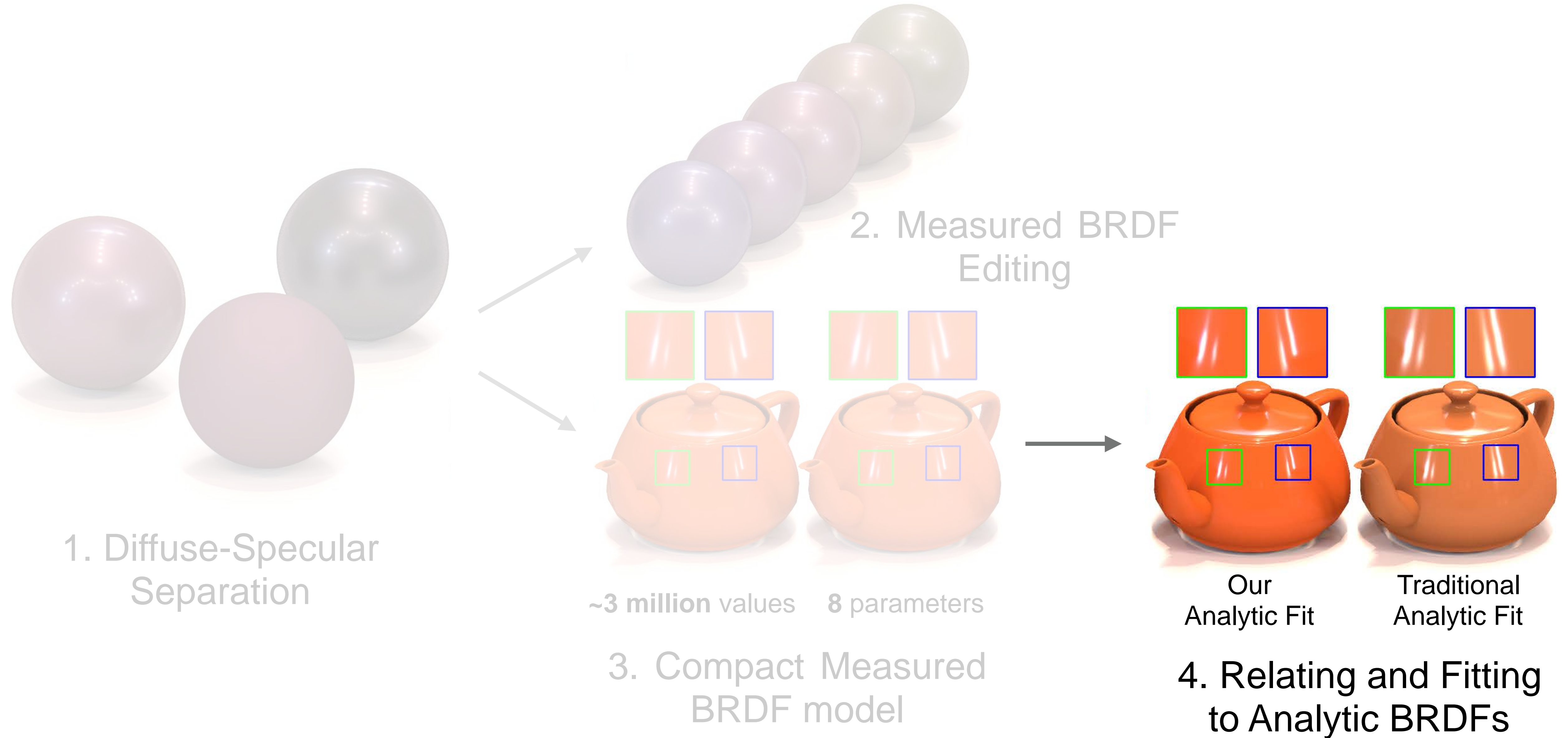
CONCLUSION



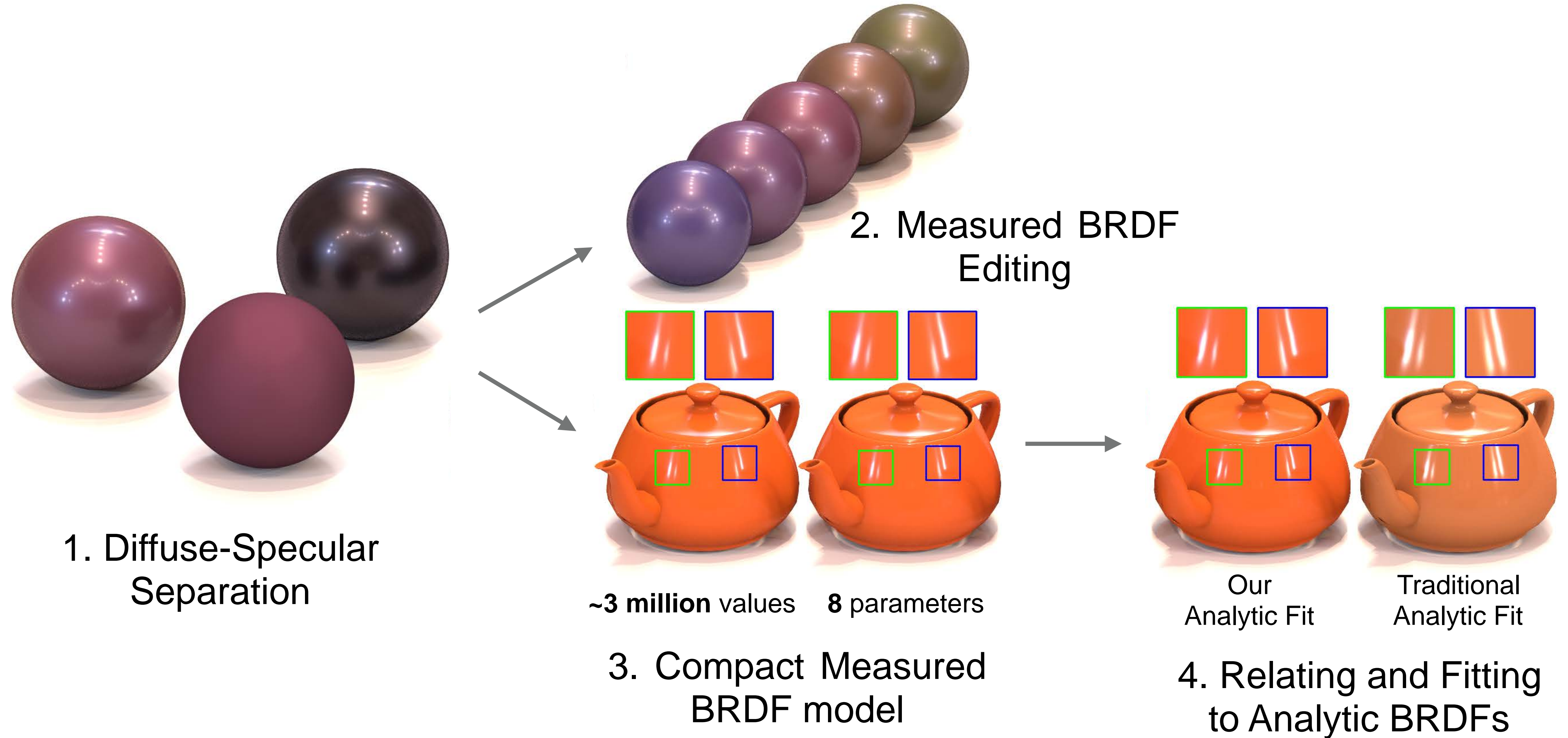
CONCLUSION



CONCLUSION



CONCLUSION





Homepage