Efficient palette-based decomposition and recoloring of images via RGBXY-space geometry

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Jose Echevarria Adobe Research

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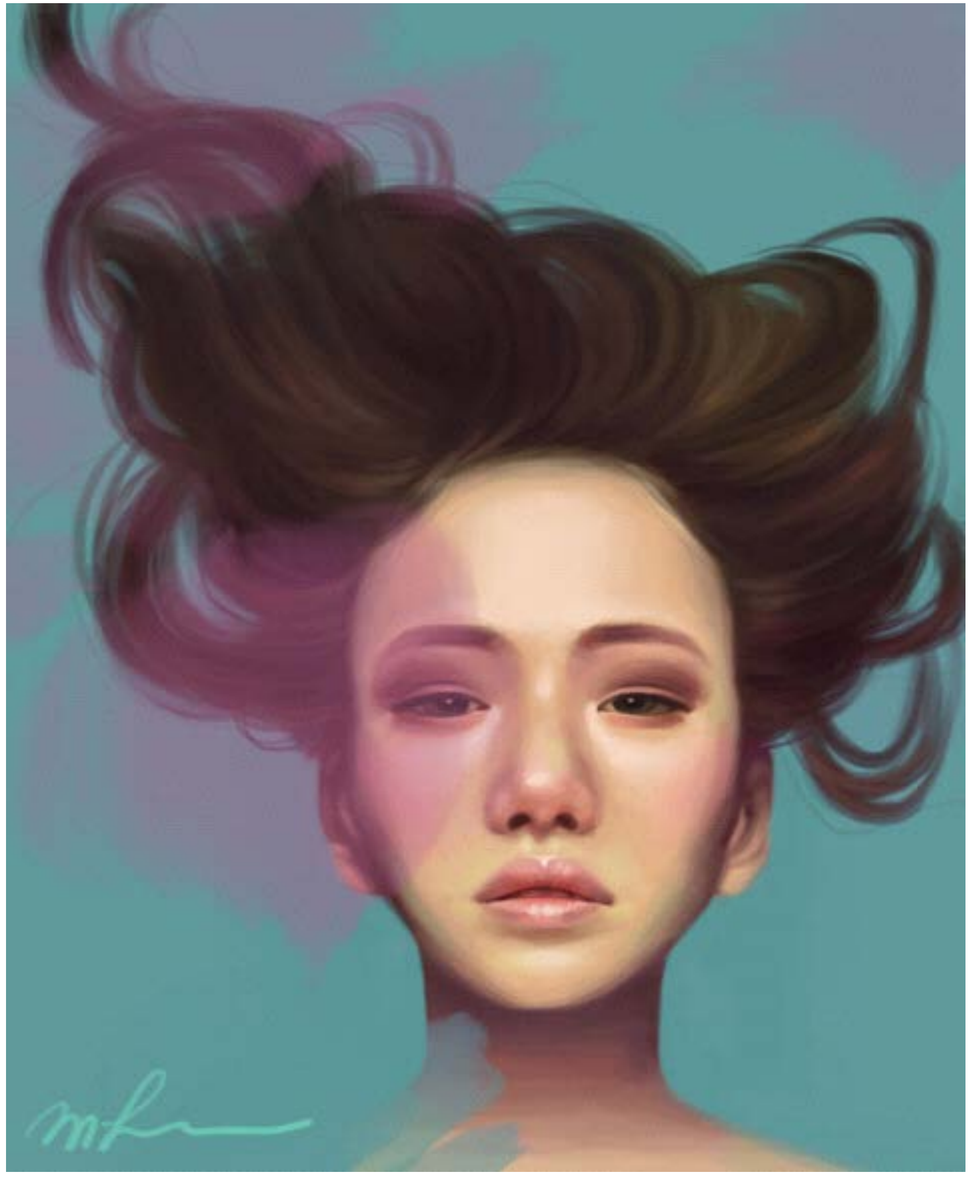
Motivation: Layers Organize Images



Motivation: Layers Organize Images

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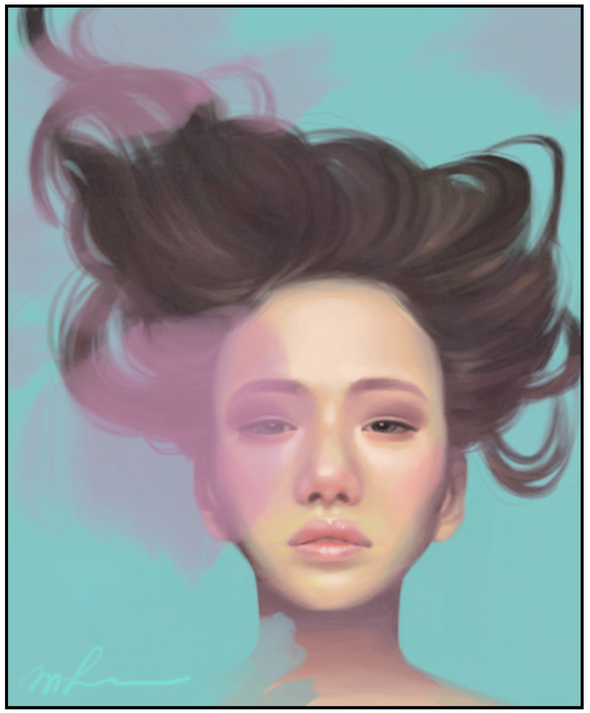
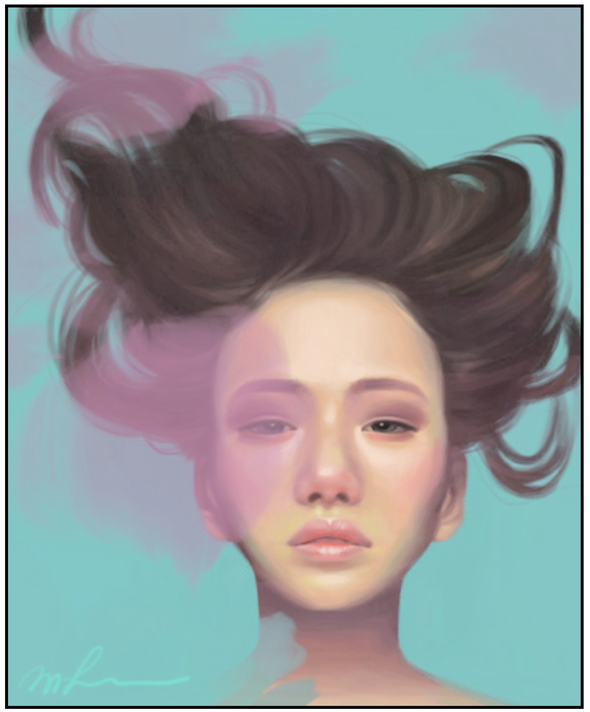
Goal

Input

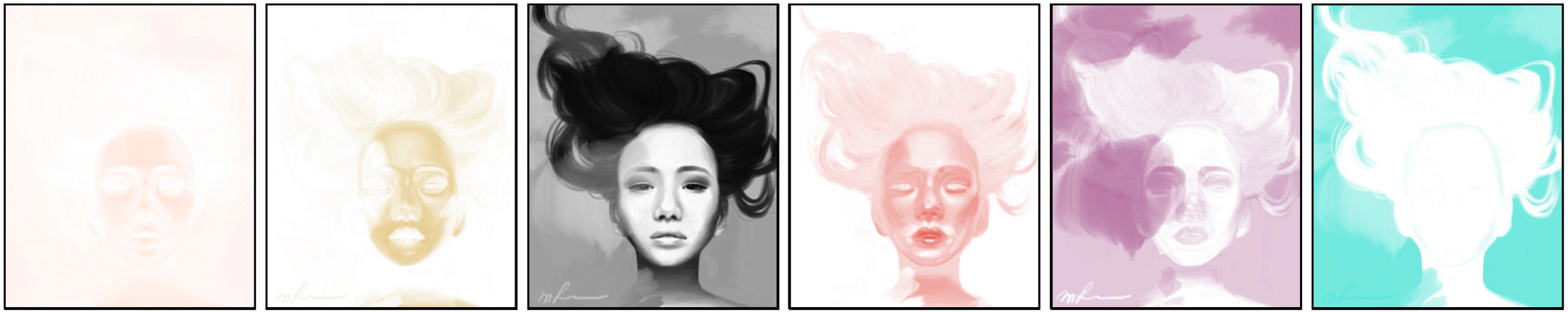


Goal

Input

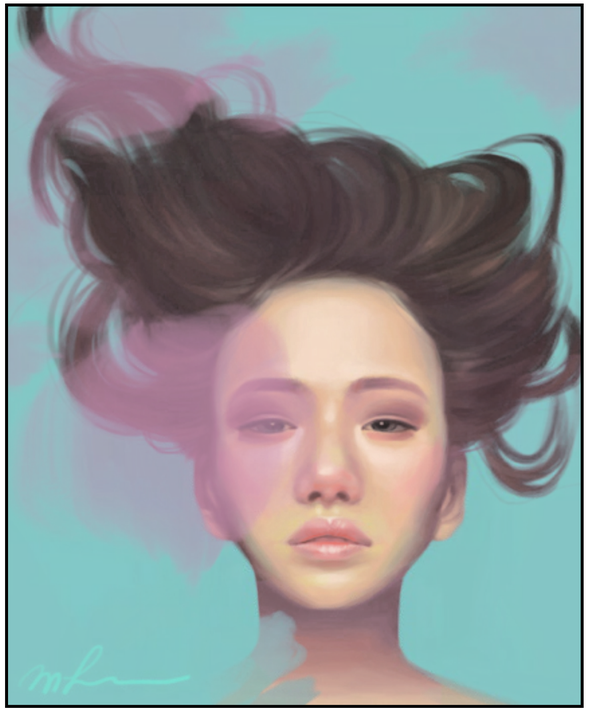


Layers

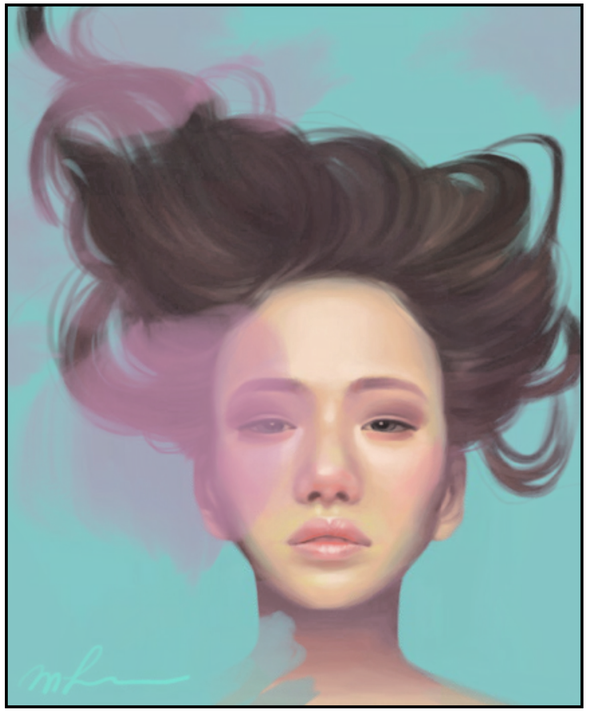


Goal

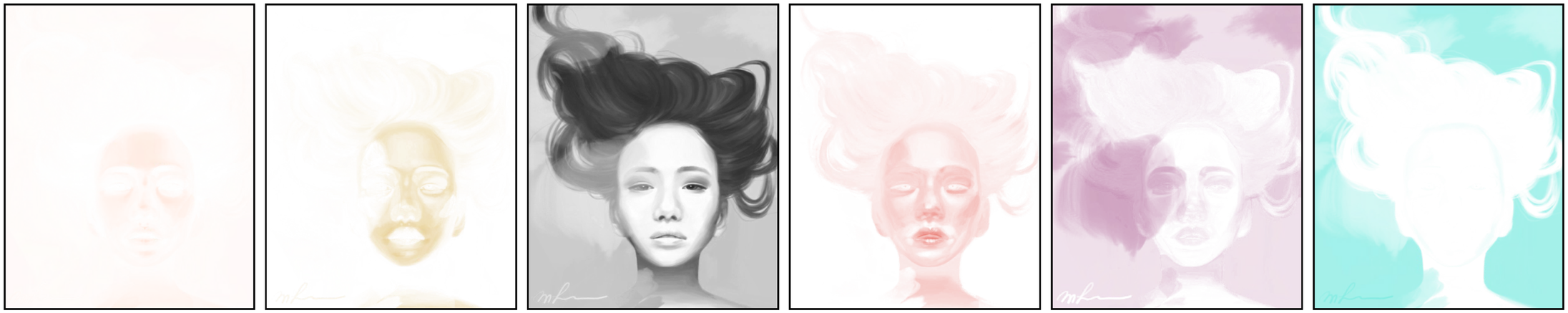
Input

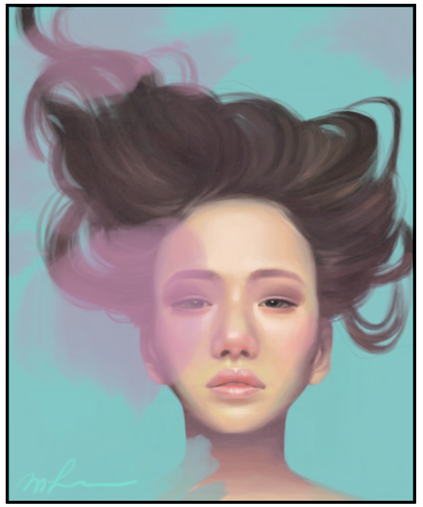


Reconstruction



Layers

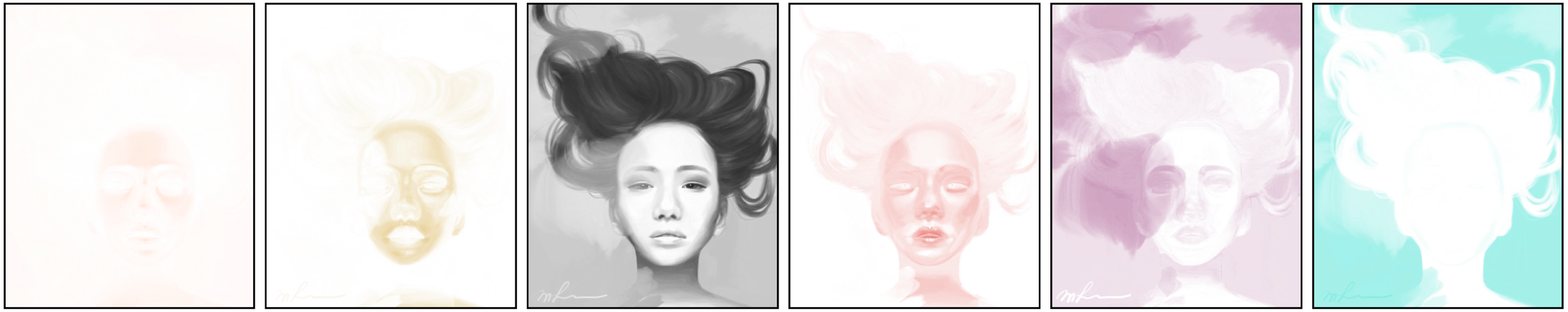




Subproblems

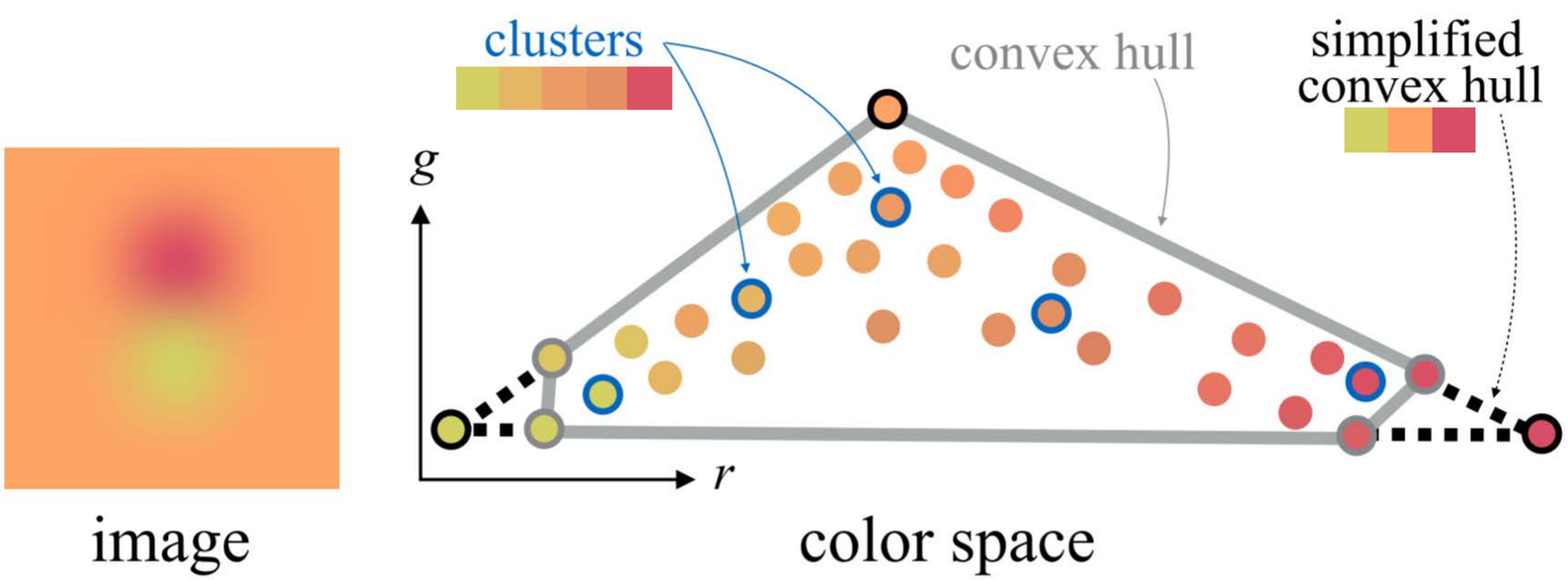
1. Palette extraction

2. Palette-based layer decomposition



Related Work

- Palette extraction for image editing
  - Shapira et al. [2009]
  - O'Donovan et al. [2011]
  - Lin et al. [2013]
  - Gerstner et al. [2013]
  - Chang et al. [2015]
  - Tan et al. [2016]
  - …

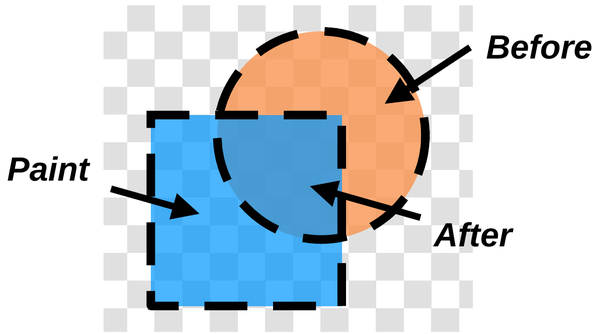


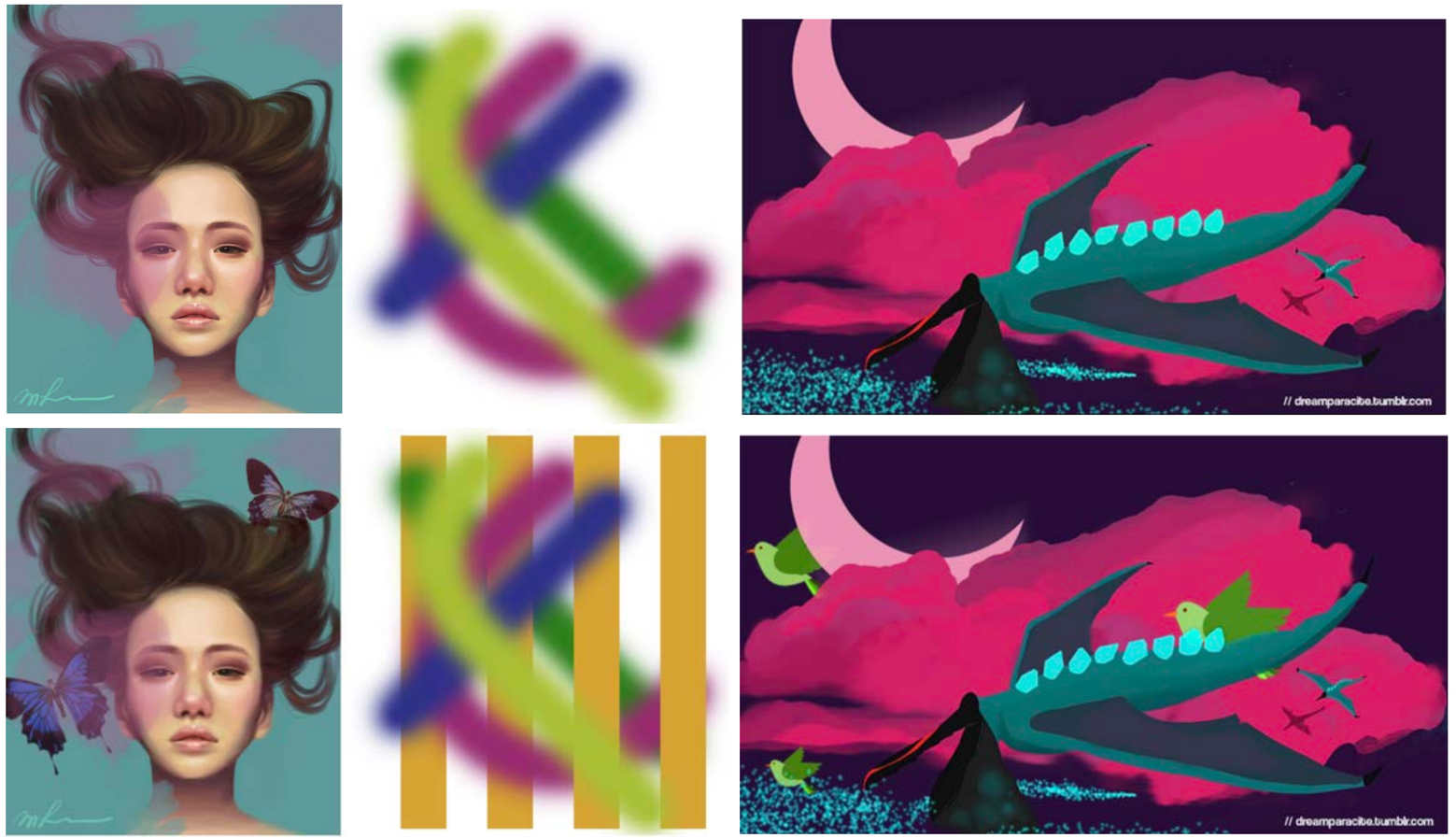
Decomposing Images into Layers via RGB-space Geometry [Tan et al. 2016]

Related Work

- Order-dependent translucent layers
  - Richardt et al. [2014]
  - Tan et al. [2015]
  - Tan et al. [2016]
  - Favreau et al. [2017]

$$After = Before \cdot (1 - \alpha) + Paint \cdot \alpha$$



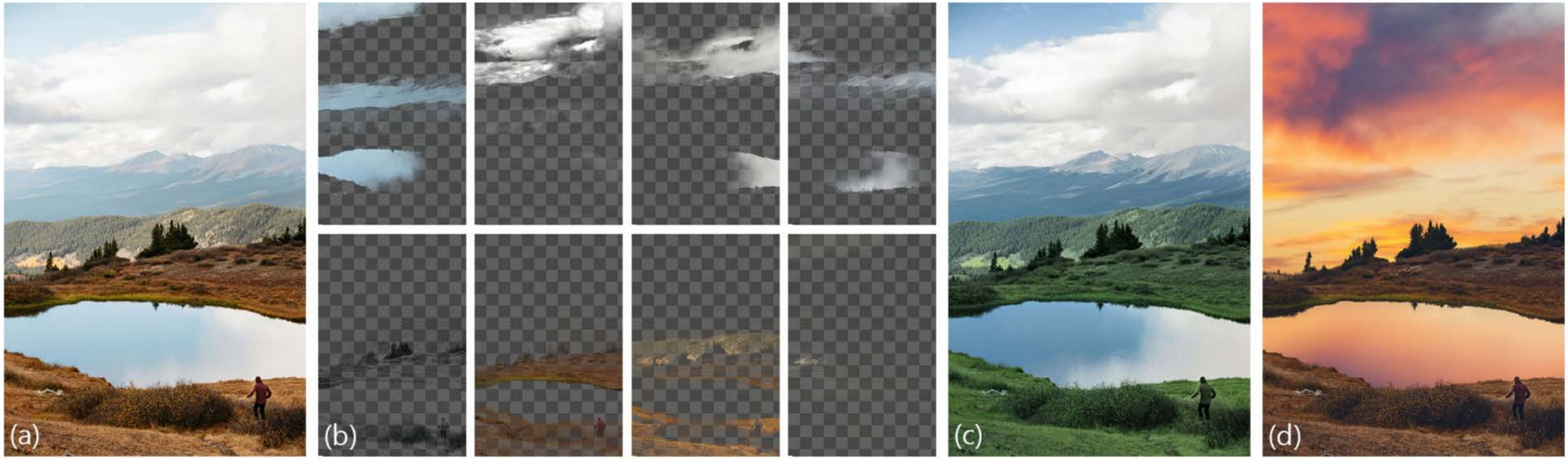


Decomposing Images into Layers via RGB-space Geometry [Tan et al. 2016]

Related Work

- Order-independent additive-mixing layers
  - Lin et al. [2017]; Zhang et al. [2017], Aksoy et al. [2017].

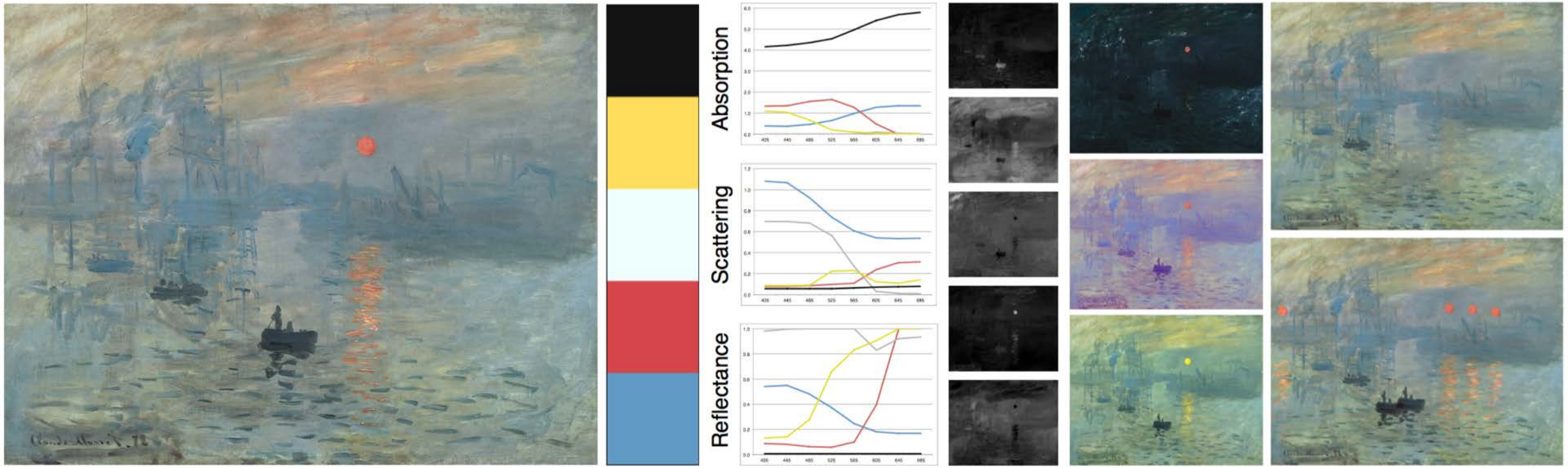
$$p = \sum w_i c_i$$



Unmixing-Based Soft Color Segmentation for Image Manipulation [Aksoy et al. 2017]

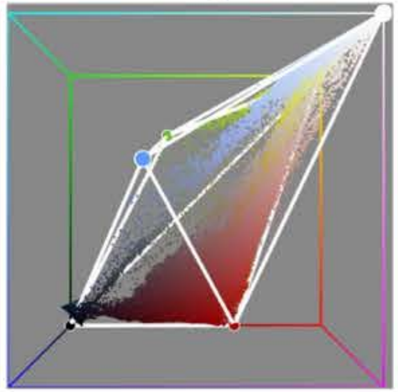
Related Work

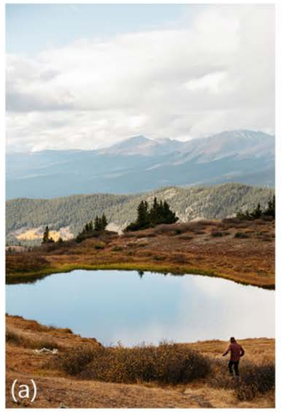
- Physically-based layers
  - Abed et al. [2014]; Tan et al. [2015]; Aharoni-Mack et al. [2017]; Tan et al. [2018].

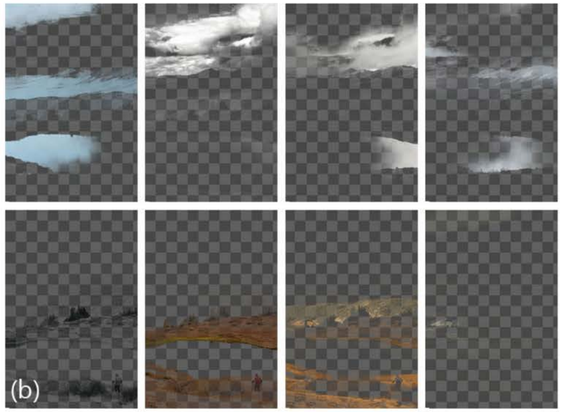


Pigmento: Pigment-Based Image Analysis and Editing [Tan et al. 2018]

Our approach

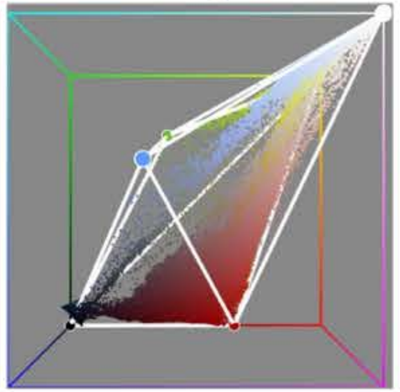


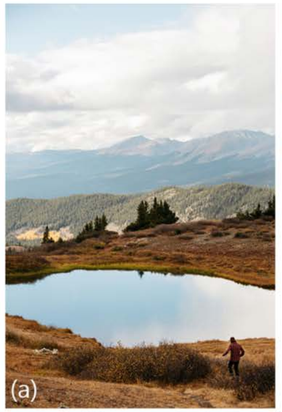


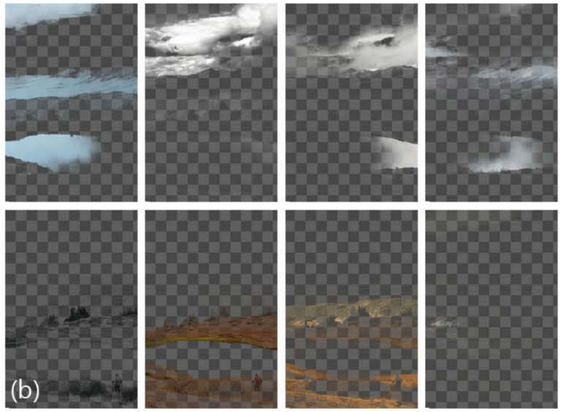


Our approach

- Geometry-based convex palettes

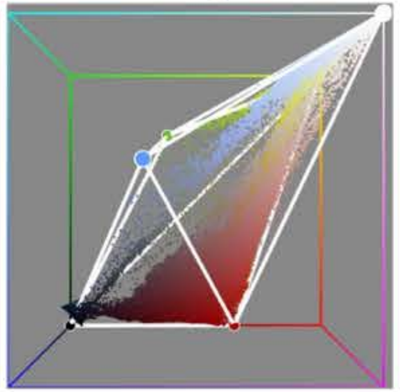


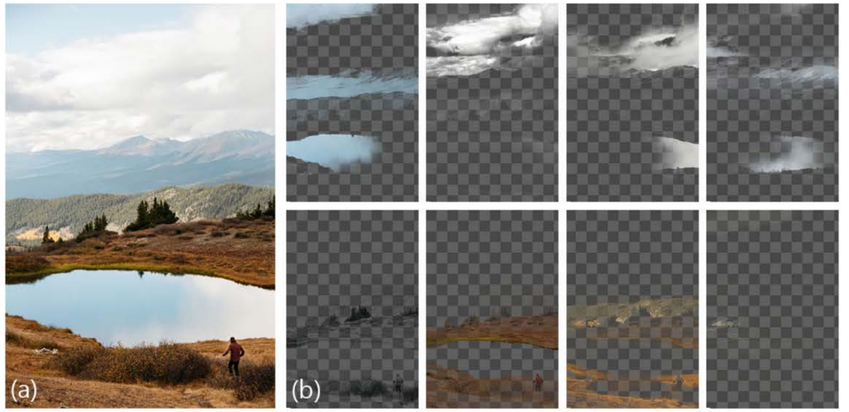




Our approach

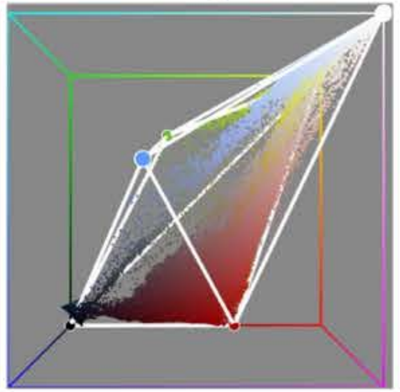
- Geometry-based convex palettes
    - Simpler

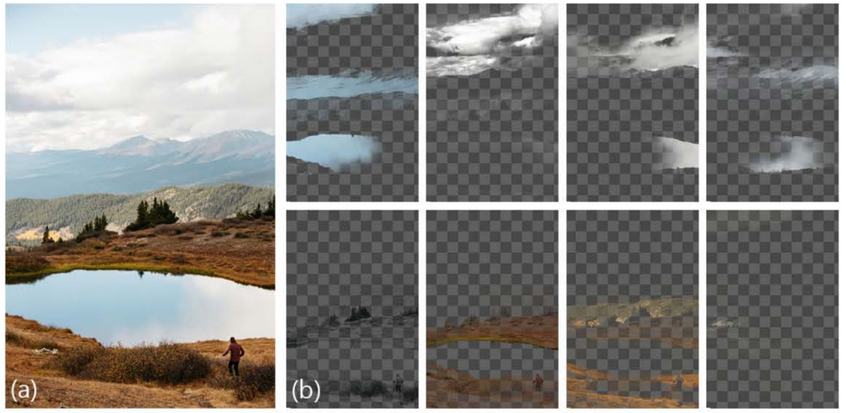




Our approach

- Geometry-based convex palettes
    - Simpler
    - More general





Our approach

- Geometry-based convex palettes
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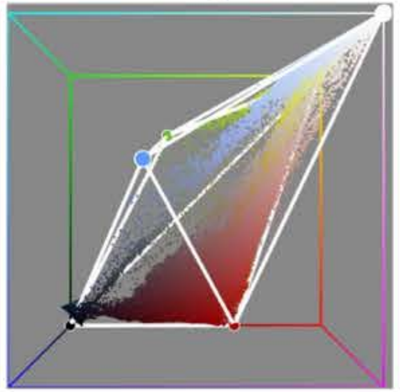

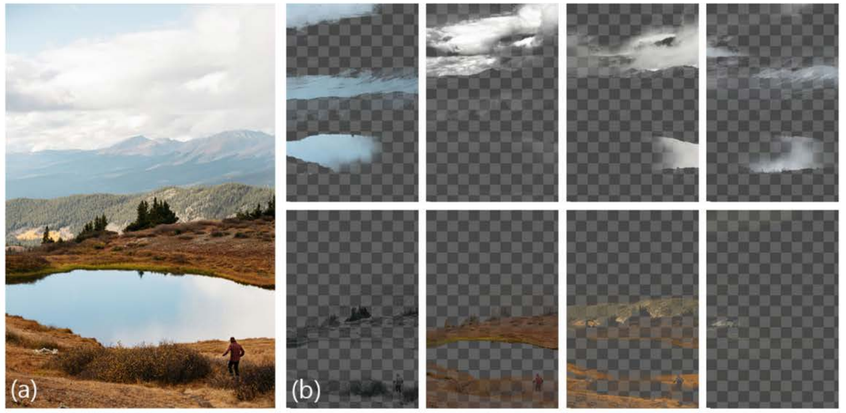

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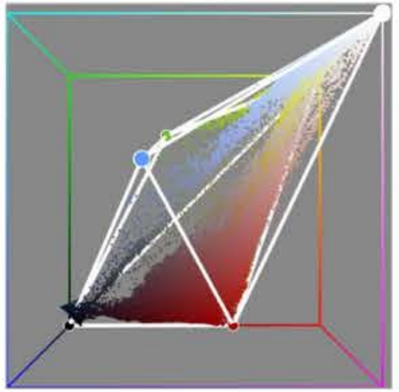
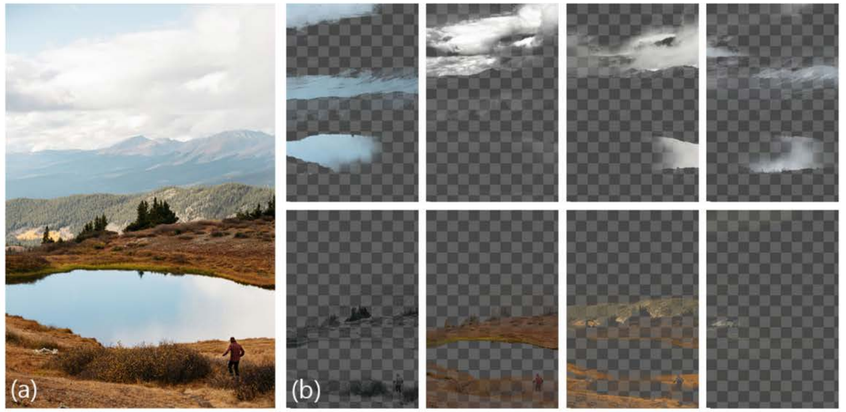
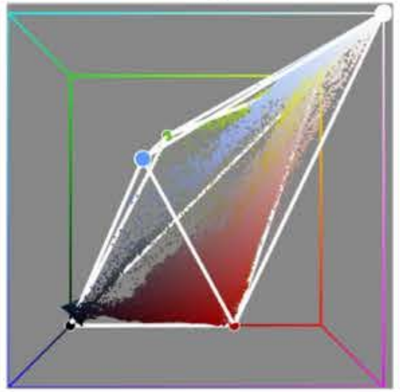


- Additive-mixing layers

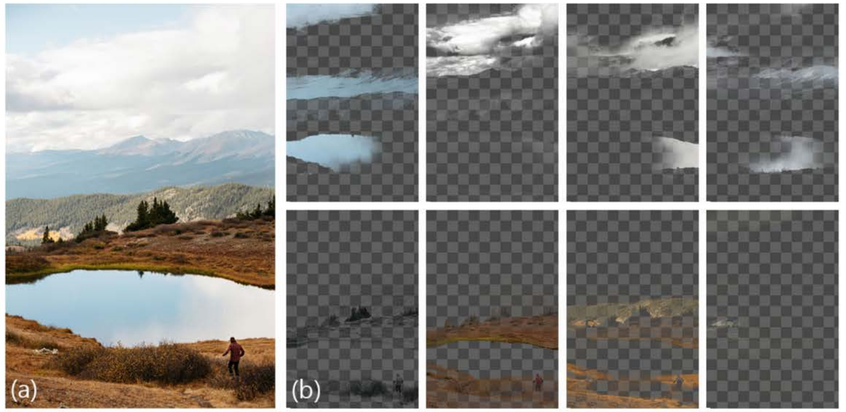


Our approach

- Geometry-based convex palettes
    - Simpler
    - More general



- Additive-mixing layers
    - Single colors



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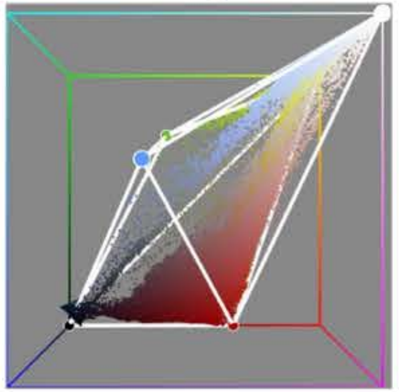
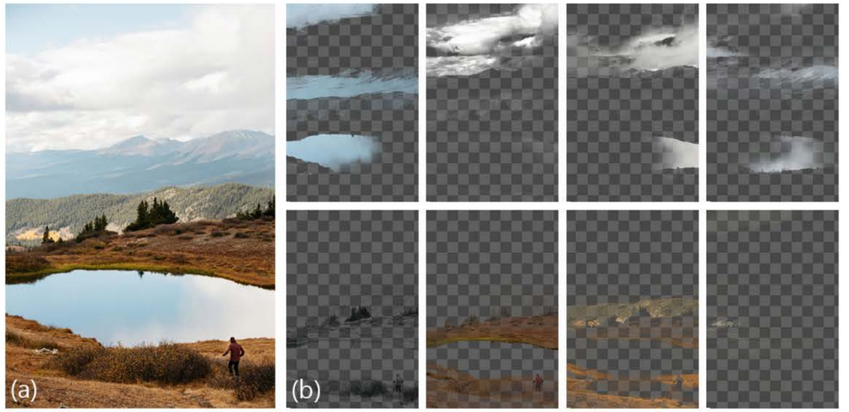
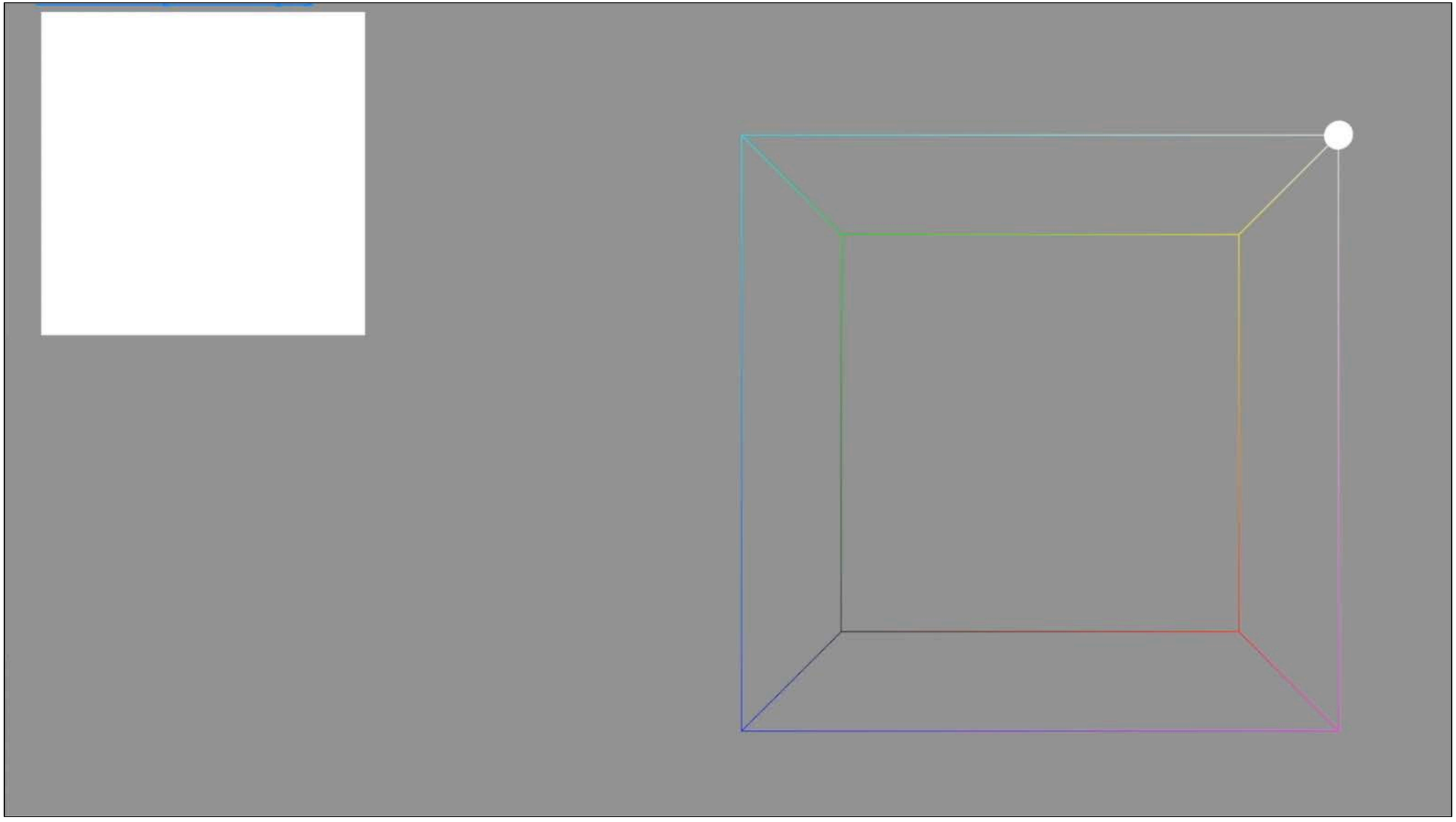


- Additive-mixing layers
    - Single colors
    - More general

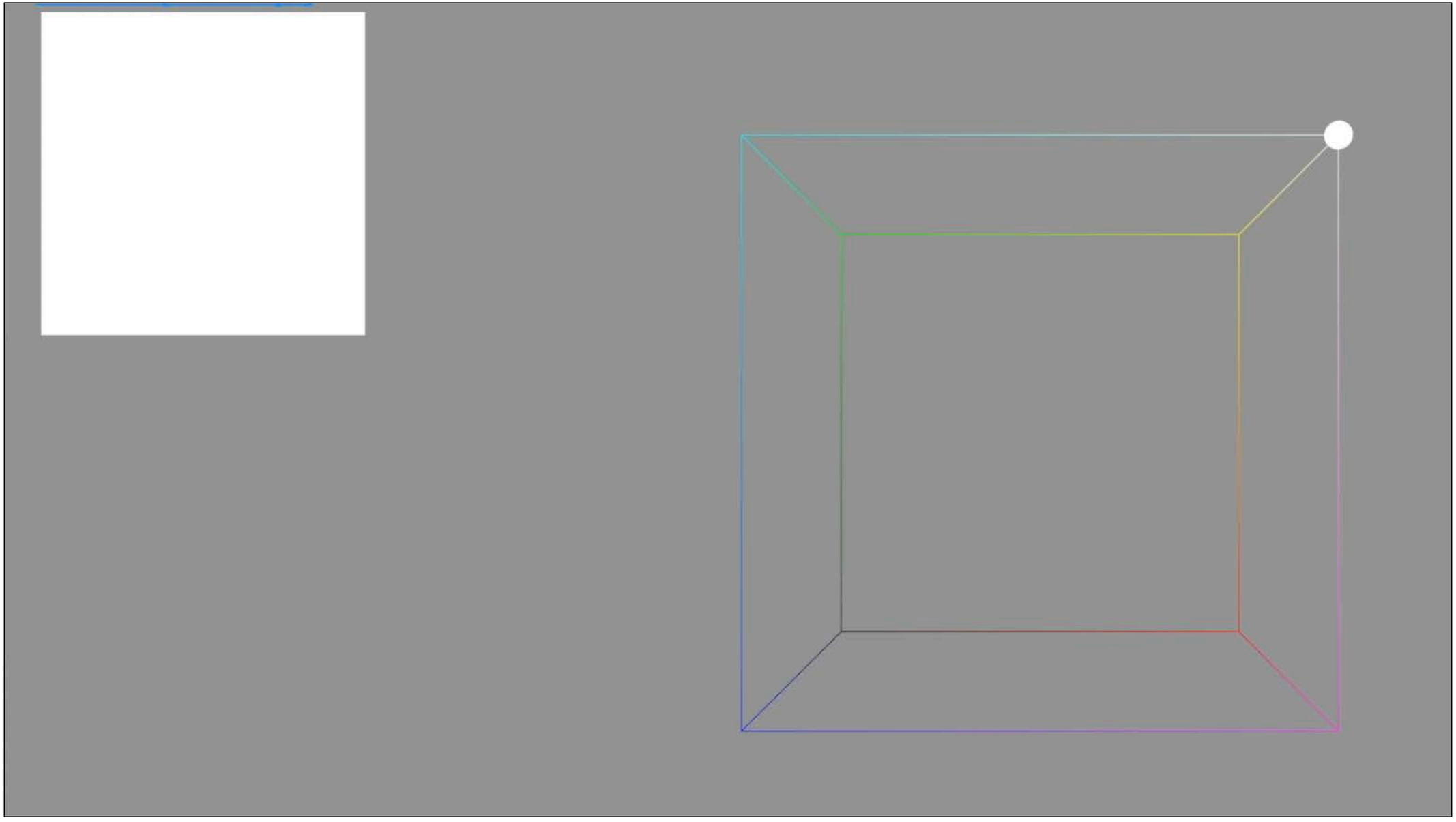


Palette extraction

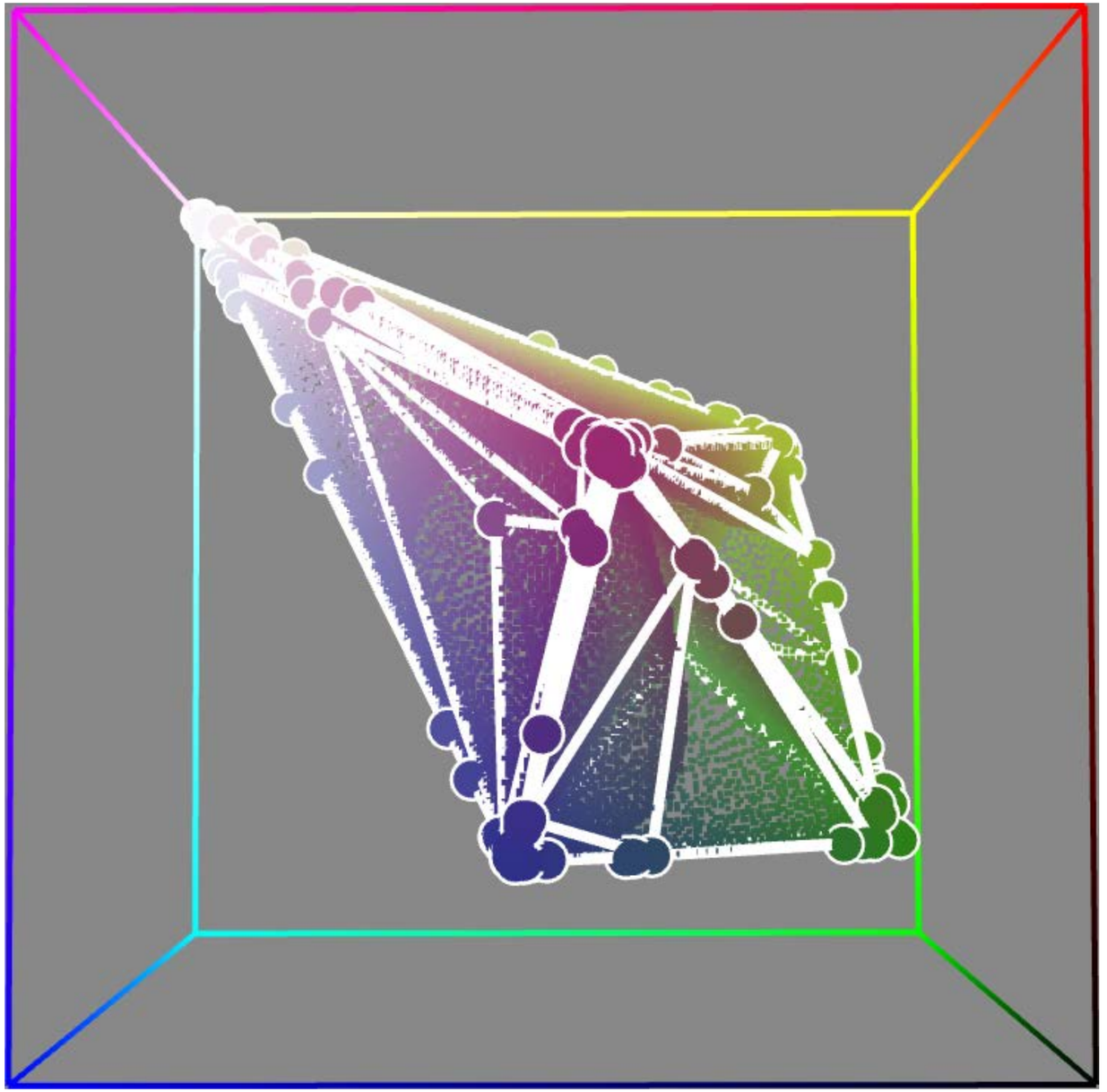
Reminder: Convex Hulls in Color-Space



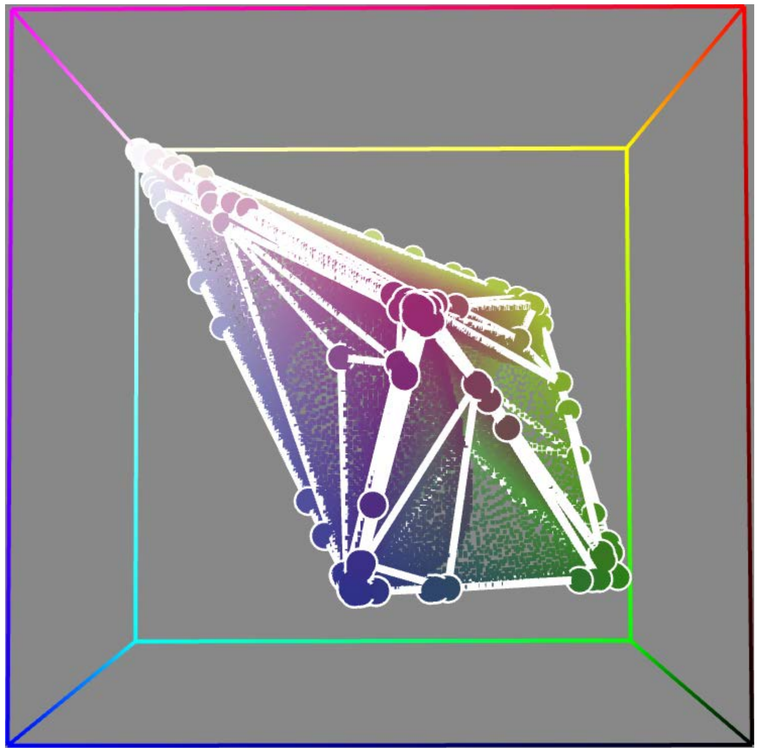
Reminder: Convex Hulls in Color-Space



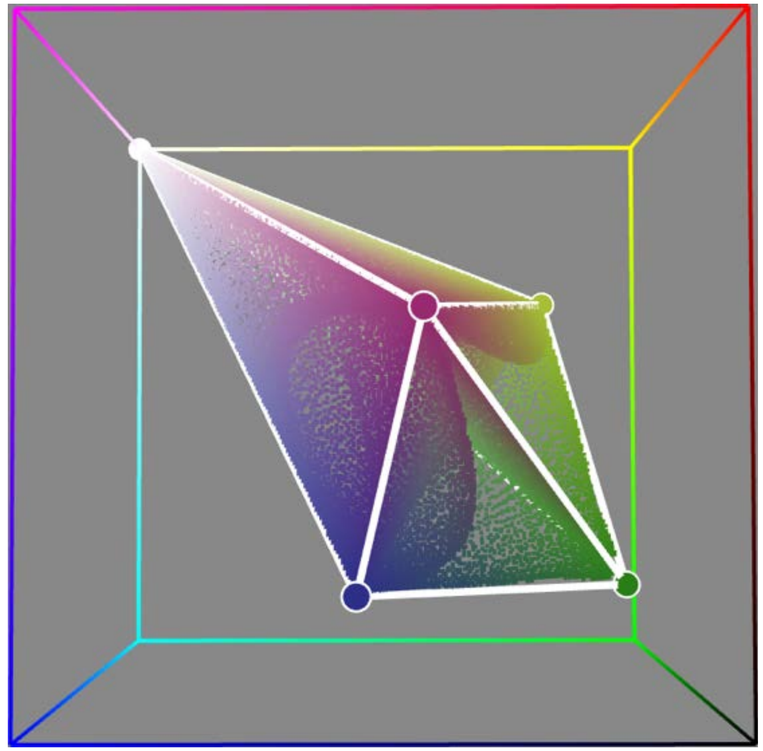
Convex Hull in RGB-space



Convex Hull simplification [Tan et al. 2016]

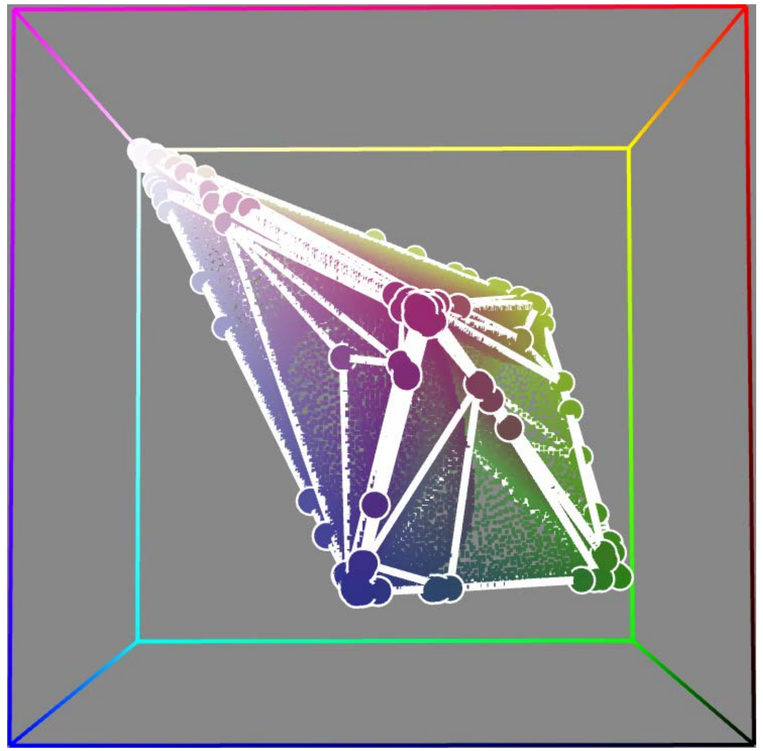


convex hull



simplified convex hull

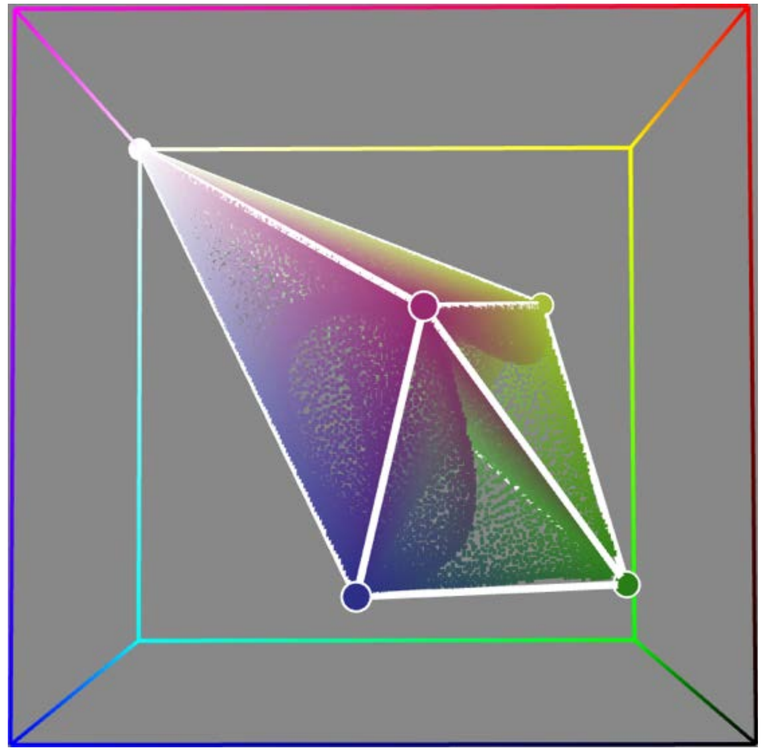
Convex Hull simplification [Tan et al. 2016]



convex hull

Iteratively collapse edges with a

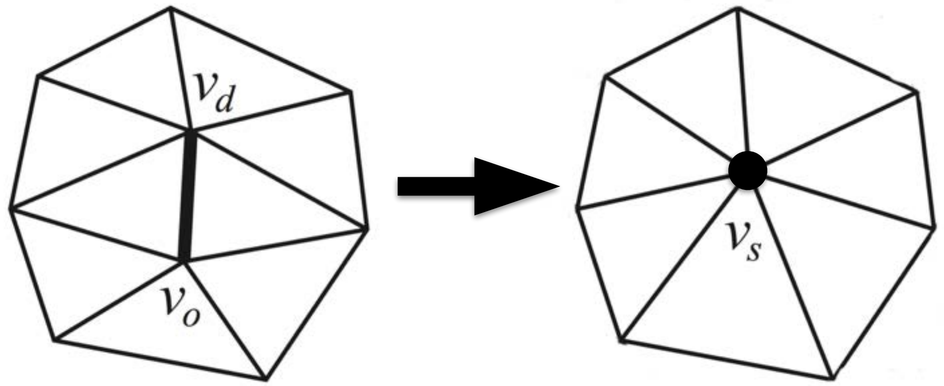
modified Progressive Hull method



simplified convex hull

Progressive Hull [Sander et al. 2000]

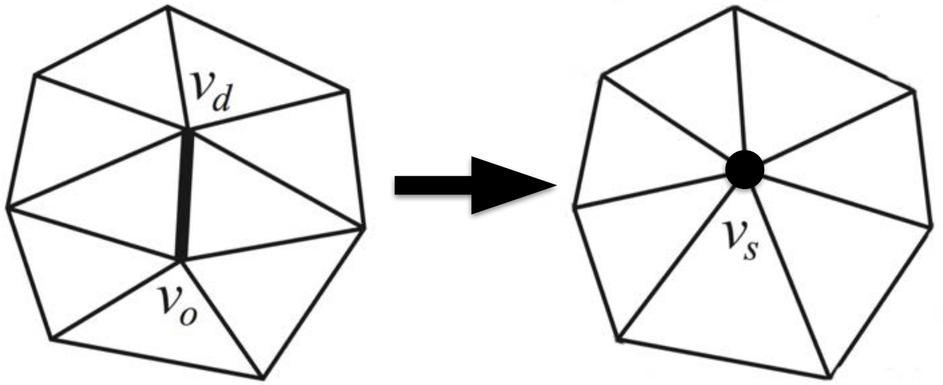
- Greedily collapse edges whose new vertex position adds the smallest additional volume.

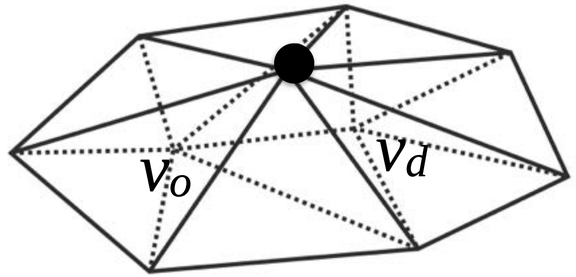


Progressive Hull [Sander et al. 2000]

- Greedily collapse edges whose new vertex position adds the smallest additional volume.

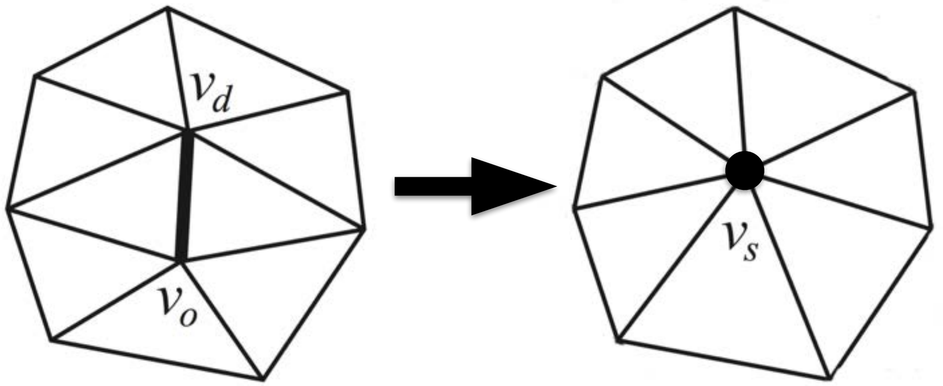
- New vertex position guarantees that volume expands (linear constraint)

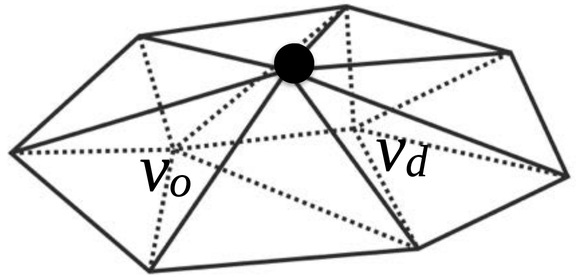




Progressive Hull [Sander et al. 2000]

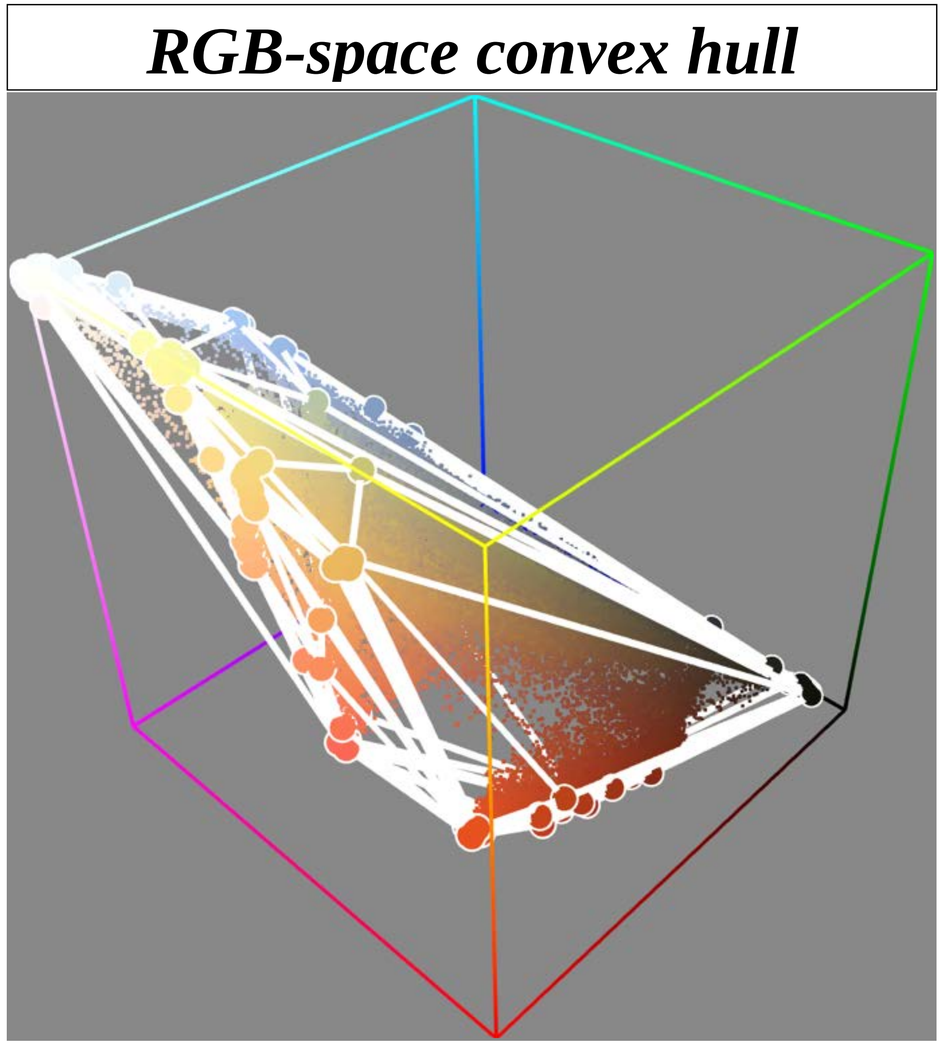
- Greedily collapse edges whose new vertex position adds the smallest additional volume.
- New vertex position guarantees that volume expands (linear constraint)
- We modify the algorithm: choose the new vertex that minimizes the distance to incident faces of the collapsing edge.





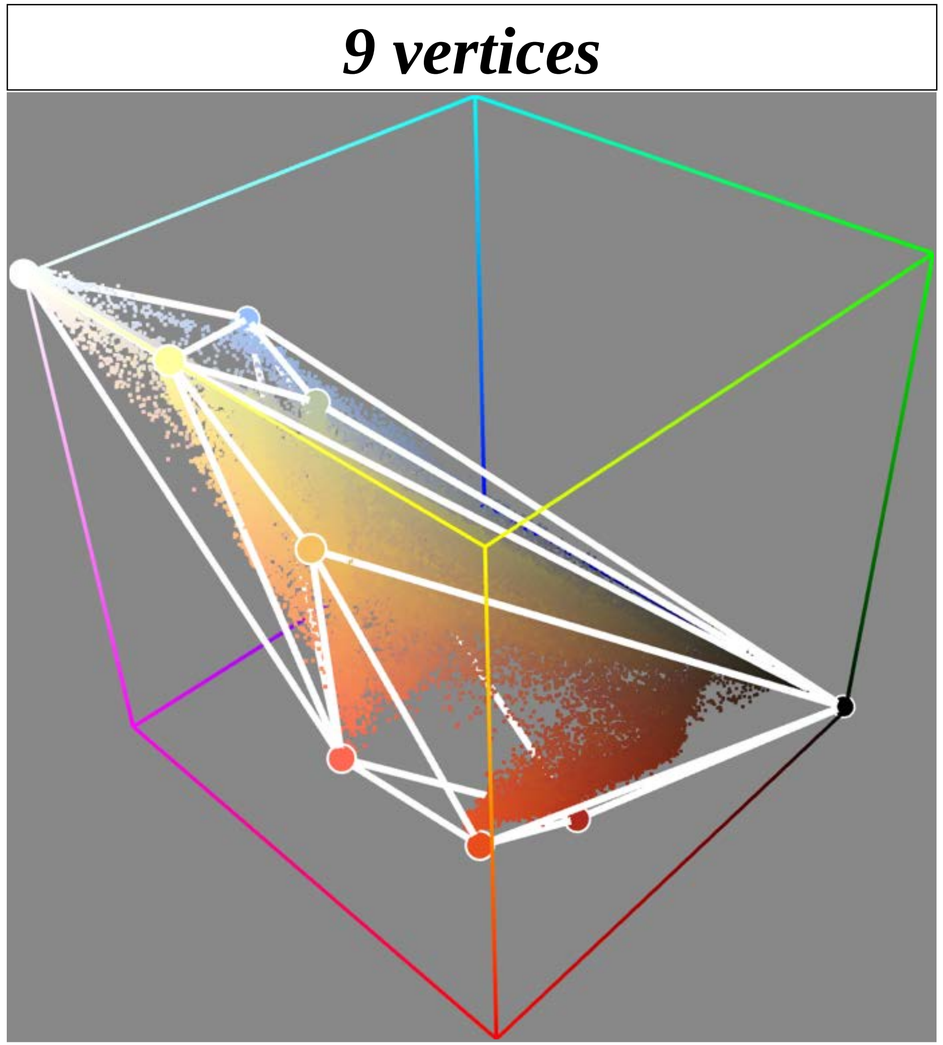
Convex hulls in RGB

- Image colors show a convex structure in RGB [Tan et al. 2016]



Palette Size

- The convex hull can be simplified to any complexity level.



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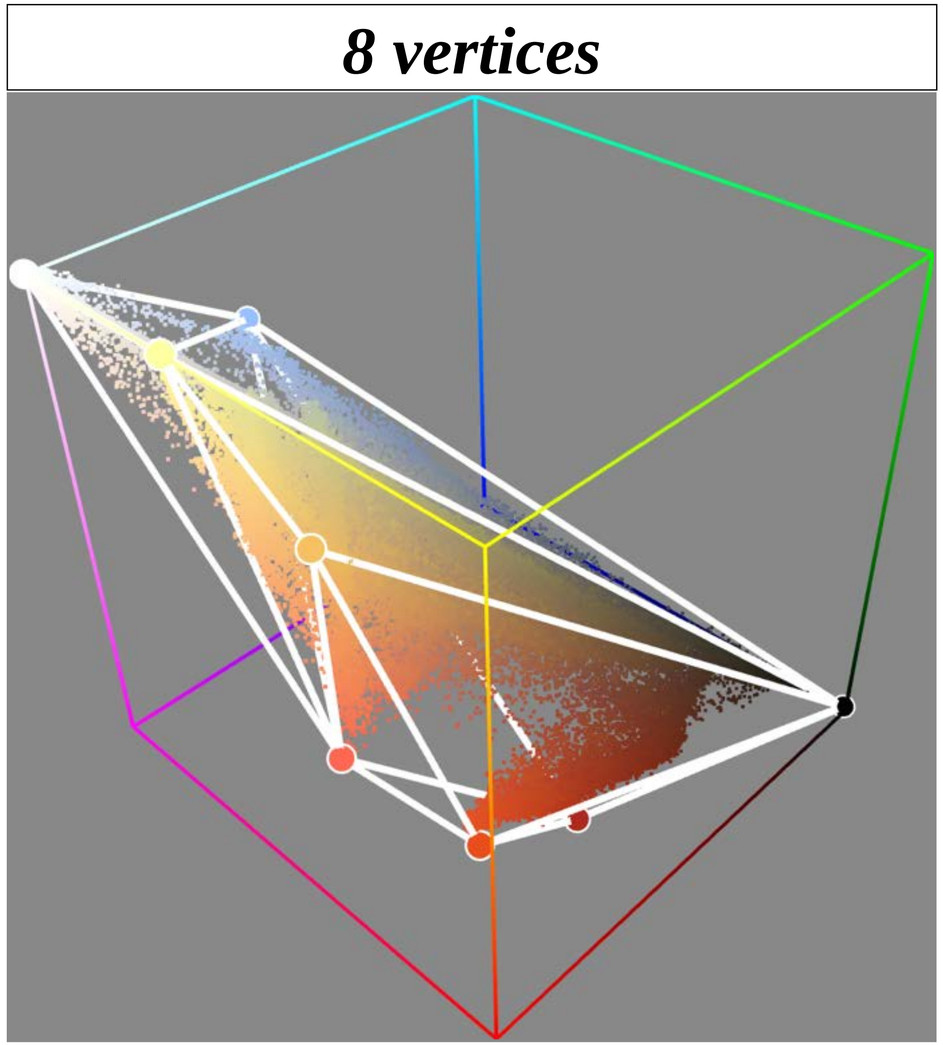

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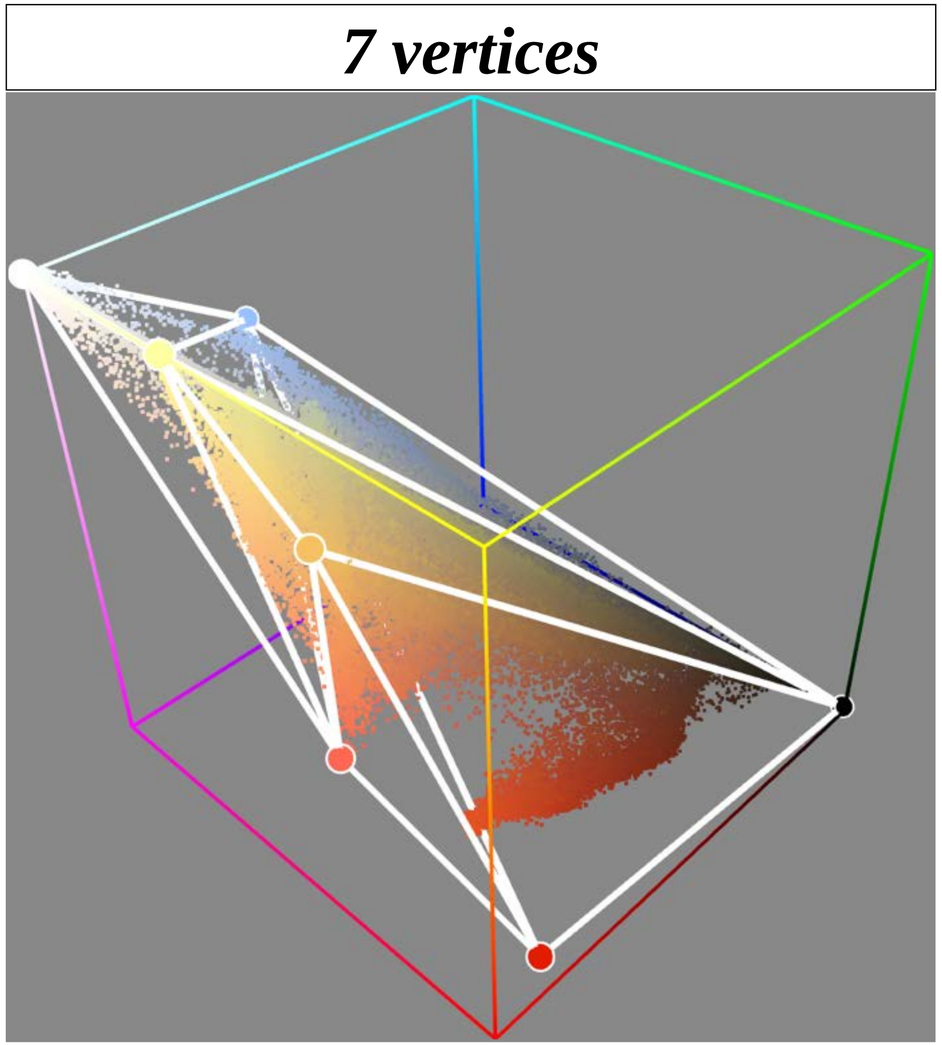

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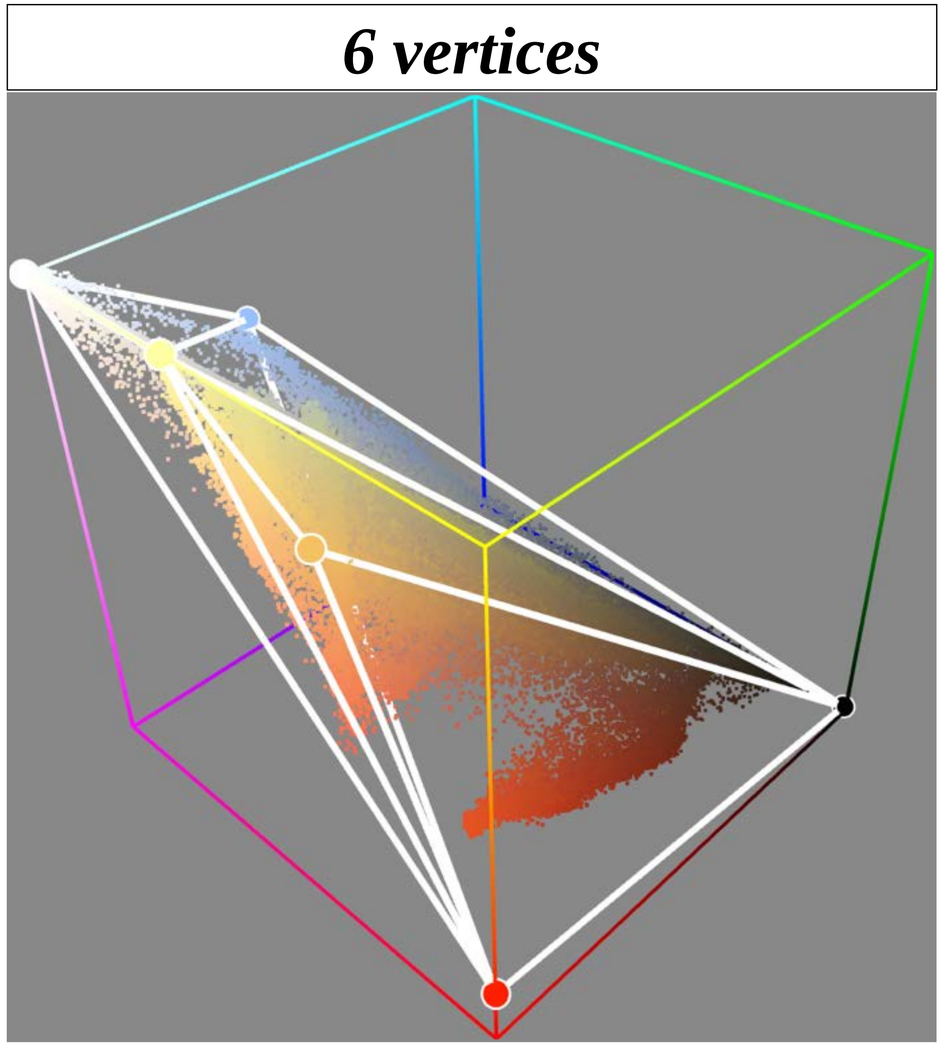

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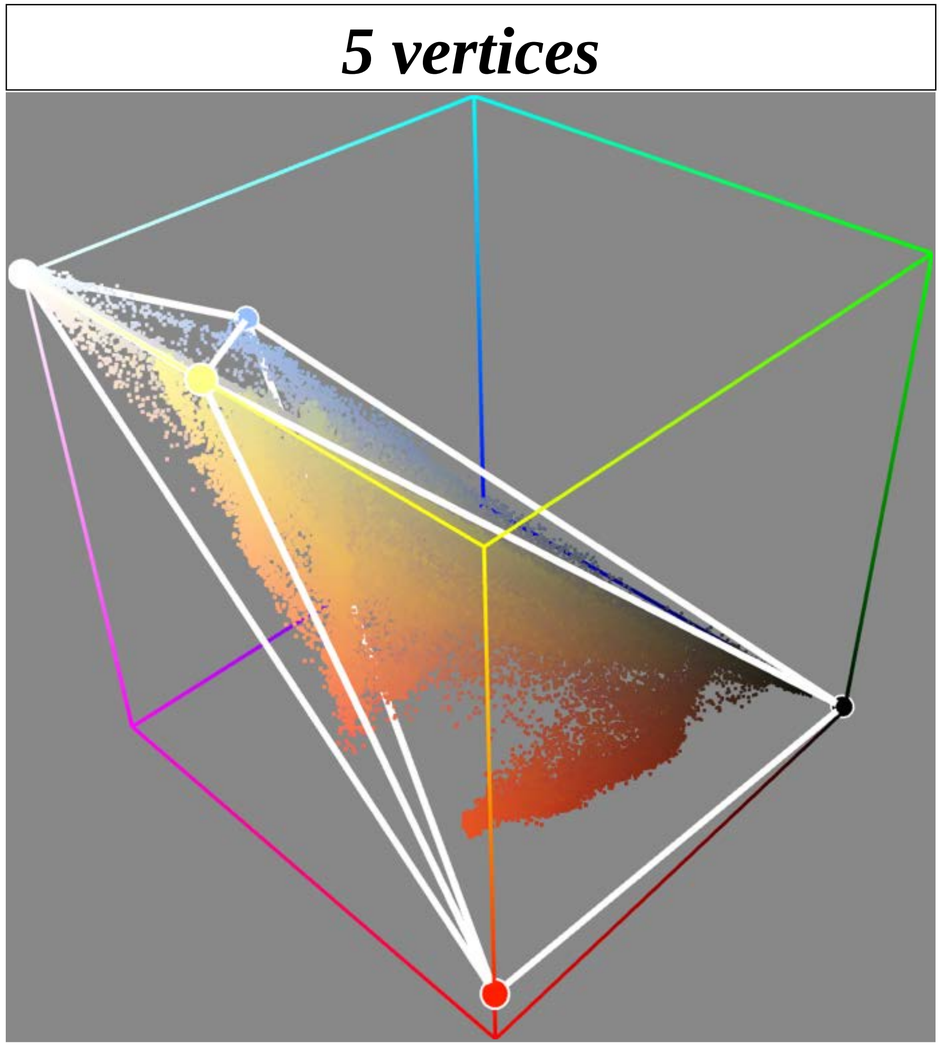

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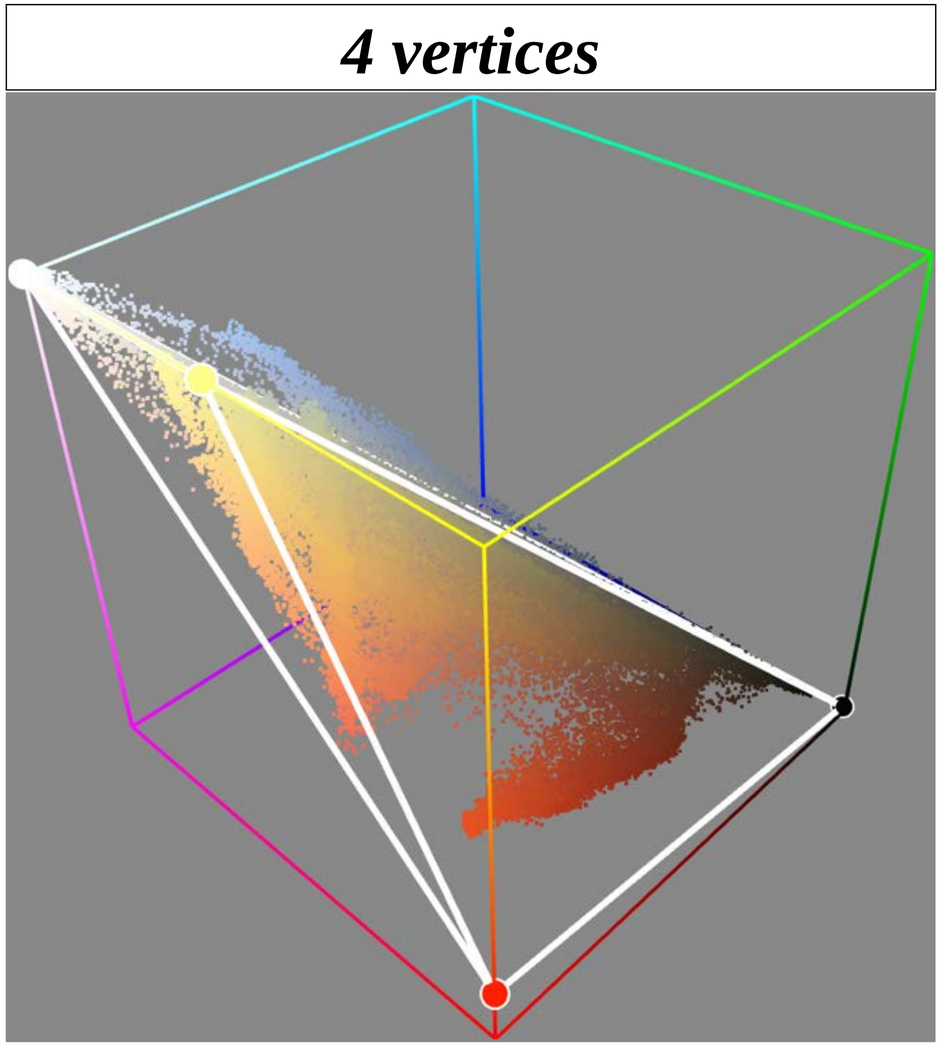

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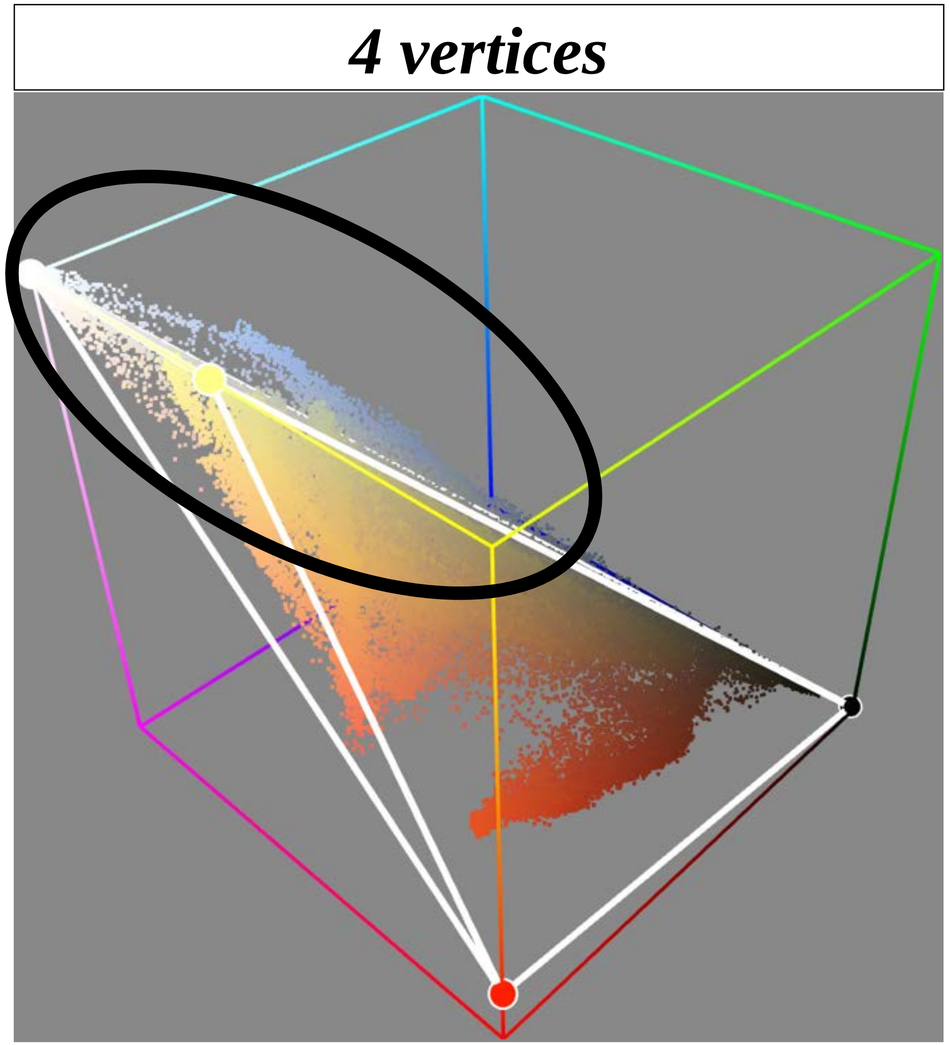


Palette Size

- Our automatic error-bound simplification

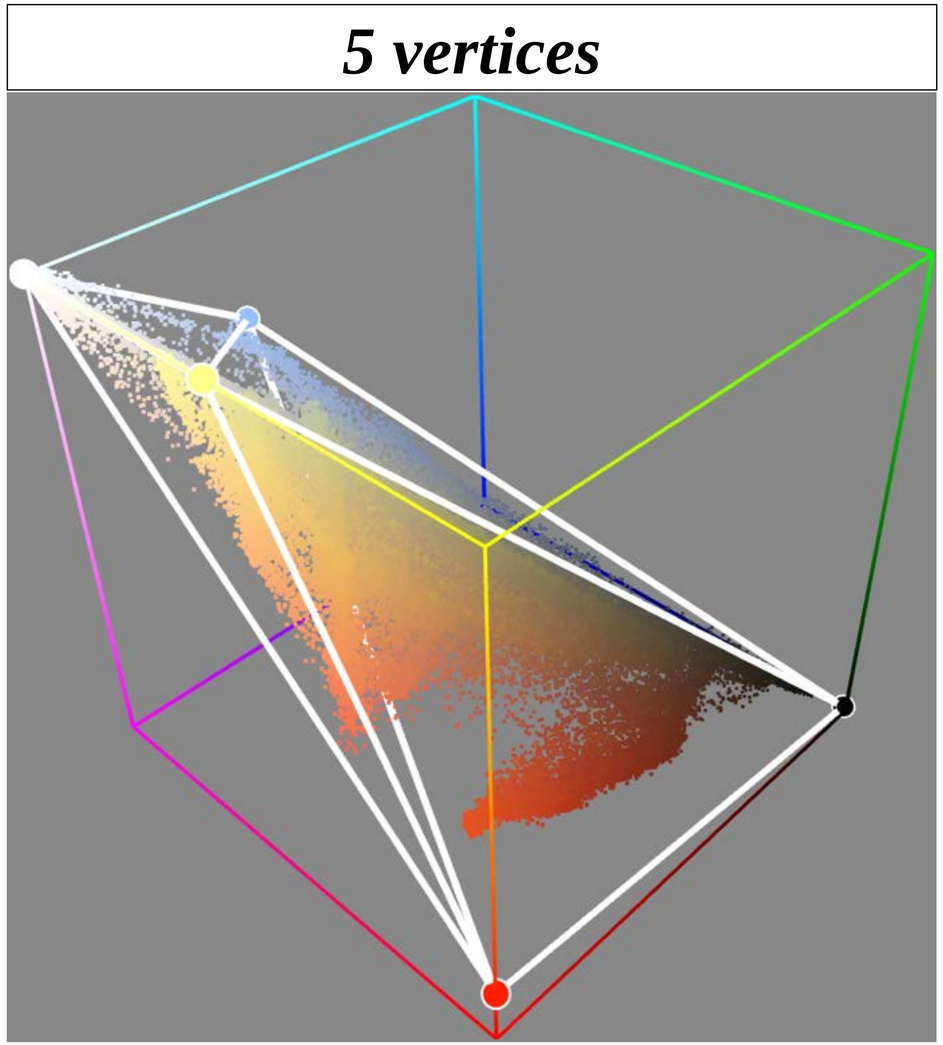
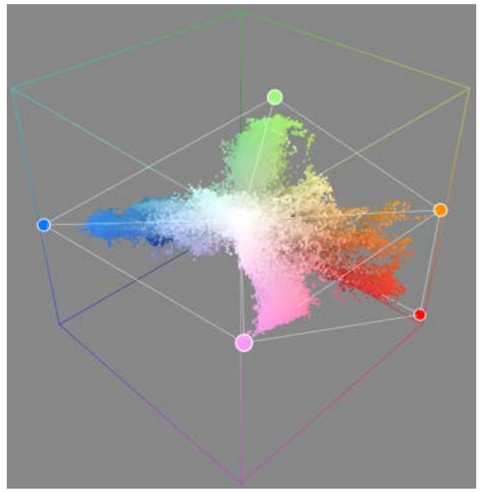


Image Decomposition

Extracting mixing weights

image

RGB-space



Optimization

palette

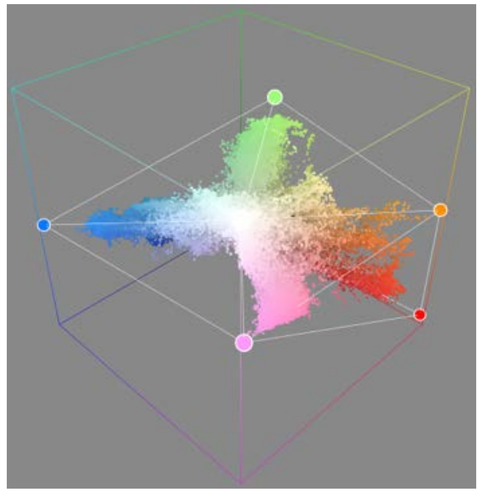
$$\mathbf{E} = \begin{array}{l} \|\text{original} - \text{ reconstructed image}\|^2 \quad \sum ||P_i - w_{ij}C_j||^2 \\ + \\ \text{Per pixel mixing weights sparsity} \quad \sum -(1 - w_{ij})^2 \\ + \\ \text{Mixing weights spatial smoothness} \quad (\textbf{Laplacian}) \end{array}$$

Extracting mixing weights

image

palette

RGB-space



Optimization

$$\mathbf{E} = \underbrace{\|\text{original} - \text{reconstructed image}\|^2}_{\sum ||P_i - w_{ij}C_j||^2} + \underbrace{\text{Per pixel mixing weights sparsity}}_{\sum -(1-w_{ij})^2} + \text{Mixing weights spatial smoothness (\textbf{Laplacian})}$$

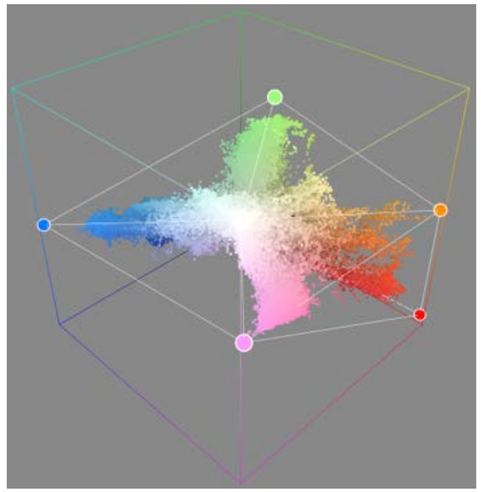
- Slow for high resolutions

Extracting mixing weights

image

palette

RGB-space



Optimization

- Slow for high resolutions
- Many parameters to tune

E = ‖original – reconstructed image‖² $\sum ||P_i - w_{ij}C_j||^2$

+

Per pixel mixing weights sparsity $\sum -(1 - w_{ij})^2$

+

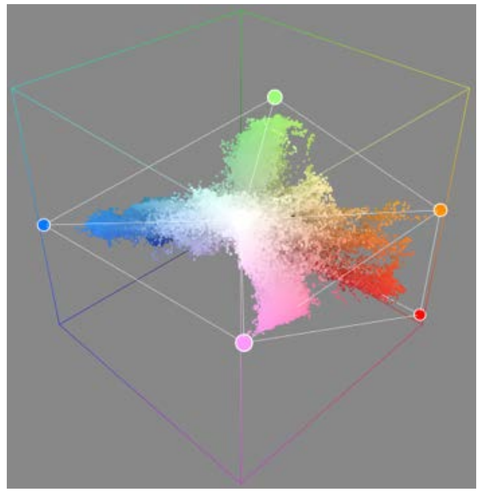
Mixing weights spatial smoothness (**Laplacian**)

Extracting mixing weights

image

palette

RGB-space



Optimization

- Slow for high resolutions
- Many parameters to tune
- Per-image parameters

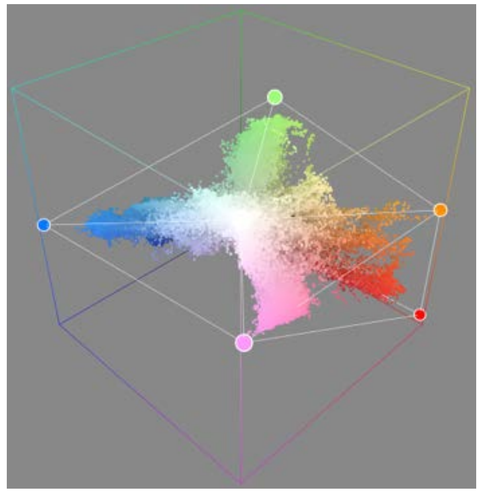
$$\mathbf{E} = \|\text{original} - \text{reconstructed image}\|^2 \quad \sum ||P_i - w_{ij}C_j||^2$$
$$+$$
$$\text{Per pixel mixing weights sparsity} \quad \sum -(1 - w_{ij})^2$$
$$+$$
$$\text{Mixing weights spatial smoothness} \quad (\textbf{Laplacian})$$

Extracting mixing weights

image

palette

RGB-space



Optimization

E = ‖original − reconstructed image‖² $\sum ||P_i - w_{ij}C_j||^2$

\+

Per pixel mixing weights sparsity $\sum -(1 - w_{ij})^2$

\+

Mixing weights spatial smoothness (**Laplacian**)

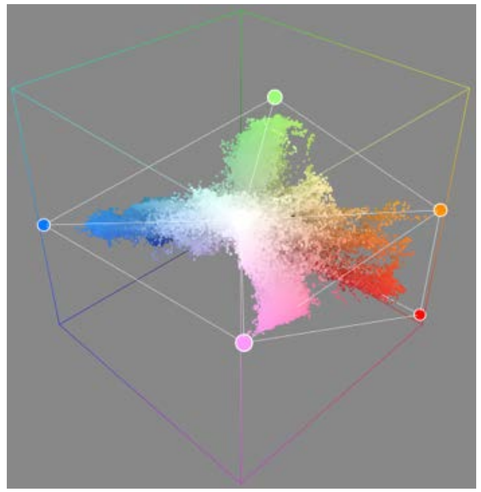
- Slow for high resolutions
- Many parameters to tune
- Per-image parameters

Extracting mixing weights

image

palette

RGB-space



Optimization

E = ‖original − reconstructed image‖² $\sum ||P_i - w_{ij}C_j||^2$

\+

Per pixel mixing weights sparsity $\sum -(1 - w_{ij})^2$

\+

Mixing weights spatial smoothness (**Laplacian**)

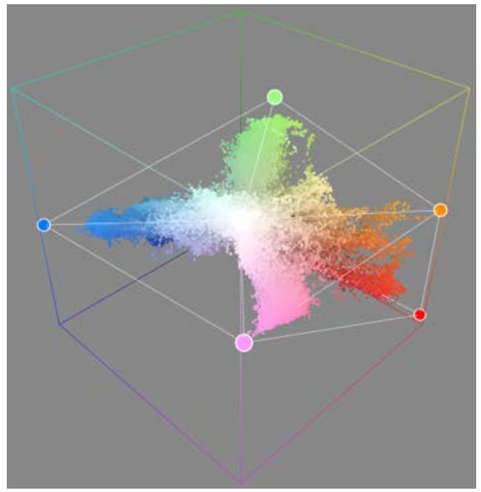
- Slow for high resolutions
- Many parameters to tune
- Per-image parameters

Extracting mixing weights

image

palette

RGB-space



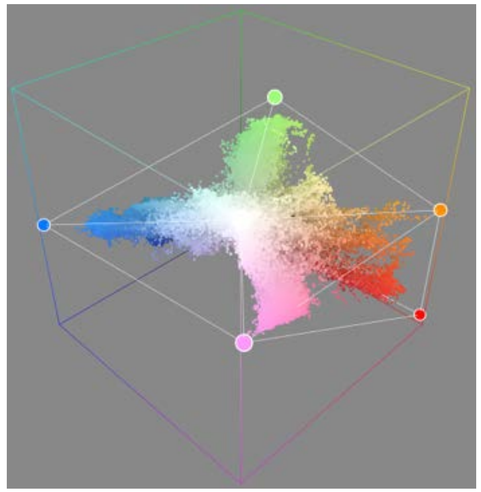
~~Optimization~~

Extracting mixing weights

image

palette

RGB-space



~~Optimization~~

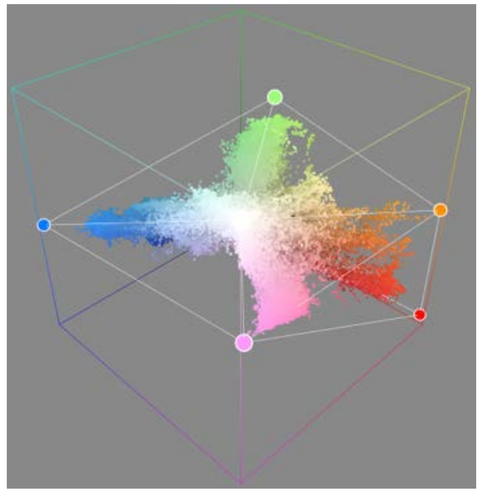
Generalized Barycentric Coordinates

Extracting mixing weights

image

palette

RGB-space



~~Optimization~~

Generalized Barycentric Coordinates

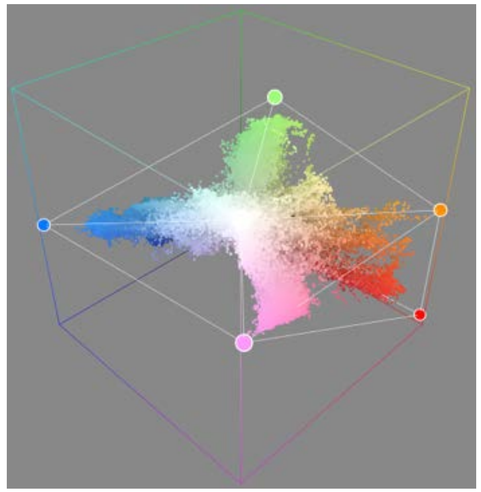
- Fast

Extracting mixing weights

image

palette

RGB-space



~~Optimization~~

Generalized Barycentric Coordinates

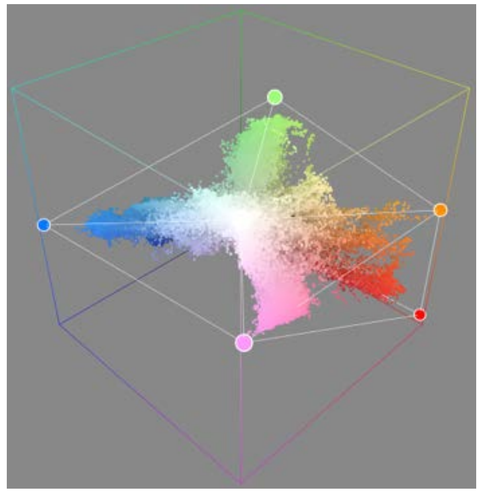
- Fast
- No parameters to tune

Extracting mixing weights

image

palette

RGB-space



~~Optimization~~

Generalized Barycentric Coordinates

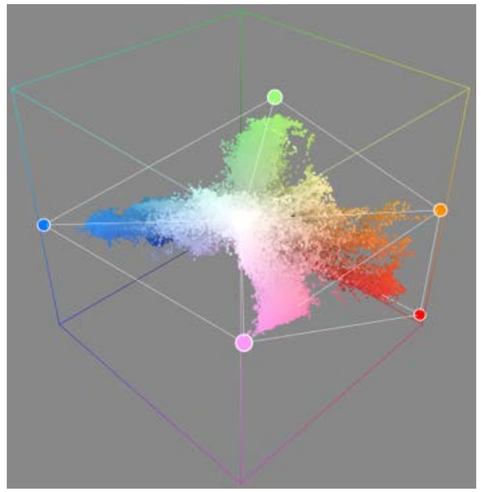
- Fast
- No parameters to tune
- Does not guarantee spatial smoothness

Extracting mixing weights

image

palette

RGB-space



~~Optimization~~

Generalized Barycentric Coordinates

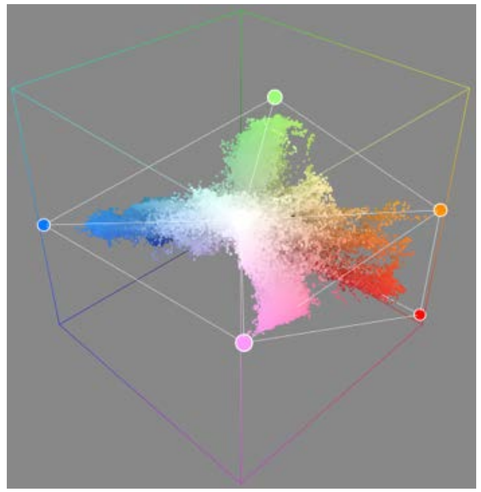
- Fast
- No parameters to tune
- Does not guarantee spatial smoothness

Extracting mixing weights

image

palette

RGB-space



~~Optimization~~

Generalized Barycentric Coordinates

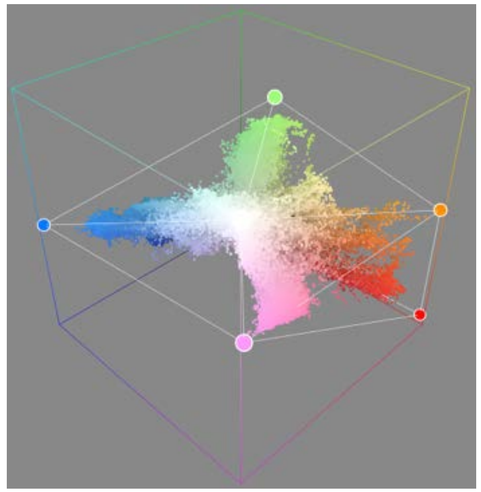
- Fast
- No parameters to tune
- Does not guarantee spatial smoothness

Extracting mixing weights

image

palette

RGB-space



~~Optimization~~

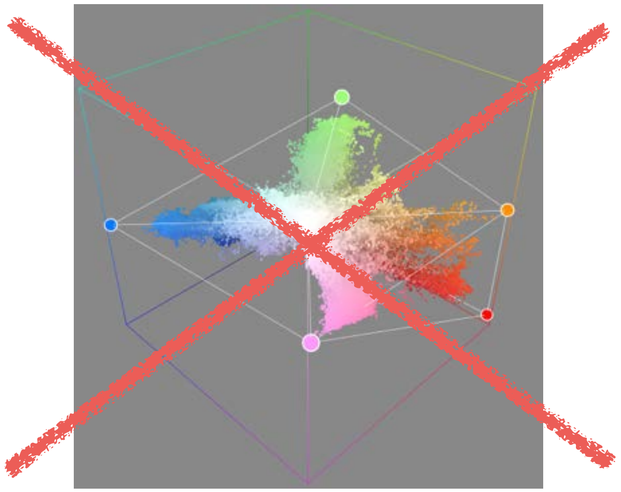
~~Generalized Barycentric Coordinates~~

Extracting mixing weights

image

palette

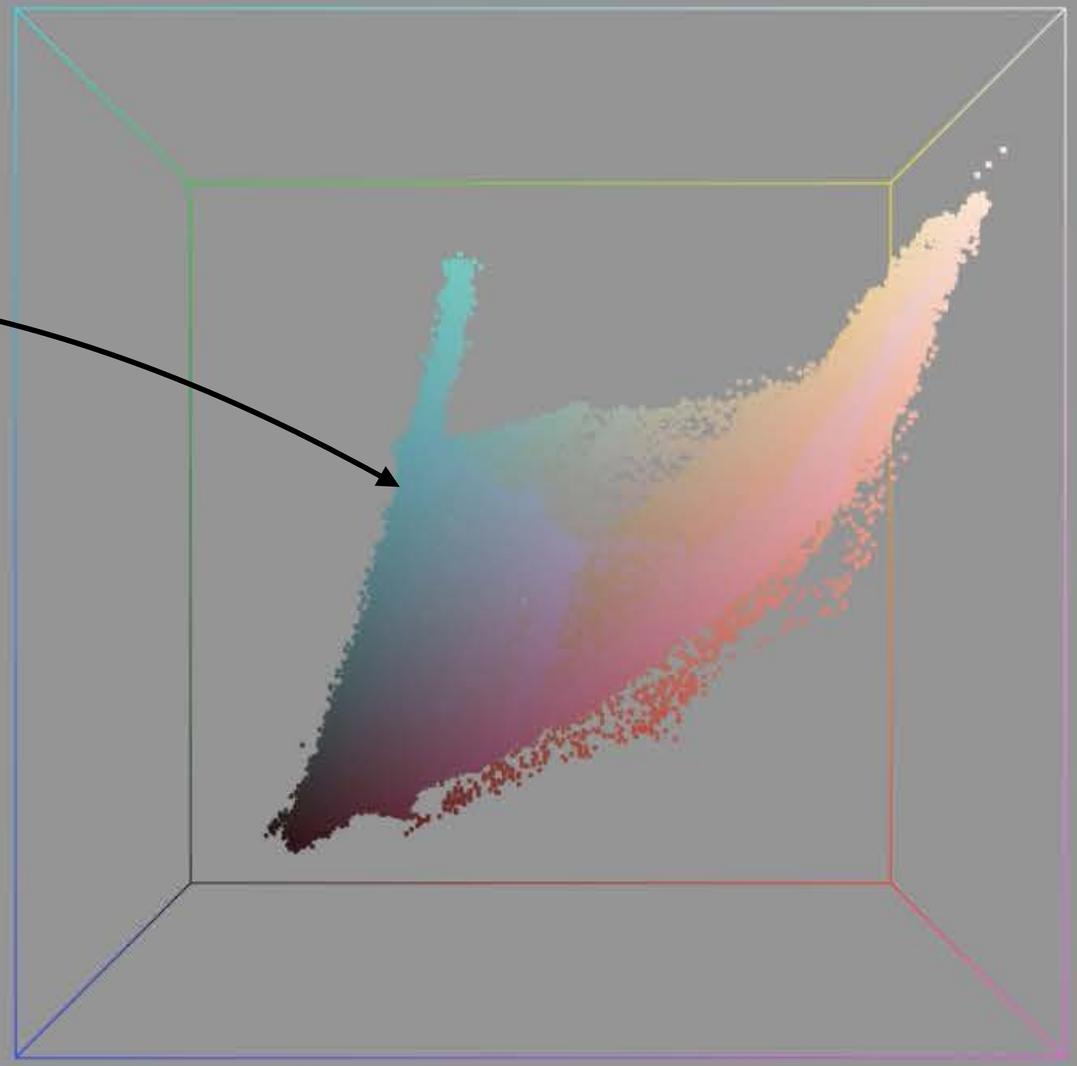
RGB-space



~~Optimization~~

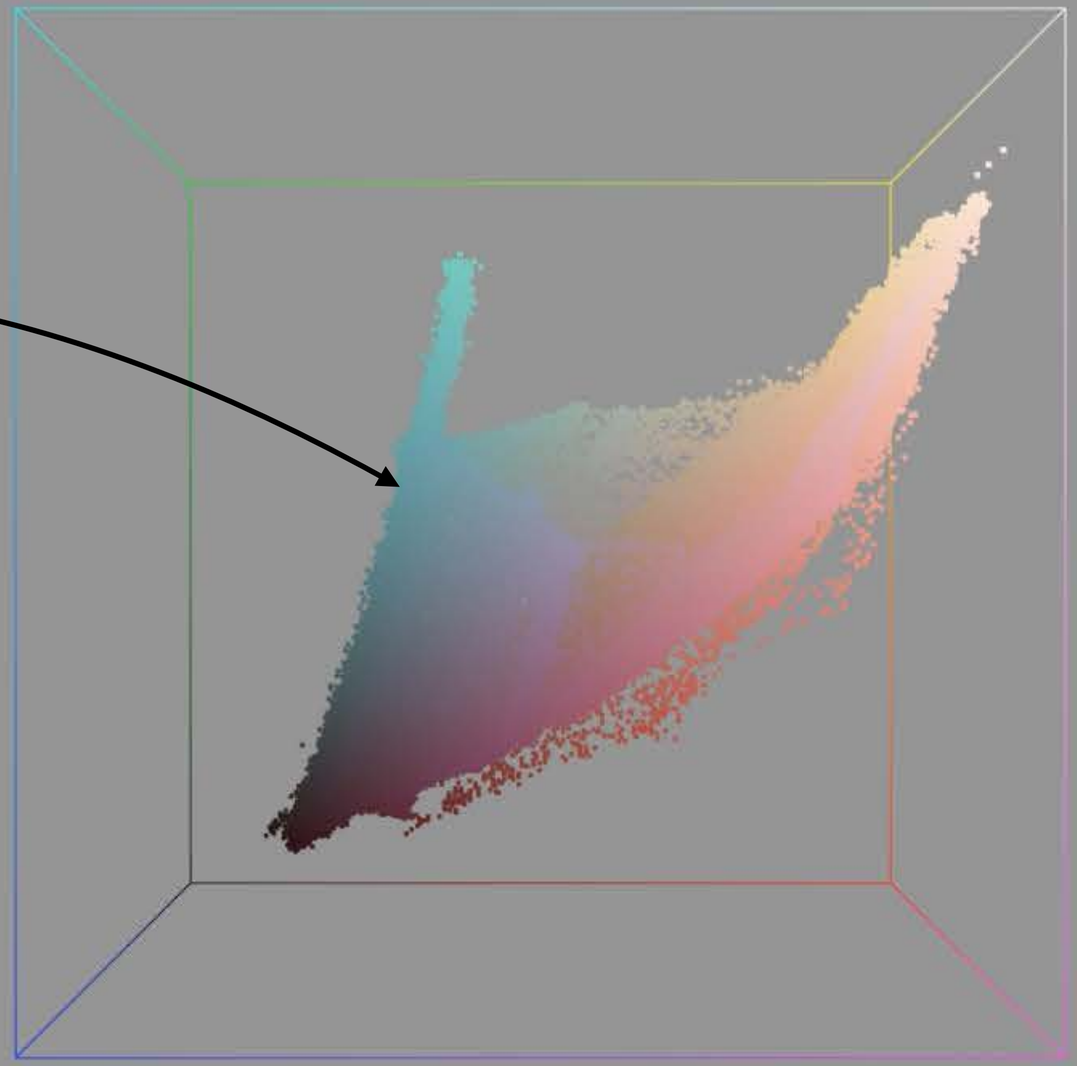
~~Generalized Barycentric Coordinates~~

(R,G,B)

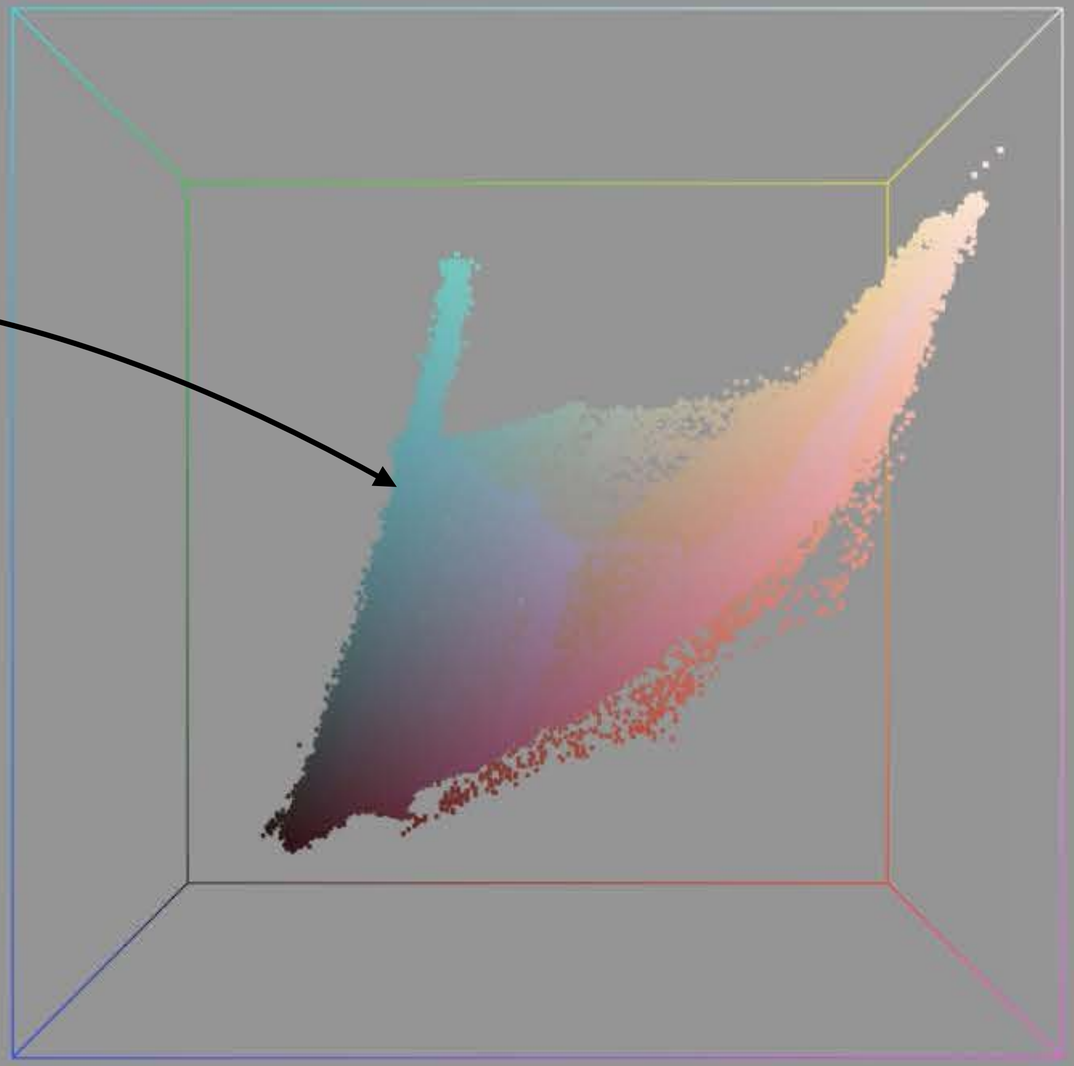


(R,G,B)

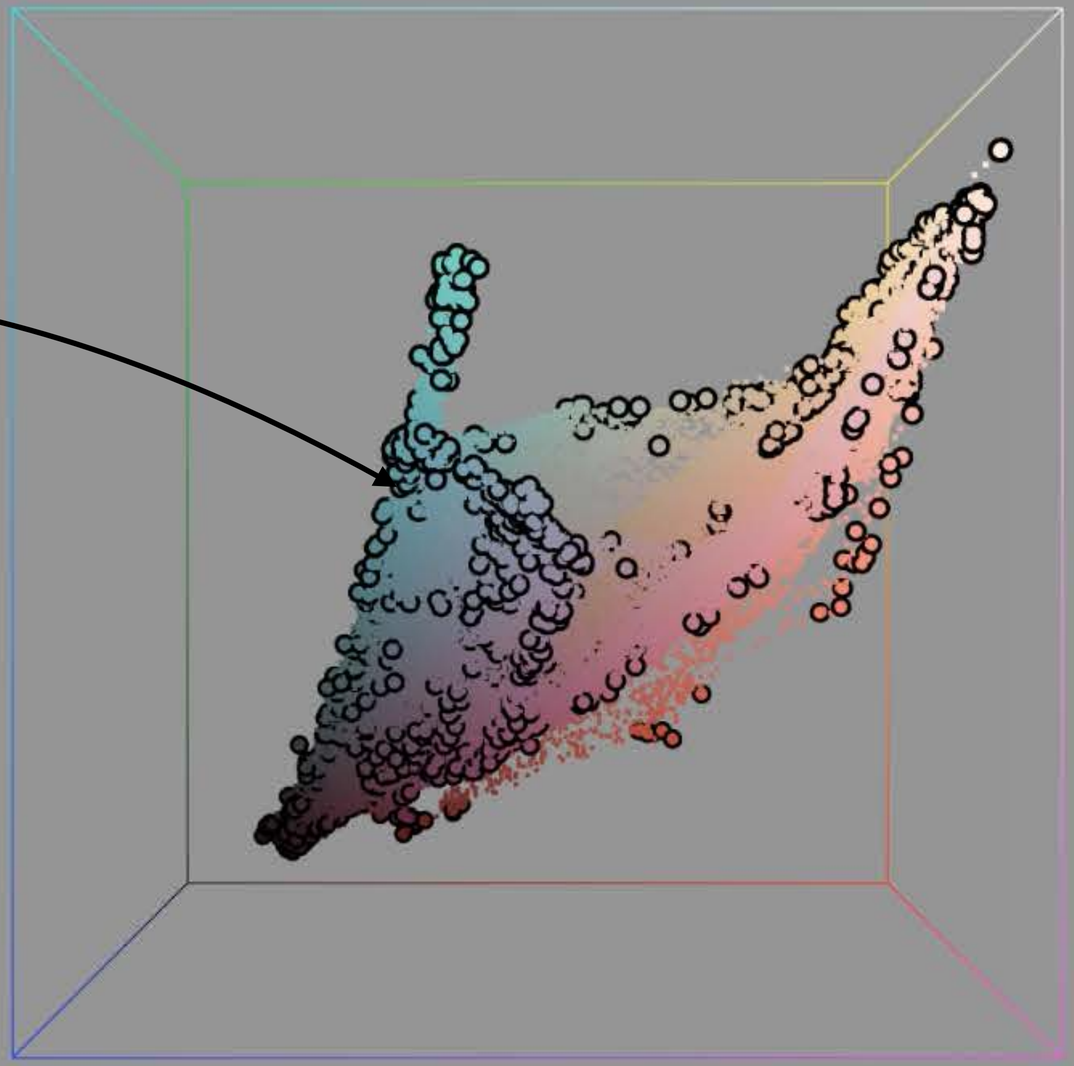
(x,y)

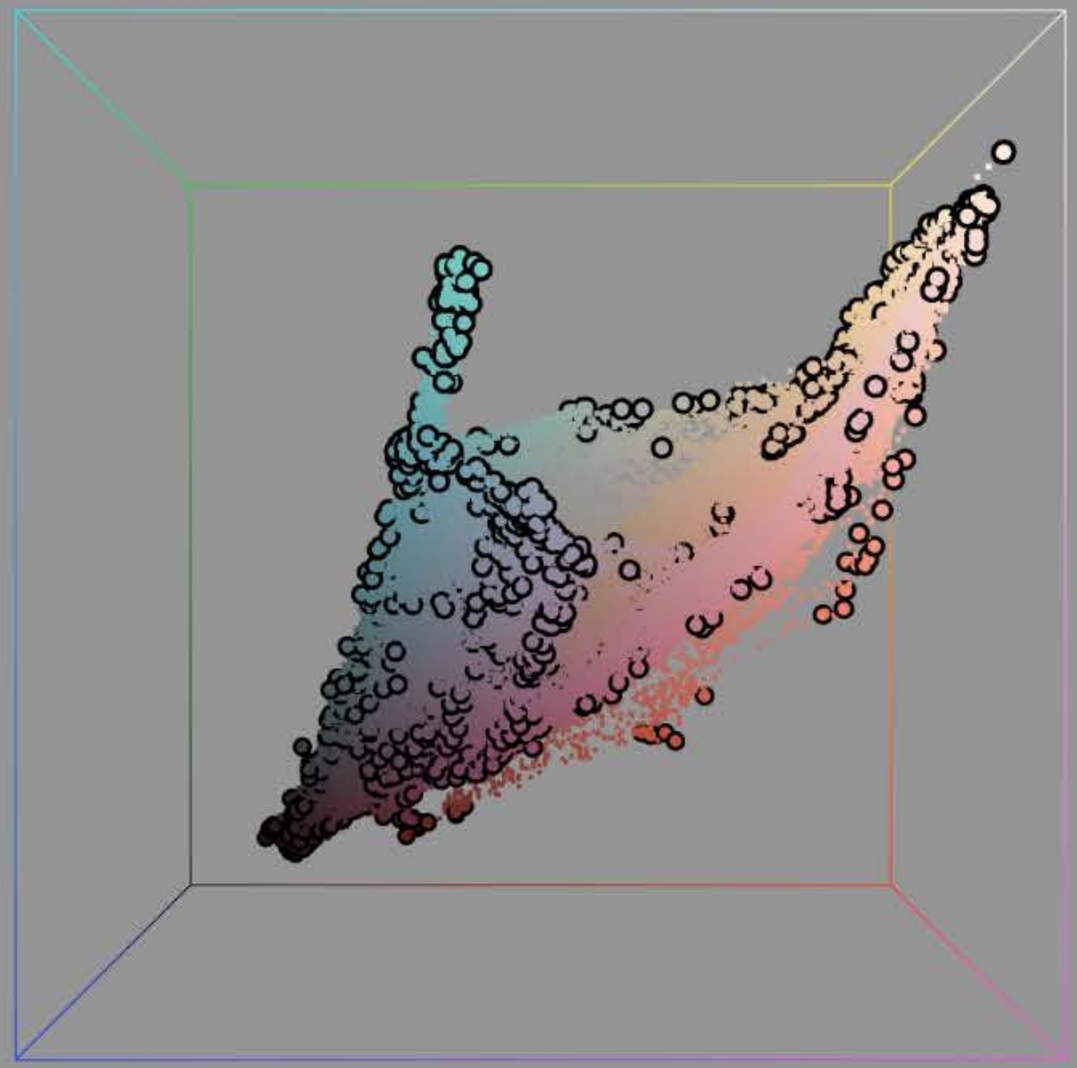


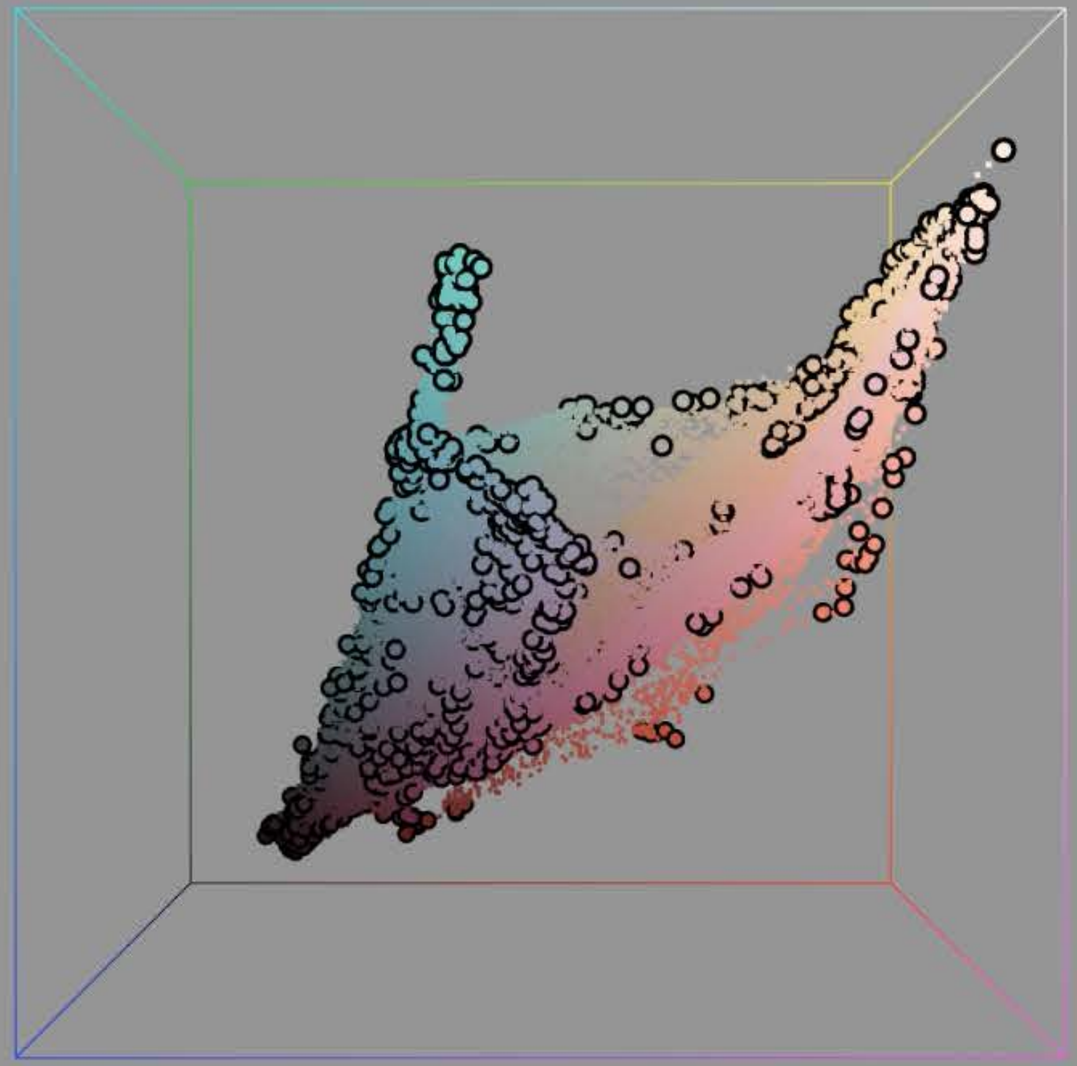
(R,G,B, x, y)



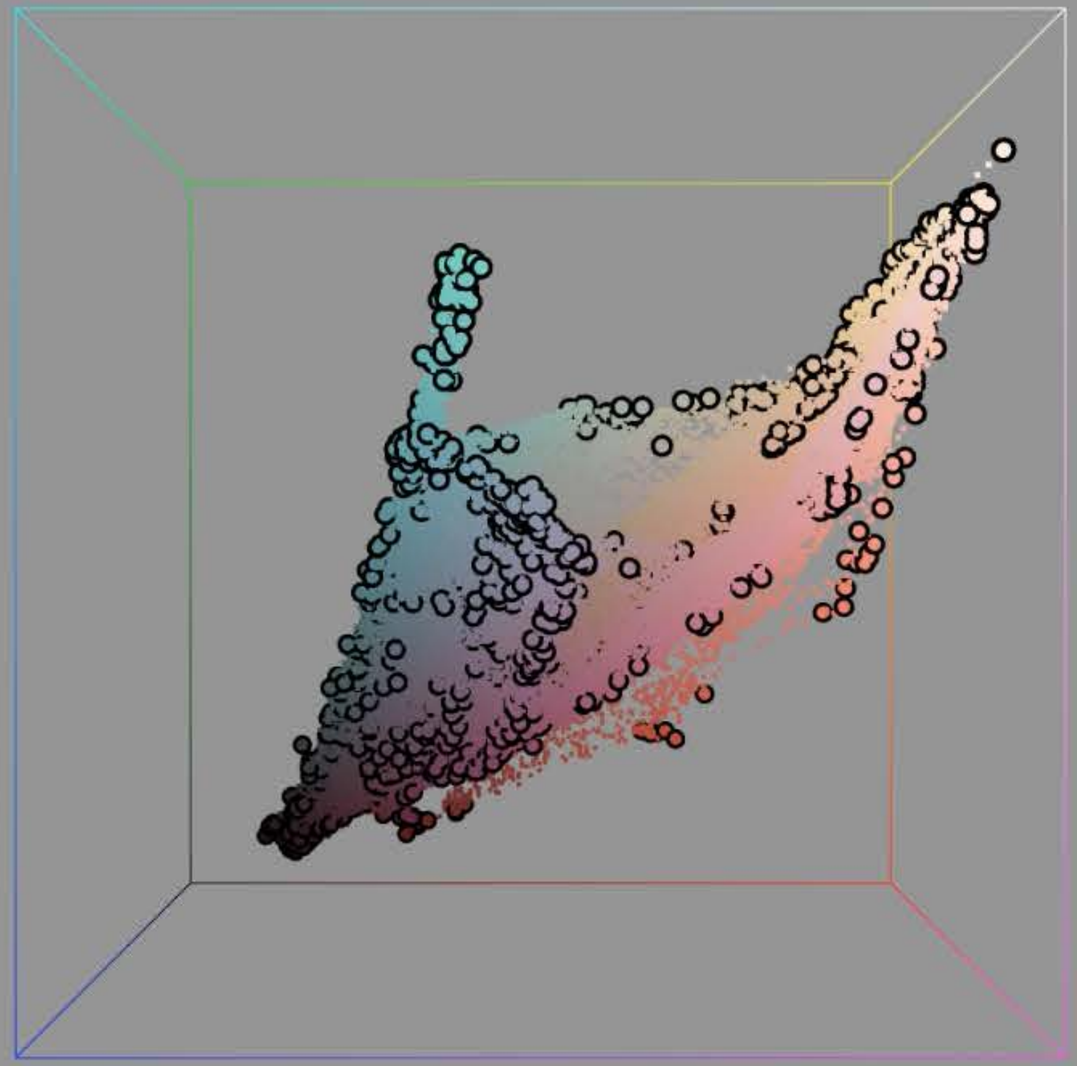
(R,G,B, x, y)





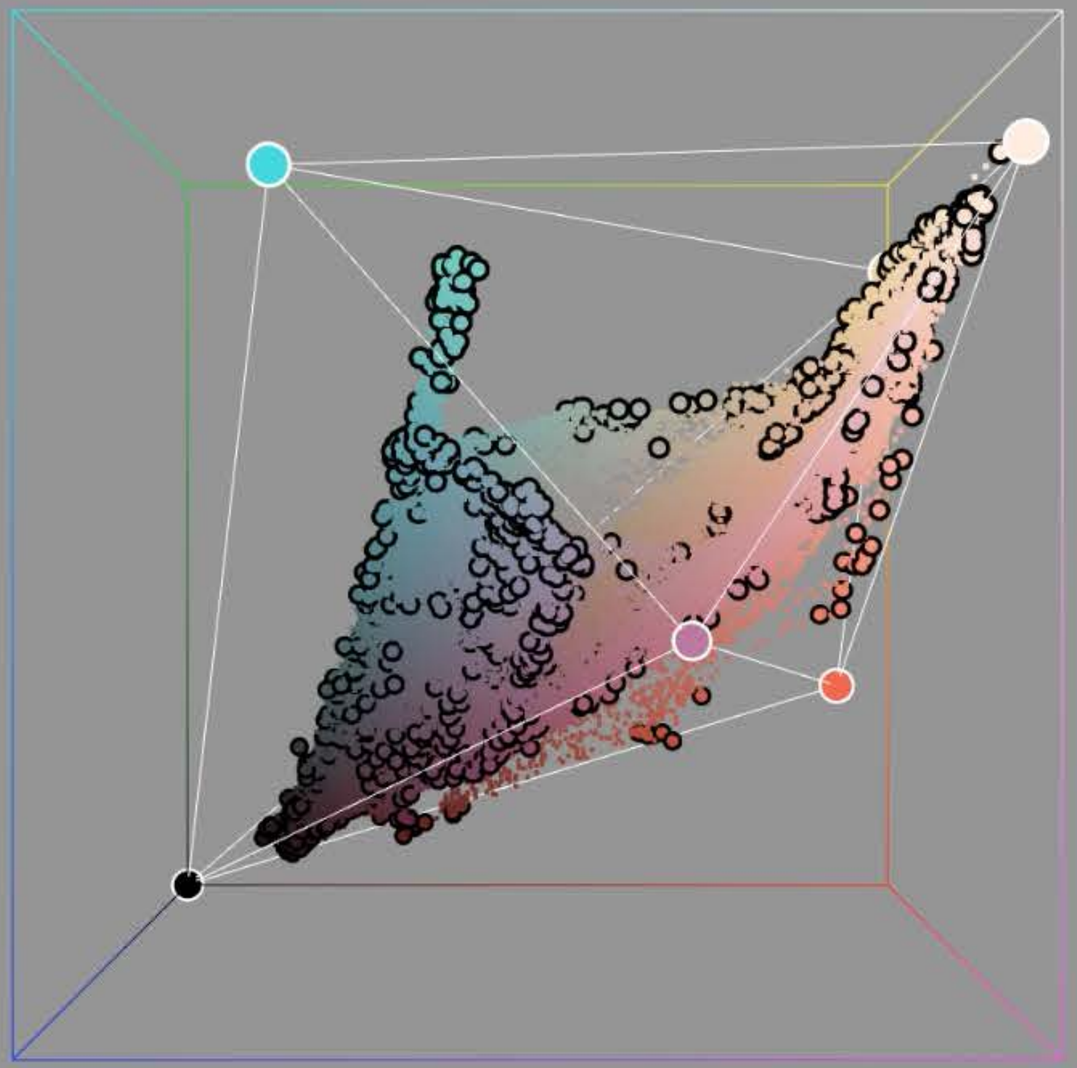


RGBXY palette
(projected to RGB)



RGBXY palette
(projected to RGB)

RGB palette

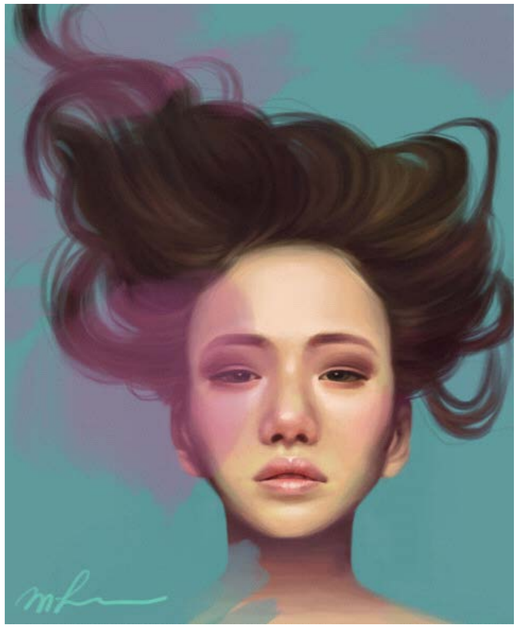


Two-level decomposition

RGB palette

mixing weights **W**

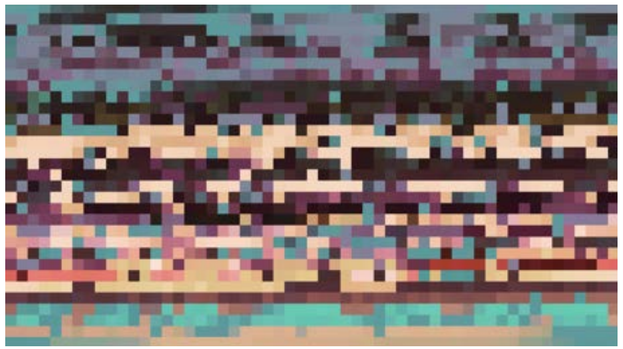
image



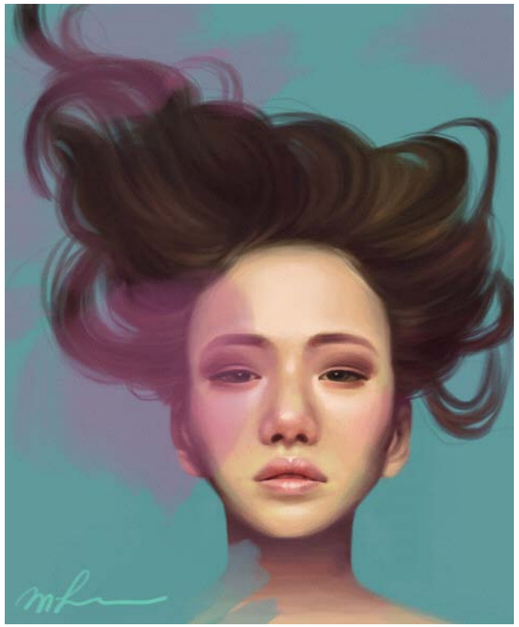
Two-level decomposition

RGB palette

RGBXY vertices
(projected to RGB)



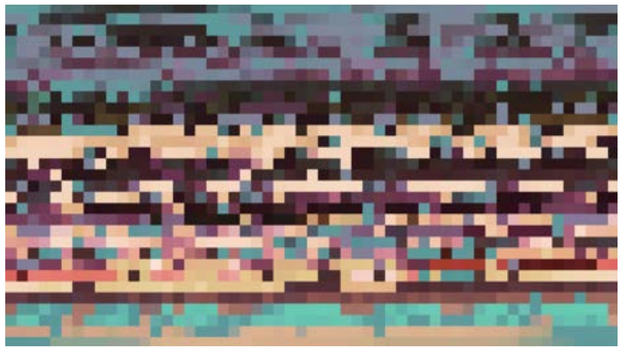
image



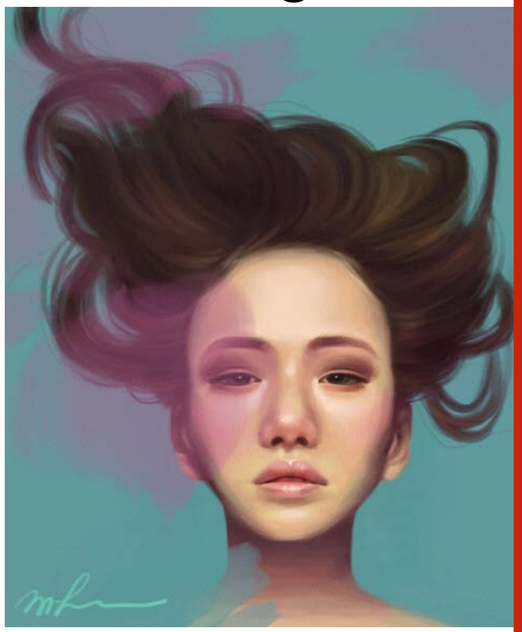
Two-level decomposition

RGB palette

RGBXY vertices
(projected to RGB)



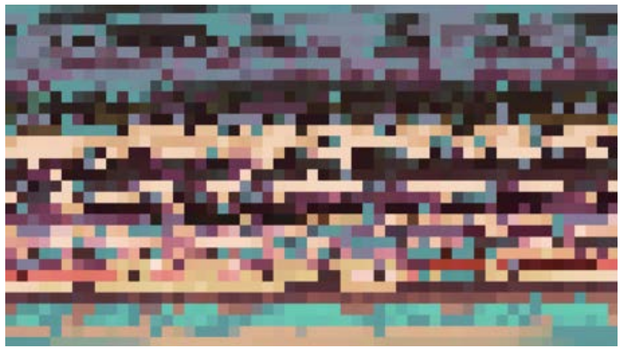
image



Two-level decomposition

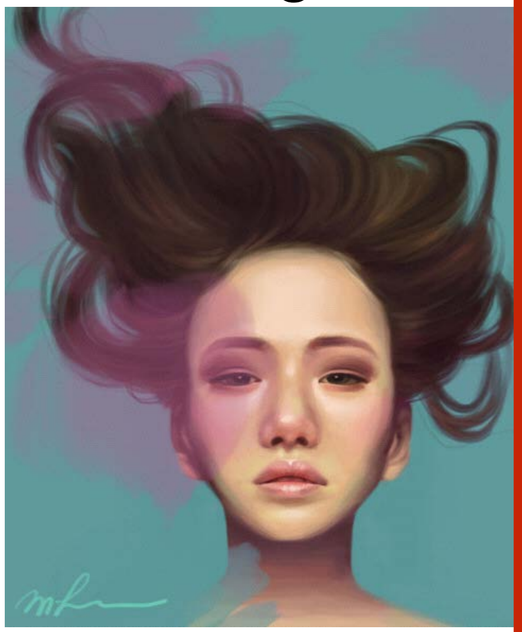
RGB palette

RGBXY vertices
(projected to RGB)

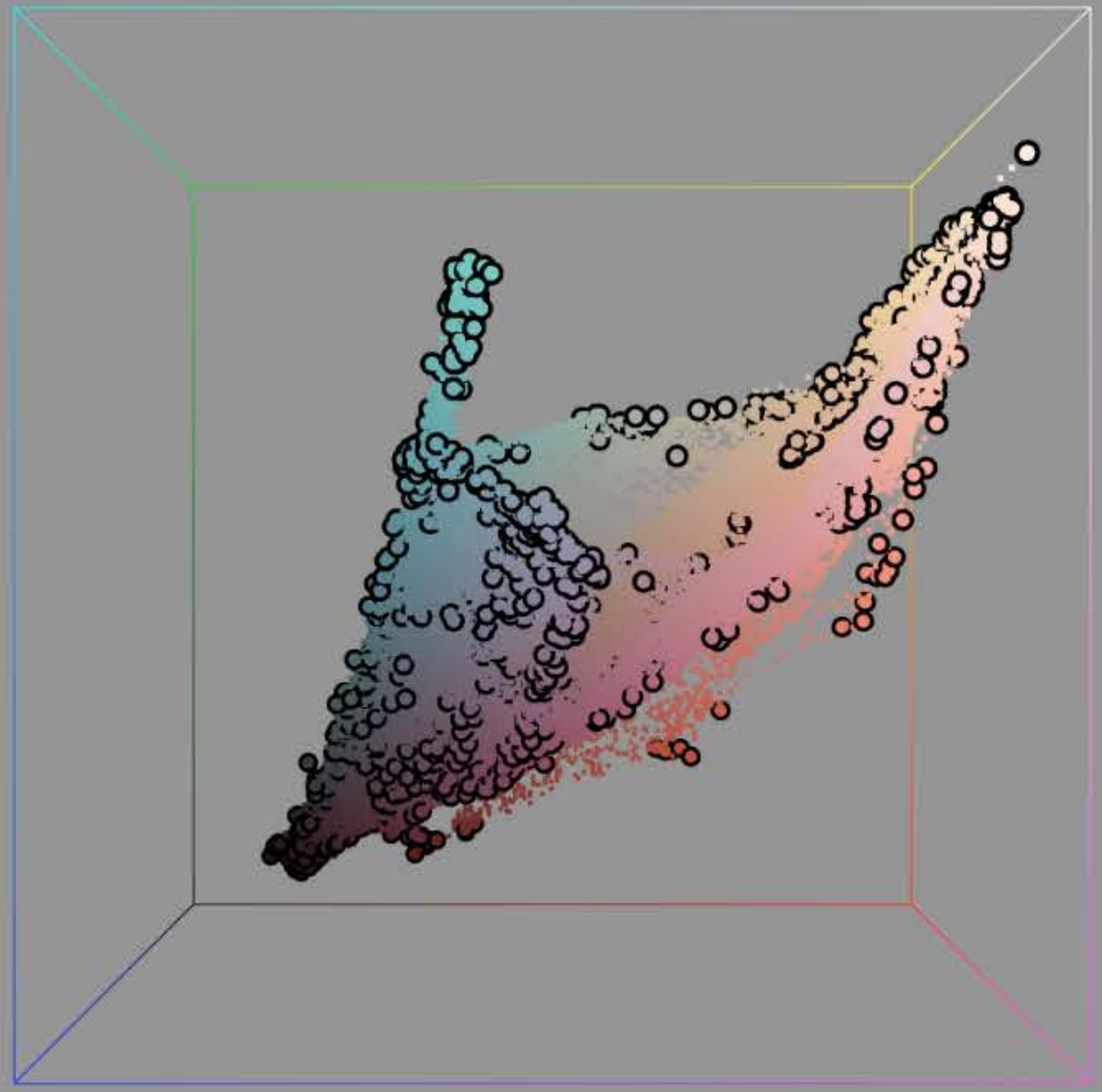


W_{RGBXY}

image

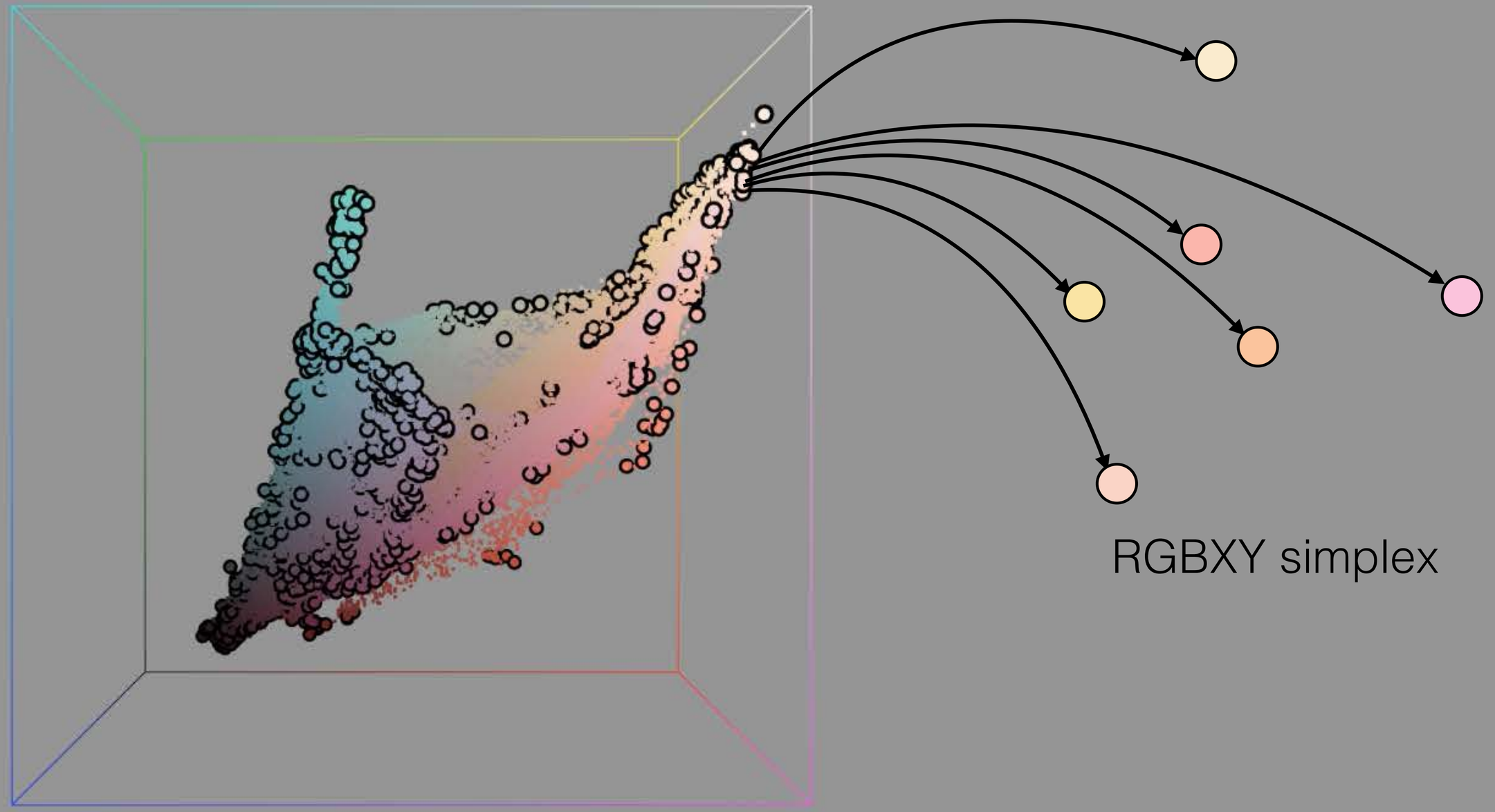


Delaunay Tessellation in RGBXY space



Extract barycentric mixing weights $\mathbf{W_{RGBXY}}$

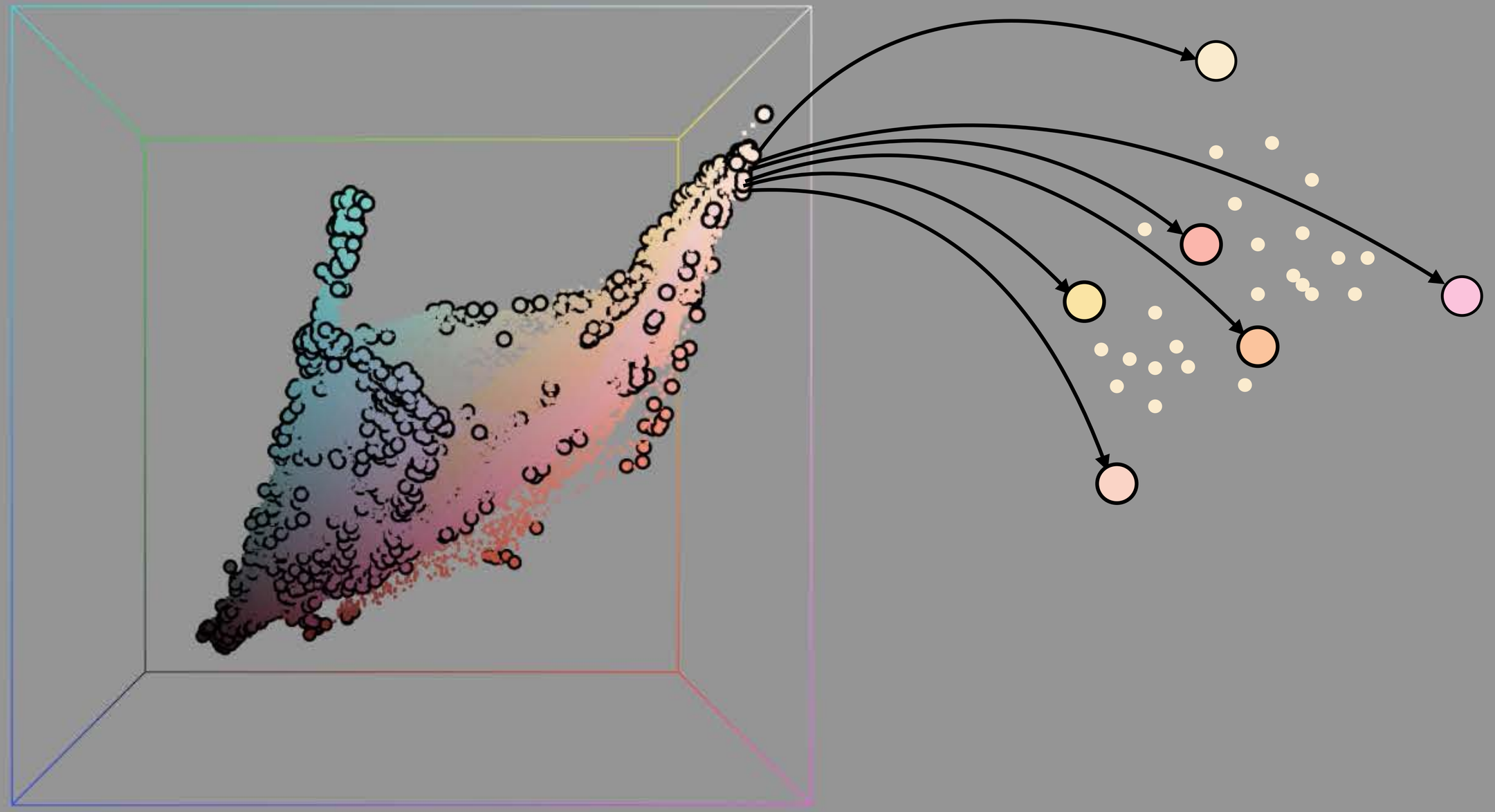
Delaunay Tessellation in RGBXY space



RGBXY simplex

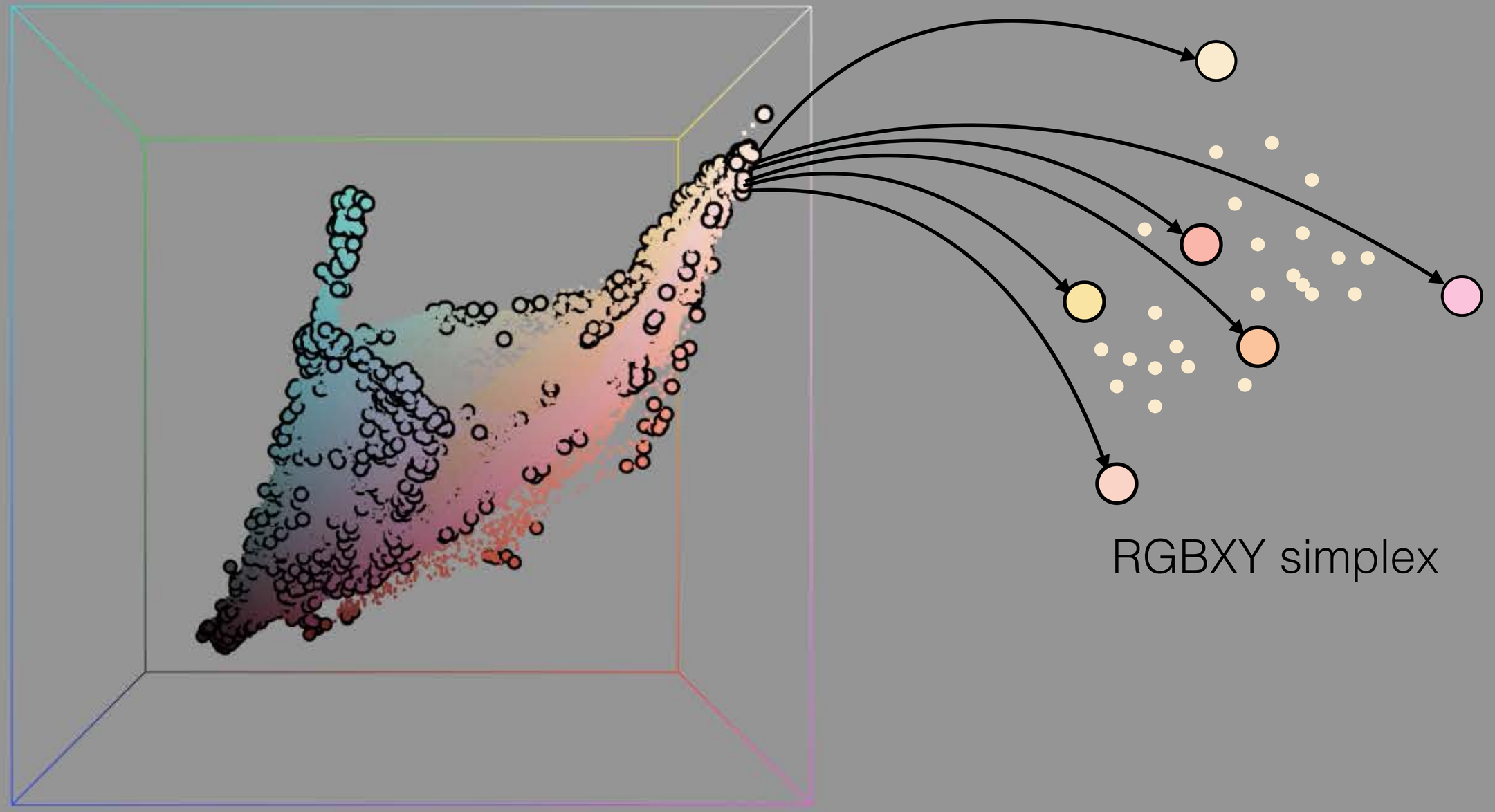
Extract barycentric mixing weights $\mathbf{W}_{\mathbf{RGBXY}}$

Delaunay Tessellation in RGBXY space



Extract barycentric mixing weights $\mathbf{W}_{\mathbf{RGBXY}}$

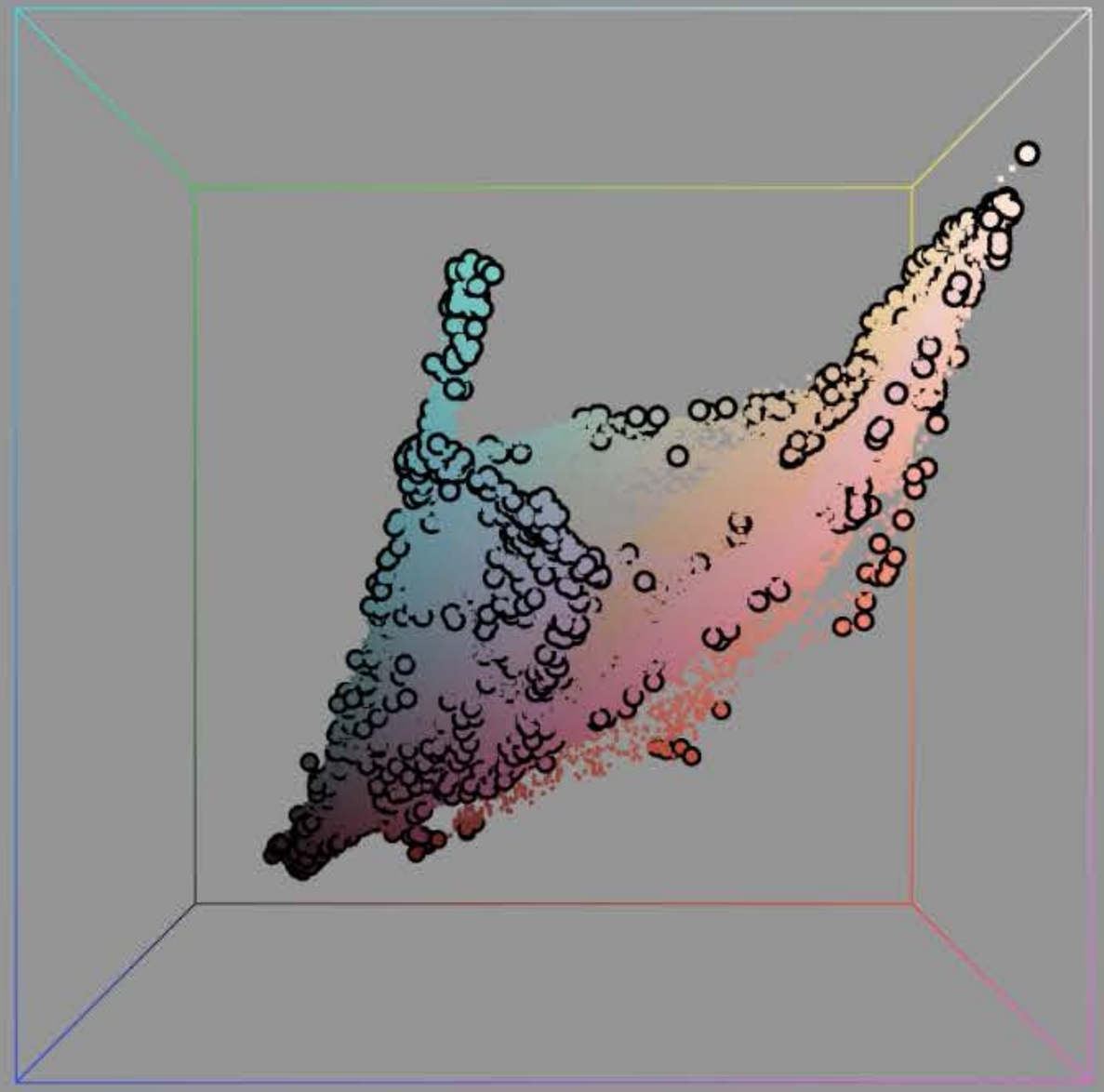
Delaunay Tessellation in RGBXY space

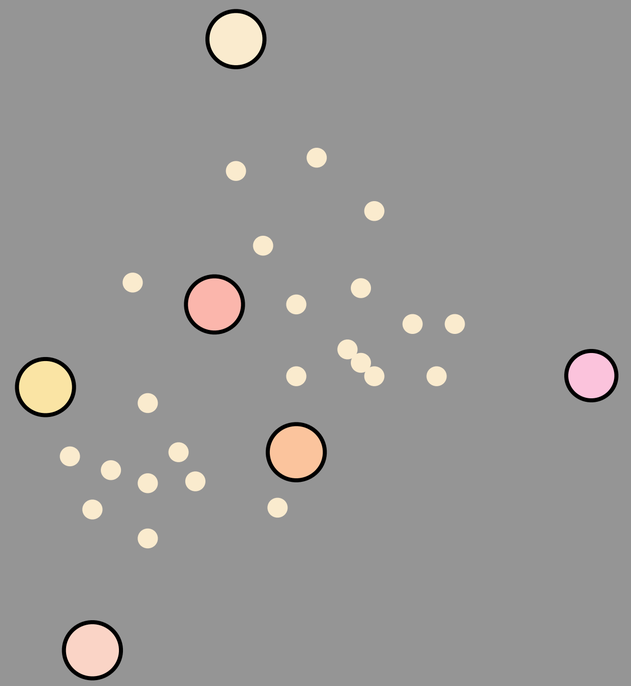


RGBXY simplex

Extract barycentric mixing weights $\mathbf{W}_{\mathbf{RGBXY}}$

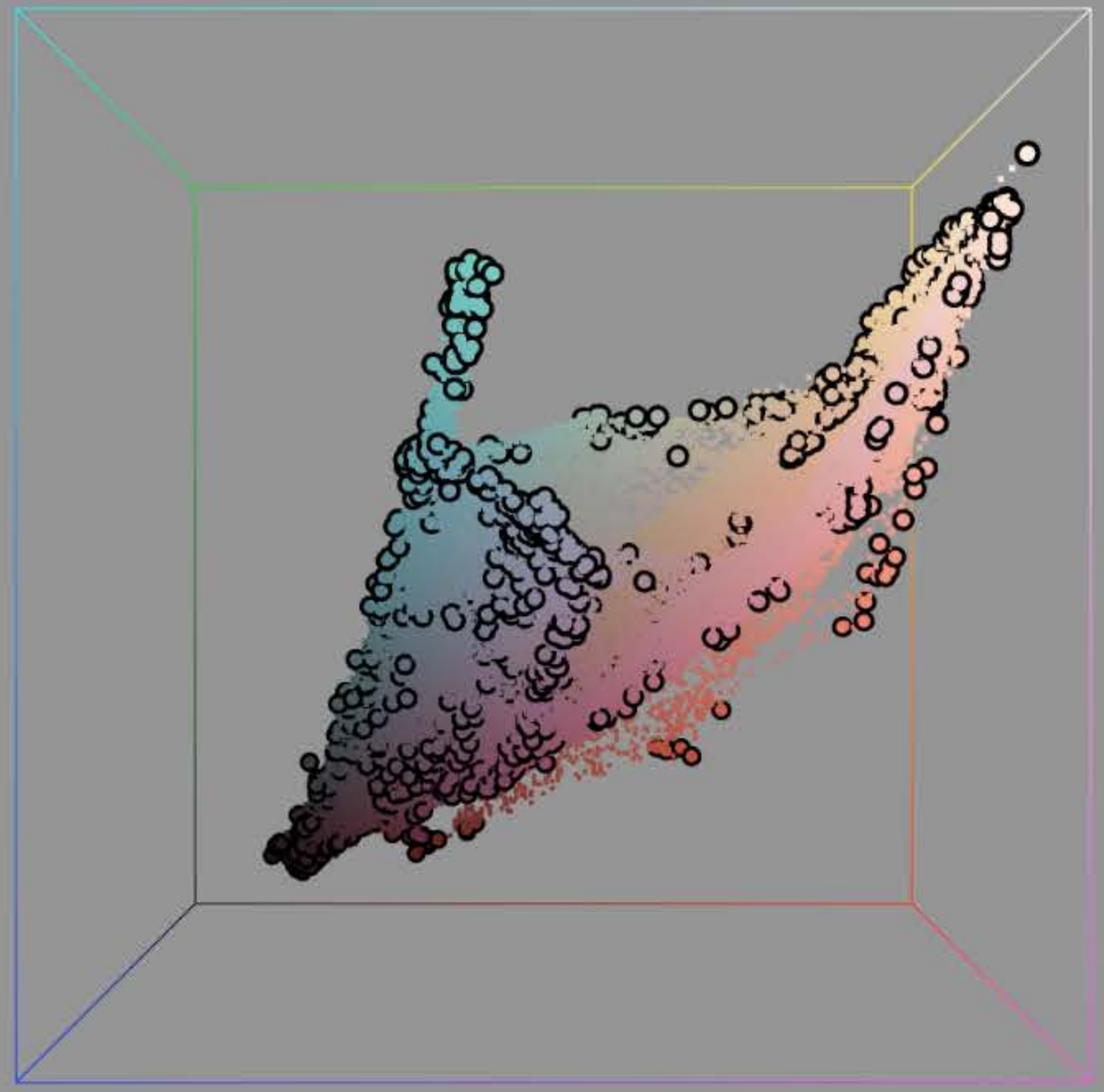
Delaunay Tessellation in RGBXY space

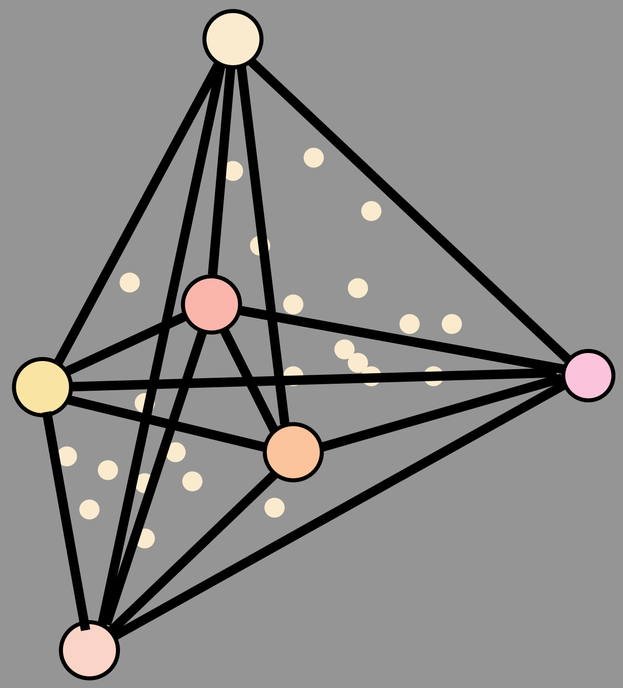




Extract barycentric mixing weights $\mathbf{W}_{\mathbf{RGBXY}}$

Delaunay Tessellation in RGBXY space





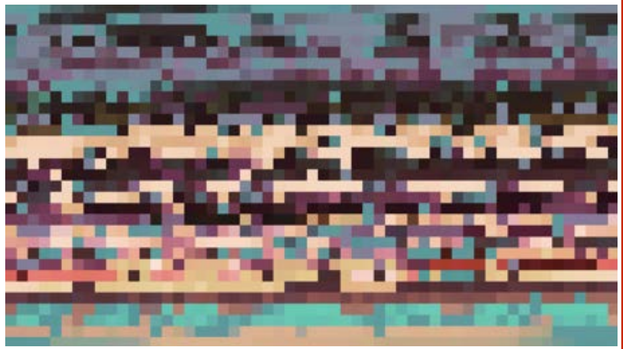
RGBXY simplex

Extract barycentric mixing weights $\mathbf{W}_{\mathbf{RGBXY}}$

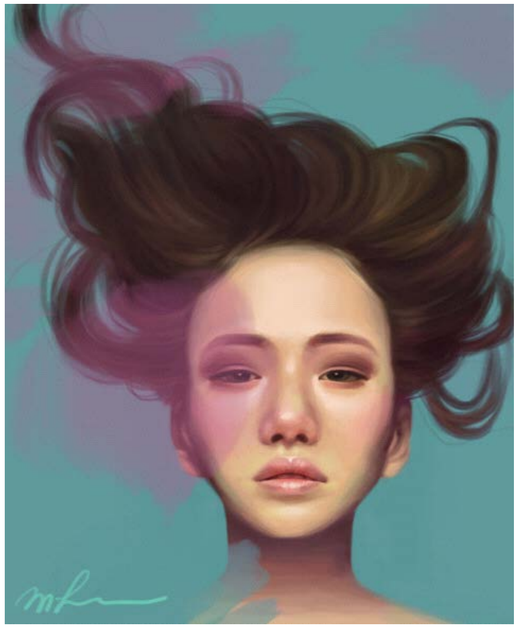
Two-level decomposition

RGB palette

RGBXY vertices
(projected to RGB)



image

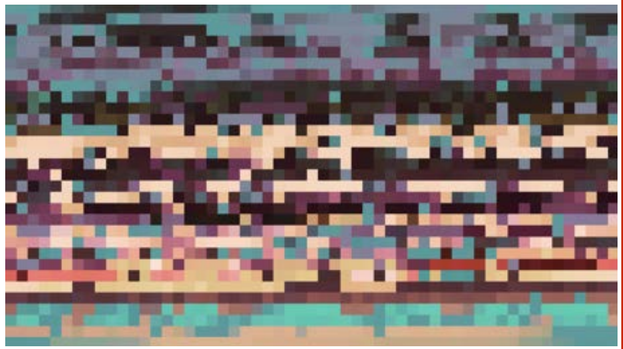


Two-level decomposition

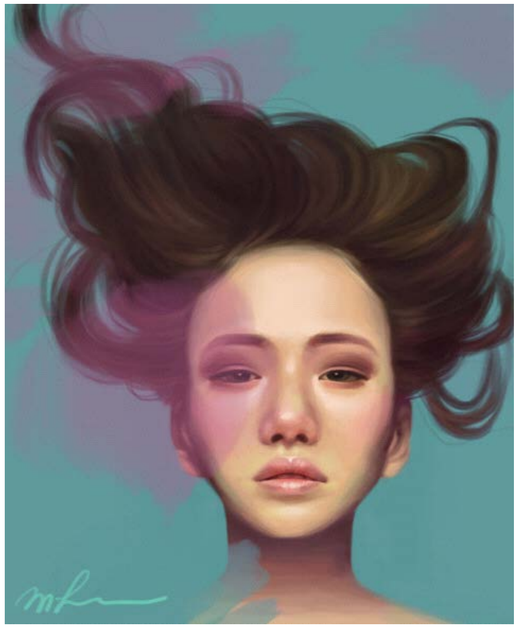
RGB palette

W_{RGB}

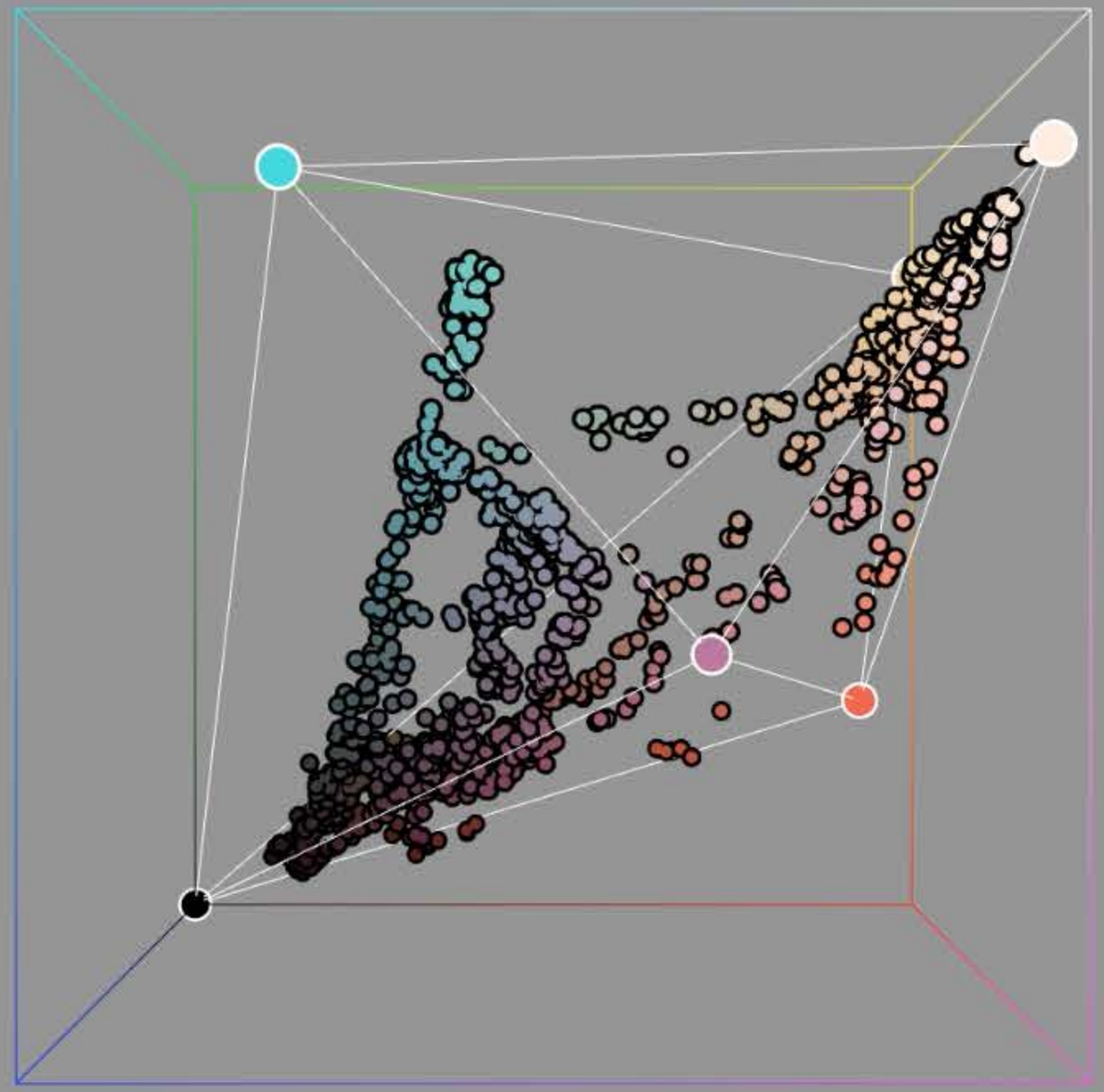
RGBXY vertices
(projected to RGB)



image



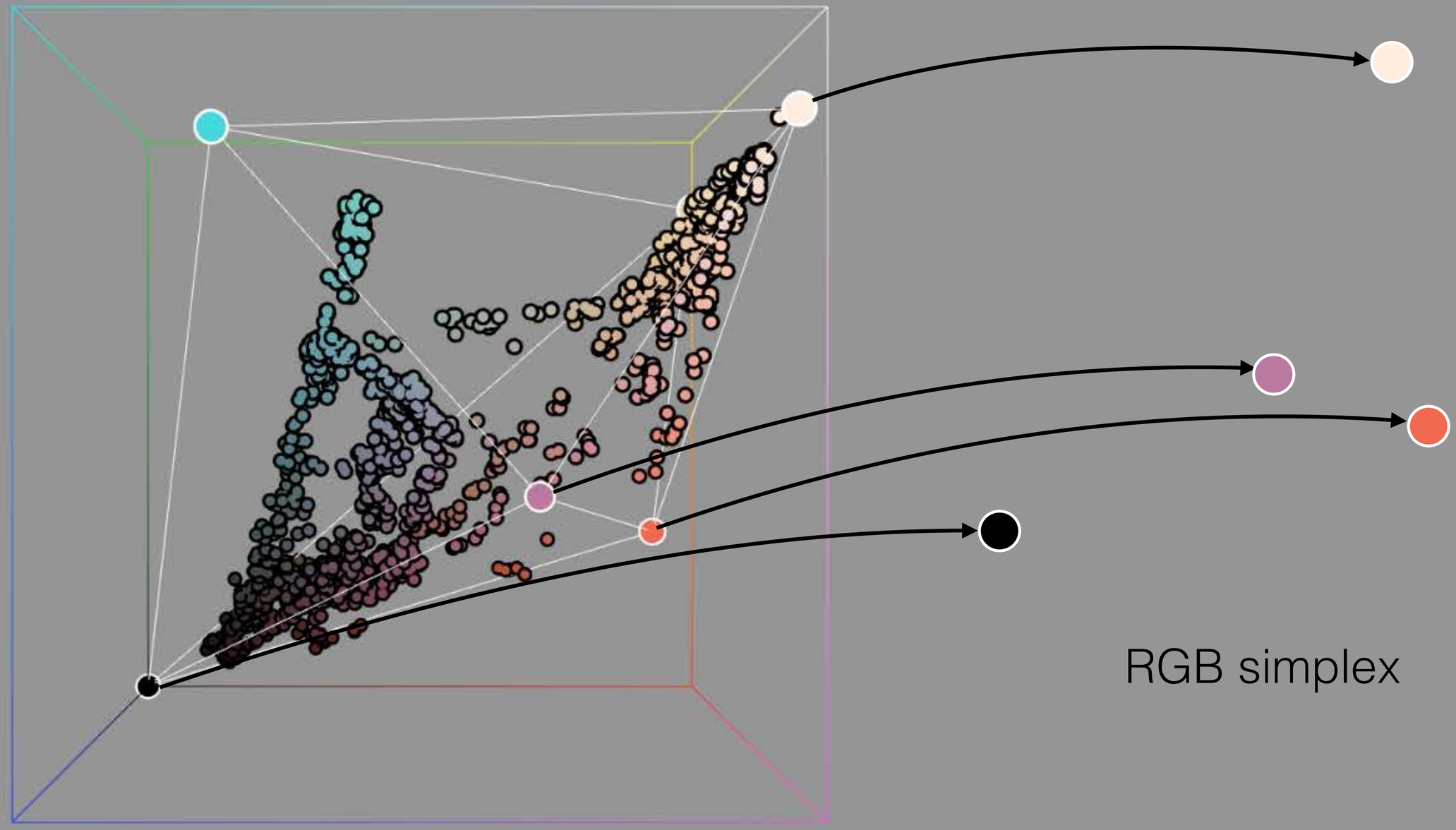
Tessellation in RGB space



RGB simplex

Extract barycentric mixing weights $\mathbf{W_{RGB}}$

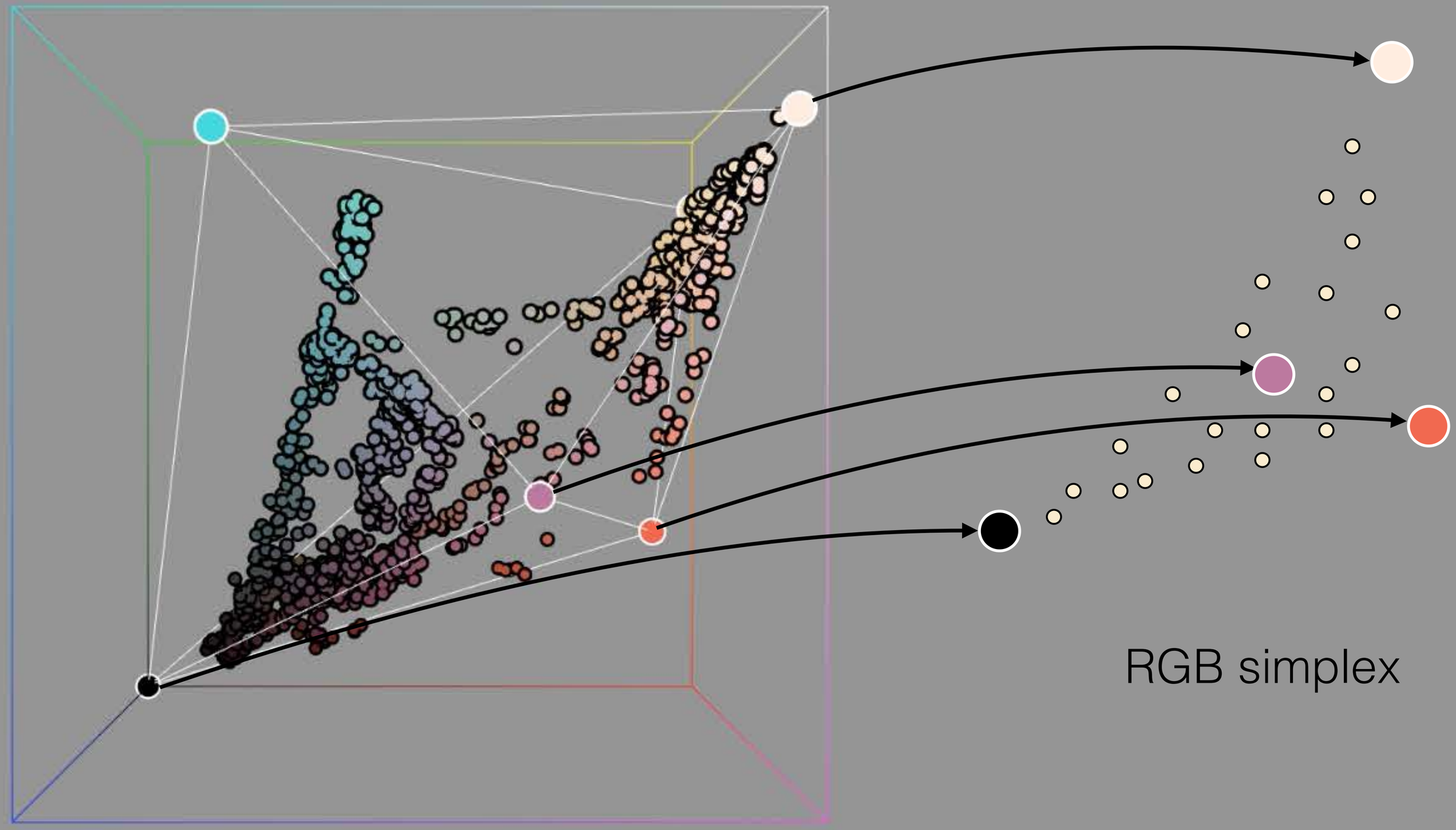
Tessellation in RGB space



RGB simplex

Extract barycentric mixing weights $\mathbf{W_{RGB}}$

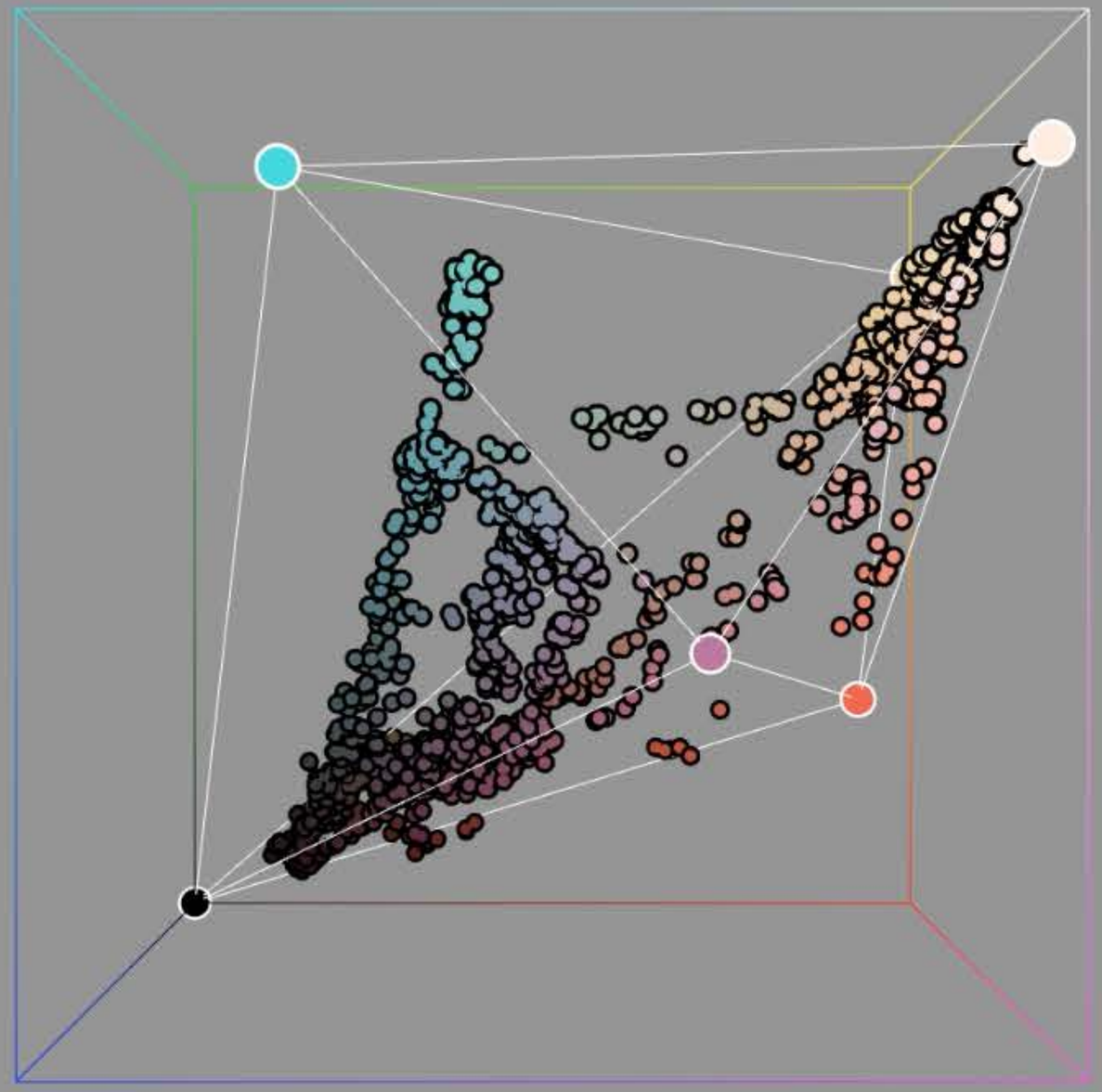
Tessellation in RGB space

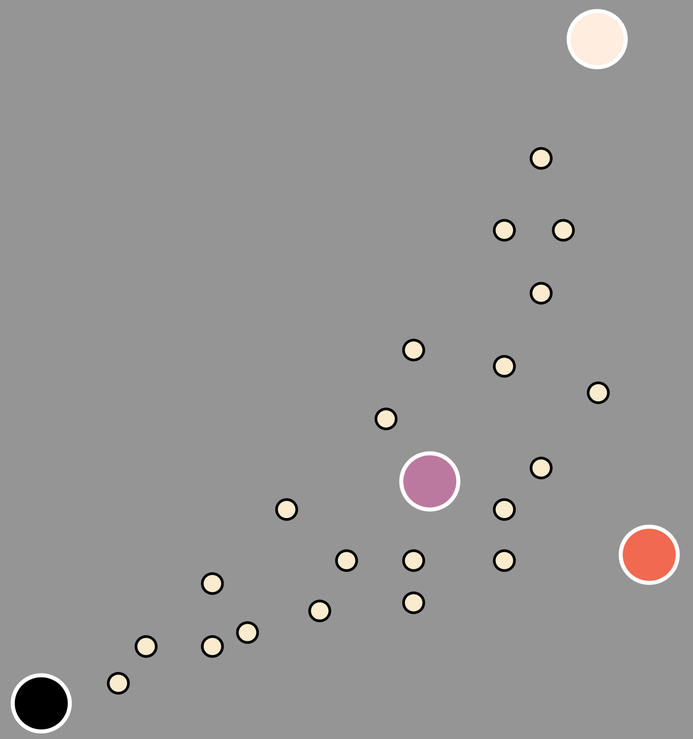


RGB simplex

Extract barycentric mixing weights $\mathbf{W_{RGB}}$

Tessellation in RGB space

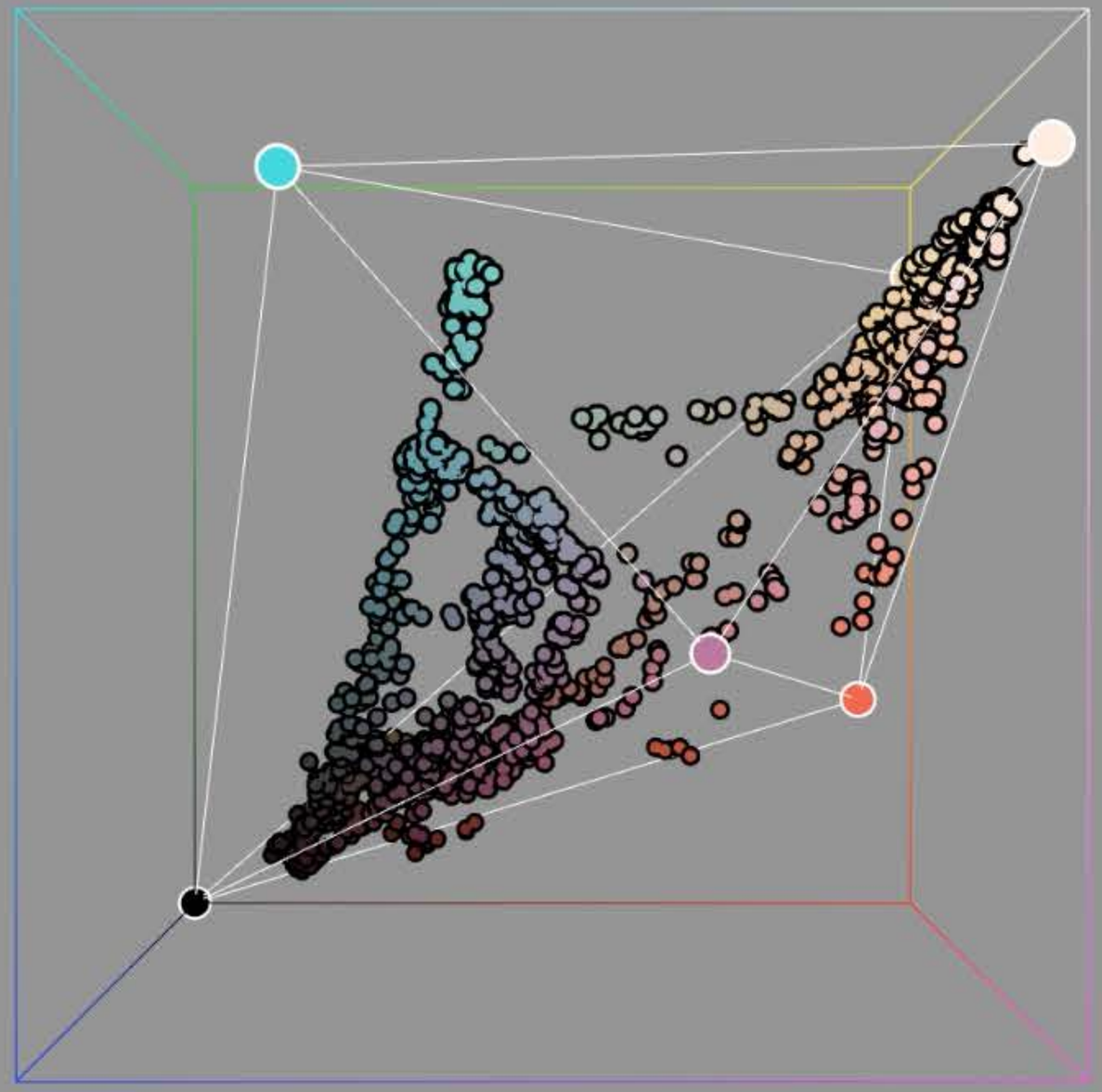


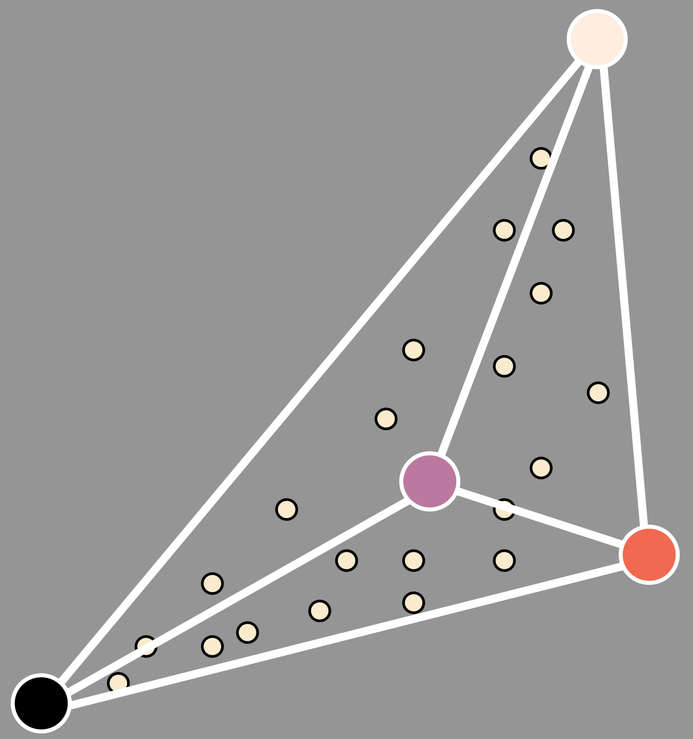


RGB simplex

Extract barycentric mixing weights $\mathbf{W_{RGB}}$

Tessellation in RGB space





RGB simplex

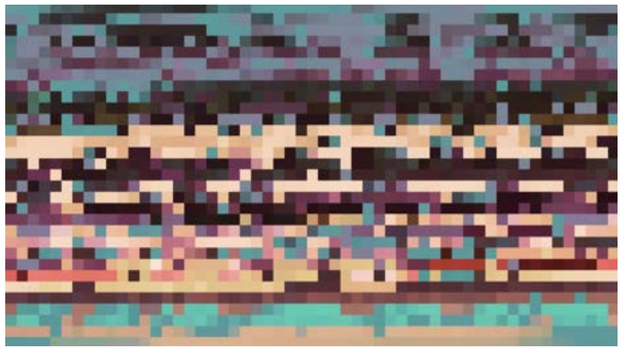
Extract barycentric mixing weights $\mathbf{W_{RGB}}$

Two-level decomposition

RGB palette

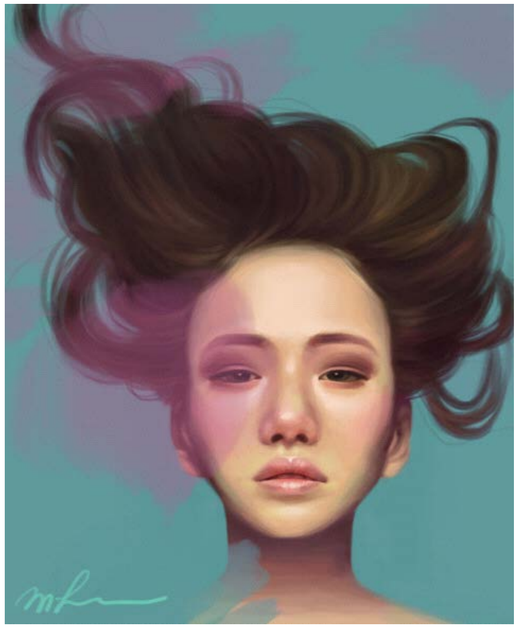
W_{RGB}

RGBXY vertices
(projected to RGB)



W_{RGBXY}

image

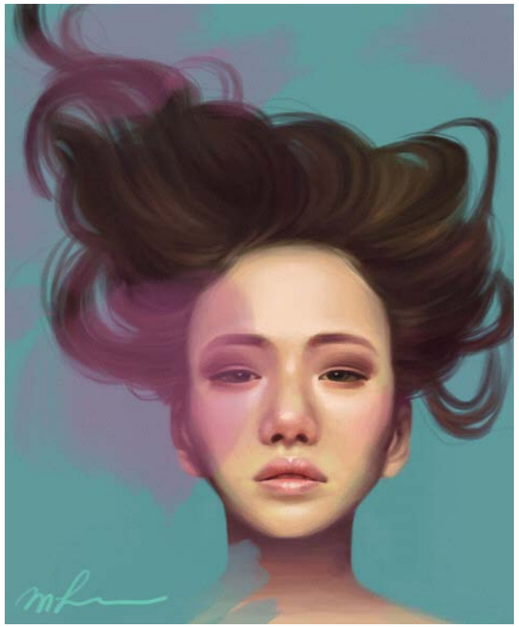


Two-level decomposition

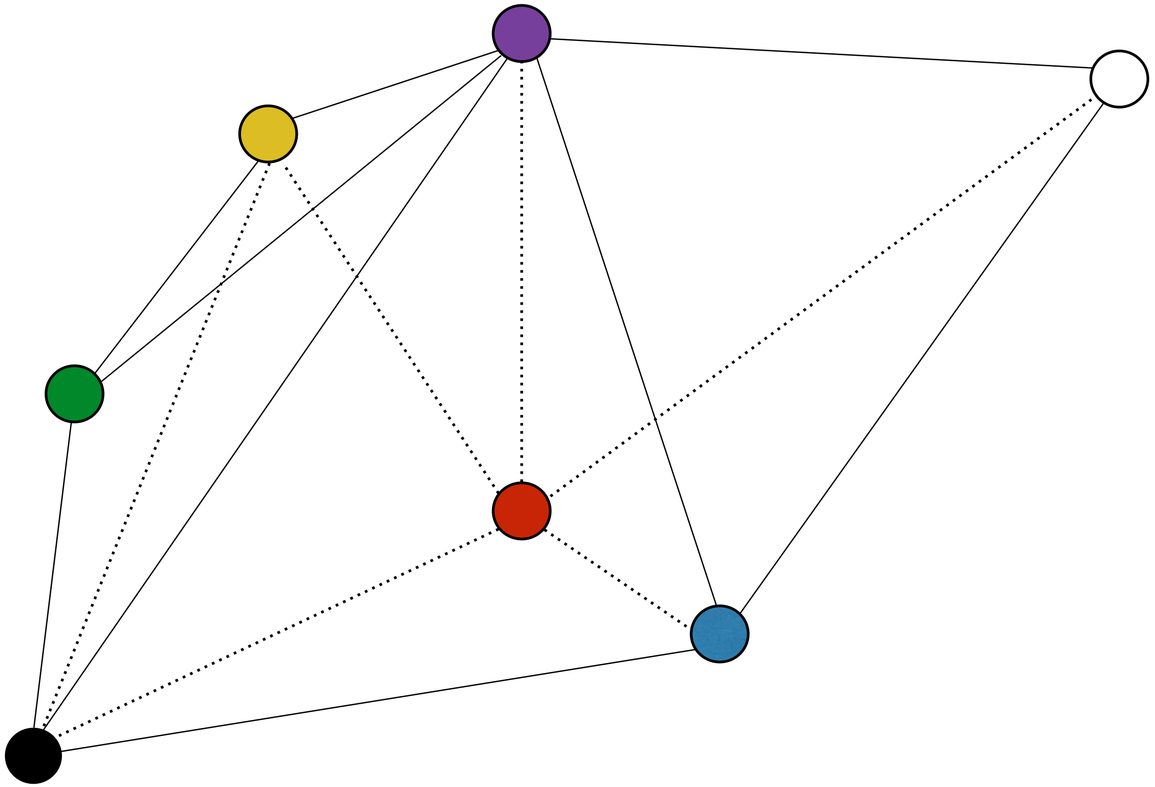
RGB palette

$$W = W_{RGB} * W_{RGBXY}$$

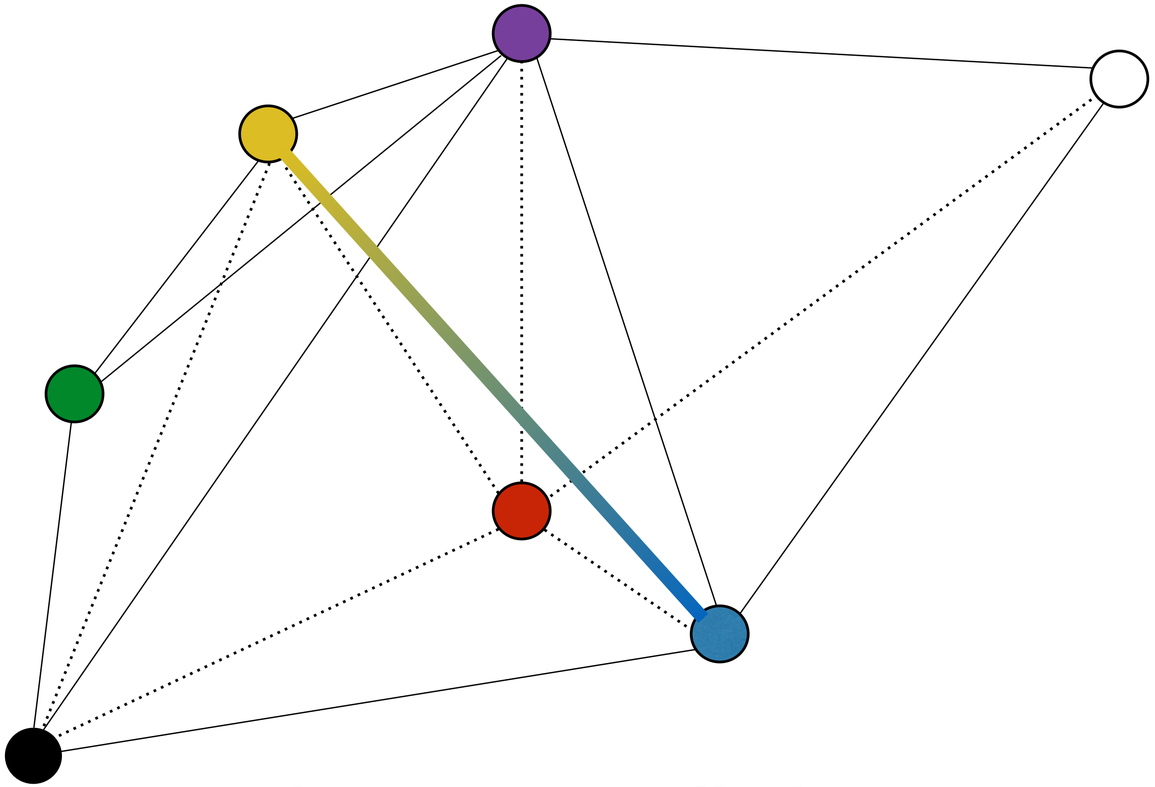
image



Tessellation in RGB space

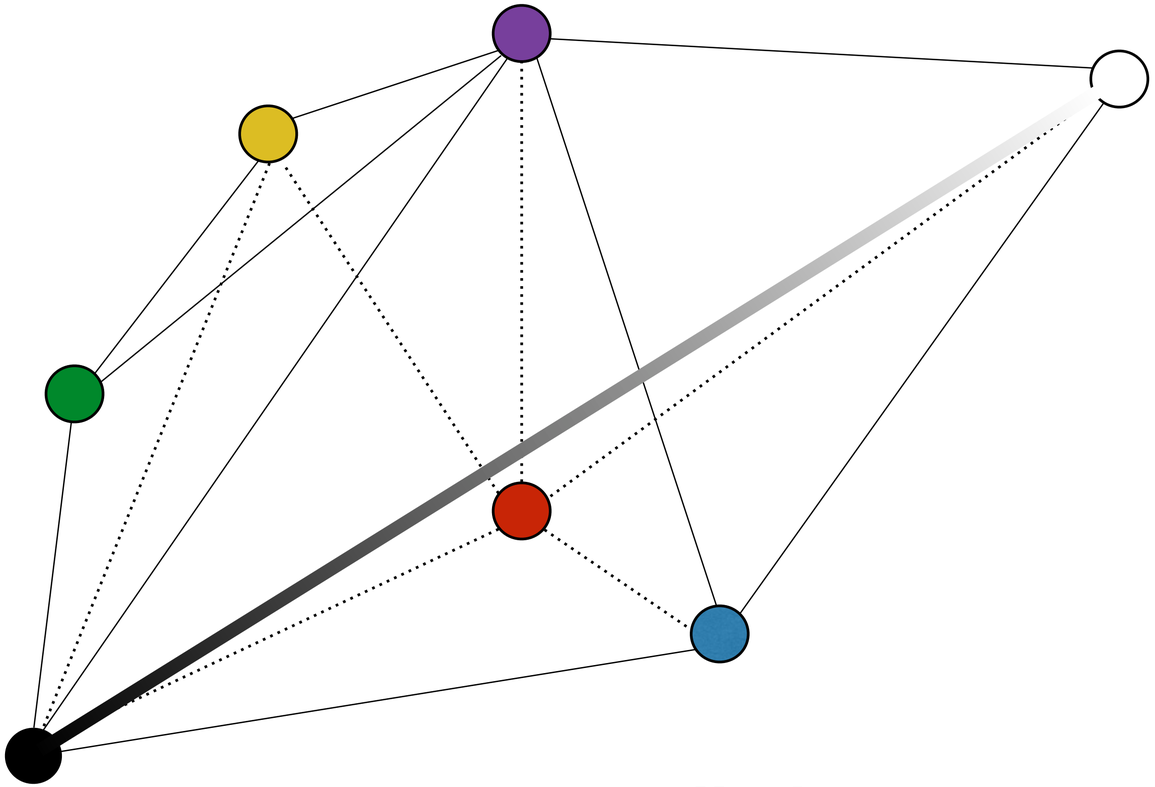


Tessellation in RGB space



Delaunay tessellation

Tessellation in RGB space



Star tessellation

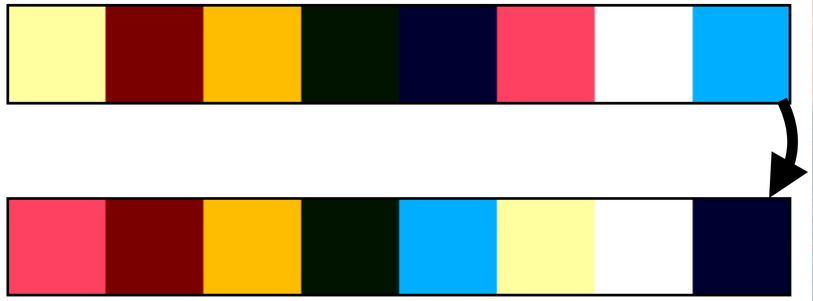
Four decomposition methods comparisons

RGB-space Delaunay tessellation

RGB-space star tessellation

RGB weights

original



permuted palette

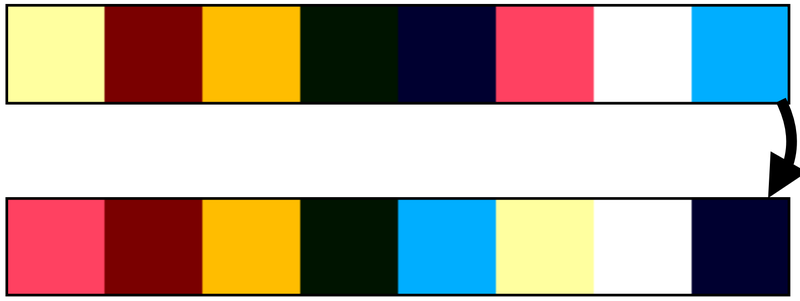
RGB · RGBXY weights

Four decomposition methods comparisons

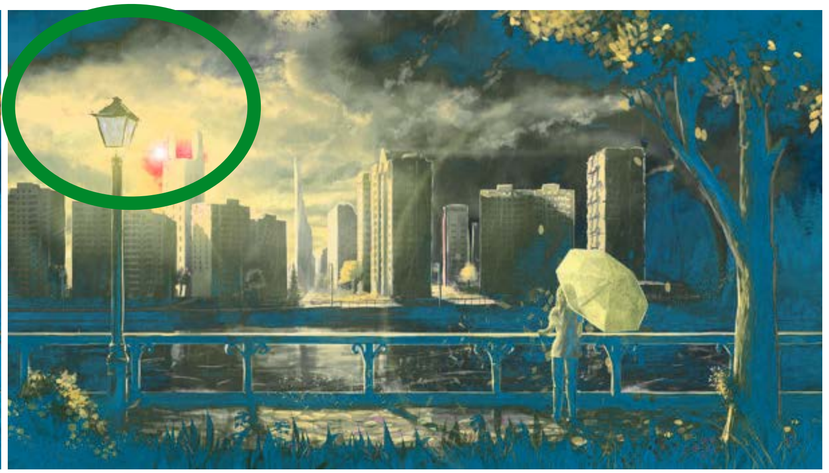
RGB-space Delaunay tessellation

RGB-space star tessellation

original



permuted palette



RGB weights

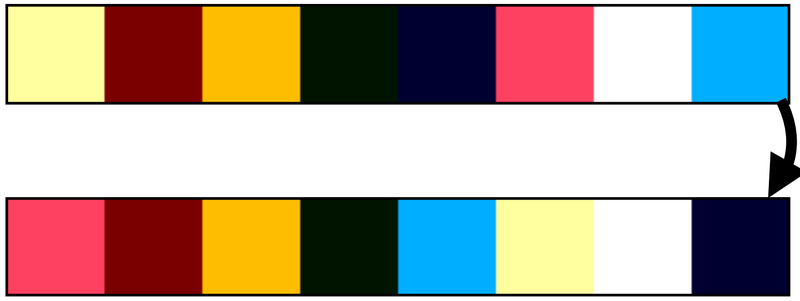
RGB · RGBXY weights

Four decomposition methods comparisons

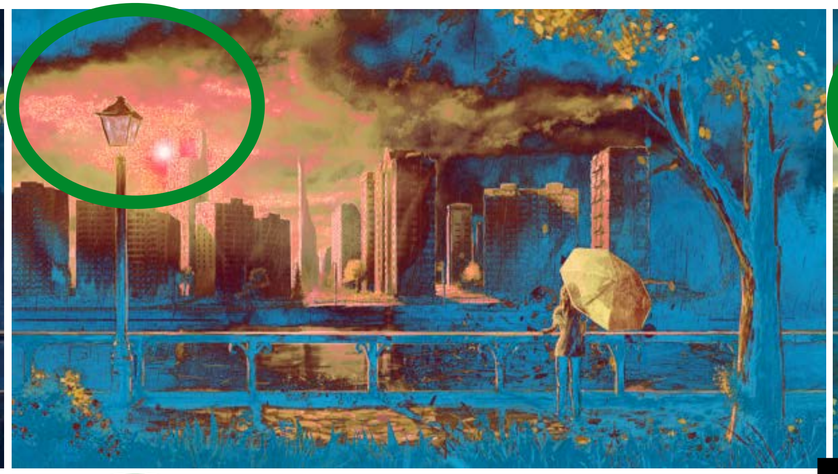
RGB-space Delaunay tessellation

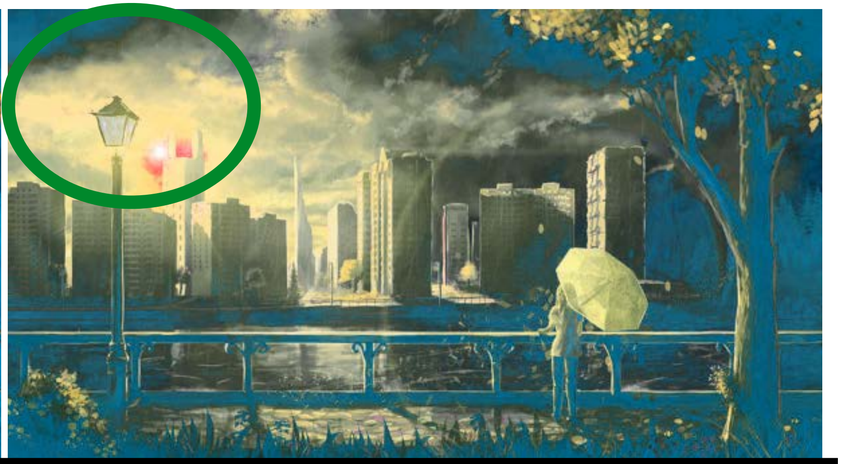
RGB-space star tessellation

original

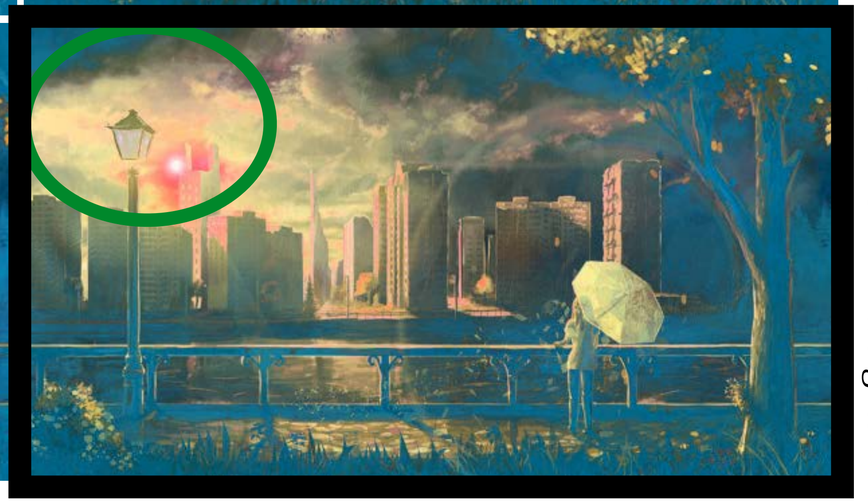


permuted palette

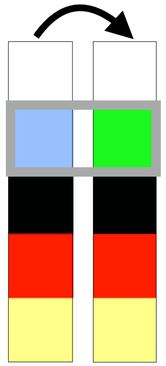


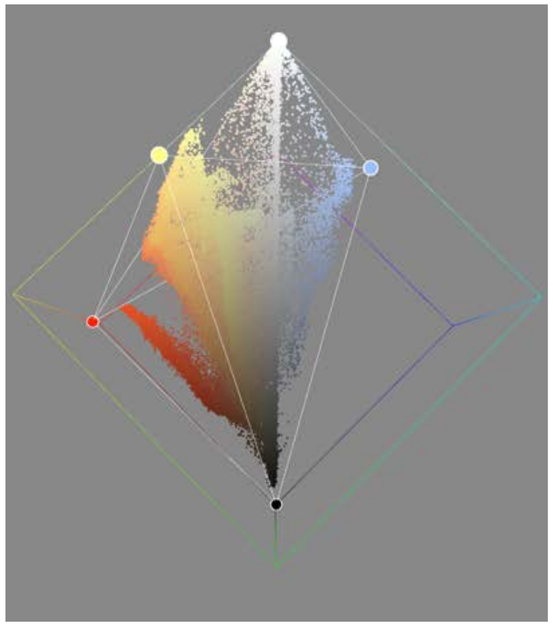


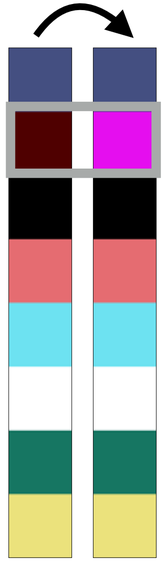
RGB weights

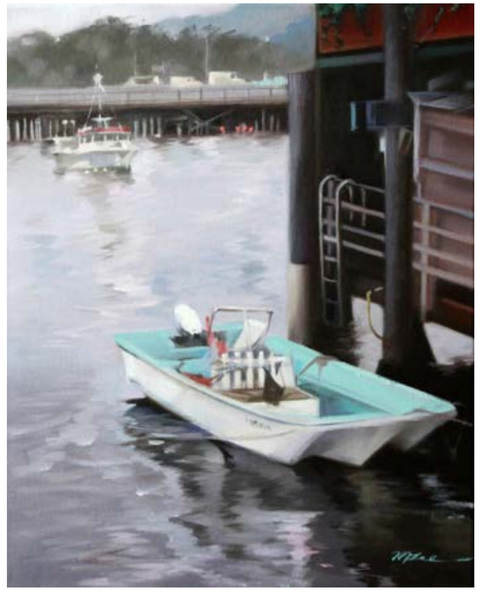


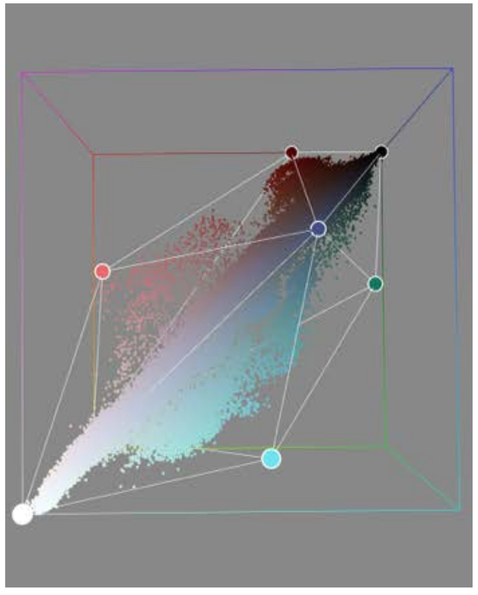
RGB · RGBXY weights

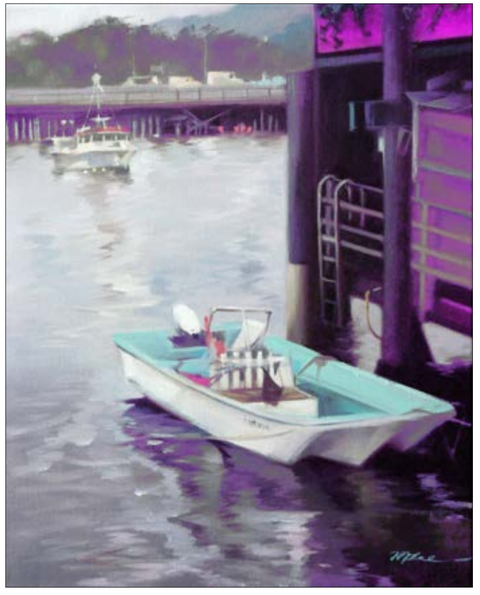


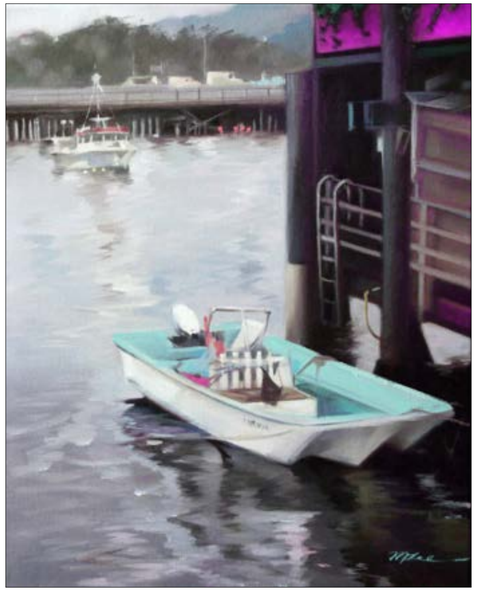




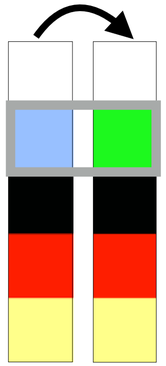


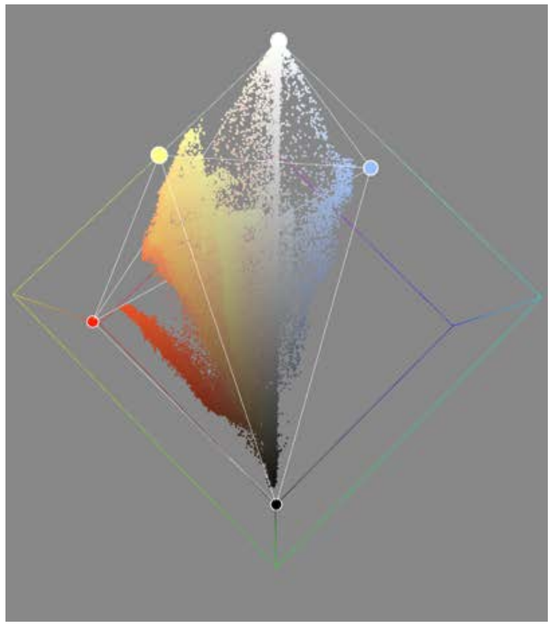


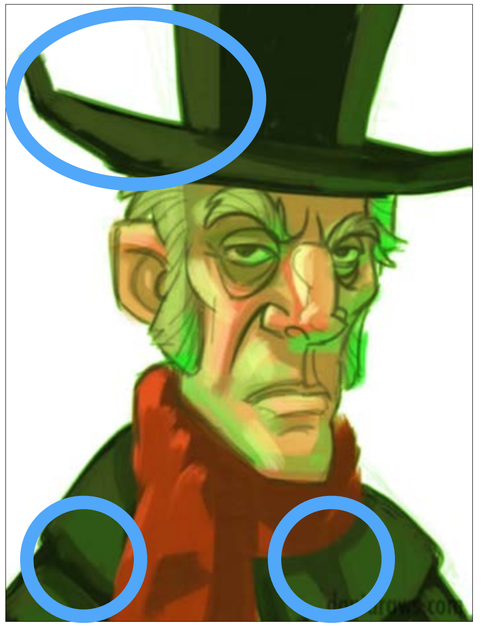


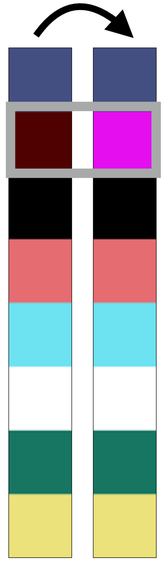


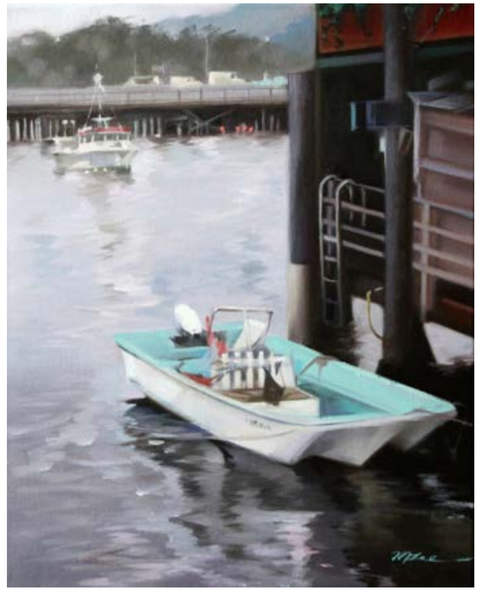
Original Color distributions Delaunay Star

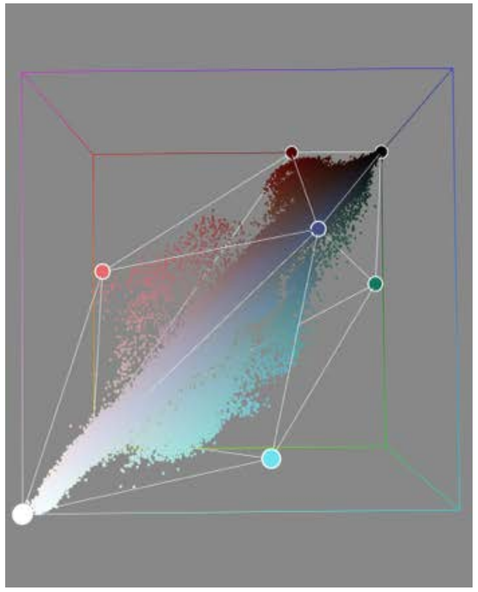


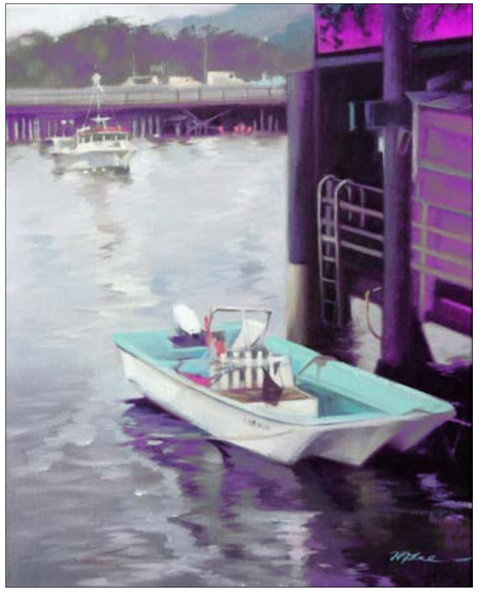


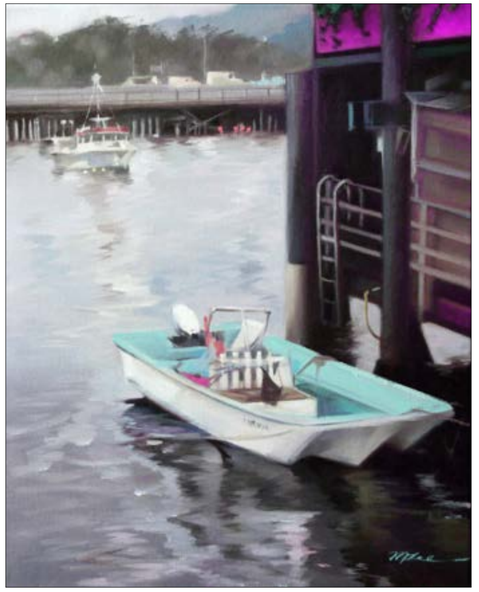




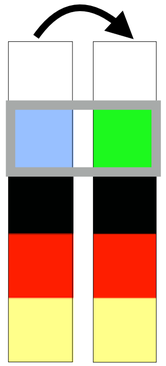


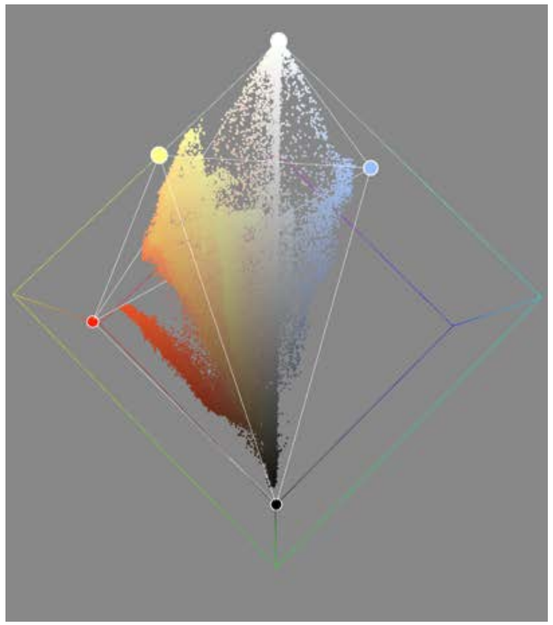


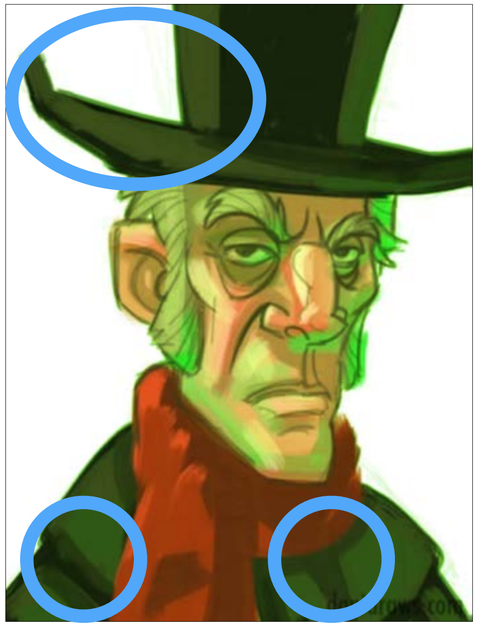


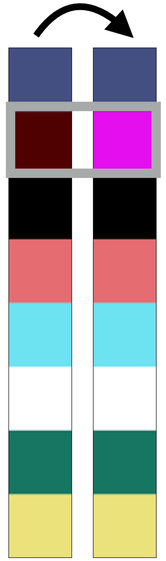


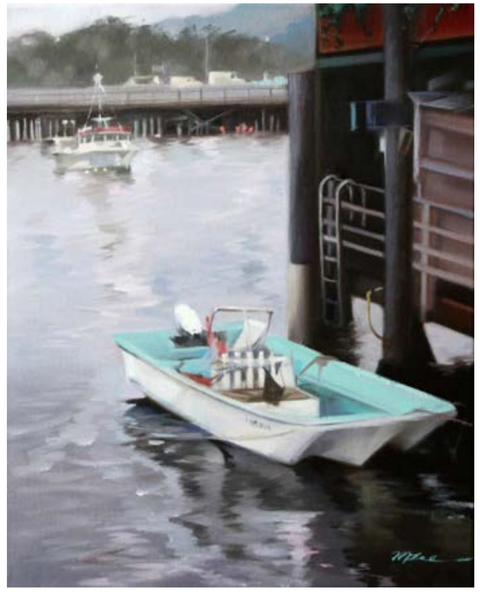
Original Color distributions Delaunay Star

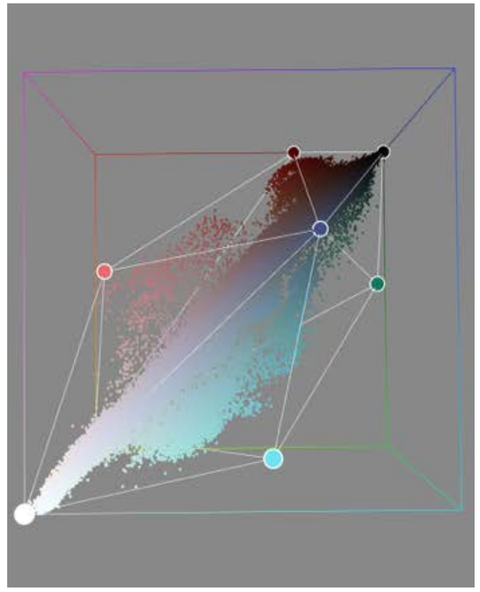


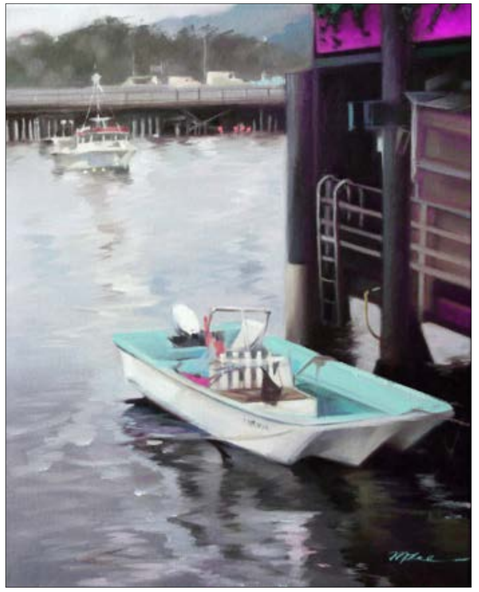












Original Color distributions Delaunay Star

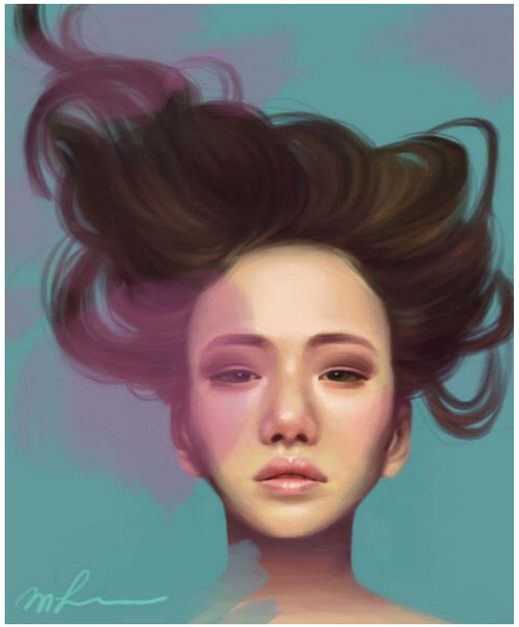
Two-level decomposition

RGB palette

Fixed

$$W = W_{RGB} * W_{RGBXY}$$

image



Two-level decomposition

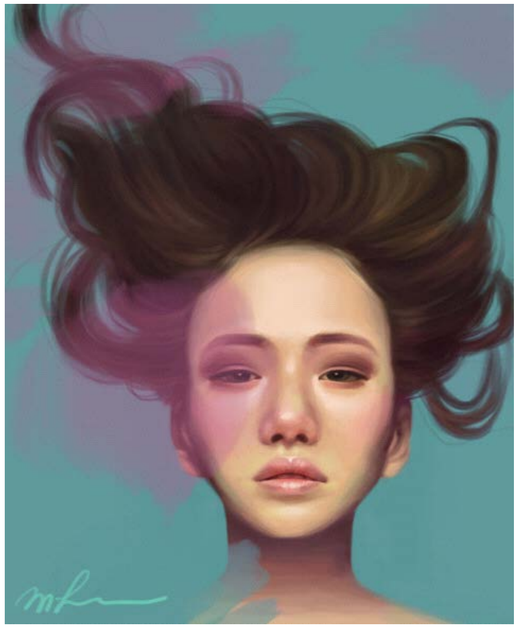
RGB palette

Palette updates

Fixed

$$W = W_{RGB} * W_{RGBXY}$$

image



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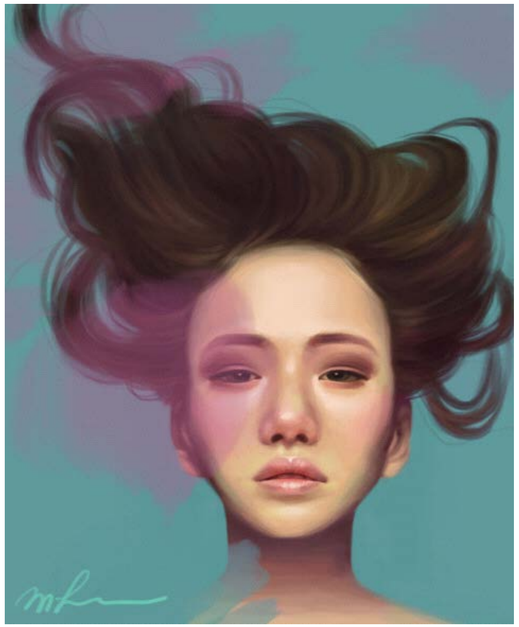

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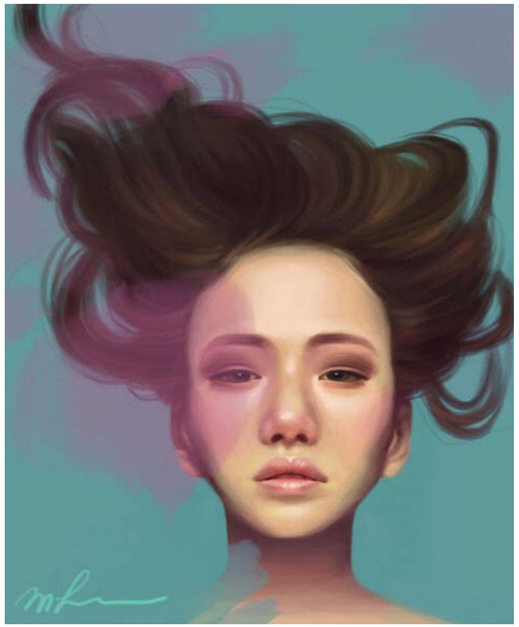

Two-level decomposition

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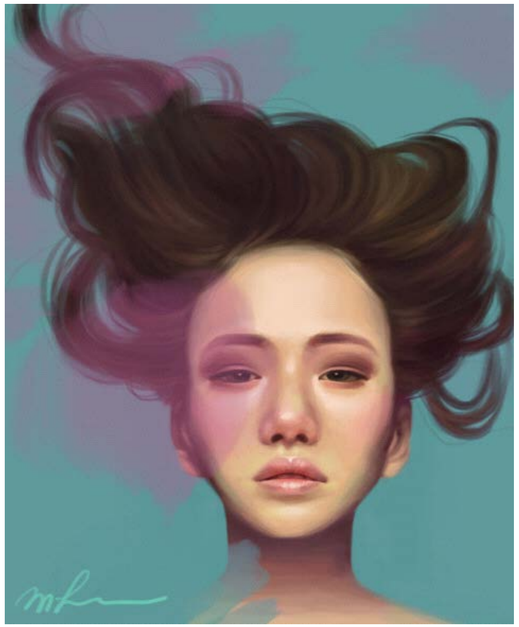
image



Updating W_{RGB} is independent of image size.

Two-level decomposition

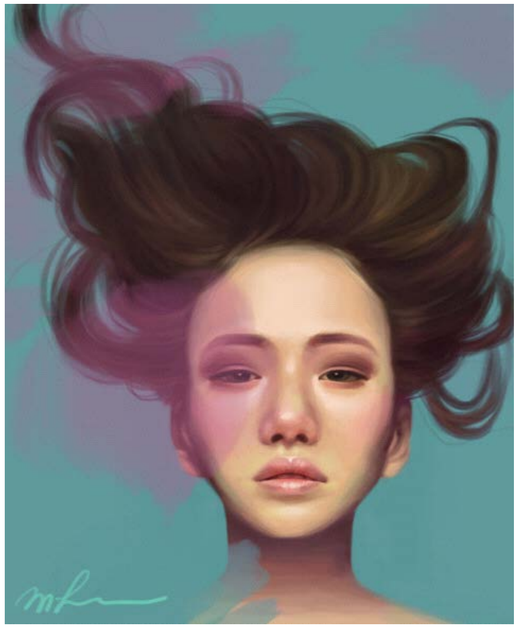
RGB palette

Palette updates

Fixed

$$W = W_{RGB} * W_{RGBXY}$$

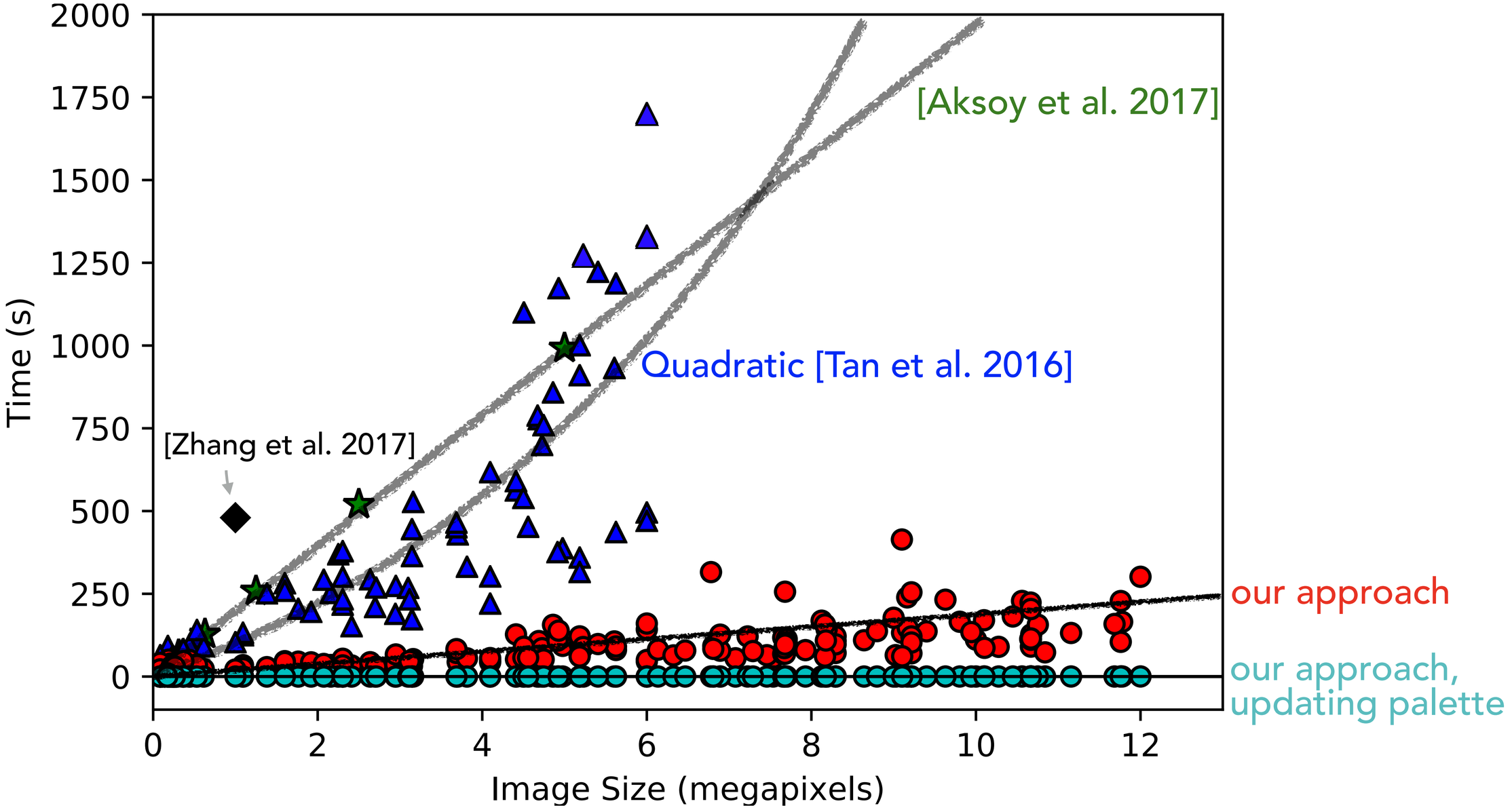
image



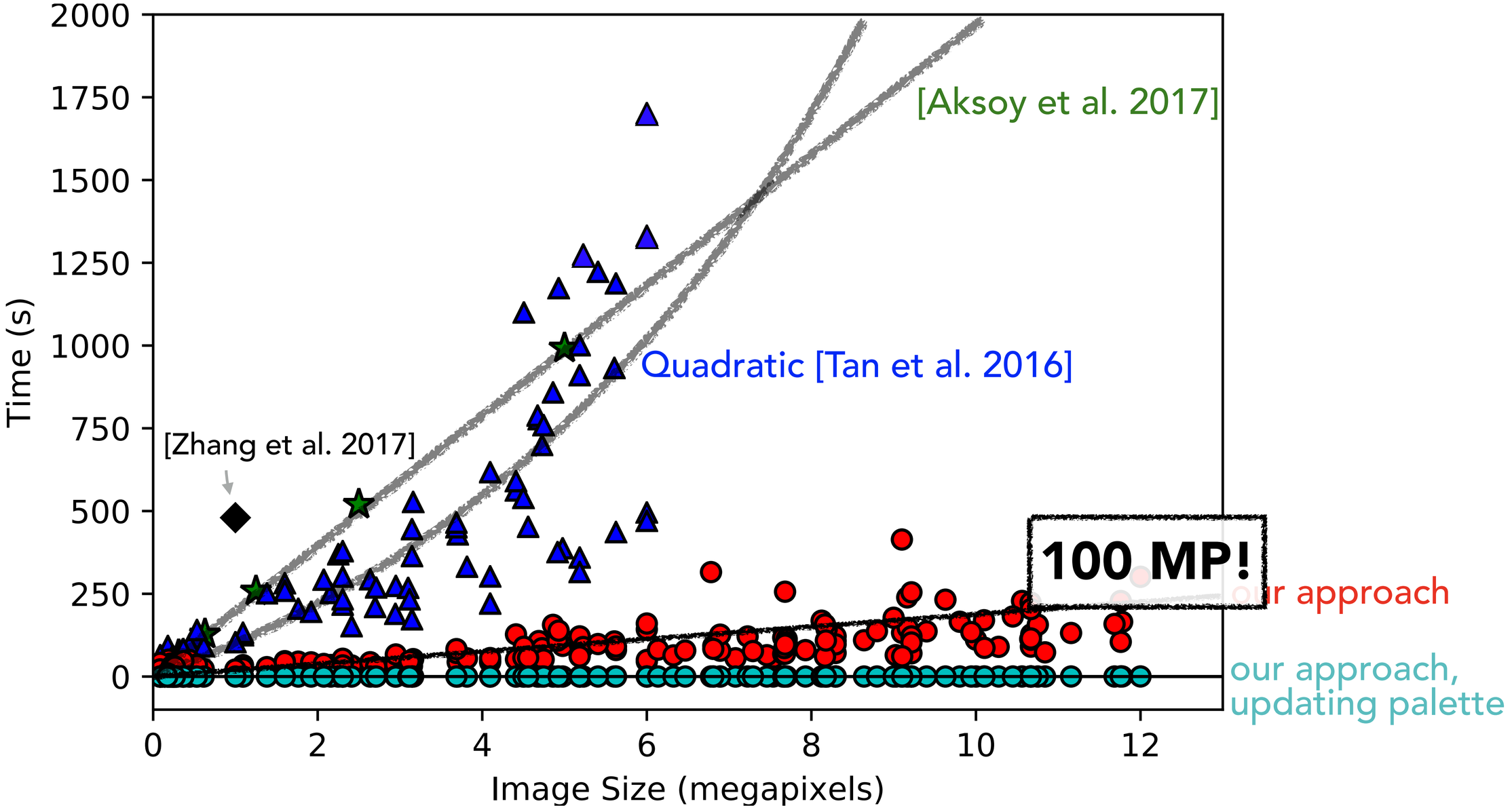
Updating W_{RGB} is independent of image size.

Other methods need to re-compute everything from scratch.

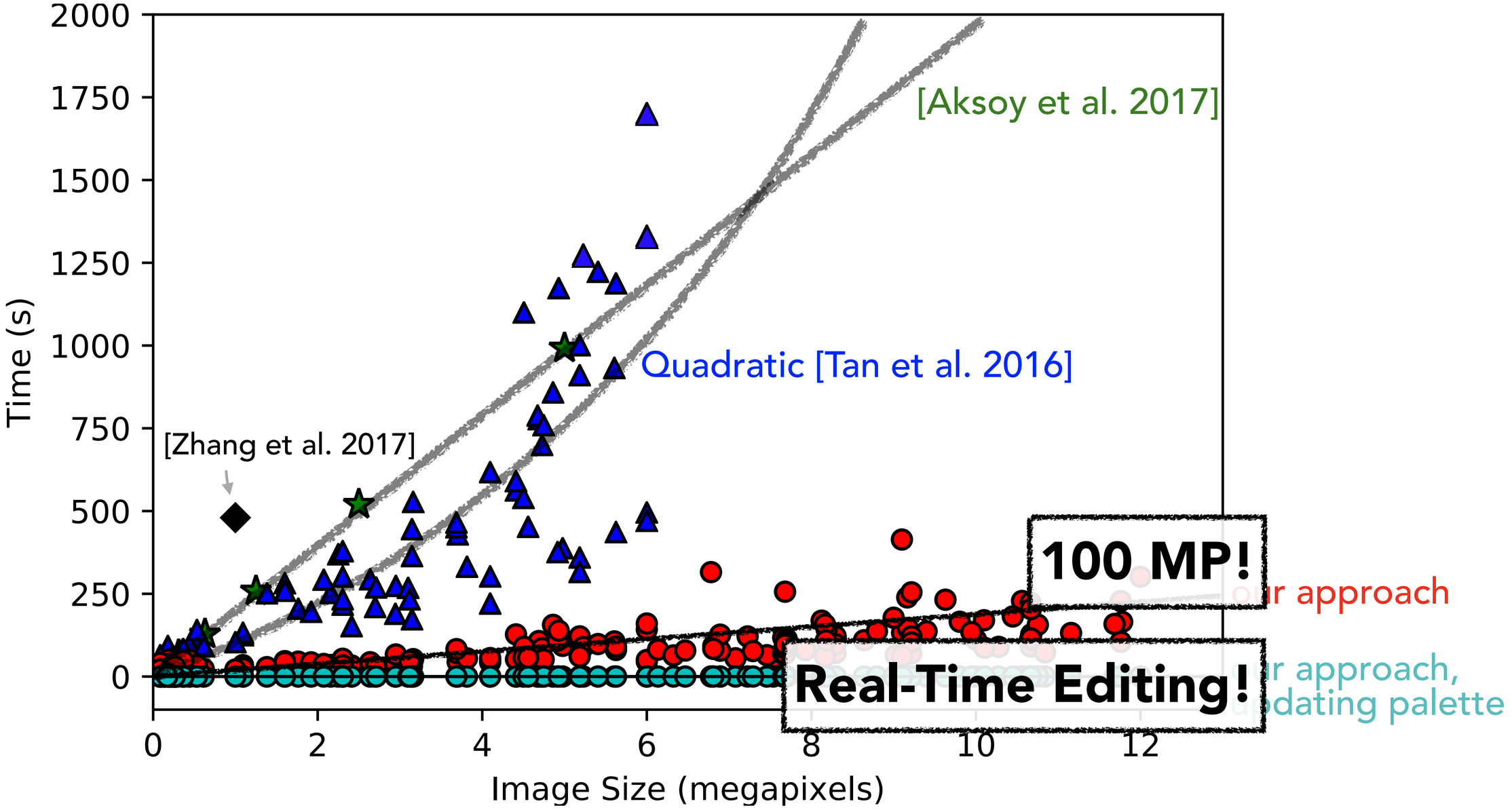
Performance



Performance



Performance



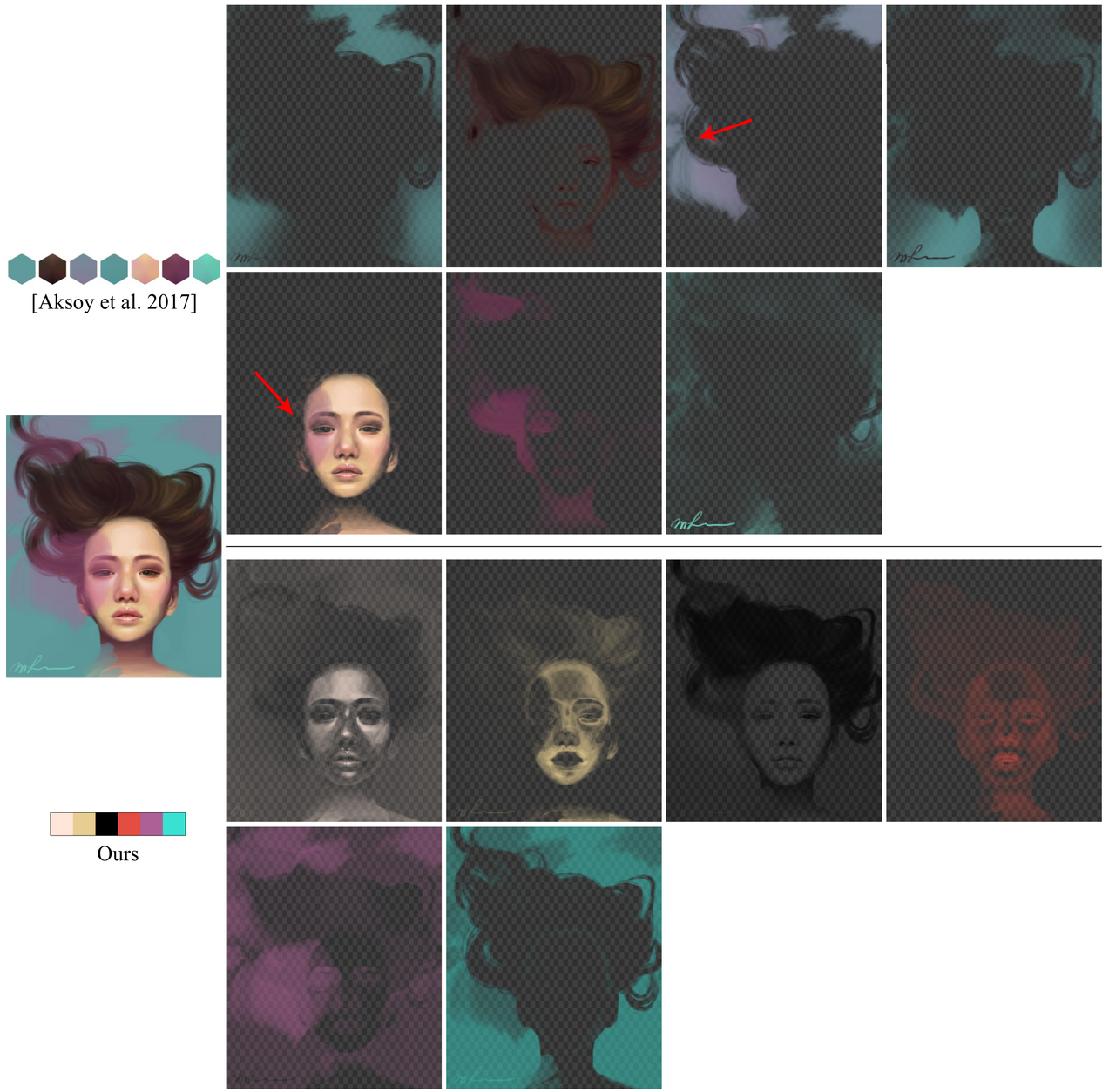
Python Implementation


```python
from numpy import *
from scipy.spatial import ConvexHull, Delaunay
from scipy.sparse import coo_matrix

def RGBXY_weights( RGB_palette, RGBXY_data ):
    RGBXY_hull_vertices = RGBXY_data[ ConvexHull( RGBXY_data ).vertices ]
    W_RGBXY = Delaunay_coordinates( RGBXY_hull_vertices, RGBXY_data )
    # Optional: Project outside RGBXY_hull_vertices[:,:3] onto RGB_palette convex hull.
    W_RGB = Star_coordinates( RGB_palette, RGBXY_hull_vertices[:,:3] )
    return W_RGBXY.dot( W_RGB )

def Star_coordinates( vertices, data ):
    ## Find the star vertex
    star = argmin( linalg.norm( vertices, axis=1 ) )
    ## Make a mesh for the palette
    hull = ConvexHull( vertices )
    ## Star tessellate the faces of the convex hull
    simplices = [ [star] + list(face) for face in hull.simplices if star not in face ]
    barycoords = -1*ones( ( data.shape[0], len(vertices) ) )
    ## Barycentric coordinates for the data in each simplex
    for s in simplices:
        s0 = vertices[s[:1]]
        b = linalg.solve( (vertices[s[1:]]-s0).T, (data-s0).T ).T
        b = append( 1-b.sum(axis=1)[:,None], b, axis=1 )
        ## Update barycoords whenever the data is inside the current simplex.
        mask = (b>=0).all(axis=1)
        barycoords[mask] = 0.
        barycoords[ix_(mask,s)] = b[mask]
    return barycoords

def Delaunay_coordinates( vertices, data ): # Adapted from Gareth Rees
    # Compute Delaunay tessellation.
    tri = Delaunay( vertices )
    # Find the tetrahedron containing each target (or -1 if not found).
    simplices = tri.find_simplex(data, tol=1e-6)
    assert (simplices != -1).all() # data contains outside vertices.
    # Affine transformation for simplex containing each datum.
    X = tri.transform[simplices, :data.shape[1]]
    # Offset of each datum from the origin of its simplex.
    Y = data - tri.transform[simplices, data.shape[1]]
    # Compute the barycentric coordinates of each datum in its simplex.
    b = einsum( '...jk,...k->...j', X, Y )
    barycoords = c_[b,1-b.sum(axis=1)]
    # Return the weights as a sparse matrix.
    rows = repeat(arange(len(data)).reshape((-1,1)), len(tri.simplices[0]), 1).ravel()
    cols = tri.simplices[simplices].ravel()
    vals = barycoords.ravel()
    return coo_matrix( (vals,(rows,cols)), shape=(len(data),len(vertices)) ).tocsr()
```

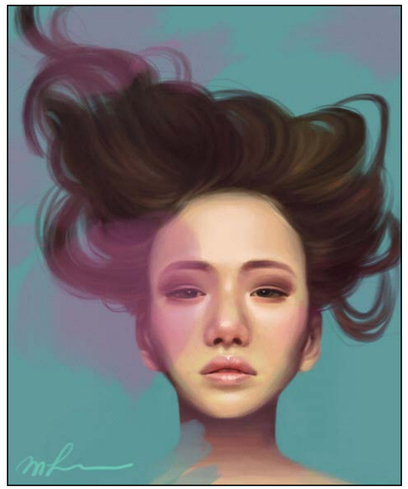
Comparisons

Layer quality comparison with [Aksoy et al. 2017]

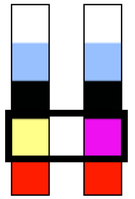
Layer quality comparison with [Aksoy et al. 2017]

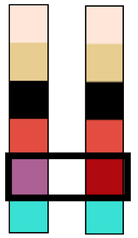


Recoloring comparison with three previous methods



Original





Ours

Recoloring comparison with three previous methods

Original

Aksoy et al. 2017

Ours

Recoloring comparison with three previous methods

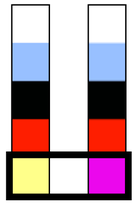
Original

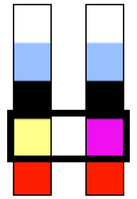
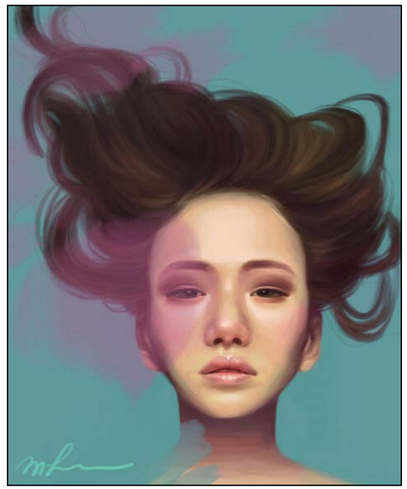
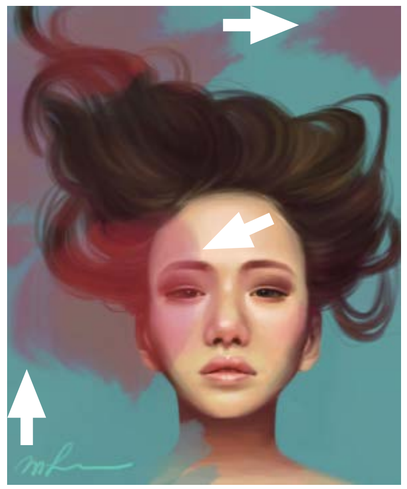
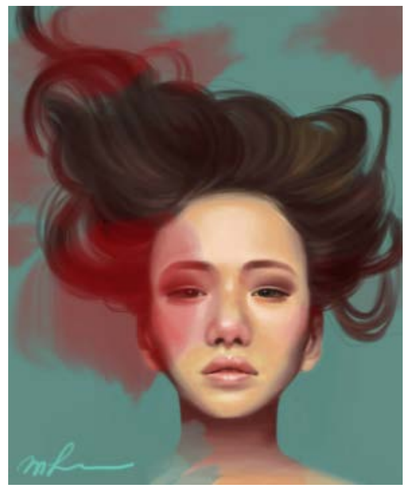
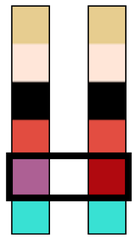
Aksoy et al. 2017

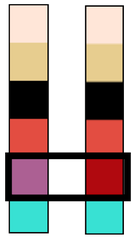
Ours

Recoloring comparison with three previous methods



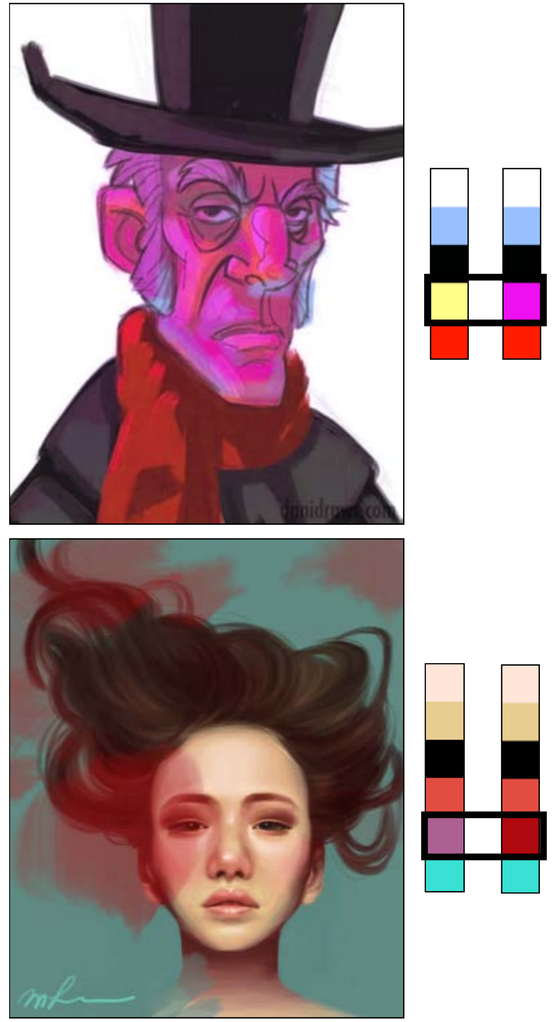








Original Aksoy et al. 2017 Tan et al. 2016 Ours

Recoloring comparison with three previous methods

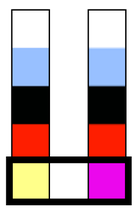
Original Aksoy et al. 2017 Tan et al. 2016

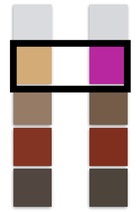


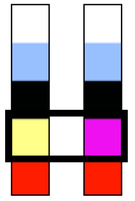
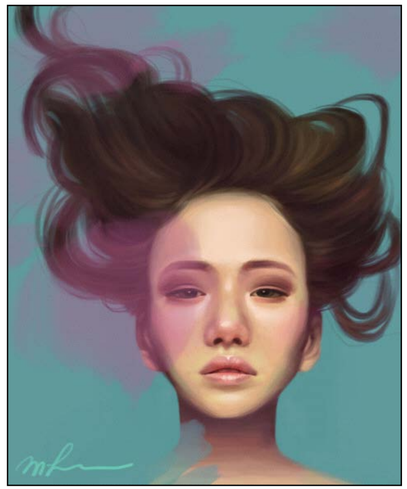
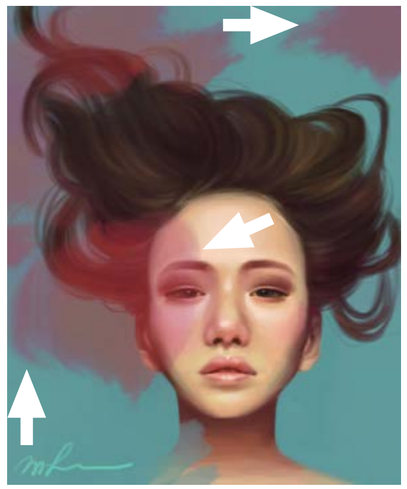
Ours

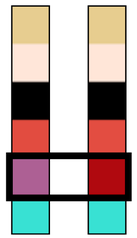
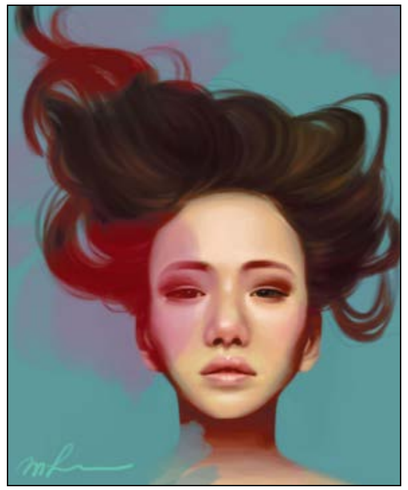
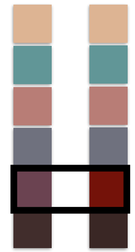
Recoloring comparison with three previous methods

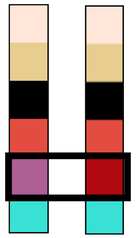






Original Aksoy et al. 2017 Tan et al. 2016 Chang et al. 2015 Ours

Recoloring comparison with three previous methods

Original | Aksoy et al. 2017 | Tan et al. 2016 | Chang et al. 2015 | Ours

Demo

Javascript + Python with PyOpenCL

Layer creation from scratch

ge: girls.png

Reconstruction

Difference

Layers:

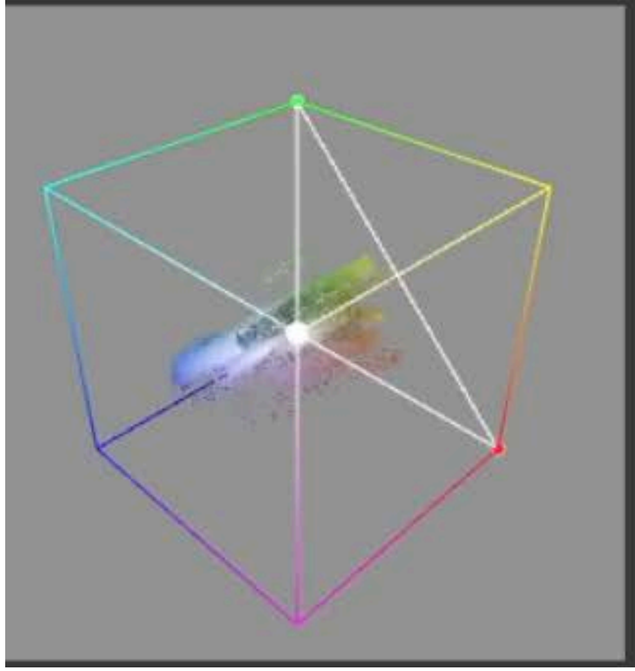
hoose File No file chosen

re-compute kCBXY weights

create automatic palette

Prescribed number of layers: 6

dd Random Palette Color



colorful

ge: girls.png

Reconstruction

Difference

Layers:

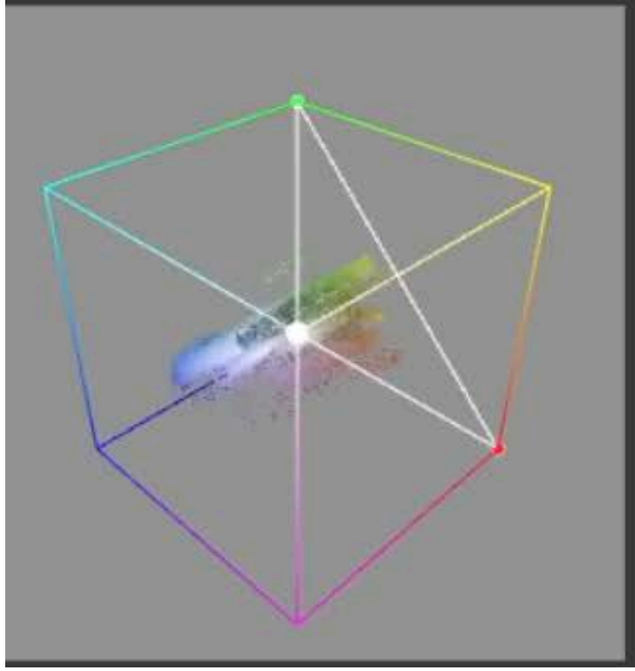
hoose File No file chosen

re-compute kCBXY weights

create automatic palette

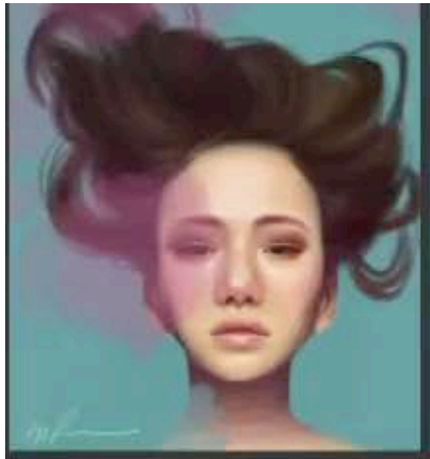
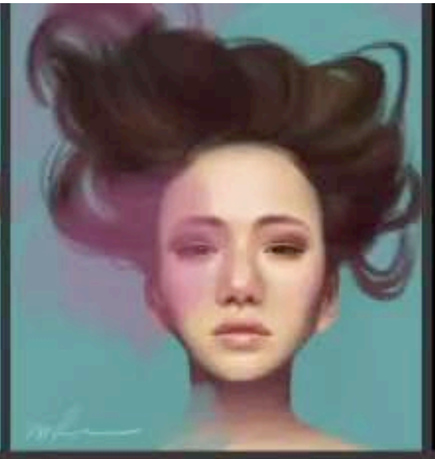
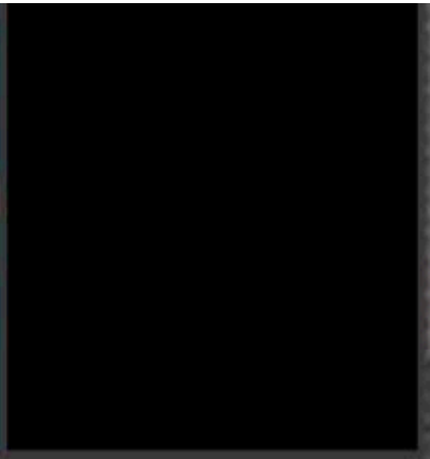
Prescribed number of layers: 6

dd Random Palette Color



colorful

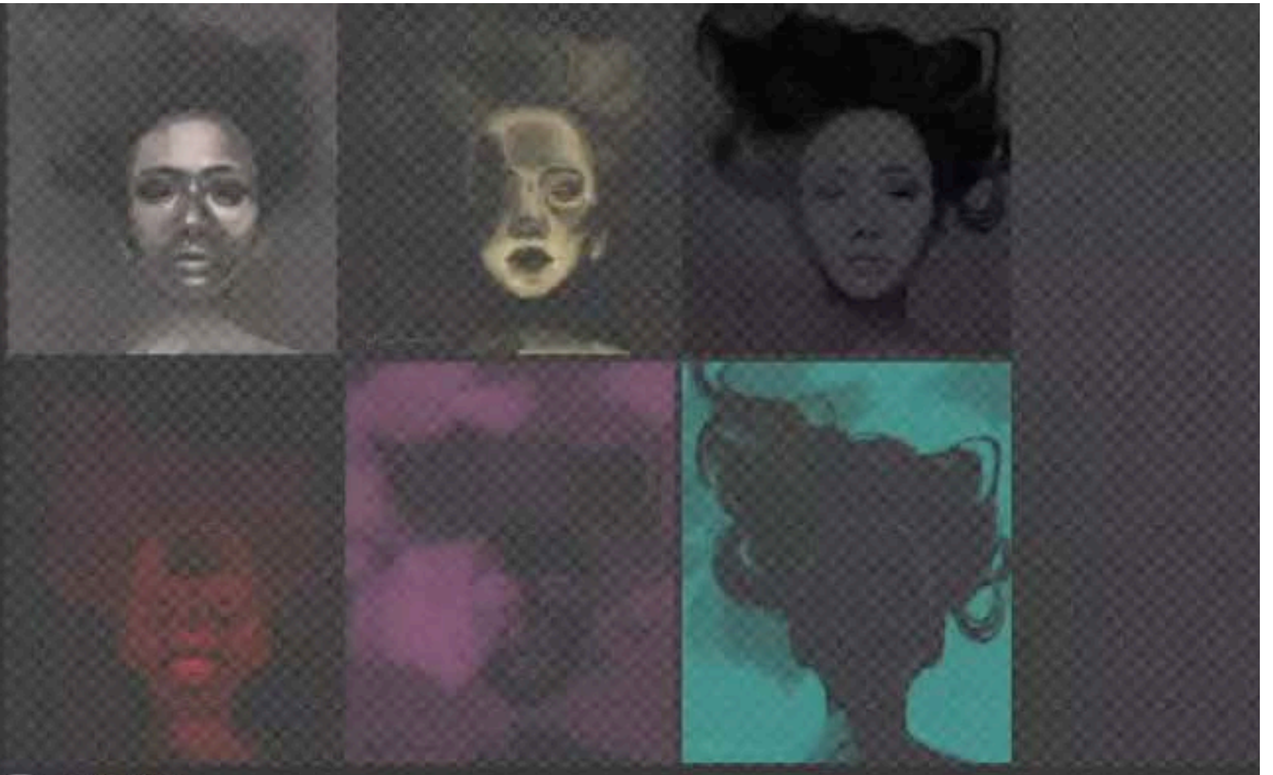
Layer creation from an automatic palette

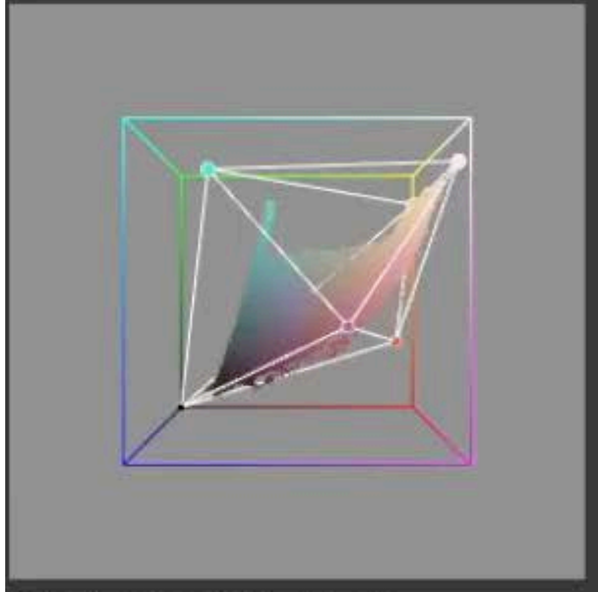
Choose File No file chosen

Prescribed number of layers: 6

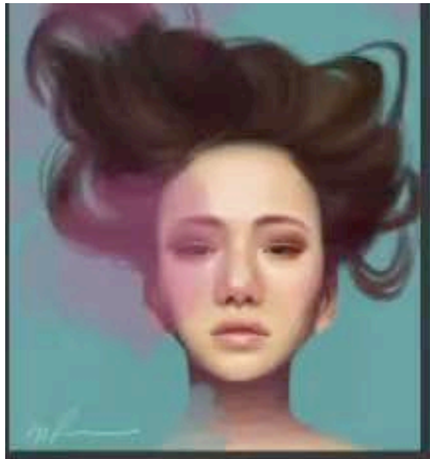
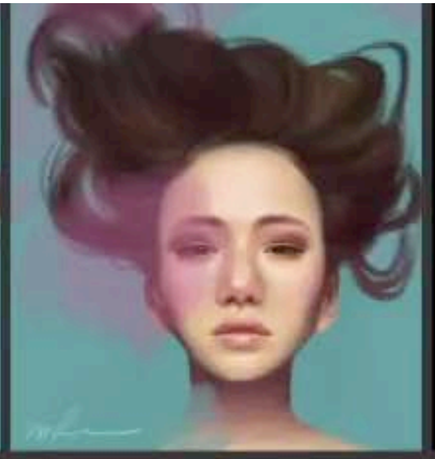
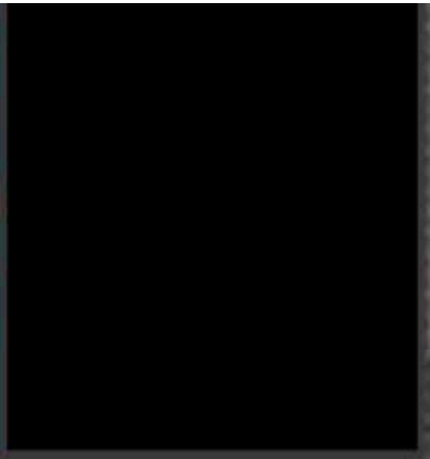
Add Random Palette Color



colorful



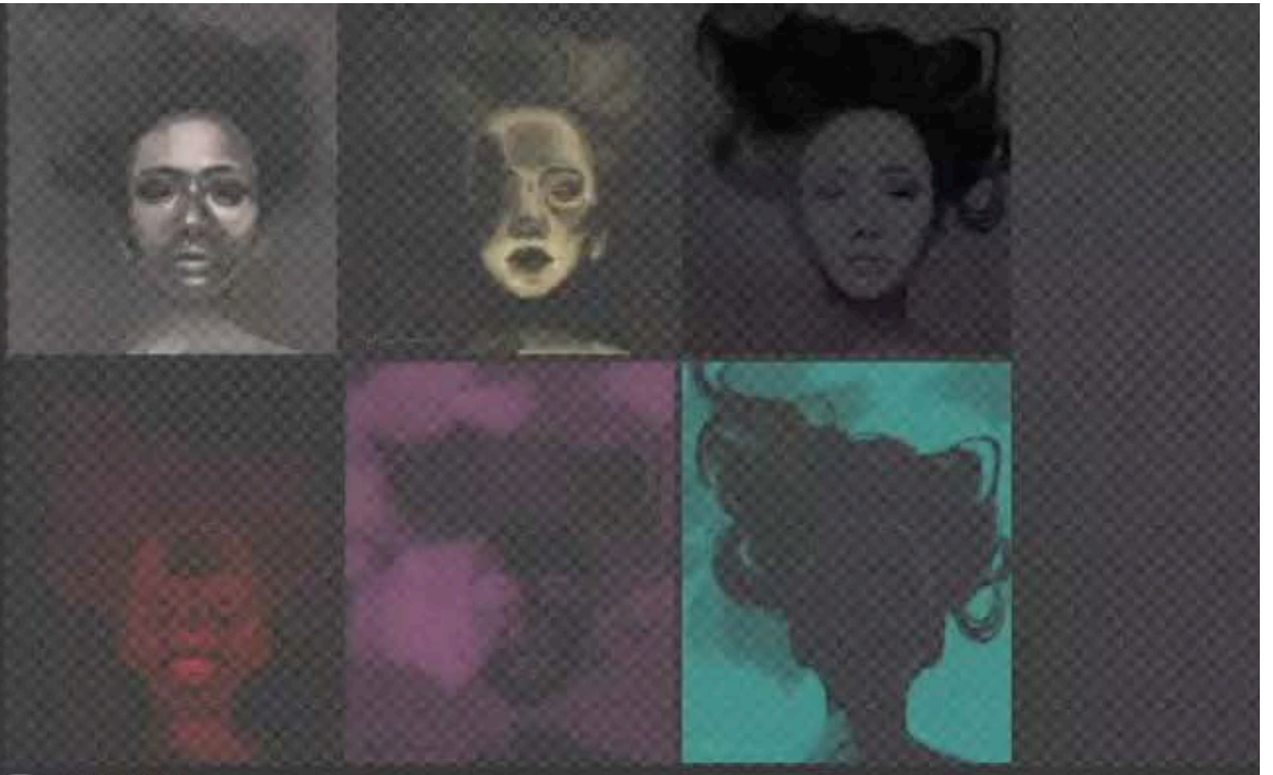
Rotation has intertia:

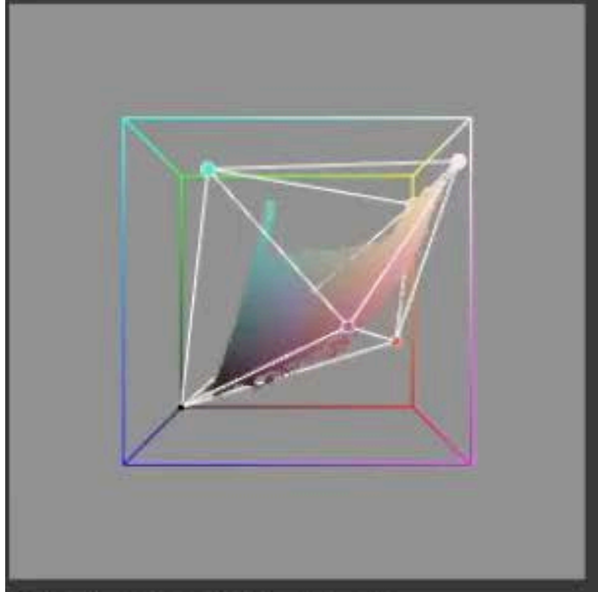
Choose File No file chosen

Prescribed number of layers: 6

Add Random Palette Color



colorful



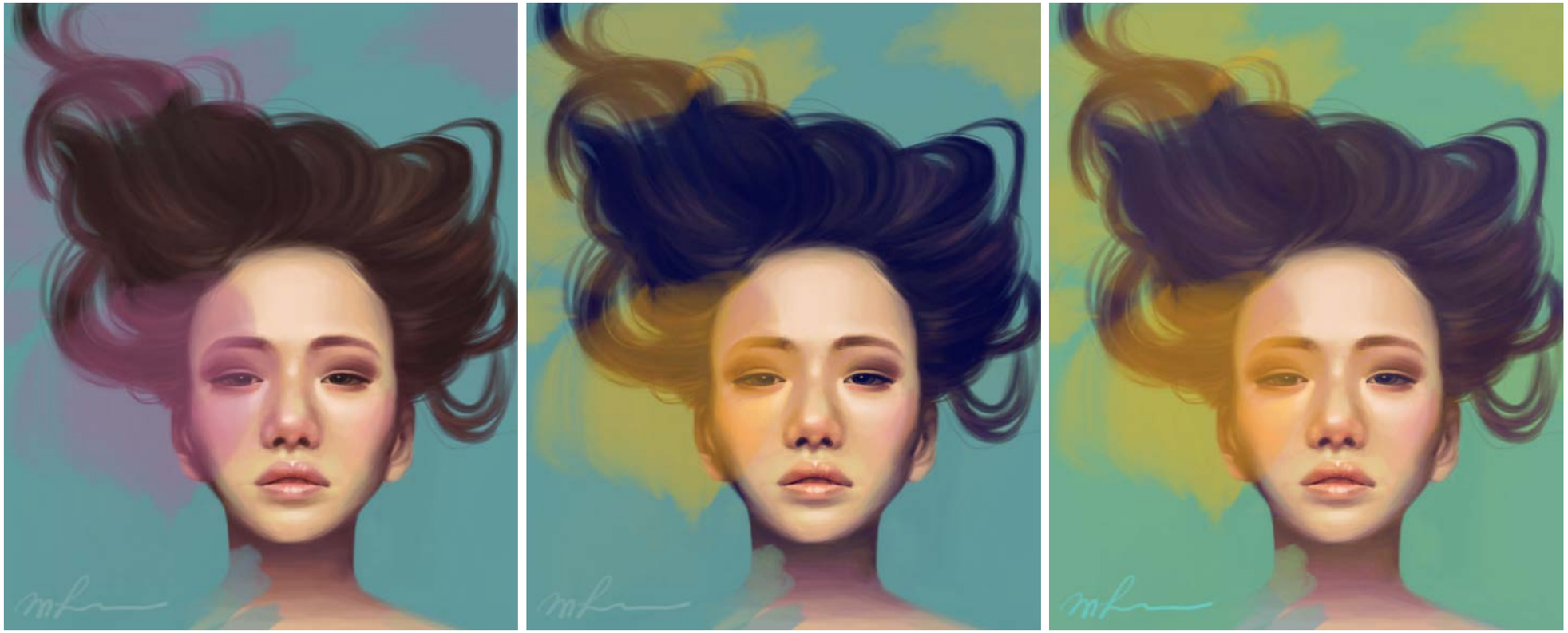
Rotation has intertia:

Interactive decomposition gives more control to the users

original

recoloring with interactively edited palette

recoloring with automatic palette



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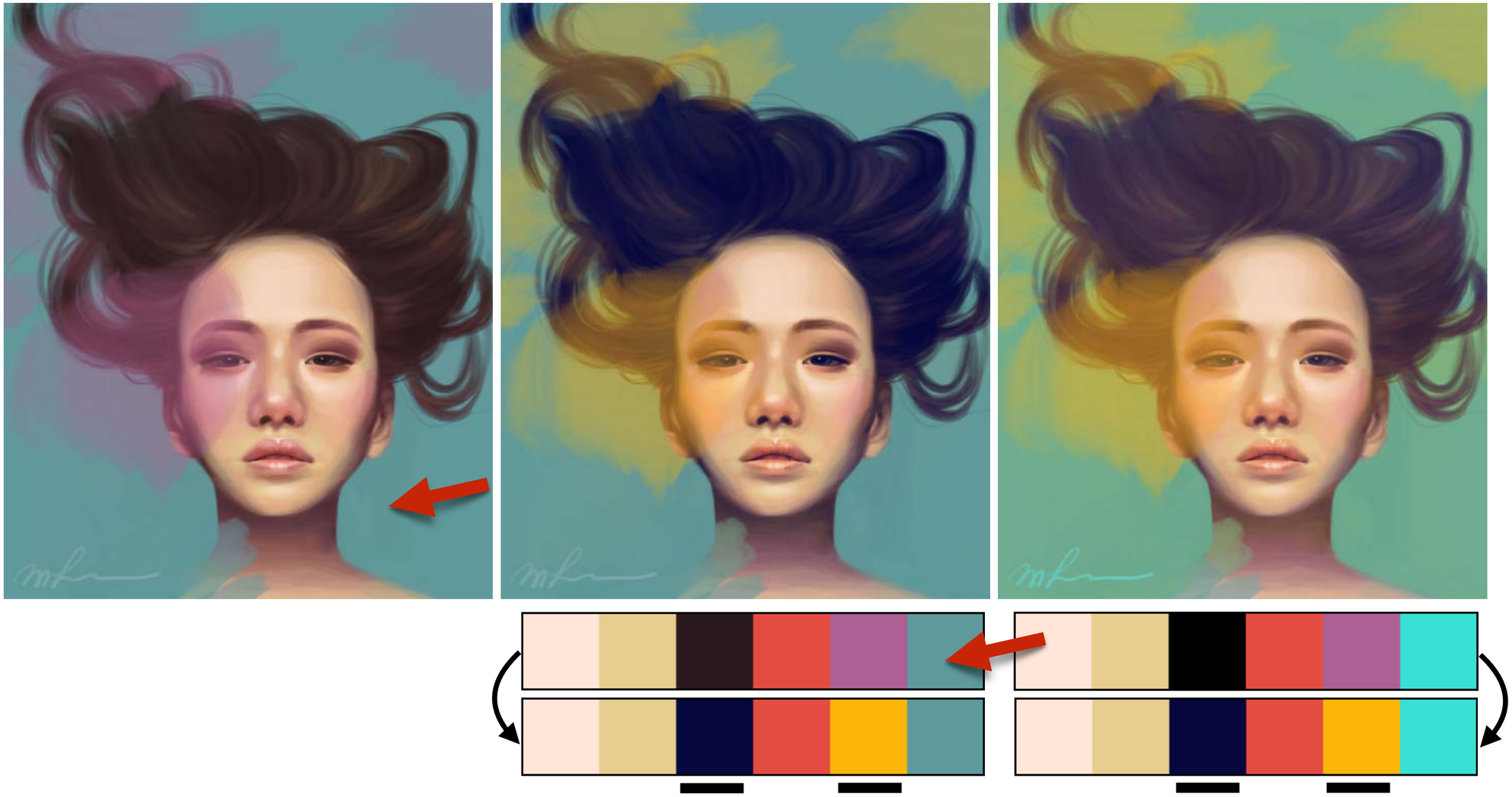

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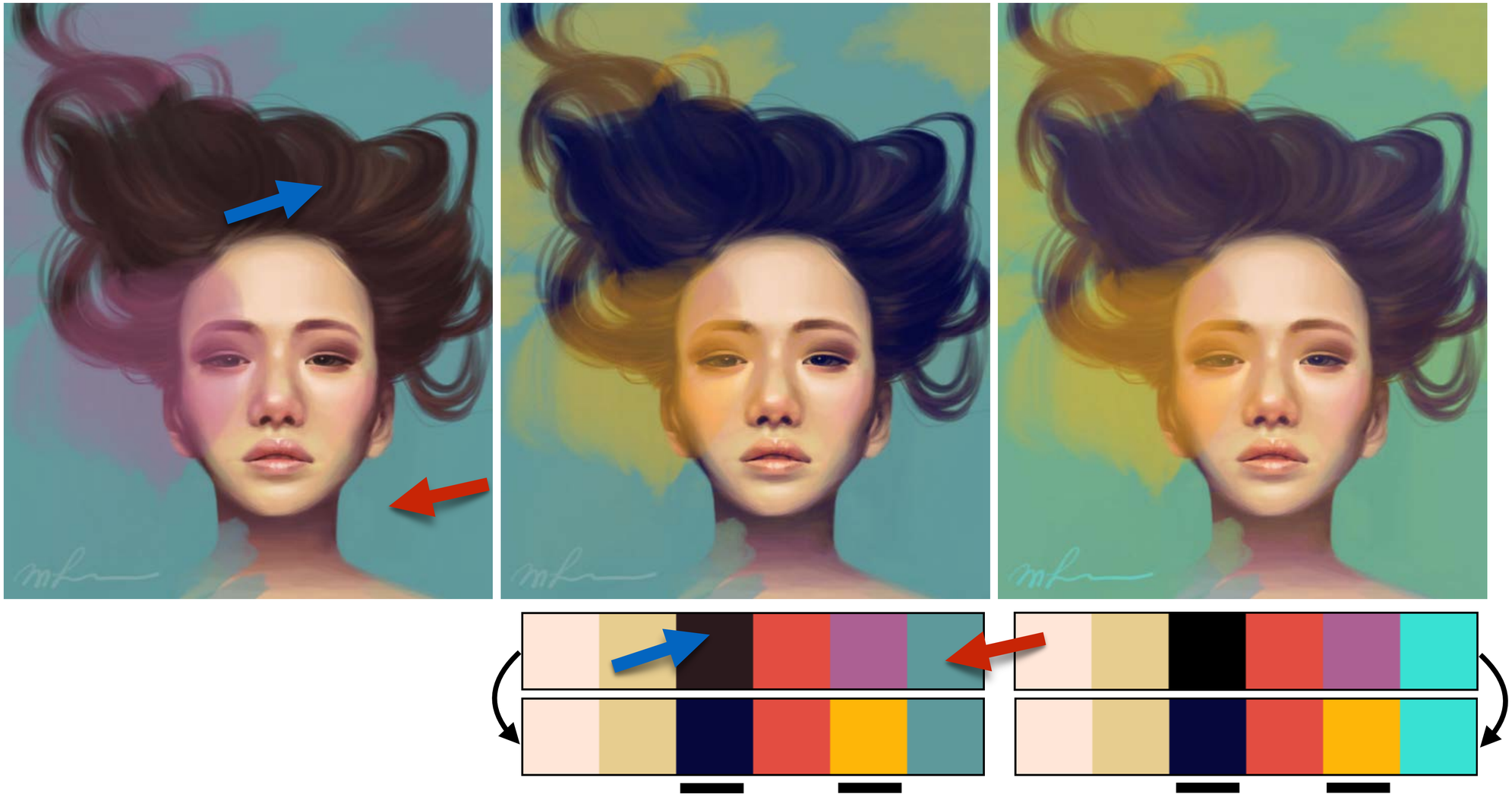

Recoloring

Javascript

Visualize the colors of an image as a 3D RGB point cloud.

turquoise.png

width: 480, height: 585

total pixels: 280800

unique pixels: 280800

Choose File No file chosen

Rotation has intertia:

Look from white

Save Everything

Save Camera Only

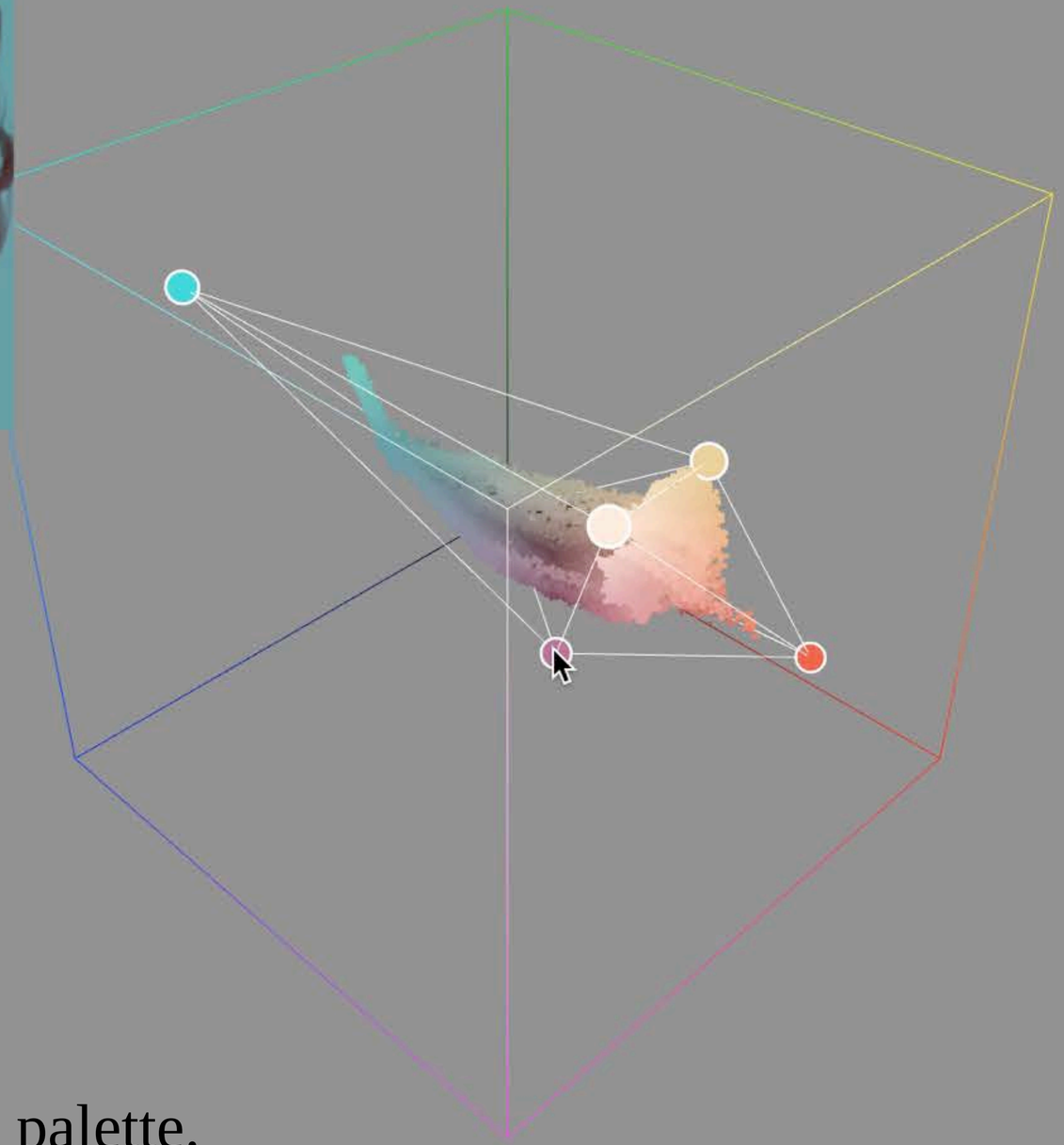

Image recoloring using automatic palette.

Visualize the colors of an image as a 3D RGB point cloud.

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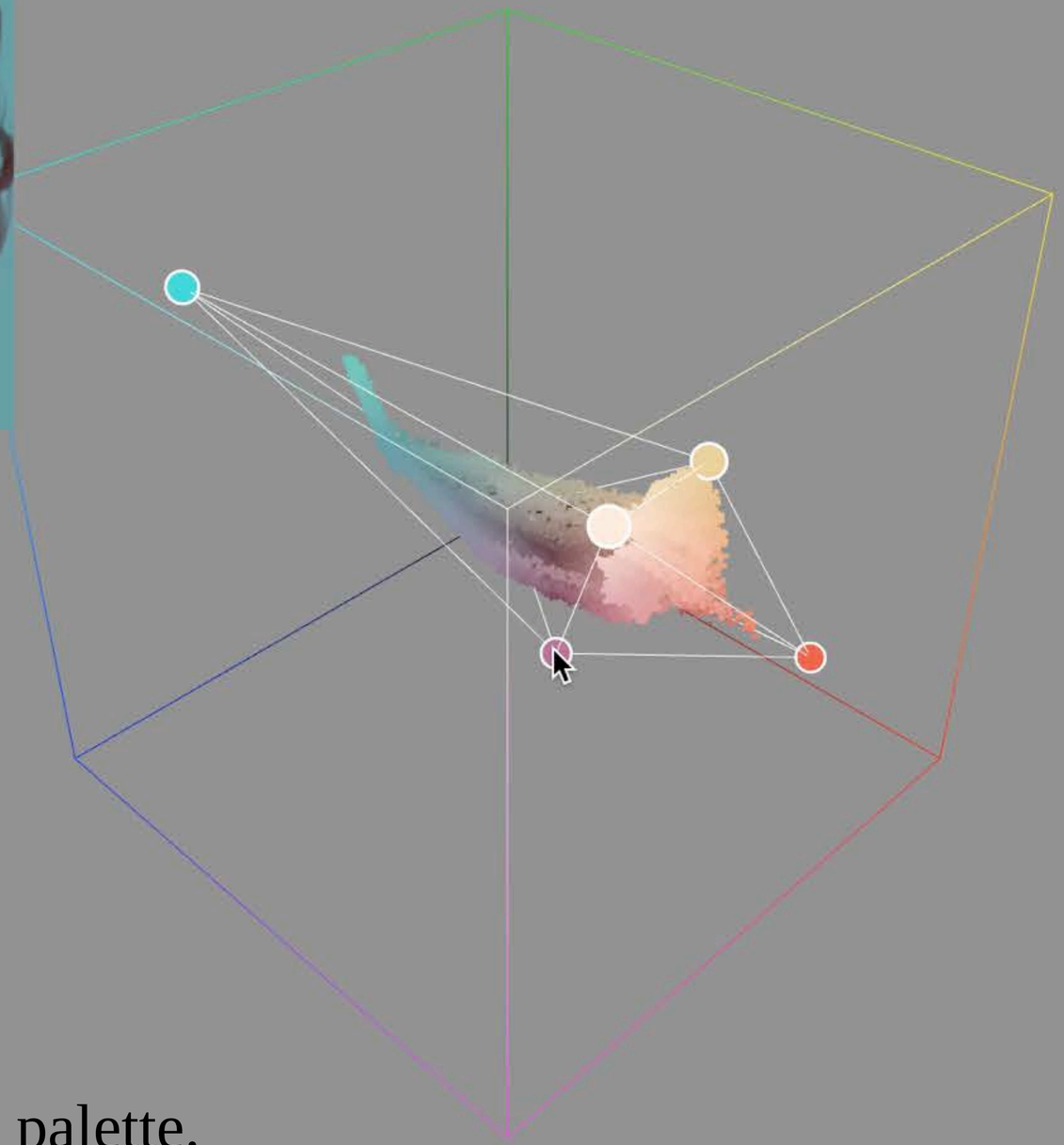

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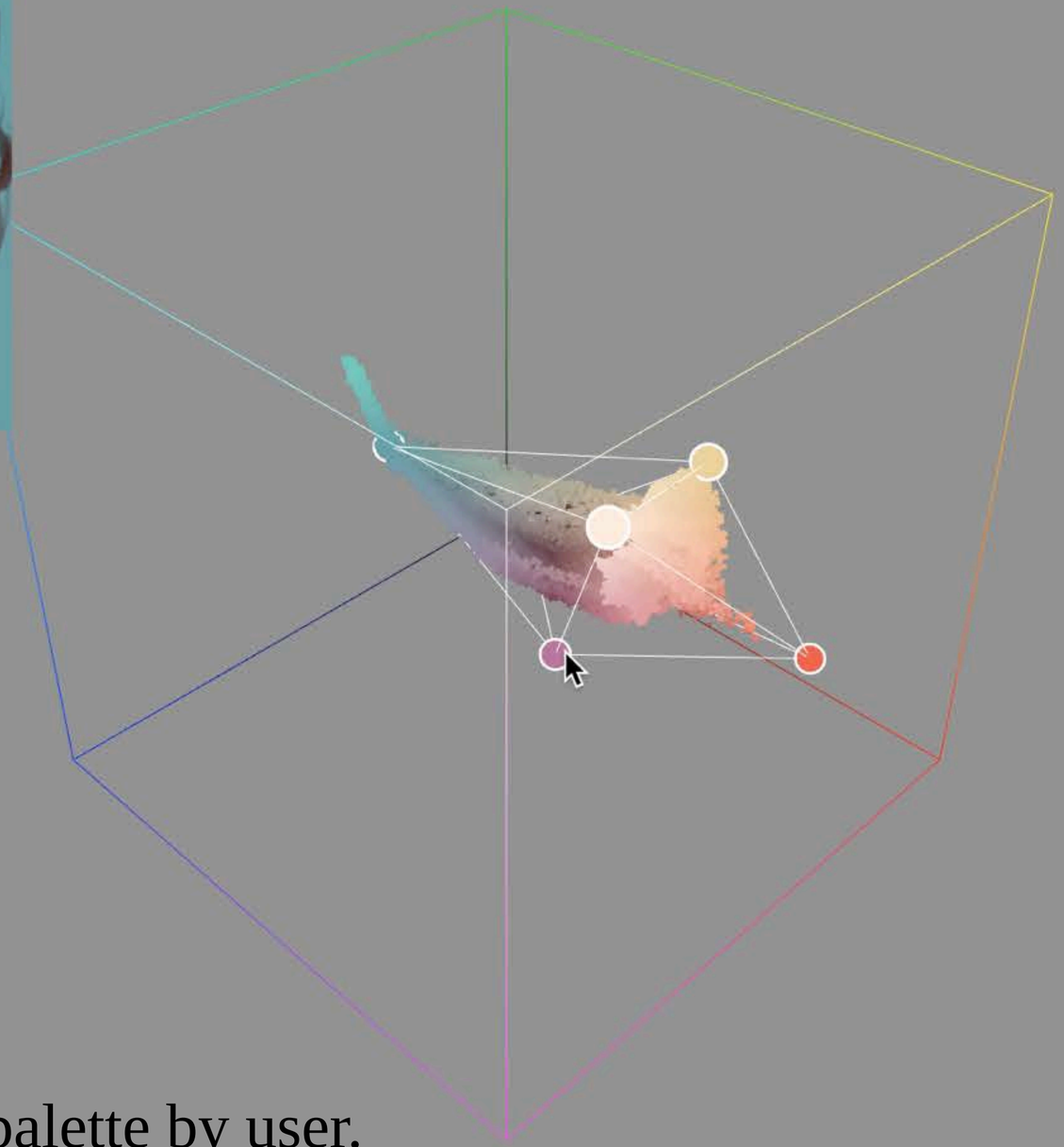


Image recoloring using modified palette by user.

Visualize the colors of an image as a 3D RGB point cloud.

turquoise.png

width: 480, height: 585

total pixels: 280800

unique pixels: 280800

Choose File No file chosen

Rotation has intertia:

Look from white

Save Everything

Save Camera Only

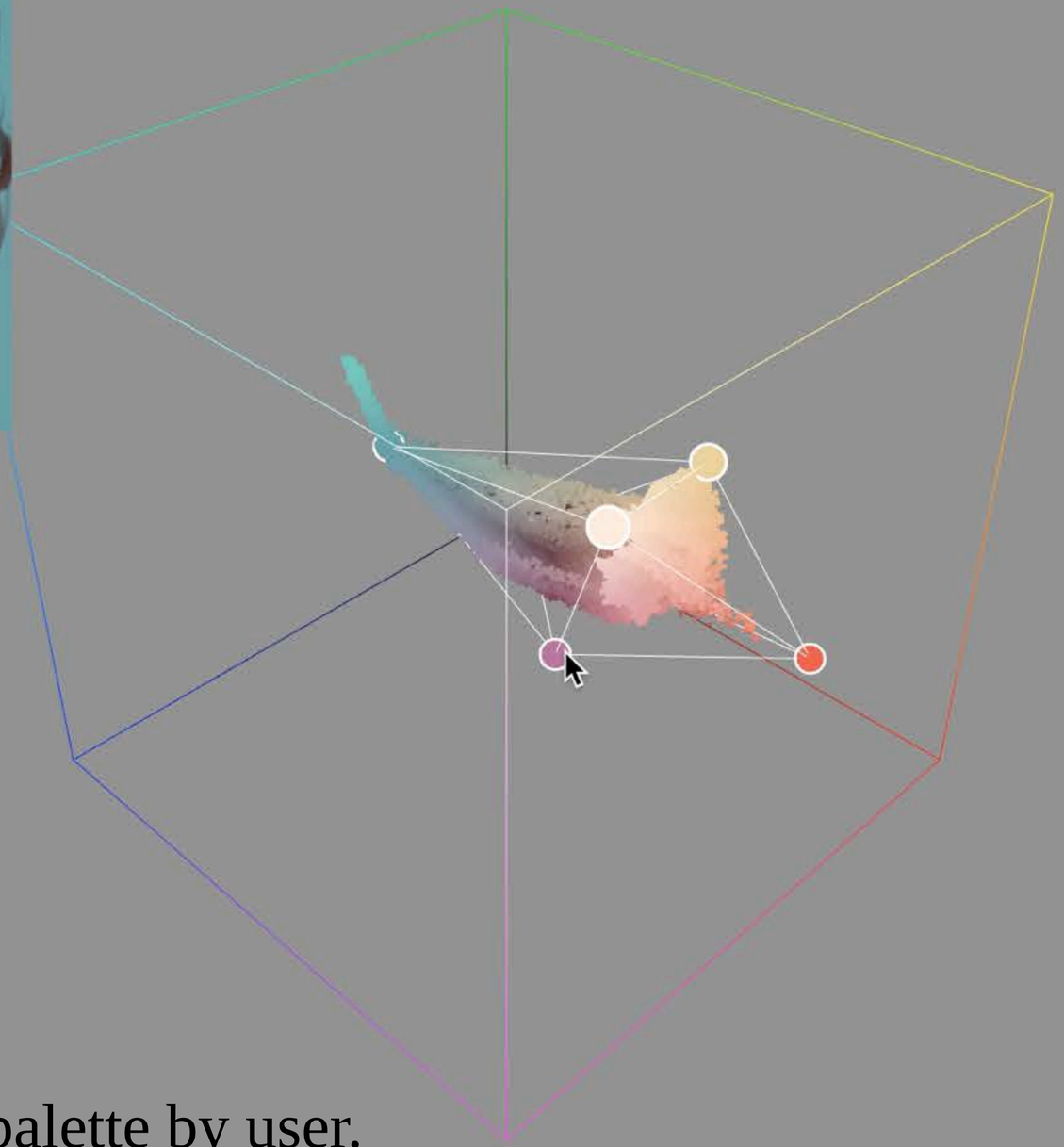
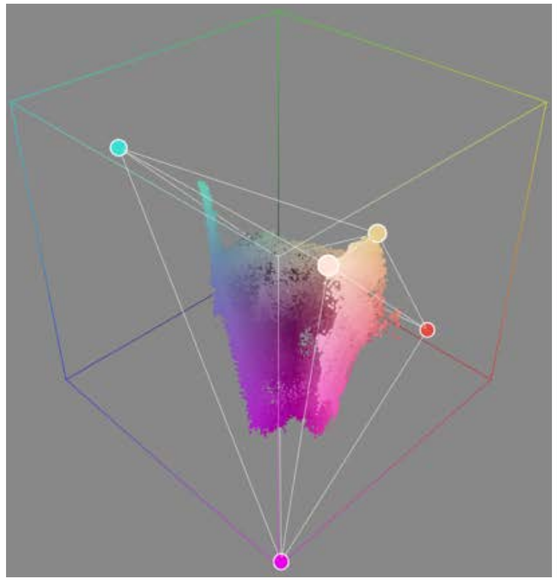
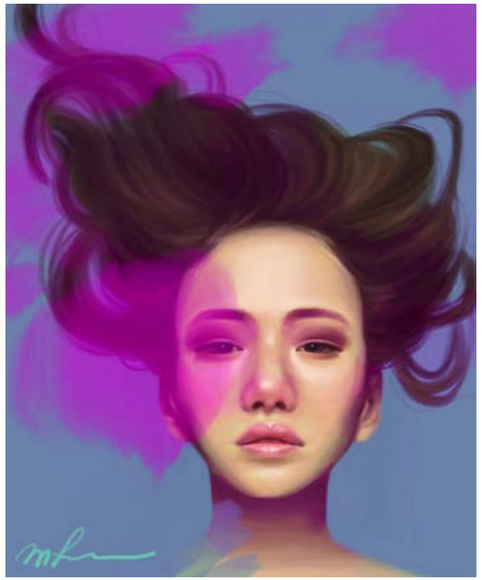
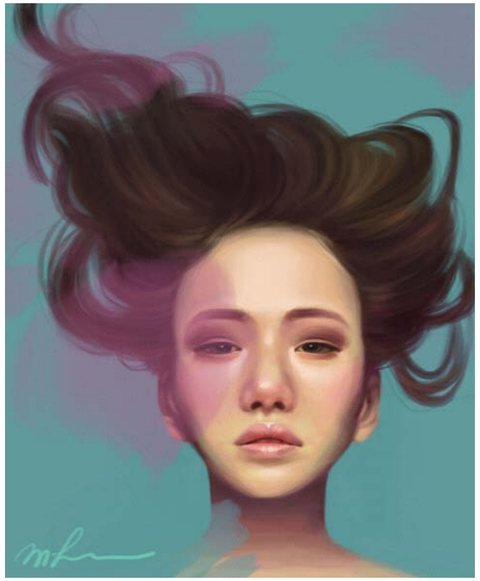
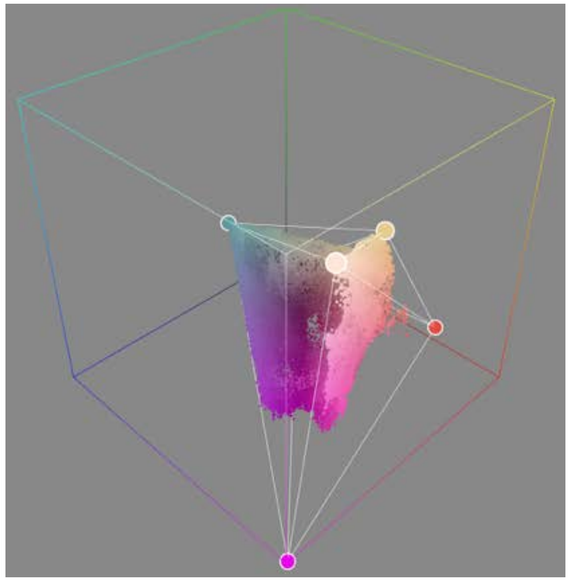


Image recoloring using modified palette by user.



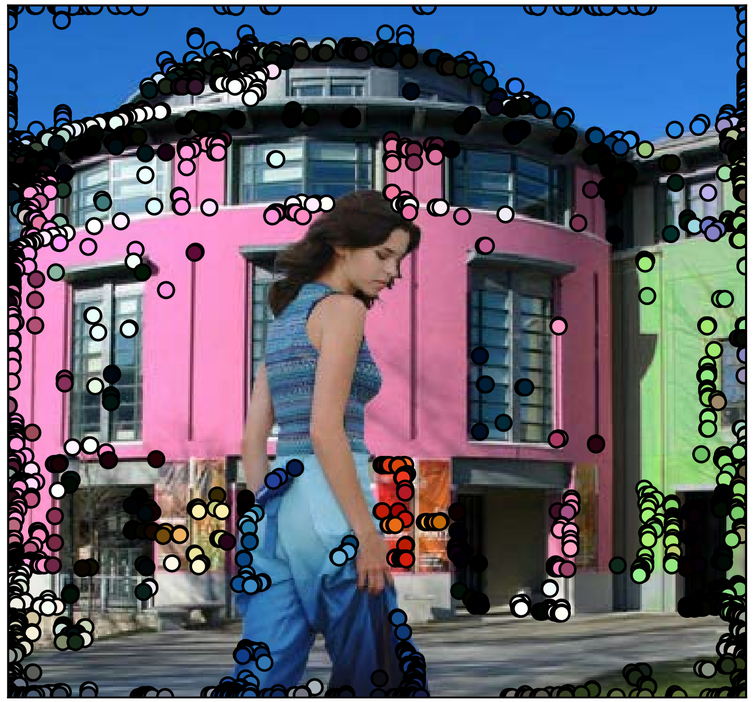
Using automatic palette

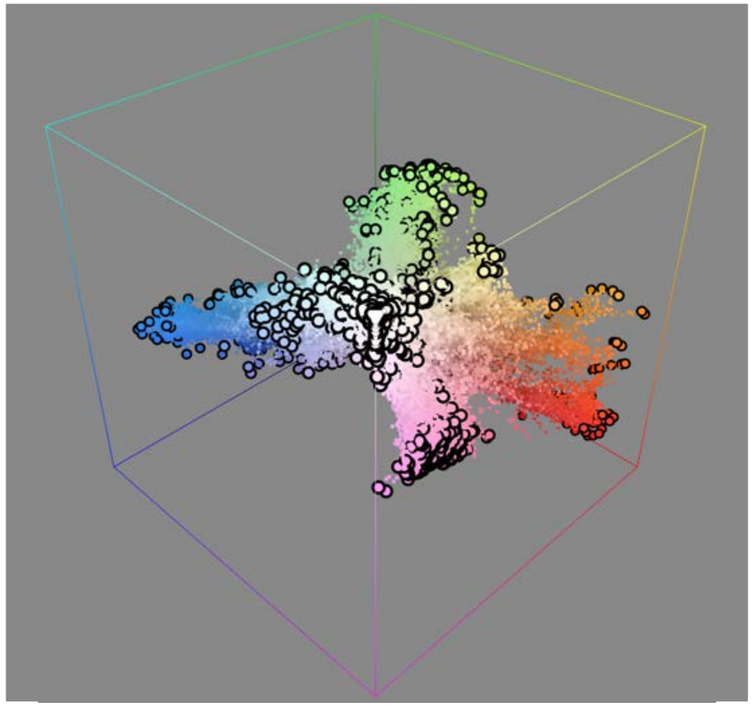
Original

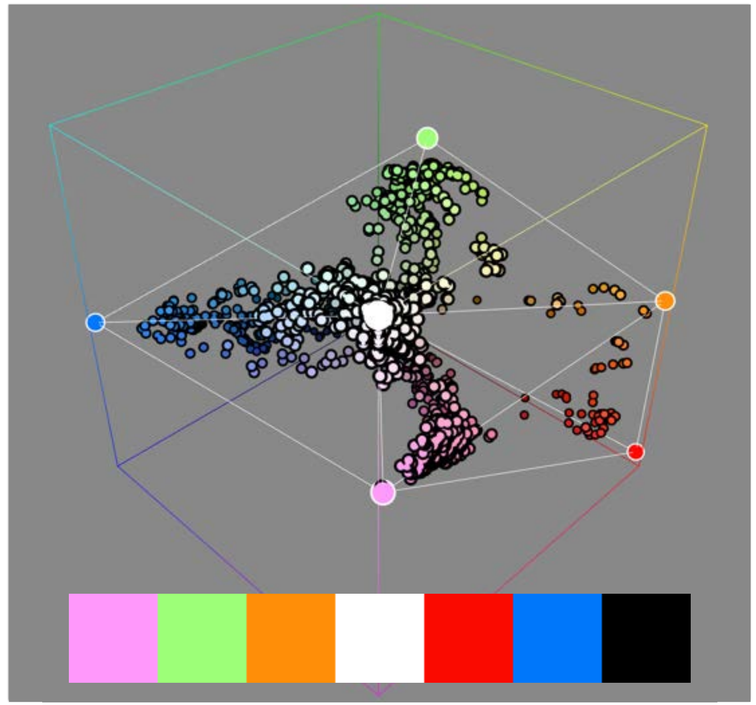
Using modified palette

Conclusion

- An extremely efficient approach to layer decomposition via RGBXY geometry







Conclusion

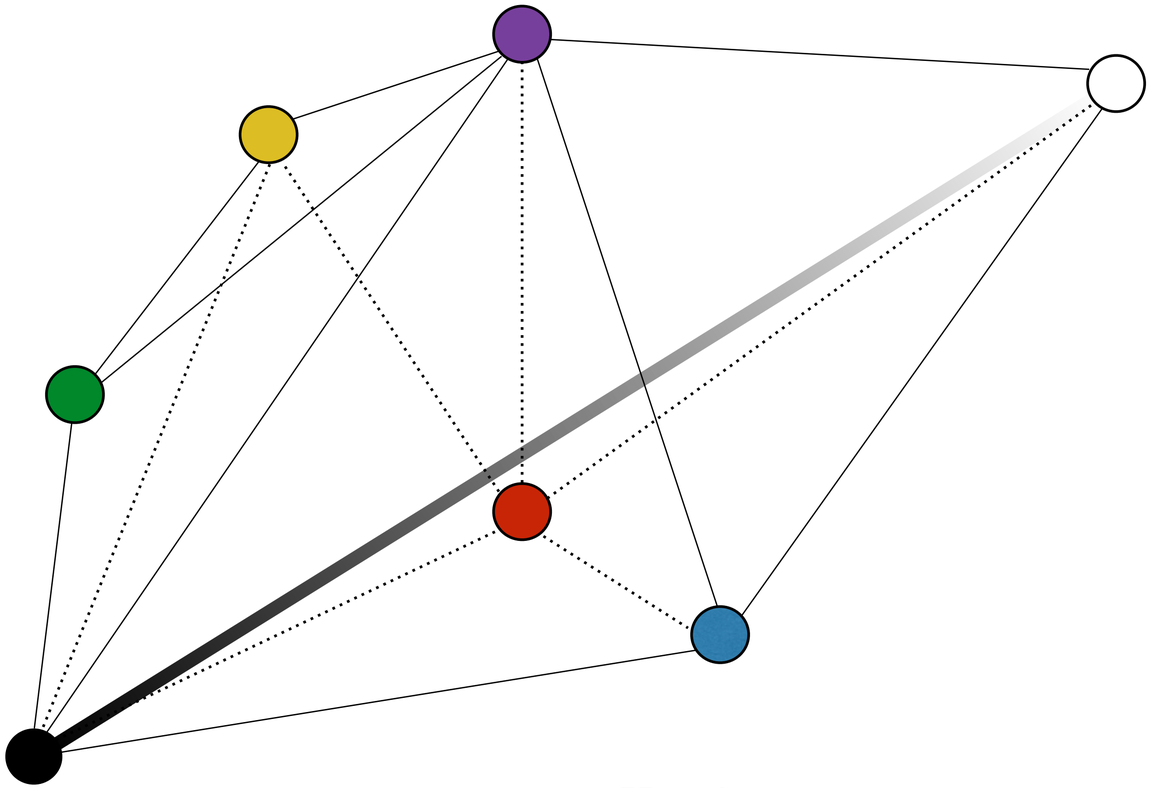
- Our two-level decomposition supports real-time decomposition when palette editing.

Palette updates **Fixed**

$$W = W_{RGB} * W_{RGBXY}$$

Conclusion

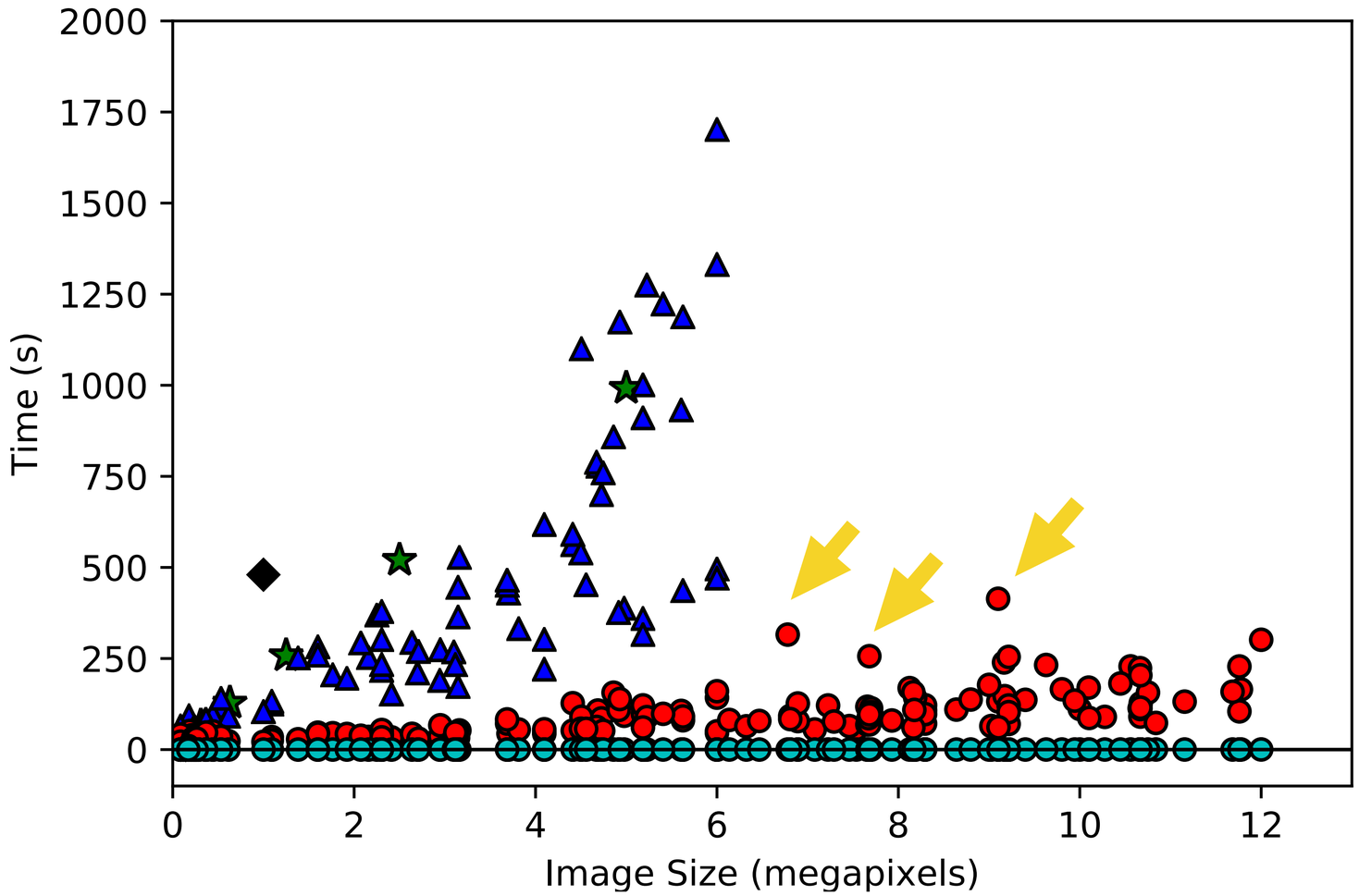
- It’s important to capture the “line of greys”.



Star tessellation

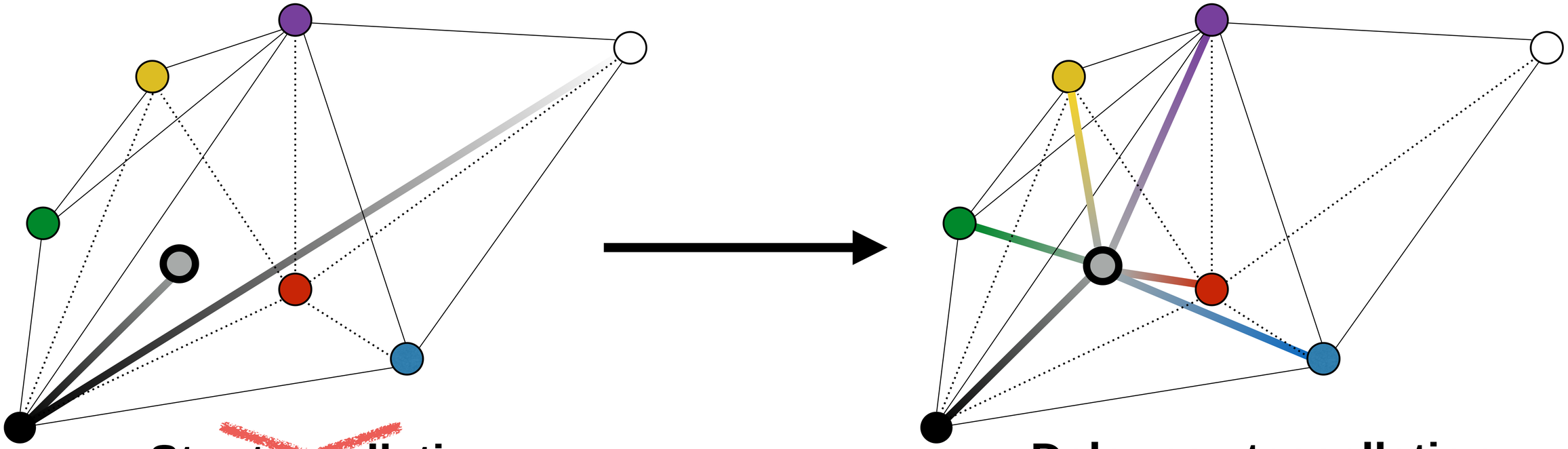
Limitations

- In isolated cases, the 5D convex hull takes somewhat longer than usual to compute.



Limitations

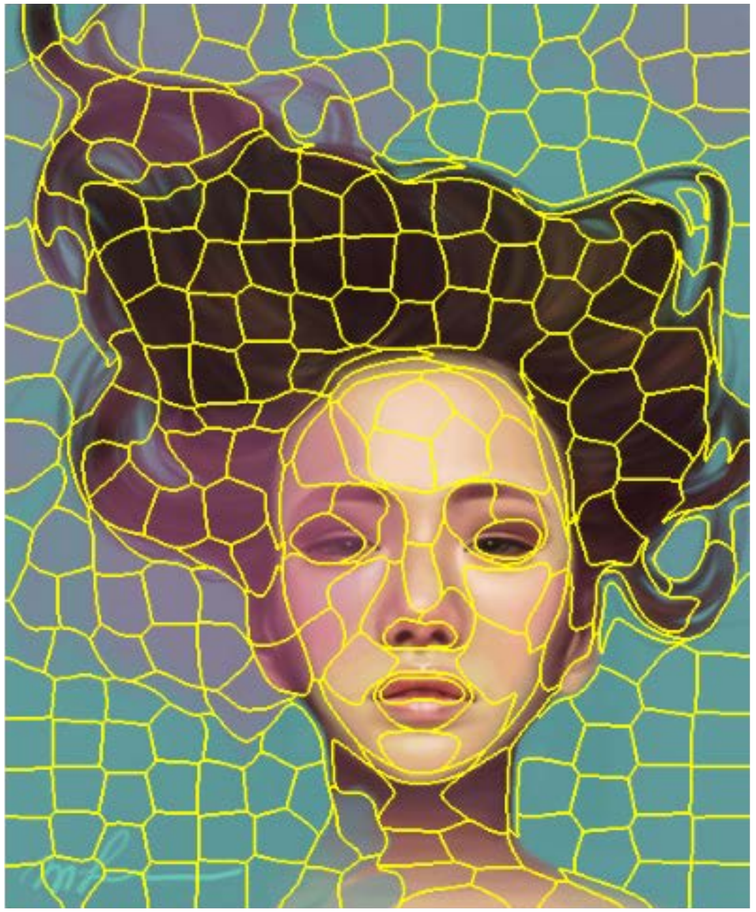
- Our star tessellation assumes that palette colors are vertices of a convex polyhedron.
  - For palette colors in the interior, must use inferior Delaunay tessellation.



Future Work

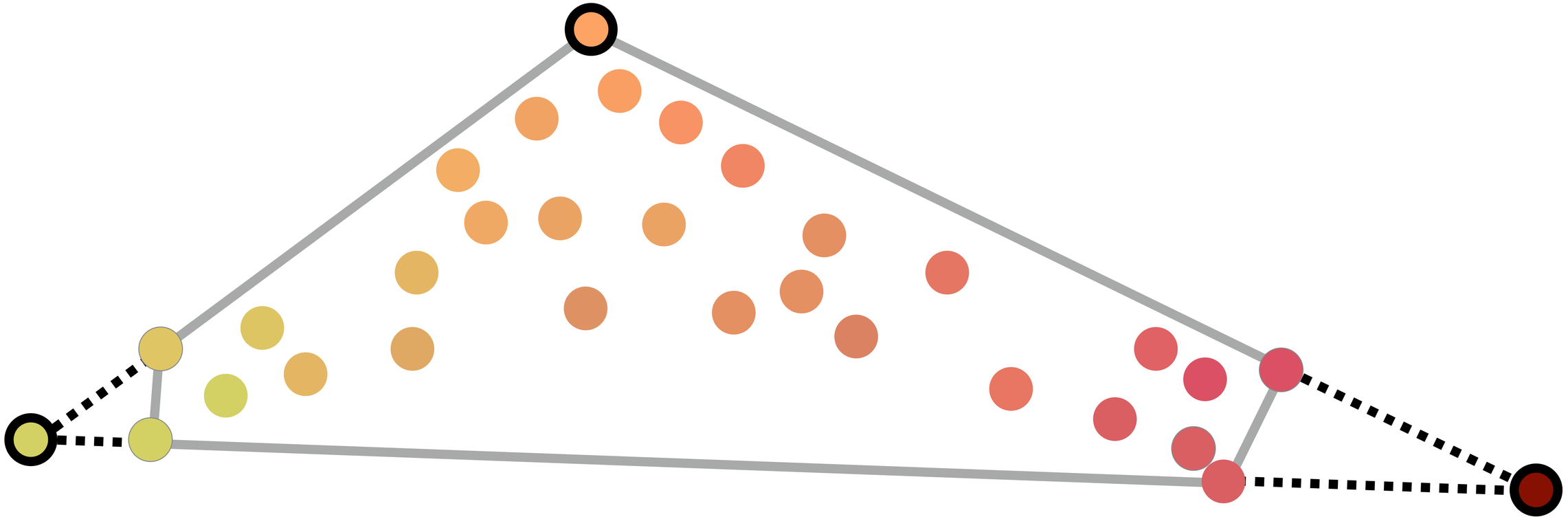
- More speed via super-pixels or parallel convex hull algorithms.

+



Future Work

- Robustness via approximate convex hull algorithms.



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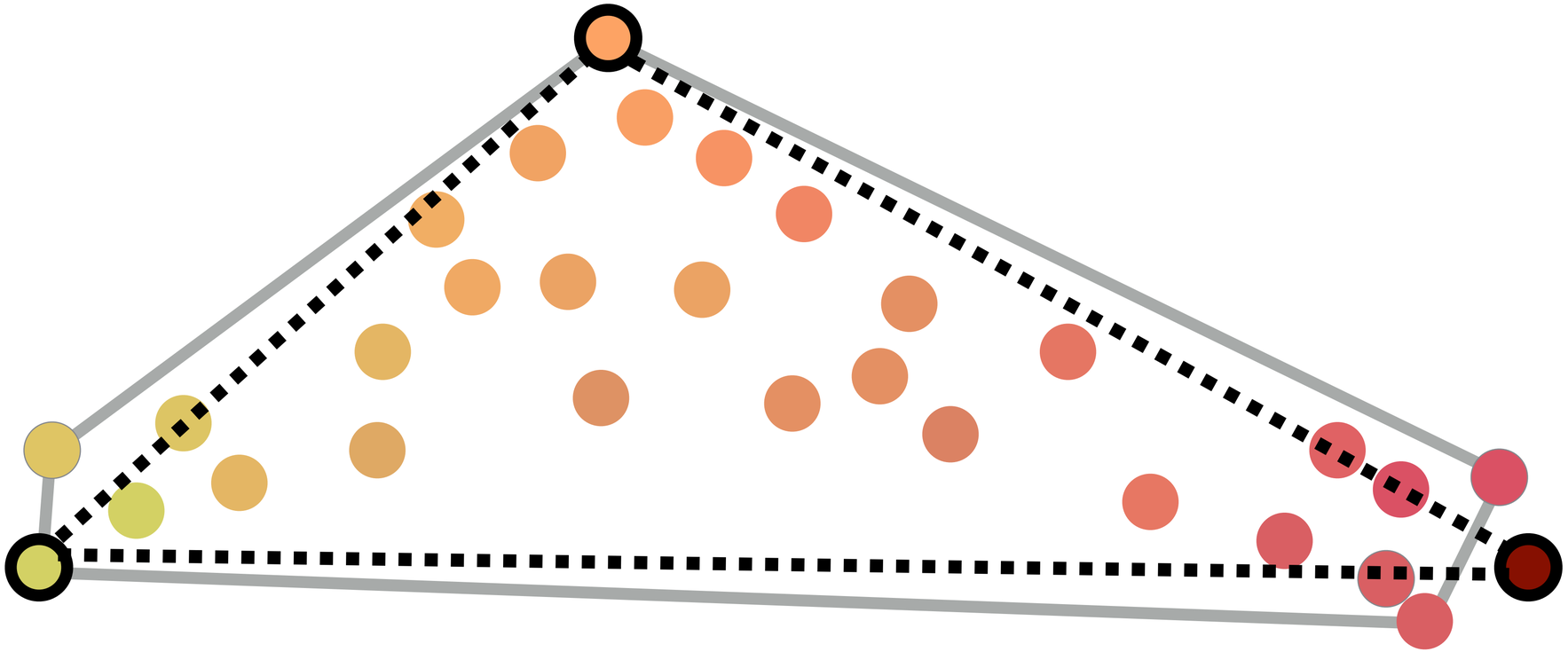

Future Work

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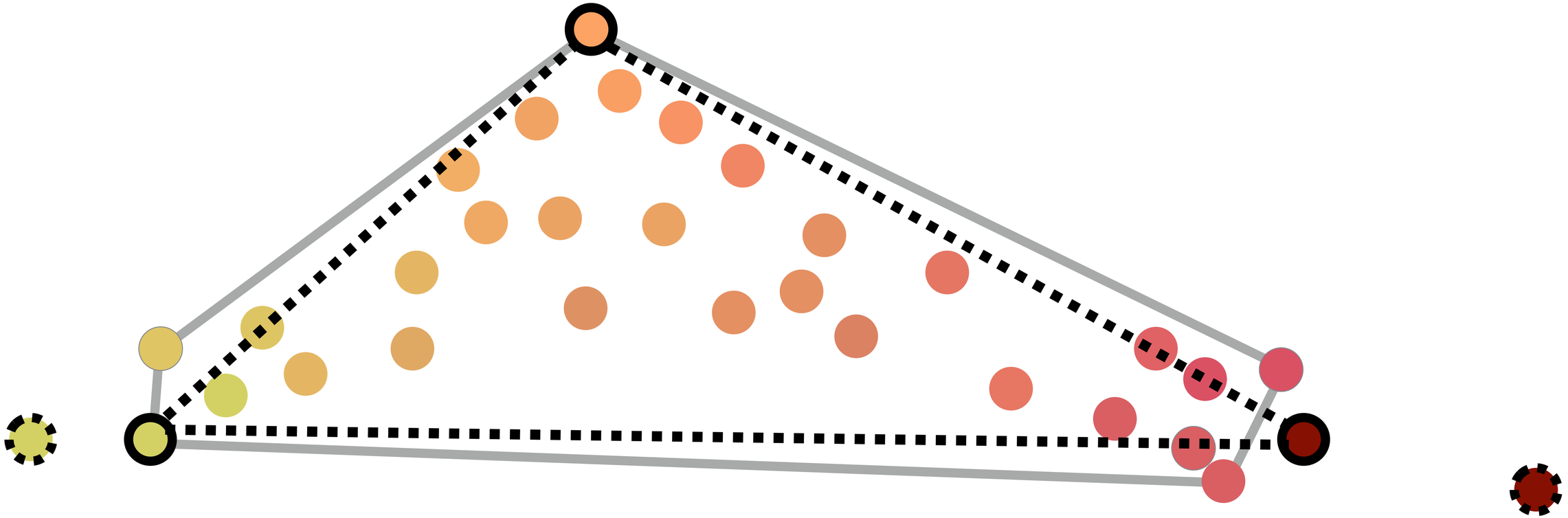

Thank You!

- Contact Information:
  - Jianchao Tan: jtan8@gmu.edu
  - Jose Echevarria: echevarr@adobe.com
  - Yotam Gingold: ygingold@gmu.edu
- Project Website (GUI, code, data): https://cragl.cs.gmu.edu/fastlayers/
- Artists: Adelle Chudleigh; Dani Jones; Karl Northfell; Michelle Lee; Adam Saltsman; Yotam Gingold; DeviantArt user Sylar113; Fabio Bozzone; Piper Thibodeau; Spencer Nugent; George Dolgikh; DeviantArt user Ranivius.
- Sponsors:
  - NSF, Adobe, Google.